



Canada's national laboratory
for particle and nuclear physics
and accelerator-based science

Decay and in-beam electron spectroscopy at TRIUMF

Adam Garnsworthy

ARIEL Principal Scientist and TRIUMF Research Scientist

Shape coexistence and electric monopole transitions in atomic nuclei

ESNT Workshop

23-27th October 2017

- A microscopic model for $E0$ transition matrix elements
- First measurement of 2-2 $E0$ strengths in spherical nuclei – $^{58,60,62}\text{Ni}$ at ANU
- Shape coexistence studies at TRIUMF-ISAC using gamma-ray and electron spectroscopy
- Questions and observations

RAPID COMMUNICATIONS

PHYSICAL REVIEW C 95, 011301(R) (2017)

Microscopic method for $E0$ transition matrix elements

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(Received 7 April 2016; revised manuscript received 28 October 2016; published 13 January 2017)

Microscopic model for $E0$ transition matrix elements.

B.A. Brown *et al.*, PRC 95, 011301(R) (2017).

A theoretical model for $E0$ matrix elements based on a combination of configuration interaction (CI) results in a spherical basis for orbital occupations and radii, together with energy-density functional (EDF) calculations for the monopole core polarization.

This core polarization is caused by the change in the nodal structure of the radial wave functions for the orbitals that participate in the valence transition. The core polarization is not proportional to the valence $E0$ matrix element.

This method is a generalization of the two-level model and makes connections to isomer and isotope shifts via a common EDF approach.

Example of ^{90}Zr

Two configurations dominate:

$$|a\rangle = |C_a, (1p_{1/2})^2\rangle \quad |b\rangle = |C_b, (0g_{9/2})^2\rangle$$

where C is ^{88}Sr core.

Radial densities are given by ($q=p$ for proton, $q=n$ for neutron):

$$\rho_{qx}(r) = \sum_k O_{qxk} \psi_{qxk}^2(r)$$

where $x = a/b$ and $k = (n, l, j)$ are the quantum numbers for the spherical single-particle wave functions, $\psi_{qxk}(r)[Y^{(l)}(\check{r}) \otimes \chi^{(s)}]^{(j)}$. The O are the orbital occupations.

Simplest model: radial wavefunctions depend only on k .

EDF model: also depend on a and b – different self-consistent potentials and different radial wavefunctions in the core

Example of ^{90}Zr

Matrix element of
 $E0$ operator:

$$\int \rho_{px} r^2 d\tau = \langle x | r^2 | x \rangle_p = \sum_k O_{pxk} \langle p x k | r^2 | p x k \rangle$$

Two states that mix, here
maximal mixing...

$$|0_1^+\rangle = \alpha|a\rangle + \beta|b\rangle \quad |0_2^+\rangle = \beta|a\rangle - \alpha|b\rangle$$

$$\begin{aligned} \langle 0_1^+ | r^2 | 0_1^+ \rangle &= \langle 0_2^+ | r^2 | 0_2^+ \rangle = \frac{1}{2} [\langle b | r^2 | b \rangle + \langle a | r^2 | a \rangle] \\ &= \frac{1}{2} \langle C_b | r^2 | C_b \rangle + \frac{1}{2} \langle C_a | r^2 | C_a \rangle \\ &\quad + \langle 0g_{9/2} | r^2 | 0g_{9/2} \rangle + \langle 1p_{1/2} | r^2 | 1p_{1/2} \rangle \end{aligned}$$

$$\begin{aligned} \langle 0_1^+ | r^2 | 0_2^+ \rangle &= \frac{1}{2} [\langle b | r^2 | b \rangle - \langle a | r^2 | a \rangle] \\ &= \frac{1}{2} \langle C_b | r^2 | C_b \rangle - \frac{1}{2} \langle C_a | r^2 | C_a \rangle \\ &\quad + \langle 0g_{9/2} | r^2 | 0g_{9/2} \rangle - \langle 1p_{1/2} | r^2 | 1p_{1/2} \rangle \end{aligned}$$

$$|a\rangle = |C_a, (1p_{1/2})^2\rangle \quad |b\rangle = |C_b, (0g_{9/2})^2\rangle \quad \text{where } C \text{ is } {}^{88}\text{Sr core.}$$

Example of ${}^{90}\text{Zr}$, Experimental $\langle 0_1^+ | r^2 | 0_2^+ \rangle_{ch} = 1.70(3) \text{ fm}^2$

Harmonic Oscillator (HO), $\langle 0_1^+ | r^2 | 0_2^+ \rangle = \frac{11}{2}b^2 - \frac{9}{2}b^2 = b^2$
core terms all cancel: where $b^2 = \frac{\hbar}{m\omega}$. With $\hbar\omega = 45A^{-1/3} - 25A^{-2/3}$, $b^2 = 4.71 \text{ fm}^2$

Consider finite charge and relativistic contributions: 5.32 fm^2
where increase is mainly due to spin-orbit contribution.

$$|a\rangle = |C_a, (1p_{1/2})^2\rangle \quad |b\rangle = |C_b, (0g_{9/2})^2\rangle \quad \text{where } C \text{ is } {}^{88}\text{Sr core.}$$

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Consider finite charge and relativistic contributions: 5.32 fm^2
 where increase is mainly due to spin-orbit contribution.

$E0$ matrix element is closely connected to isomer shift between $1/2^-$ GS and $9/2^+$ isomer.

Example of ${}^{89}\text{Y}$, Experimental $\delta \langle r^2 \rangle_{ch} = 0.84(8) \text{ fm}^2$

$$\begin{aligned} \delta \langle r^2 \rangle &= \langle C'_b, 0g_{9/2} | r^2 | C'_b, 0g_{9/2} \rangle - \langle C'_a, 1p_{1/2} | r^2 | C'_a, 1p_{1/2} \rangle \\ &= \langle C'_b | r^2 | C'_b \rangle - \langle C'_a | r^2 | C'_a \rangle \\ &\quad + \langle 0g_{9/2} | r^2 | 0g_{9/2} \rangle - \langle 1p_{1/2} | r^2 | 1p_{1/2} \rangle \quad \delta \langle r^2 \rangle_{ch} = 5.31 \text{ fm}^2 \end{aligned}$$

Example of ^{90}Zr , Experimental $\langle O_1^+ | r^2 | O_2^+ \rangle_{ch} = 1.70(3) \text{ fm}^2$

**Replace wavefunctions with
Skyrme self-consistent EDF:**

Example of ^{89}Y , Experimental $\delta \langle r^2 \rangle_{ch} = 0.84(8) \text{ fm}^2$

Example of ^{90}Zr , Experimental $\langle O_1^+ | r^2 | O_2^+ \rangle_{ch} = 1.70(3) \text{ fm}^2$

**Replace wavefunctions with
Skyrme self-consistent EDF:**

$$\langle O_1^+ | r^2 | O_2^+ \rangle = -4.00 + 4.10 + 0.61 = 0.71 \text{ fm}^2$$

Change in core radius Spin-orbit
↘ ↗
↙ Diff. in valence point proton radii

Example of ^{89}Y , Experimental $\delta \langle r^2 \rangle_{ch} = 0.84(8) \text{ fm}^2$

$$\delta \langle r^2 \rangle = -3.99 + 4.20 + 0.61 = 0.82 \text{ fm}^2$$

Change in core radius Spin-orbit
↘ ↗
↙ Diff. in valence point proton radii

Two-levels + inert core model

Example of ^{90}Zr , Experimental $\langle O_1^+ | r^2 | O_2^+ \rangle_{ch} = 1.70(3) \text{ fm}^2$

Replace wavefunctions with
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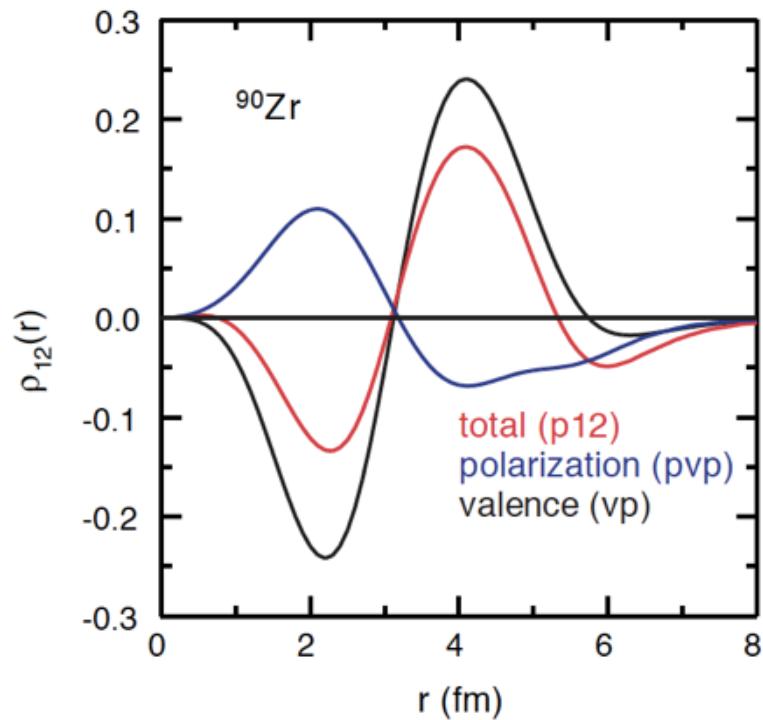
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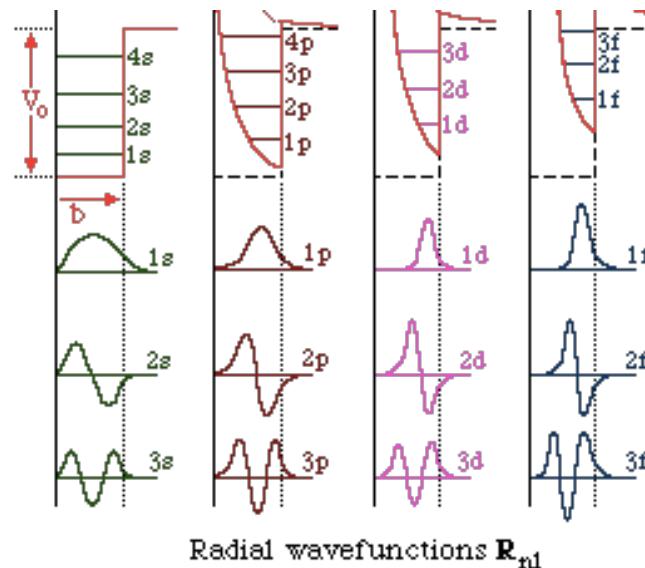
Change in core radius Spin-orbit
↘ ↗
 Diff. in valence point proton radii

Two-levels + inert core model,
next replace with CI occupations

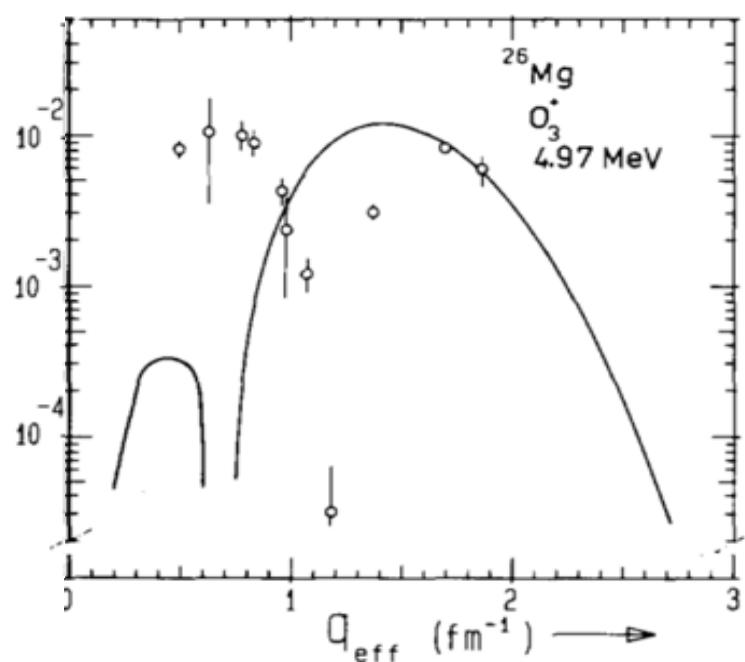


Proton radial transition density from difference of initial and final states.

Large orbital-dependent effect of core polarization from the valence nucleons.

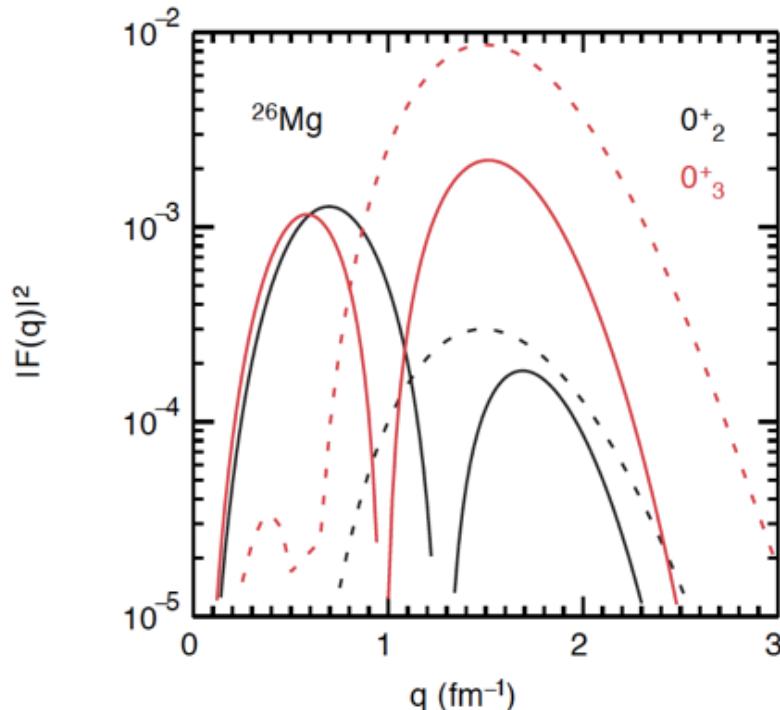


Form factors from inelastic electron scattering on ^{26}Mg



Better agreement from adding an arbitrary small amount of $0d_{5/2}-1d_{5/2}$ and $0f_{7/2}-1f_{7/2}$ to off-diagonal transition density.

H. Blok *et al.*, PLB 149, 441 (1984).



Core polarization model equivalent to addition of giant monopole transition density

Agreement is very good for large range of A and different active particles.

Result is sensitive to Skyme parameters and may provide new constraints for them.

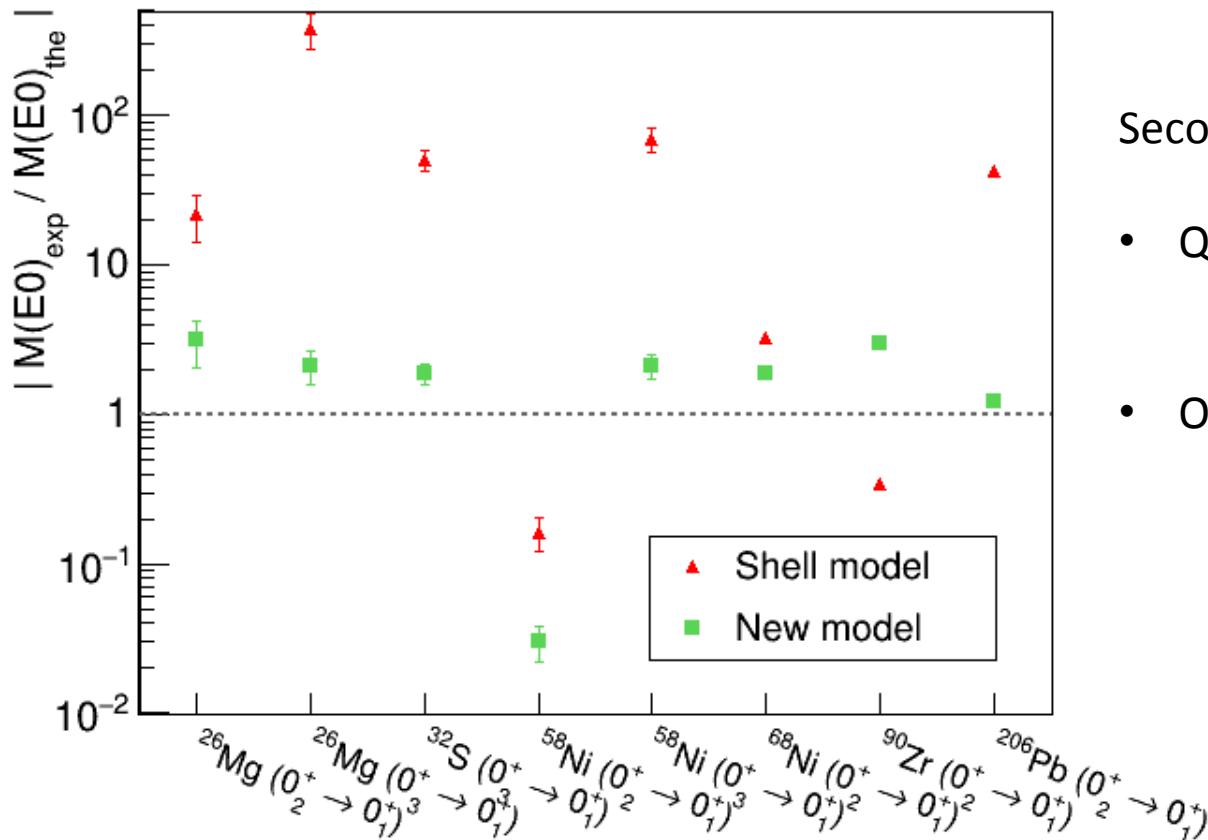
$$\rho(E0) = \frac{\langle f | M(E0) | i \rangle}{eR^2}$$

$E0$ Nuclear matrix element

	$0^+ - 0^+$ i-f	Exp.	New Model		Spin orbit	
			s3	skx		
Valence protons	^{90}Zr	2-1	1.70(3)	0.57	0.90	0.53
Valence neutrons	^{206}Pb	2-1	1.72(6)	1.43	0.66	-0.04
	^{68}Ni	2-1	1.41(3)	0.74	1.06	0.43
Valence protons and neutrons	^{58}Ni	2-1	0.054(14)	1.80	1.47	0.33
	^{58}Ni	3-1	5.5(10)	2.62	1.69	-0.08
	^{32}S	3-1	2.0(3)	1.06	0.74	-0.04
	^{26}Mg	2-1	3.5(12)	1.11	0.93	0.16
	^{26}Mg	3-1	3.8(10)	1.79	1.40	0.00

B.A. Brown *et al.*, PRC 95, 011301(R) (2017).

Skyme parameter sets from B.A. Brown *et al.*, PRC 92, 014305 (2015).



Second-order corrections:

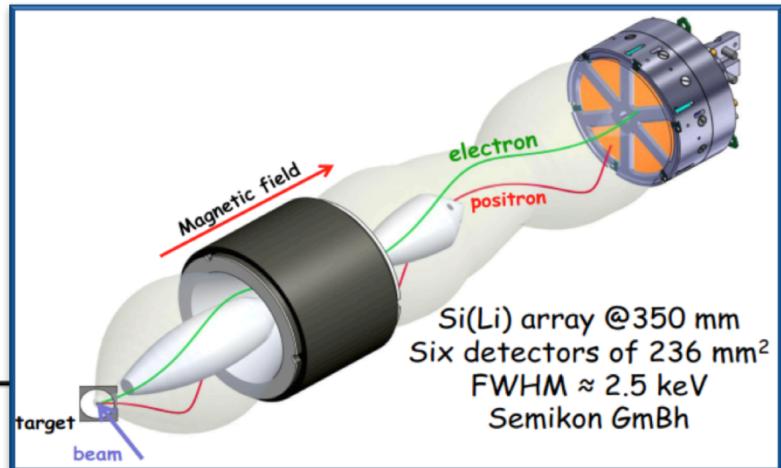
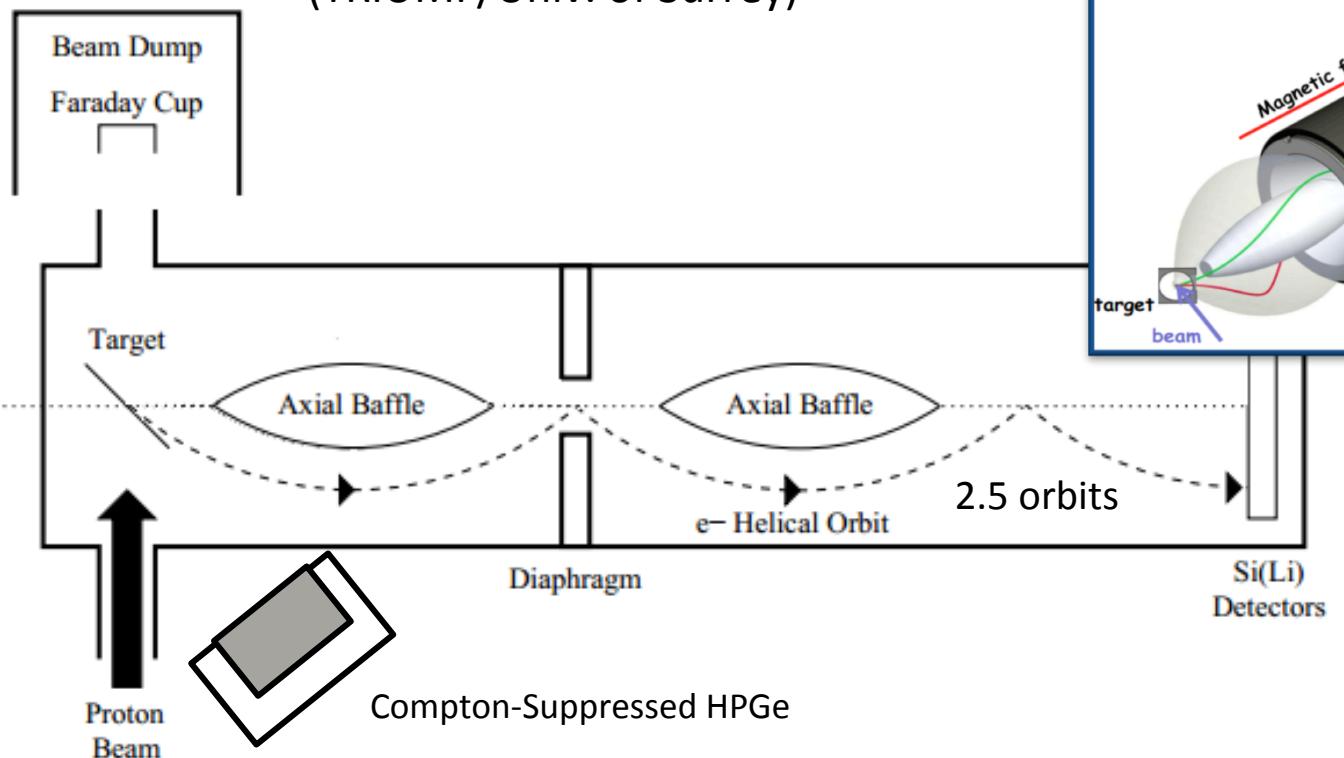
- Quadrupole zero-point motion
eg. $[2_+^2 \otimes 2_+^2]_{\text{coll}}^{j=0+}$ admixtures
- Octupole correlations

B.A. Brown *et al.*, PRC 95, 011301(R) (2017).

Skyme parameter sets from B.A. Brown *et al.*, PRC 92, 014305 (2015).

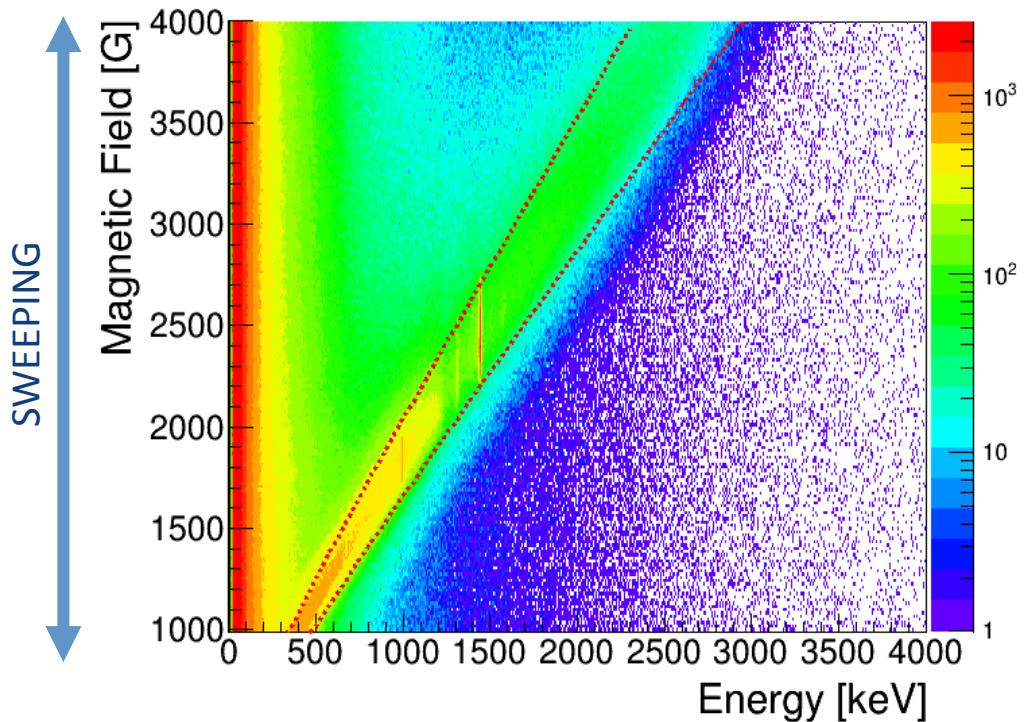
- A microscopic model for $E0$ transition matrix elements
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PhD Thesis of Lee Evitts
(TRIUMF/Univ. of Surrey)

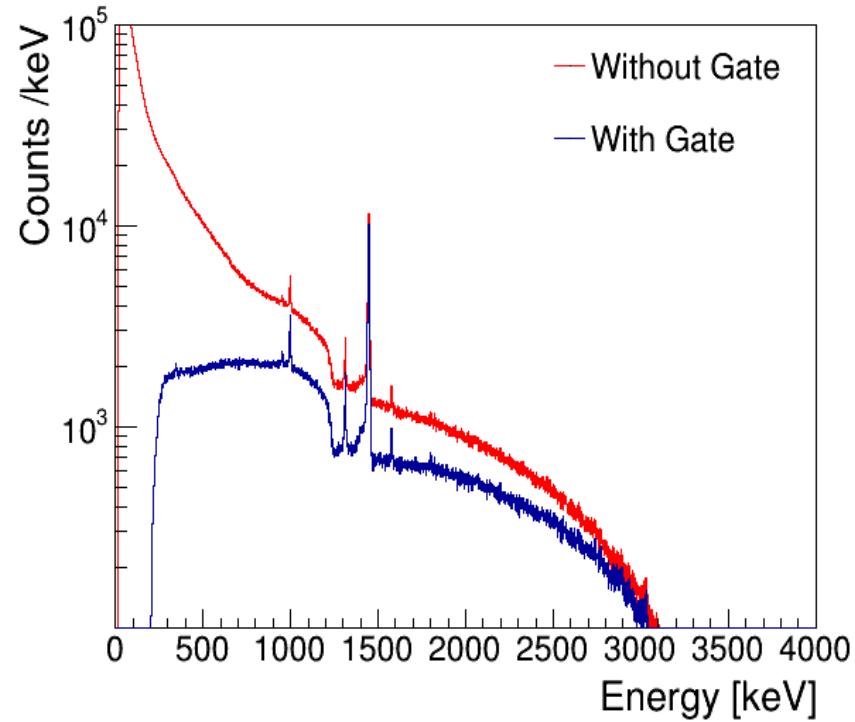


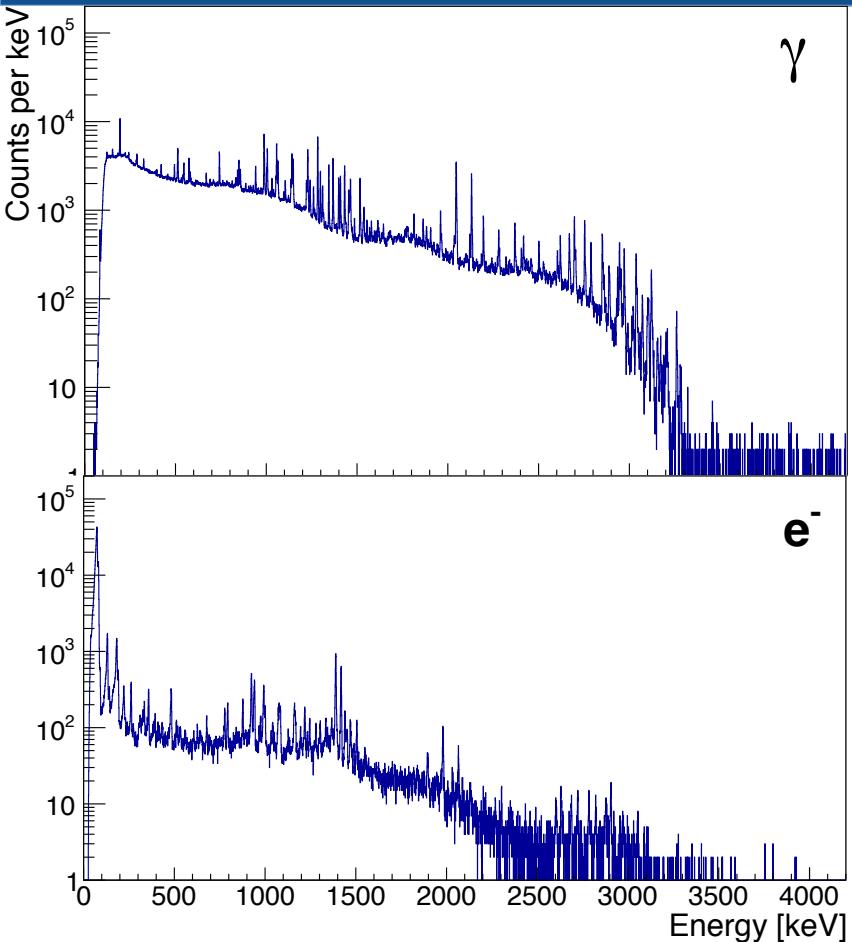
Inelastic proton scattering on
58,60,62Ni targets
1.4-1.6mg/cm²
<9.2MeV protons

Magnetic field operated in a sweeping mode with fixed beam integration at each step.



Momentum gate improves peak-to-background of e- spectrum





^{170}Lu to ^{170}Yb Electron Capture.

Q value = 3459 (19) keV.

Half-life is 2.012(21) days.

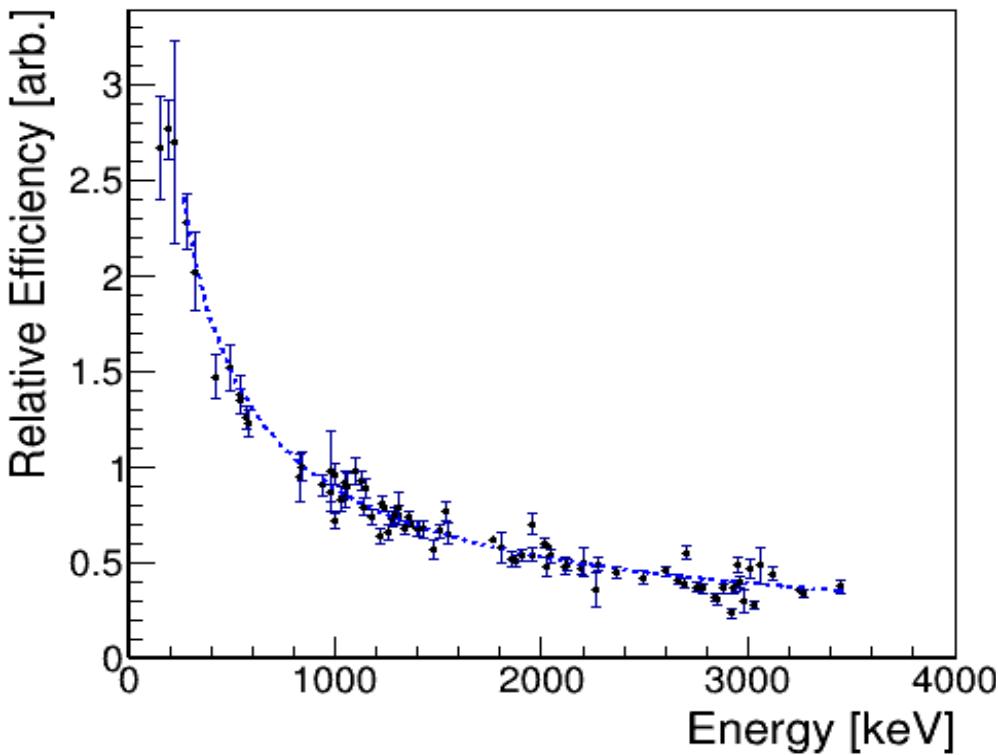
Relative intensities and ICC known to good precision from several studies.

Produced by $^{171}\text{Yb}(p,2n)$ at 18MeV.

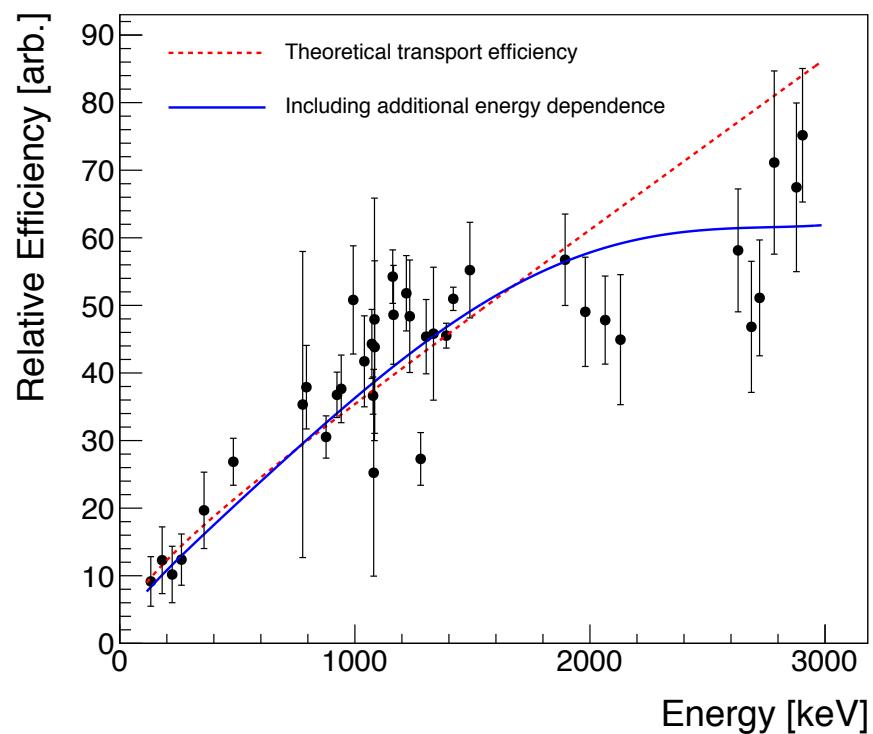
Alternatively produced by ISOL.

^{170}Lu source ($T_{1/2}=2$ days) produced by $^{171}\text{Yb}(\text{p},2\text{n})$

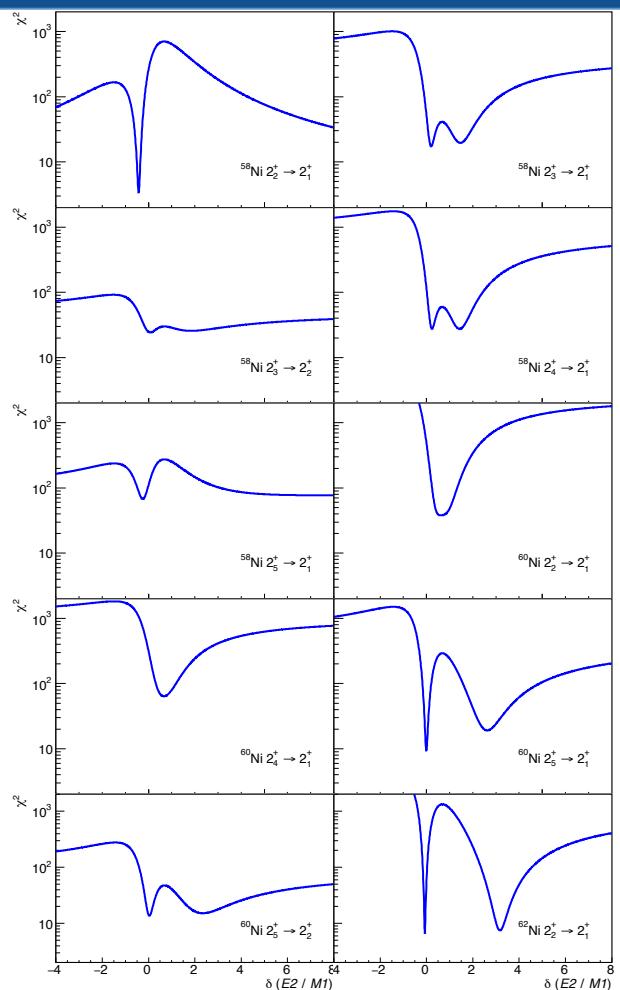
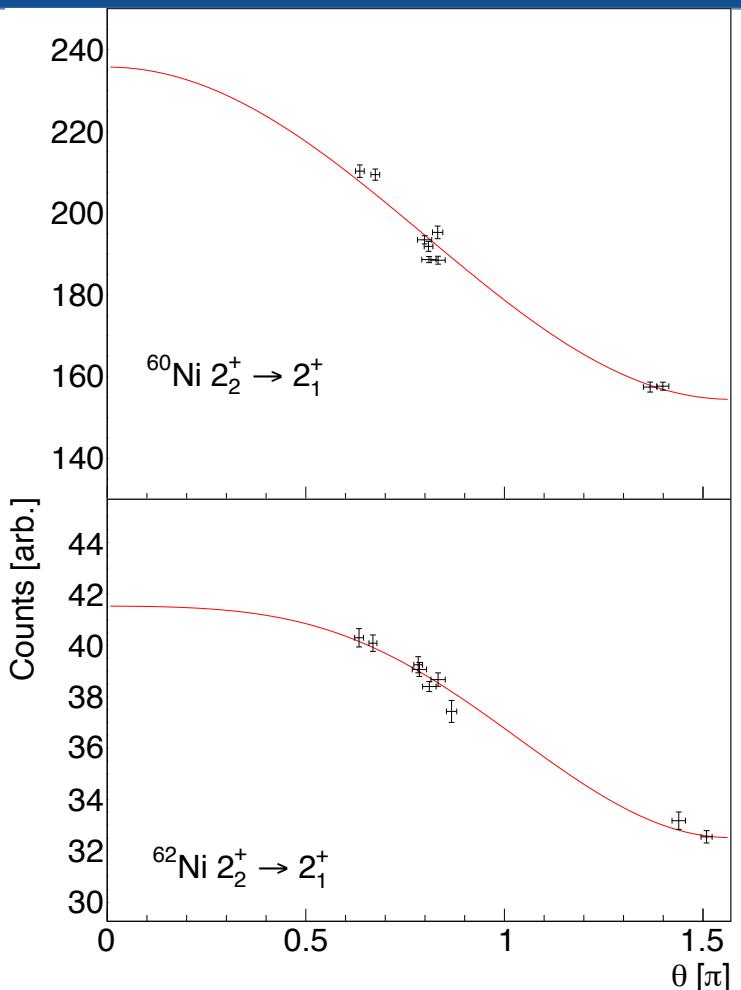
Gamma relative efficiency

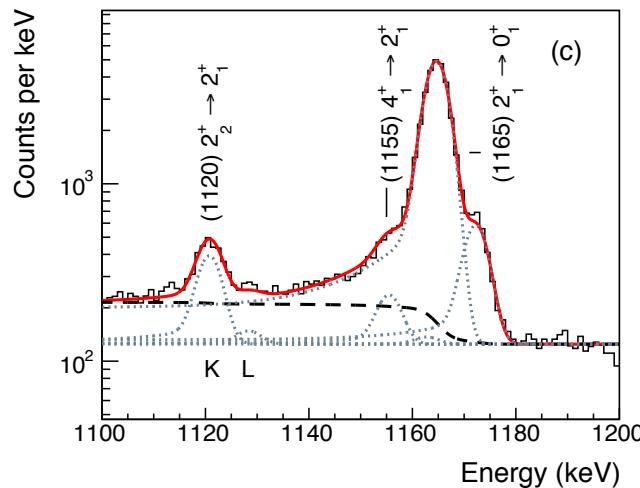
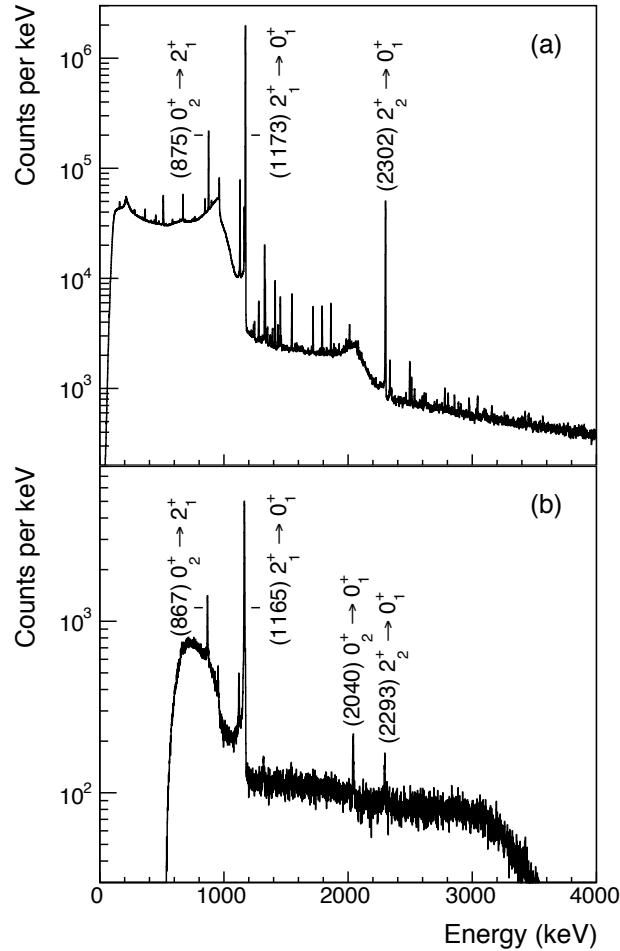


Electron relative efficiency



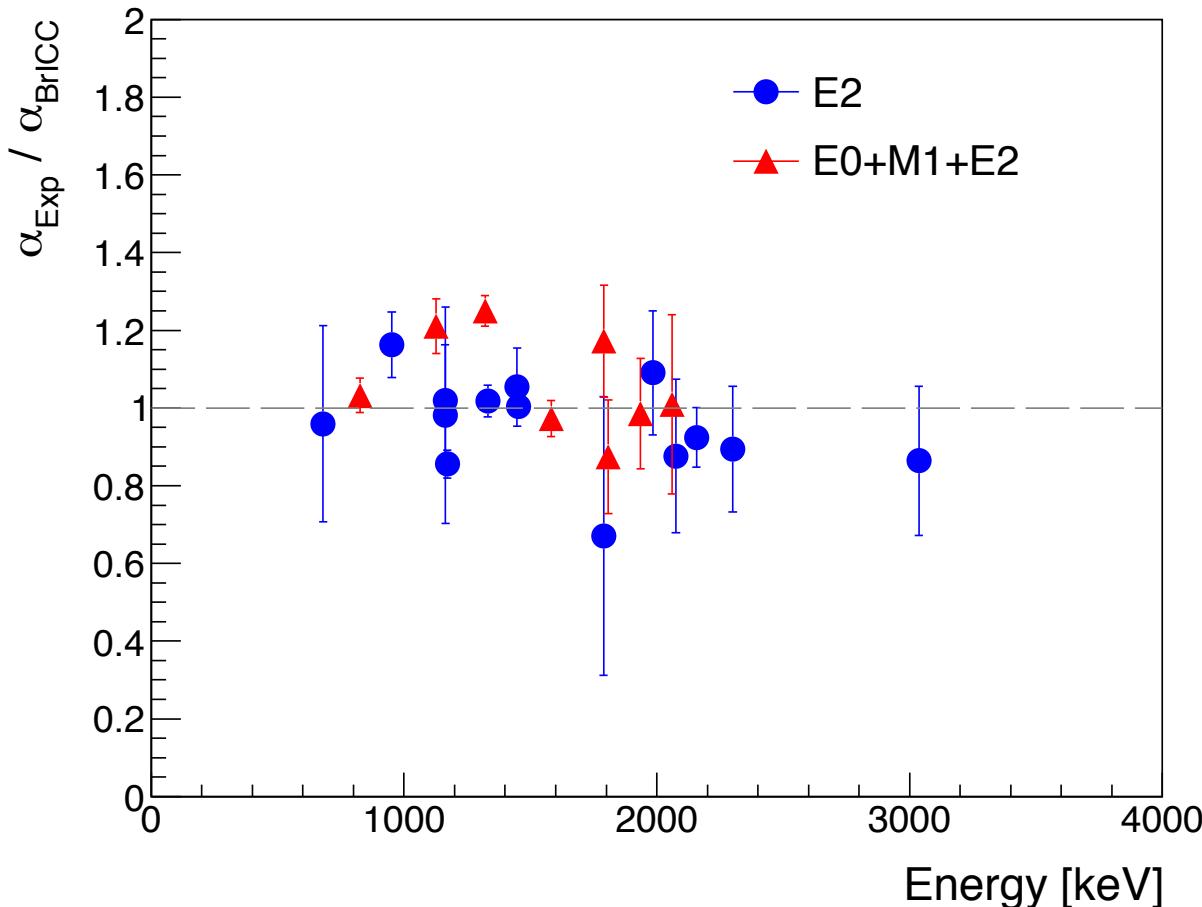
Gamma-ray angular distributions using the CAESAR array to determine $\delta(E2/M1)$ mixing ratios.





- Multiple peaks fitted simultaneously
- K-L energy difference fixed
- For Pure E2: intensity ratio of K and L fixed
- Higher than L omitted (<1.5%)
- Reduced chi-squared below = 1.2

$$\alpha = \frac{\lambda_{IC}}{\lambda_\gamma}$$

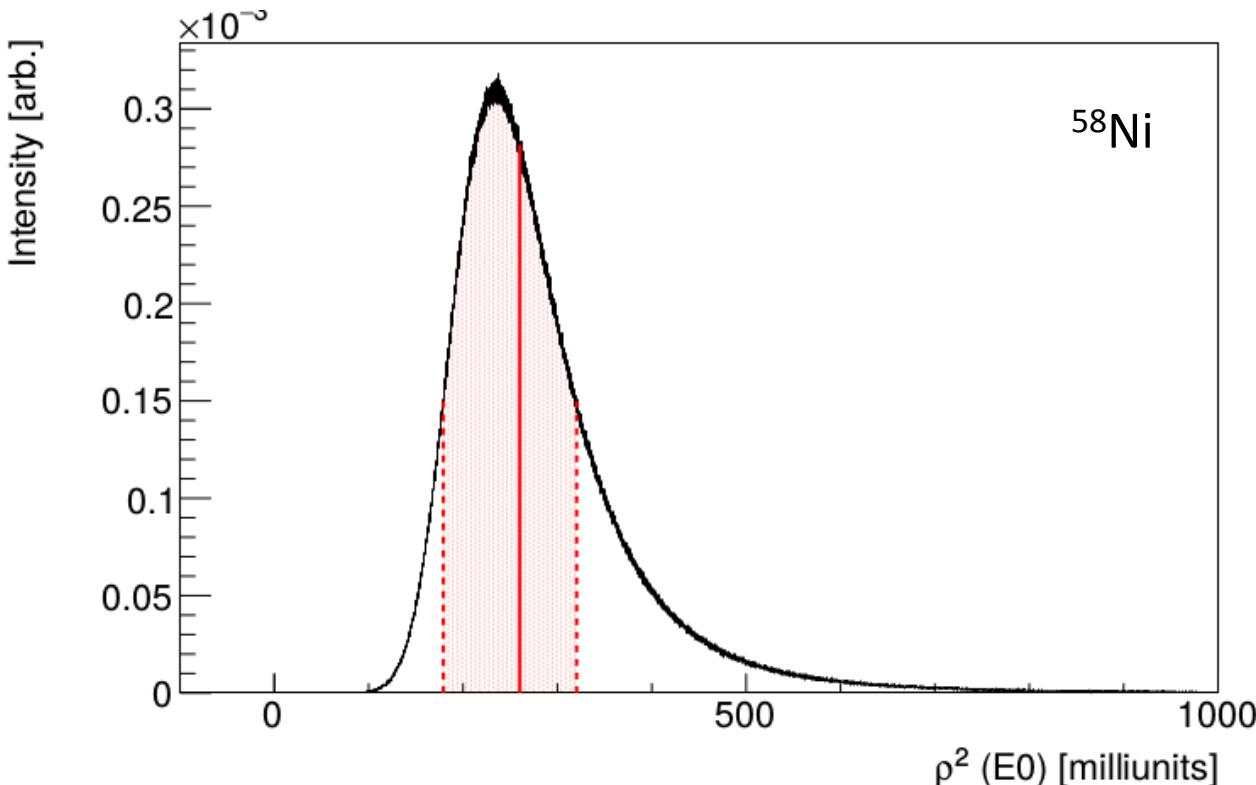


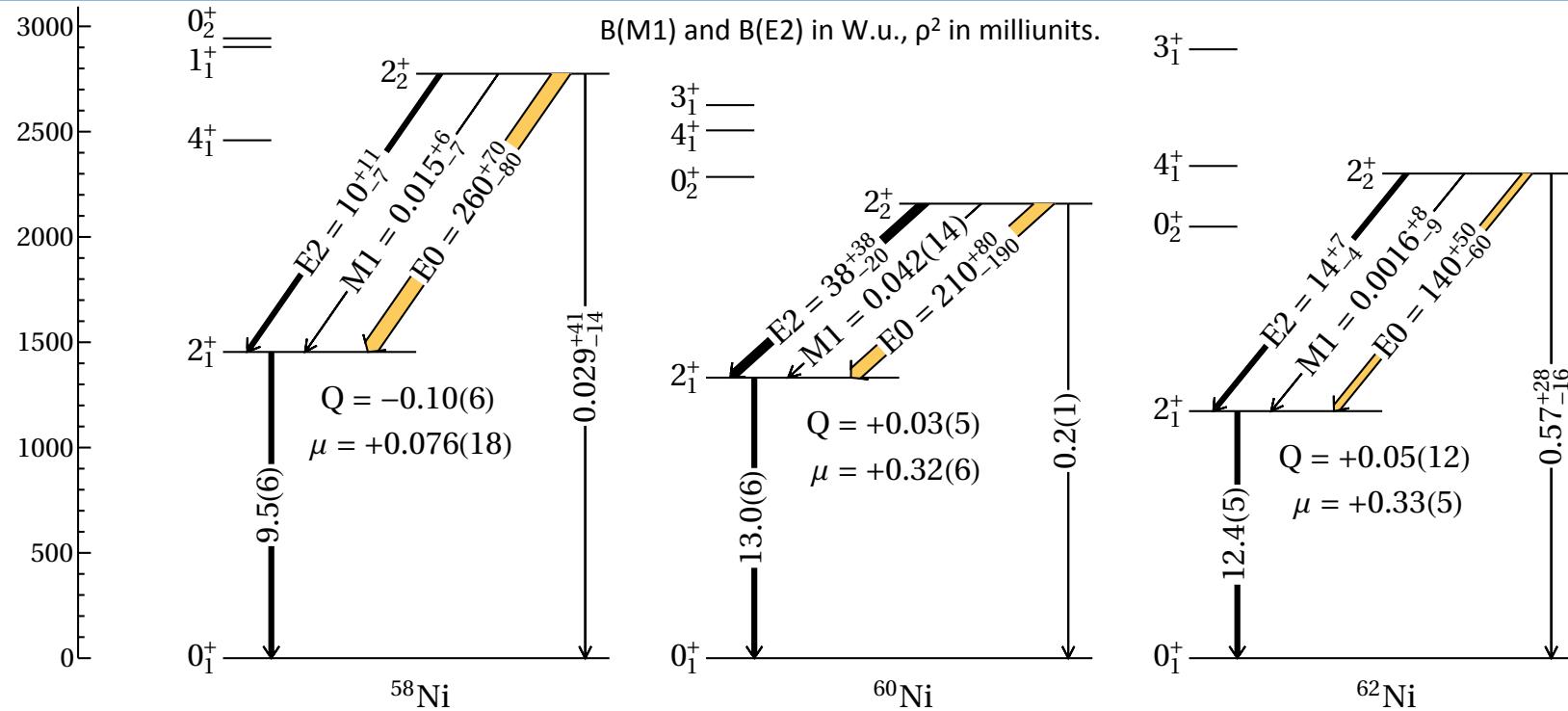
Pure E2 ICC are well reproduced.

Some mixed transitions indicate significant E0 components.

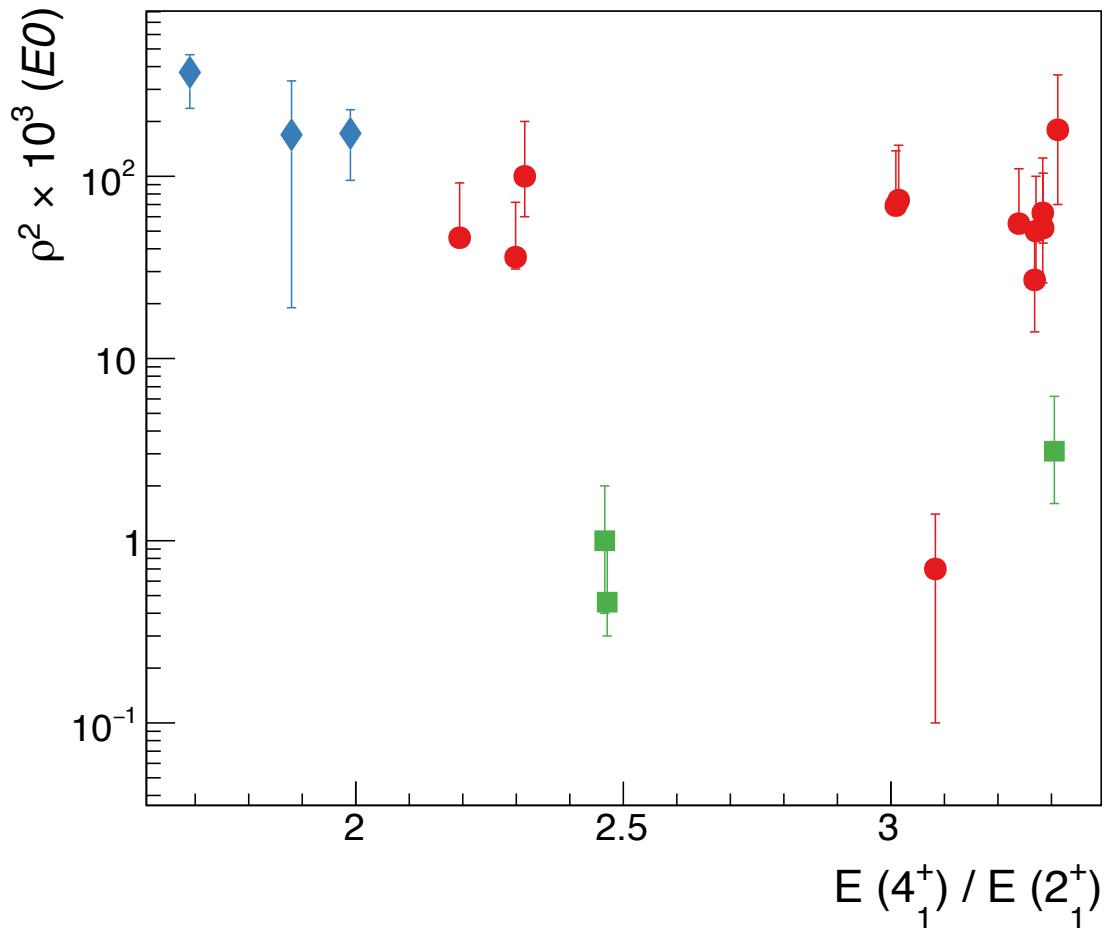
Monte Carlo method used for value and error determination.

- Treat all input values as a normal probability distribution (μ, σ).
- Output is not a normal distribution.
- Uncertainty obtained from region containing 68% with $y(x_1)=y(x_2)$.





	E_γ (keV)	$T_{1/2}$ (ps)	I_γ	$\delta(E2/M1)$	$\alpha_K \times 10^4$	$B(M1)$	$B(E2)$	$M(E0)$	$\rho^2(E0) \cdot 10^3$
^{58}Ni	1321.2	$0.38_{-0.09}^{+0.12}$	96(3)	-0.78(32)	1.4(3)	$0.015_{-0.007}^{+0.006}$	10_{-7}^{+11}	$11.0_{-1.9}^{+1.4}$	260_{-80}^{+70}
^{60}Ni	826.06	0.59(17)	85(2)	+0.58(14)	3.0(1)	0.042(14)	38_{-20}^{+38}	10_{-7}^{+2}	210_{-190}^{+80}
^{62}Ni	1128.82	$0.58_{-0.09}^{+0.16}$	45(2)	+2.5(6)	2.0(1)	$0.0016_{-0.0009}^{+0.0008}$	14_{-4}^{+7}	$8.4_{-2.1}^{+1.4}$	140_{-60}^{+50}



(diamond) Ni isotopes.

Literature values grouped by the sign of $Q_s (2_1^+)$:

(circles) prolate,
(square) oblate.

Data from compilation by
Wood et al., NPA 651, 323
(1999).

Good reproduction for 0-0 but not for 2-2 transitions.

Table 3: Calculated and experimental properties of the first and second 2^+ states in $^{58,60,62}\text{Ni}$.

Theory	$B(M1)$ $2_2^+ \rightarrow 2_1^+$ μ_N^2	$B(E2)$ $2_2^+ \rightarrow 2_1^+$ $e^2 fm^4$	μ 2_1^+ μ_N	Q 2_1^+ efm^2	$M(E0)$ $Skx (s3)$ fm^2	E_2 2_2^+ MeV	E_1 2_1^+ MeV
^{58}Ni	0.165	30.3	-0.14	-2.7	1.66(0.80)	2.64	1.48
^{60}Ni	0.044	269	0.30	2.3	0.38(0.50)	2.29	1.56
^{62}Ni	0.0039	151	0.61	25.3	0.53(1.06)	2.34	1.15
Experiment							
	$B(M1)$ $2_2^+ \rightarrow 2_1^+$ μ_N^2	$B(E2)$ $2_2^+ \rightarrow 2_1^+$ $e^2 fm^4$	μ 2_1^+ μ_N	Q 2_1^+ efm^2	$M(E0)$ fm^2	E_2 2_2^+ MeV	E_1 2_1^+ MeV
^{58}Ni	0.027^{+11}_{-13}	133^{+147}_{-93}	$0.076(18)$	-10(6)	$11.0^{+1.4}_{-1.9}$	2.77	1.45
^{60}Ni	0.075^{+25}_{-25}	530^{+530}_{-279}	$0.32(6)$	3(5)	10^{+2}_{-7}	2.16	1.33
^{62}Ni	0.0028^{+14}_{-16}	204^{+102}_{-58}	$0.33(5)$	5(12)	$8.4^{+1.4}_{-2.1}$	2.30	1.17

Second-order corrections may be needed – coupling valence nucleons to the 1p-1h giant quadrupole excitation.

- A microscopic model for $E0$ transition matrix elements
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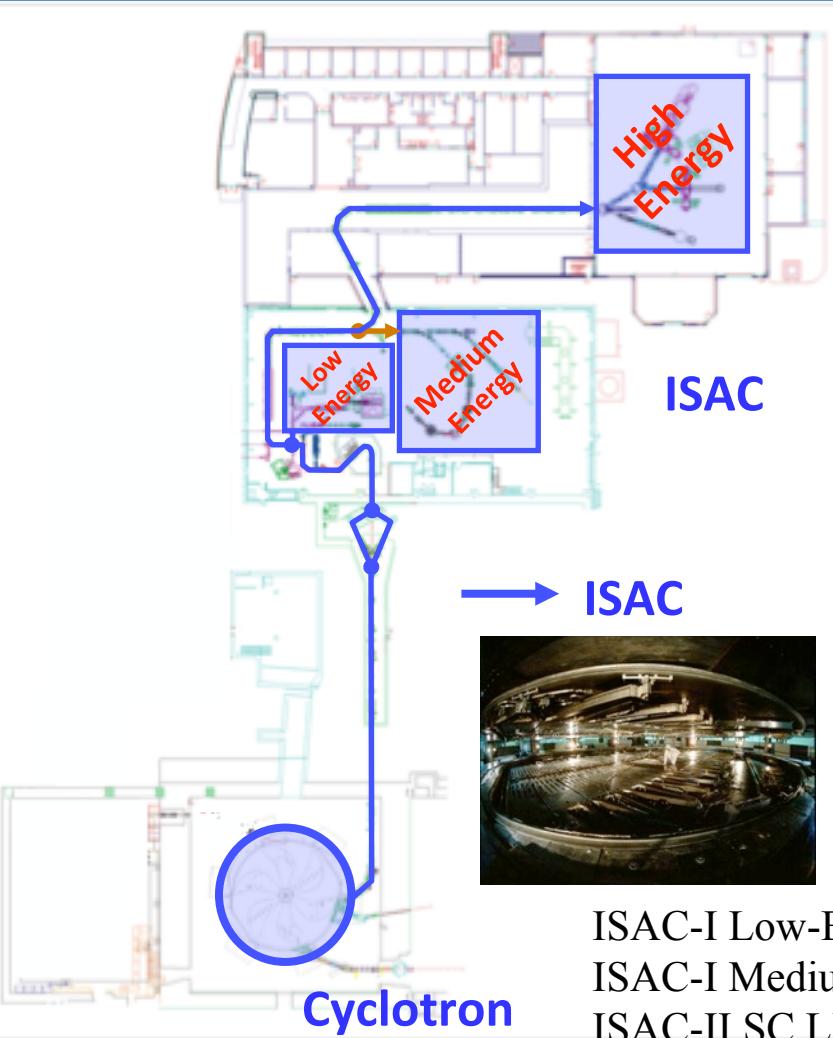
TRIUMF-ISAC

Isotope Separator and ACcelerator

1 RIB delivery to experiments

500MeV p⁺ at 100μA on ISOL target

SiC, NiO, Nb, ZrC, Ta, UC_x Targets
Surface, FEBIAD, IG-LIS ion sources



ISAC-I Low-Energy <60keV

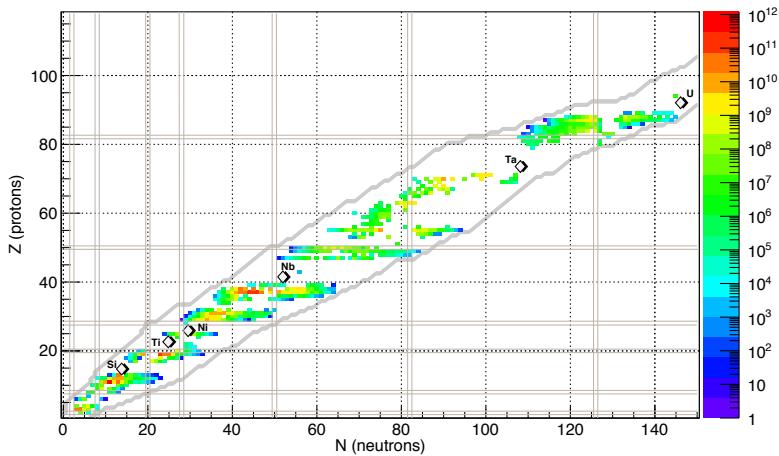
ISAC-I Medium E <1.5MeV/u

ISAC-II SC LINAC <10MeV/u

Ground state + decay, material science

Astrophysics

Nuclear reactions and structure



TRIUMF-ARIEL

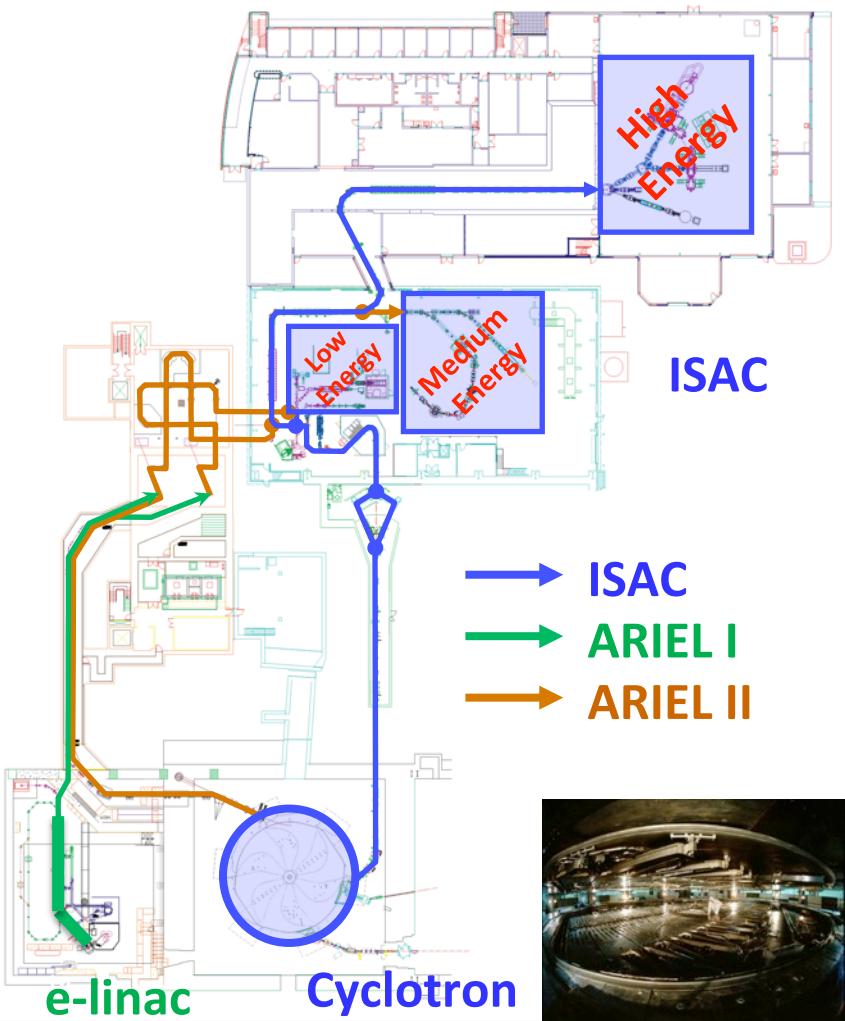
Advanced Rare-IsotopE Laboratory

1 RIB → 3 simultaneous RIBs

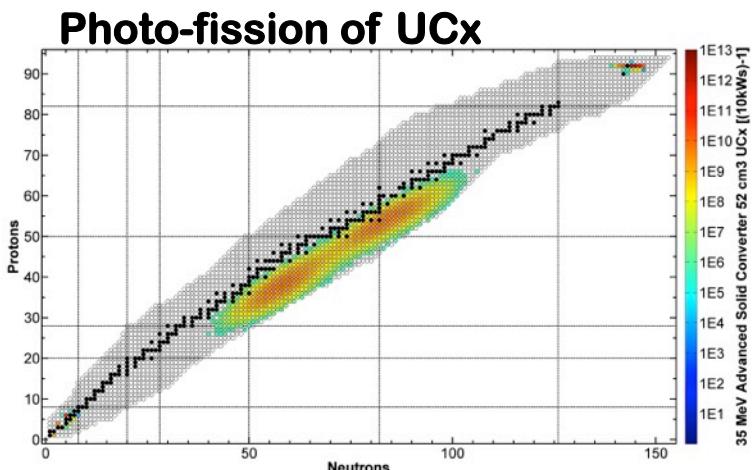
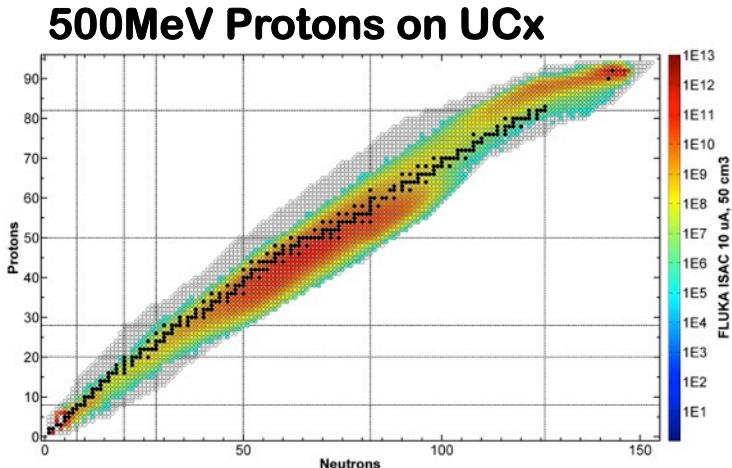
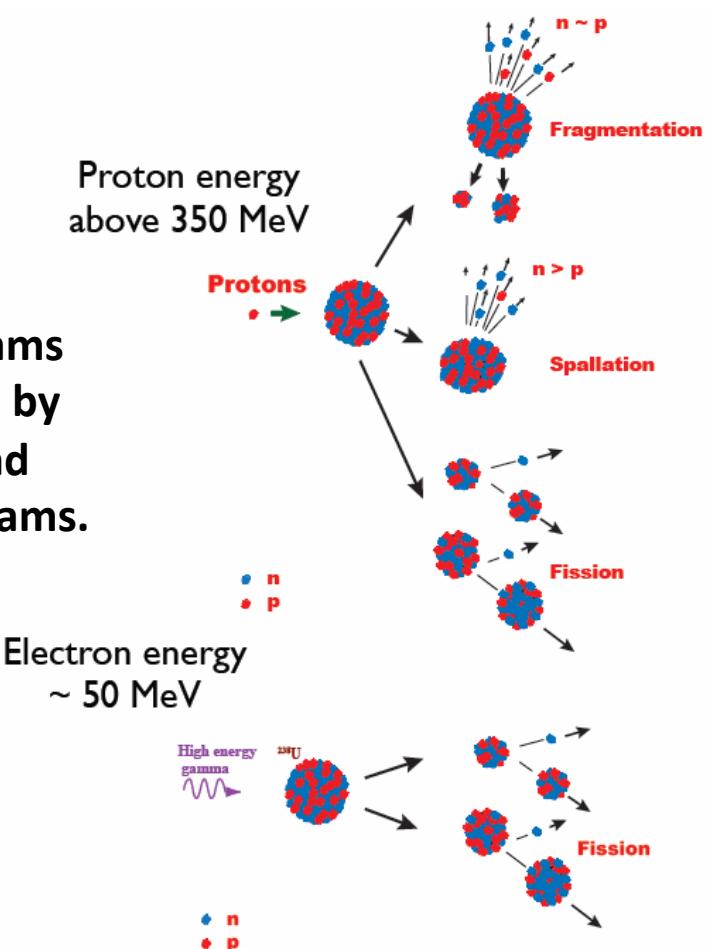
ARIEL Project:

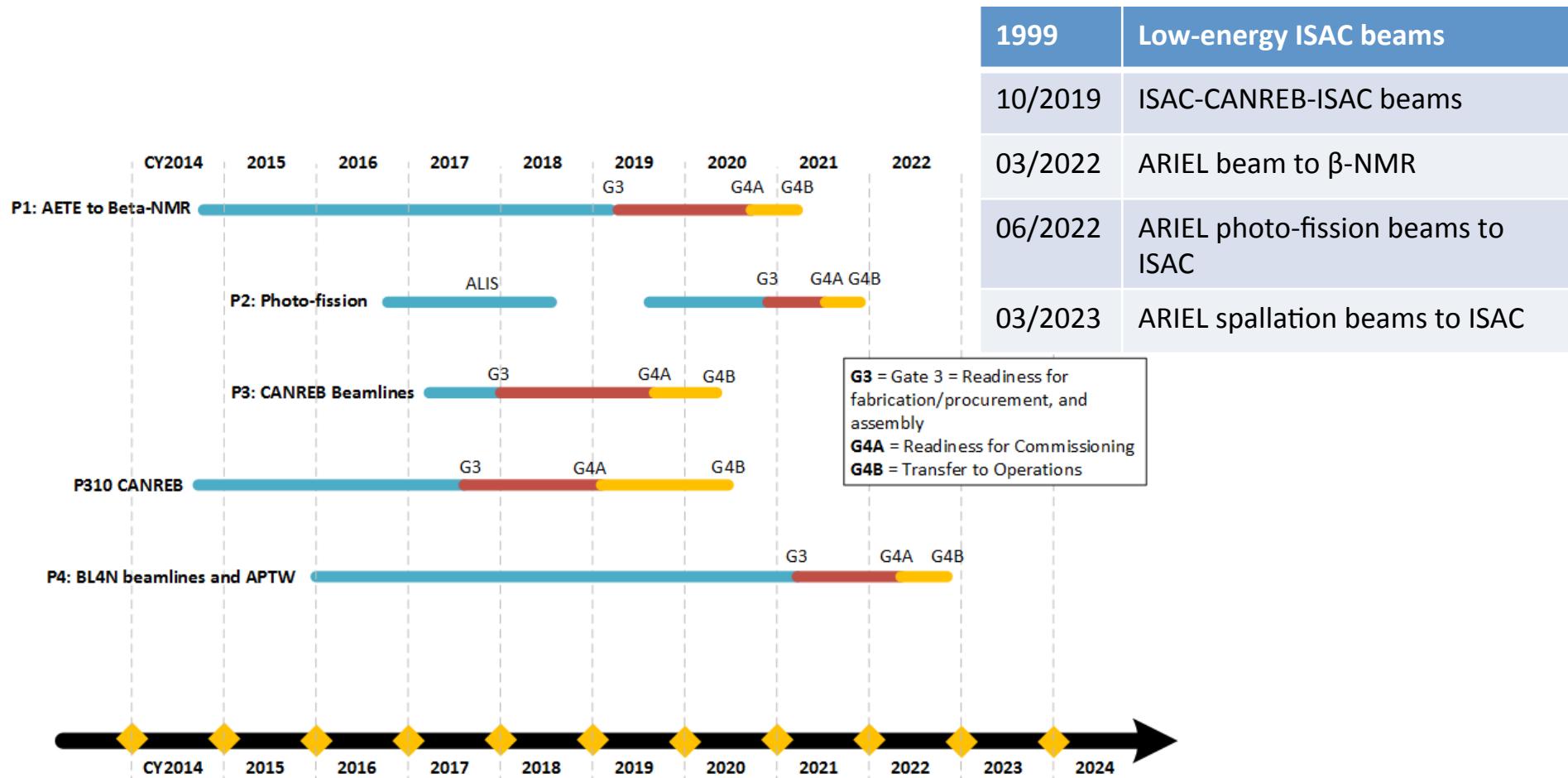
- new electron linac driver for photo-fission
- new target stations and front end
- new proton beamline

E-linac and electron beamline
Sept. 2014



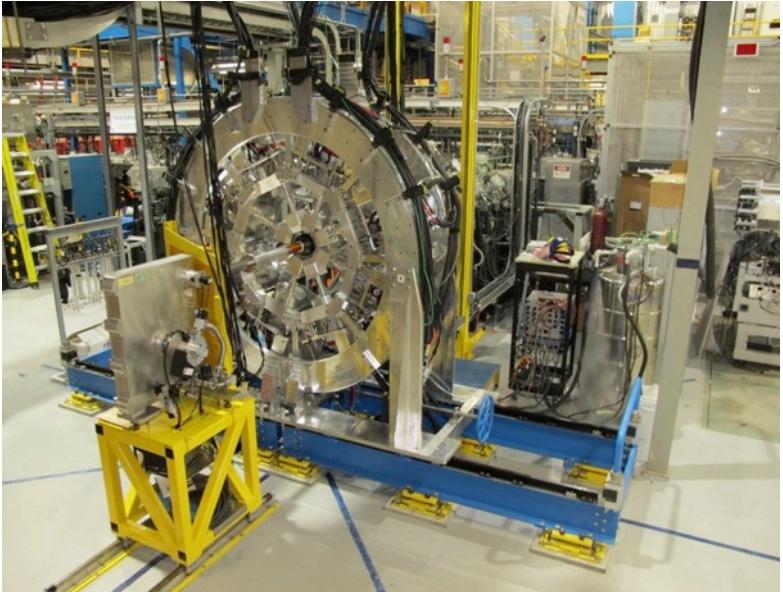
Rare-isotope beams will be produced by from proton and electron driver beams.





GRiffin

Precision studies with stopped RIBs

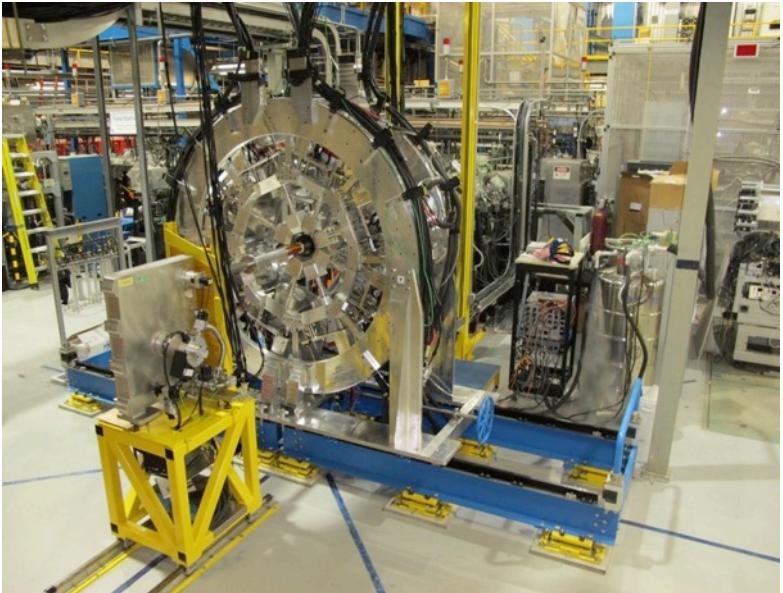
**TIGRESS**

Experiments with accelerated RIBs



GRiffin

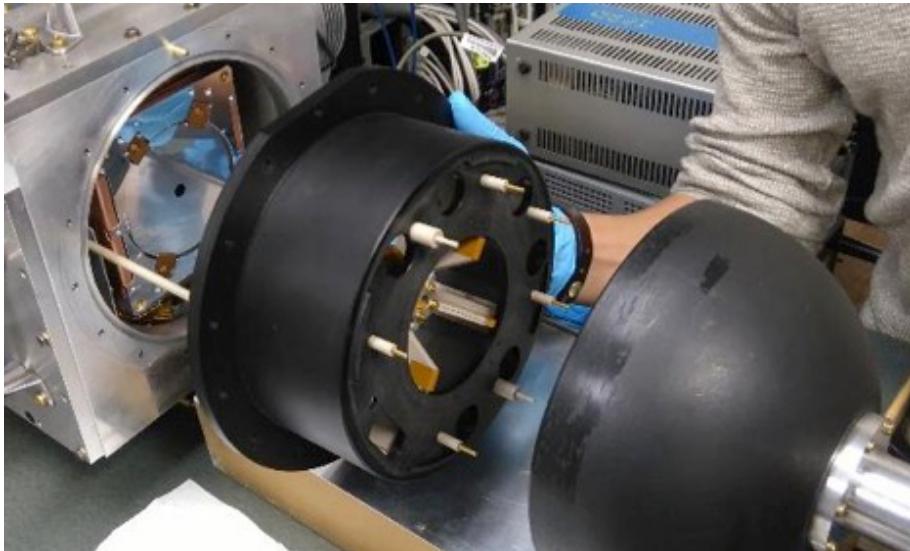
Precision studies with stopped RIBs



PACES – electron spectrometer

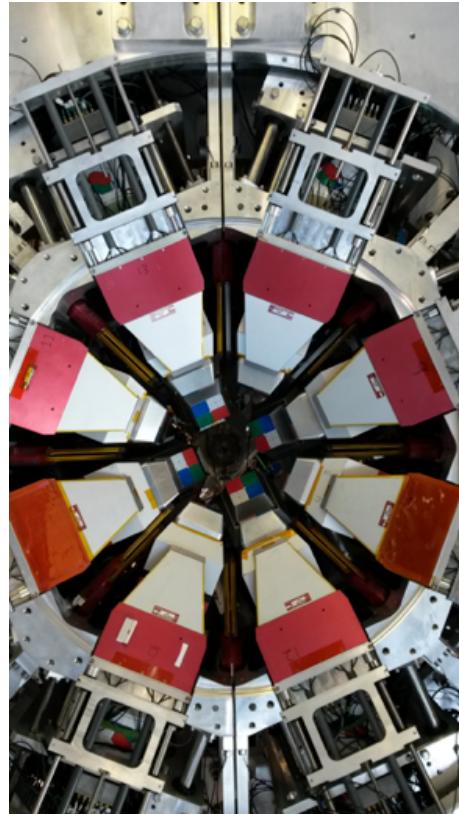


SPICE – in-beam electron spectrometer



TIGRESS

Experiments with accelerated RIBs



TRIUMF ISAC-II High Mass: $^{156,158,160}\text{Er}$ Coulomb Excitation with TIGRESS

A>29 beams require charge-breeding.

- Currently use ISAC CSB
- CANREB EBIS from 2019

S1750, J. Smallcombe & A.B. Garnsworthy

HPTa target with TRILIS and CSB.

Beams delivered to TIGRESS, Oct 2017:

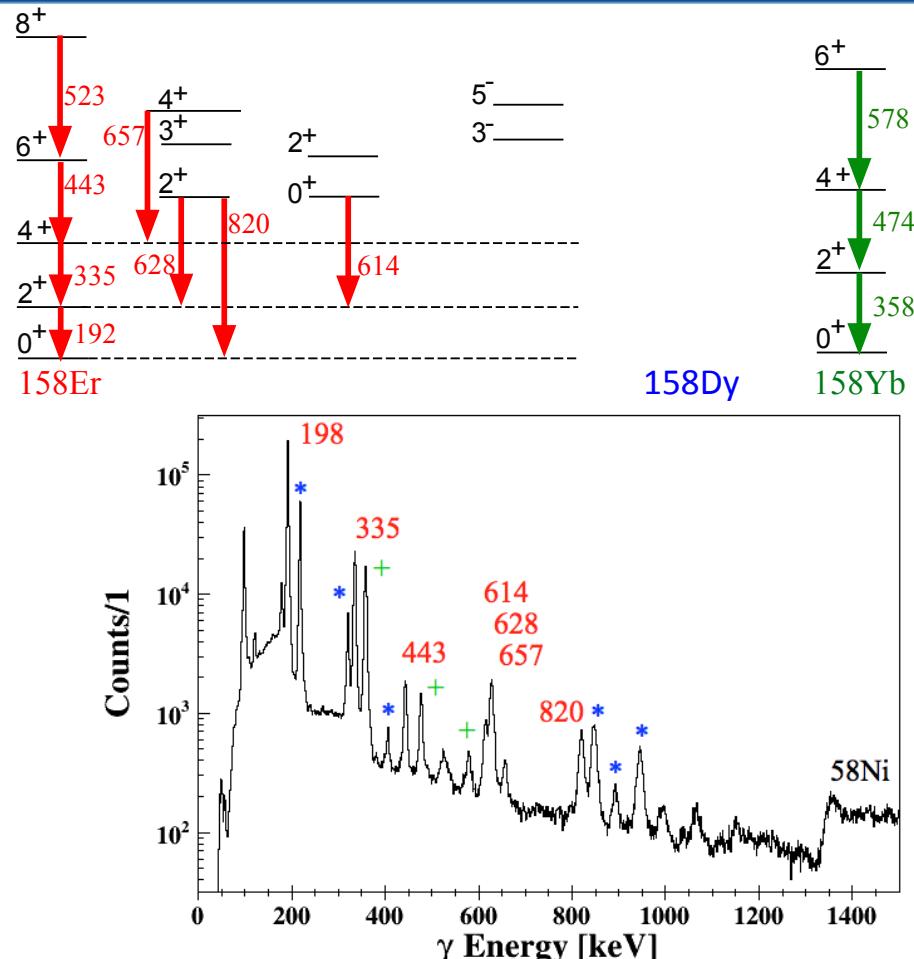
$^{156}\text{Er}^{23+}$: 1×10^8 total pps, 25% ^{156}Er , ~14hrs

$^{158}\text{Er}^{23+}$: 1×10^8 total pps, 50% ^{158}Er , ~14hrs

$^{160}\text{Er}^{23+}$: 1×10^8 total pps, 50% ^{160}Er , ~14hrs

3.9MeVA Coulex on ^{58}Ni target

Will measure quadrupole moments of low-lying states to determine the shape of these nuclei, and investigate coexistence at $N=88,90$.



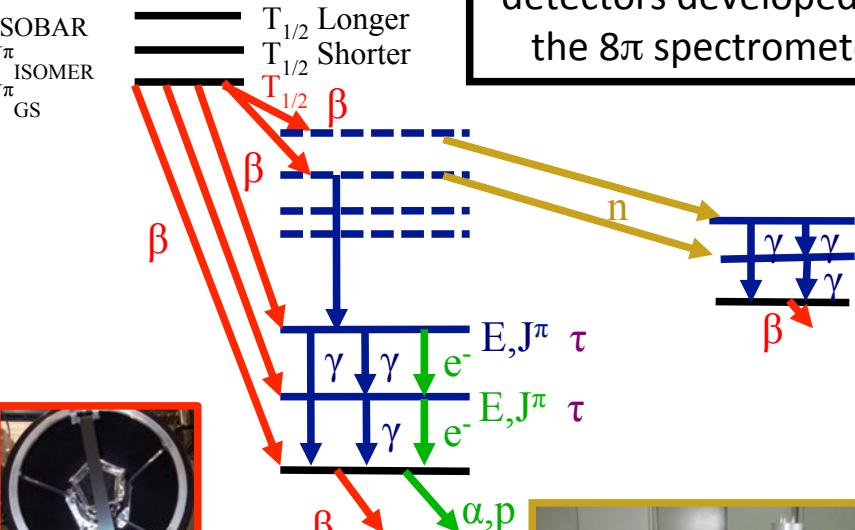
The GRIFFIN Spectrometer for precision decay studies



Fast, in-vacuum tape system
Enhances decay of interest

ISOBAR
 J^π ISOMER
 J^π_{GS}

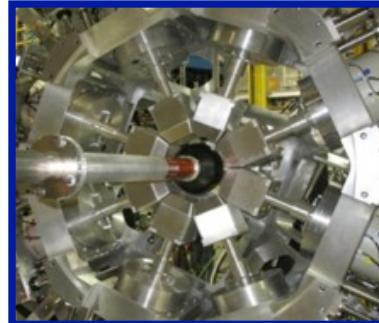
— $T_{1/2}$ Longer
— $T_{1/2}$ Shorter



SCEPTAR: 10+10 plastic scintillators
Detects beta decays and determines branching ratios



DESCANT Neutron array
Detects neutrons to measure beta-delayed neutron branching ratios



HPGe: 16 Clovers
Detect gamma rays and determines branching ratios, multipolarities and mixing ratios

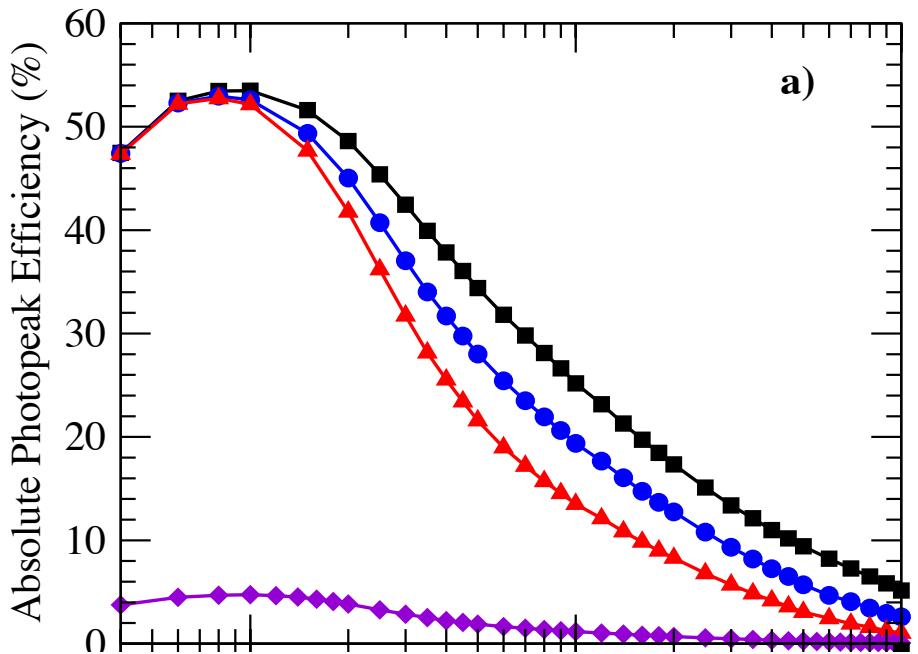


Zero-Degree Fast scintillator
Fast-timing signal for betas

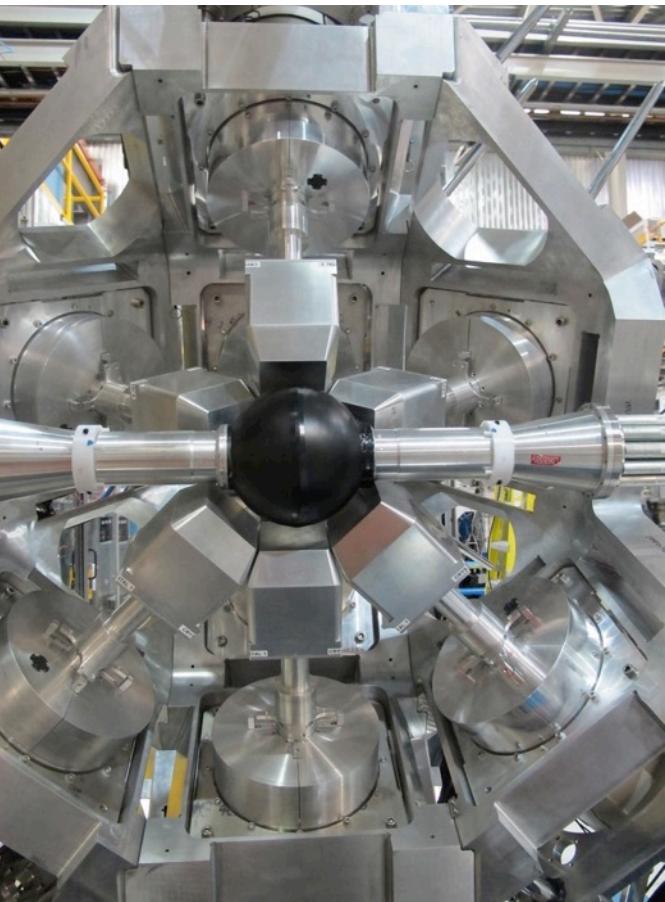


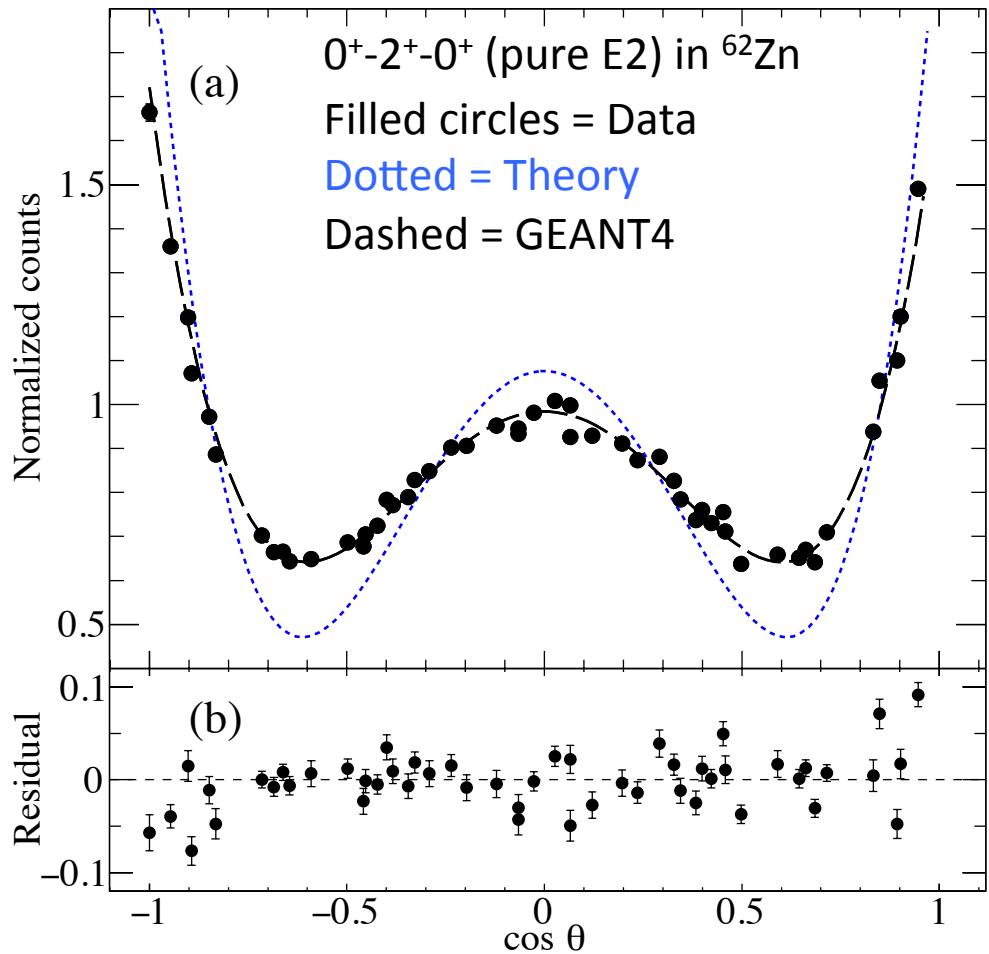
PACES: 5 Cooled Si(Li)s
Detects Internal Conversion Electrons and alphas/protons

A close-packed array of 16 large-volume HPGe
Clover detectors, 64 crystals



4096 crystal pairs at 52 unique angles
for $\gamma\text{-}\gamma$ angular correlations





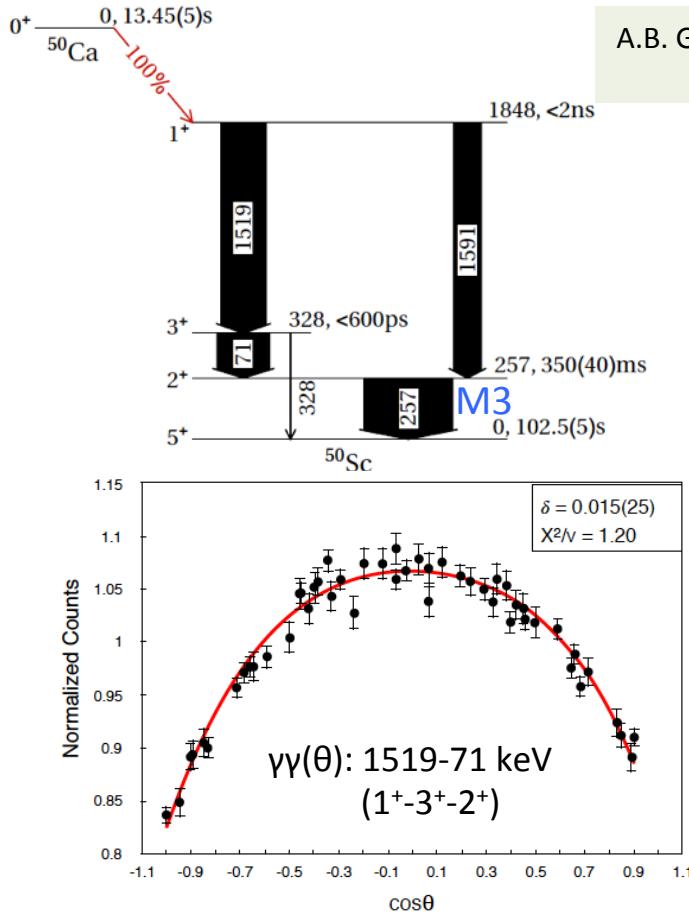
J.K. Smith, A.C. MacLean *et al.* *In preparation for NIM A (2017).*

Development of $\gamma\gamma$ angular correlation analysis techniques with GRIFFIN.

- Finite size and shape of crystals means theoretical distribution is attenuated.
- Obtain ‘template’ from high-statistics GEANT4 simulation
- Fit template to experimental data.

Ideally:

- Fit experimental data
- Plug coefficients into simple equations
- Obtain corrected ‘true’ coefficients



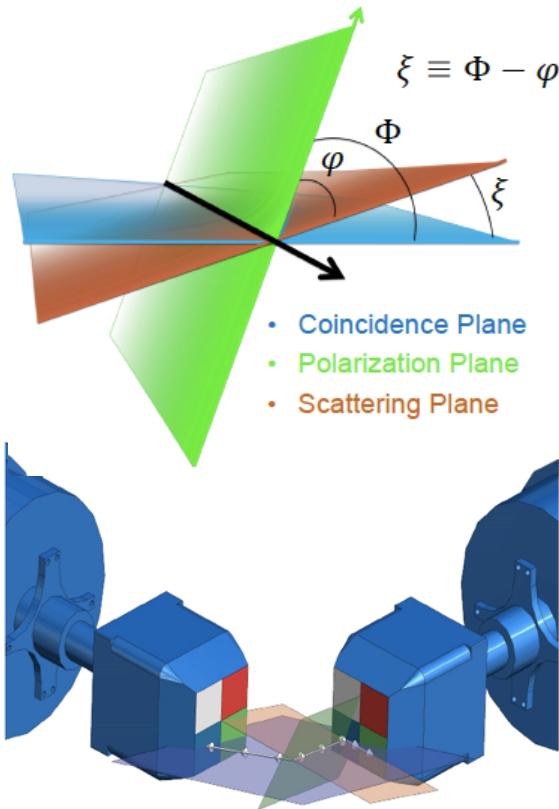
A.B. Garnsworthy, M. Bowry, B. Olaizola, J.D. Holt, S.R. Stroberg *et al.*, Accepted to PRC (Oct 2017).
<http://arxiv.org/abs/1710.06338>

Gamma-gamma angular correlations with GRIFFIN confirm $M3$ isomer in ^{50}Sc .

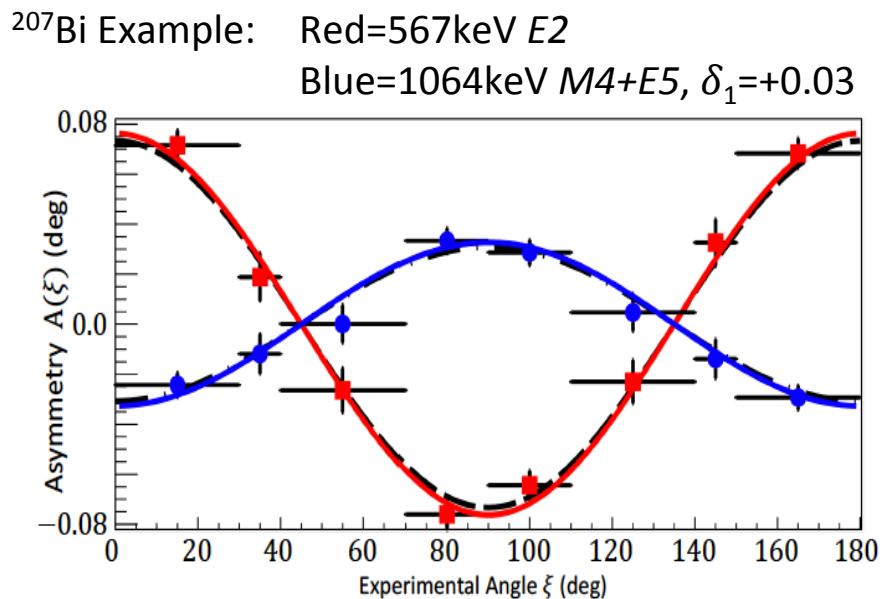
Isotope	E_γ (keV)	$J_i^\pi \rightarrow J_f^\pi$	ΔT	$T_{1/2}$	I_γ	α_{Tot}	I_{Tot}	Exp. $B(M3)$
^{24}Na [46–49]	472.2074(8)	$1^+ \rightarrow 4^+$	0	20.18(10)ms	0.9995(5)	0.000469(7)	0.9995(5)	9.10(7)
^{24}Al [50]	425.8(1)	$4^+ \rightarrow 1^+$	0	131.3(25)ms	0.83(3)	0.001144(16)	0.83(3)	2.4(6)
^{34}Cl [51]	146.36(3)	$3^+ \rightarrow 0^+$	1	31.99(3)min	0.383(5)	0.1656(24)	0.446(6)	0.10(1)
^{38}Cl [48, 52, 53]	671.365(8)	$5^- \rightarrow 2^-$	0	715(3)ms	0.3826(8)	0.000599(9)	1	0.0118(8)
^{38}K [54]	130.1(2)	$0^+ \rightarrow 3^+$	1	924.33(27)ms	$8(1) \times 10^{-6}$	0.394(7)	0.00033(4)	0.29(10)
^{50}Sc [33]	257.895(1)	$2^+ \rightarrow 5^+$	0	350(40)ms	0.97(3)	0.0350(5)	0.99(1)	13.6(7)

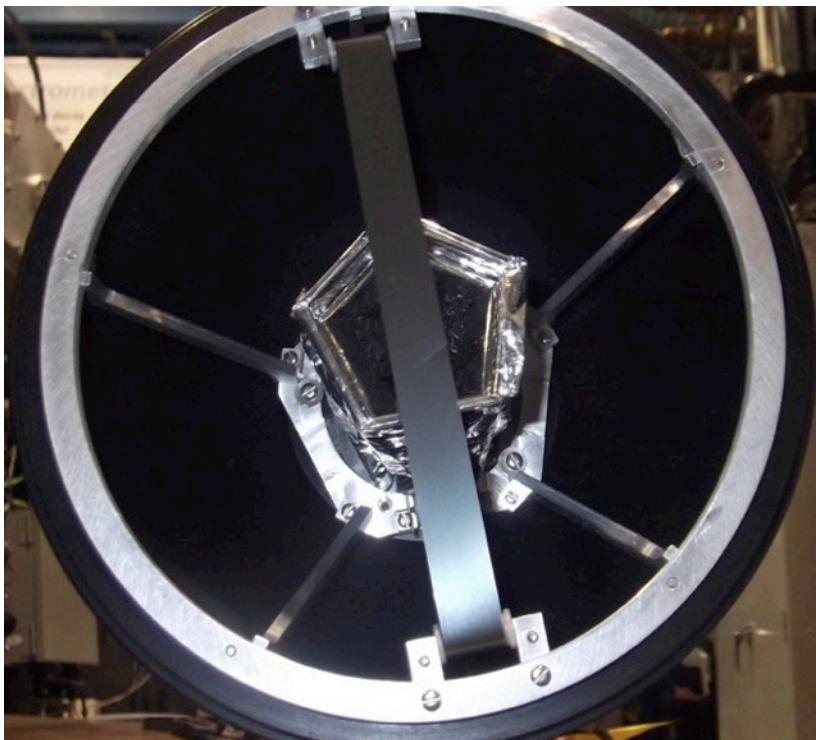
First calculation of $B(M3)$ strengths using *ab initio* Valence-Space In-Medium Similarity Renormalization Group method and effective operator.

Isotope	$J_i^\pi \rightarrow J_f^\pi$	ΔT	Exp. $B(M3)$	Phenomenological shell model $B(M3)$	VS-IMSRG Effective Op.
^{24}Na	$1^+ \rightarrow 4^+$	0	9.10(7)	19.9	4.45
^{24}Al	$4^+ \rightarrow 1^+$	0	2.4(6)	2.72	1.76
^{34}Cl	$3^+ \rightarrow 0^+$	1	0.10(1)	0.157	0.0013
^{38}Cl	$5^- \rightarrow 2^-$	0	0.0118(8)	0.0003	0.022
^{38}K	$0^+ \rightarrow 3^+$	1	0.29(10)	0.324	0.015
^{50}Sc	$2^+ \rightarrow 5^+$	0	13.6(7)	13.9	9.62

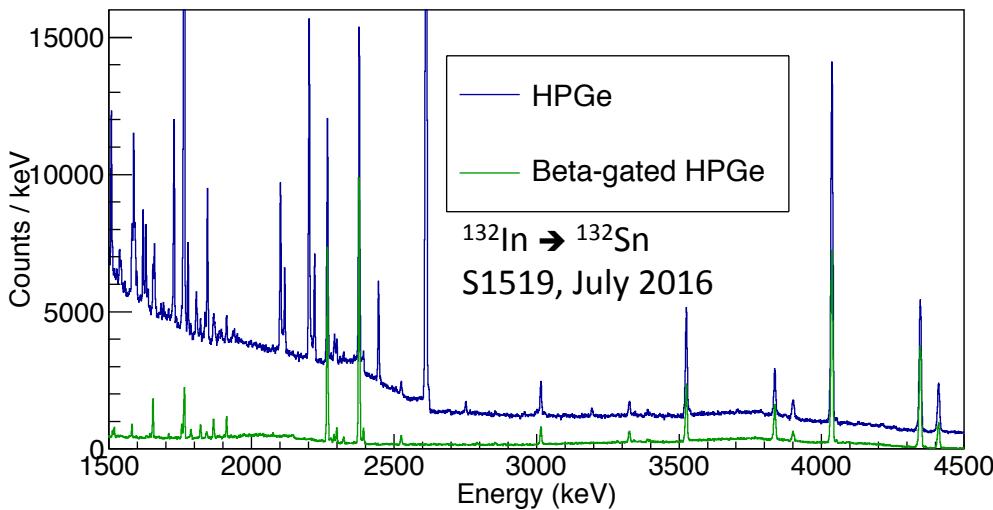


Define Polarization plane from $\gamma-\gamma$ coincidence detection. Then examine azimuthal scattering angle to determine electric or magnetic nature of the radiation.





- Two hemispheres of 10 plastic scintillators
- Detects beta particles with ~80% solid angle coverage
- Improves peak-to-background of HPGe spectra



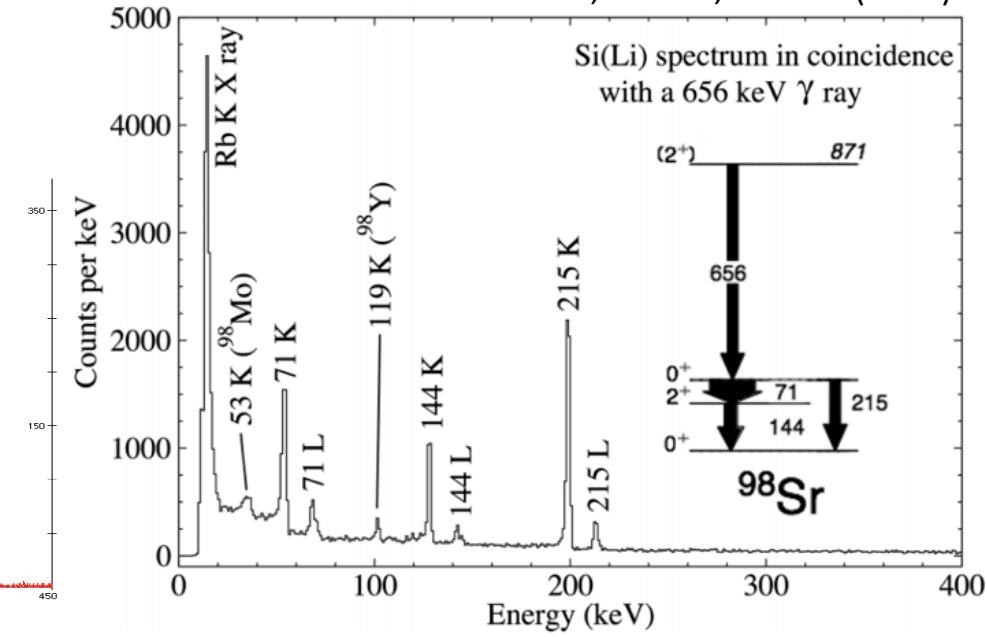
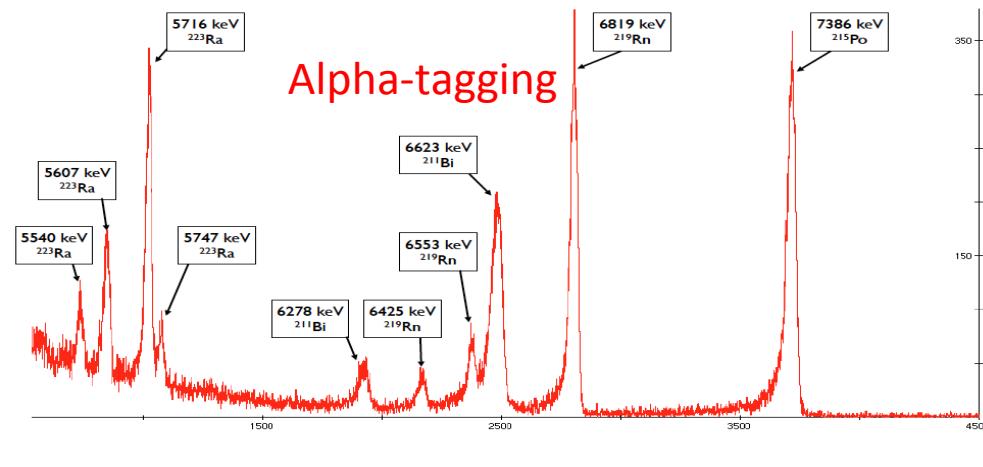


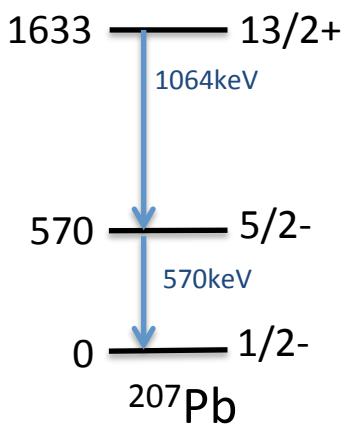
Five 5mm thick, 200mm² Si(Li), LN₂-cooled Si diode and FET

Solid angle coverage: 1.4% each, 7% total

~2keV resolution for electrons

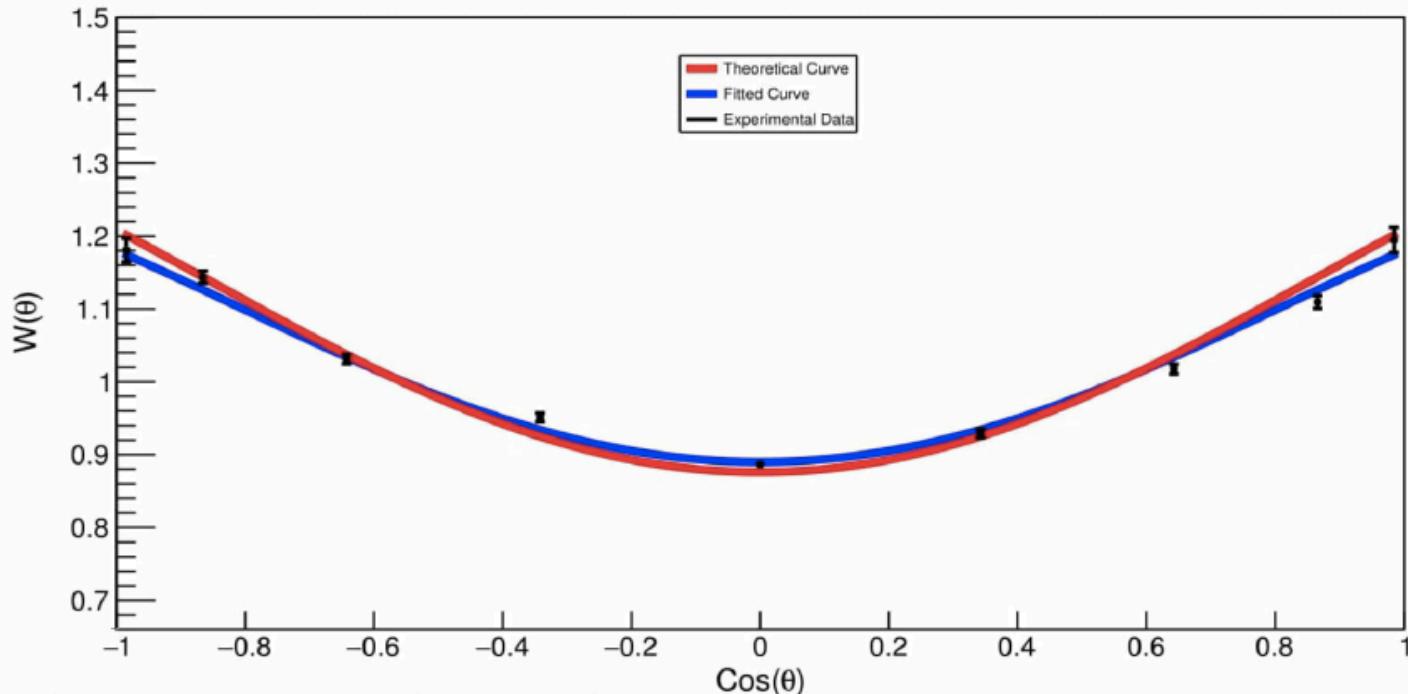
J. Park *et al.*, PRC 96, 014315 (2016).



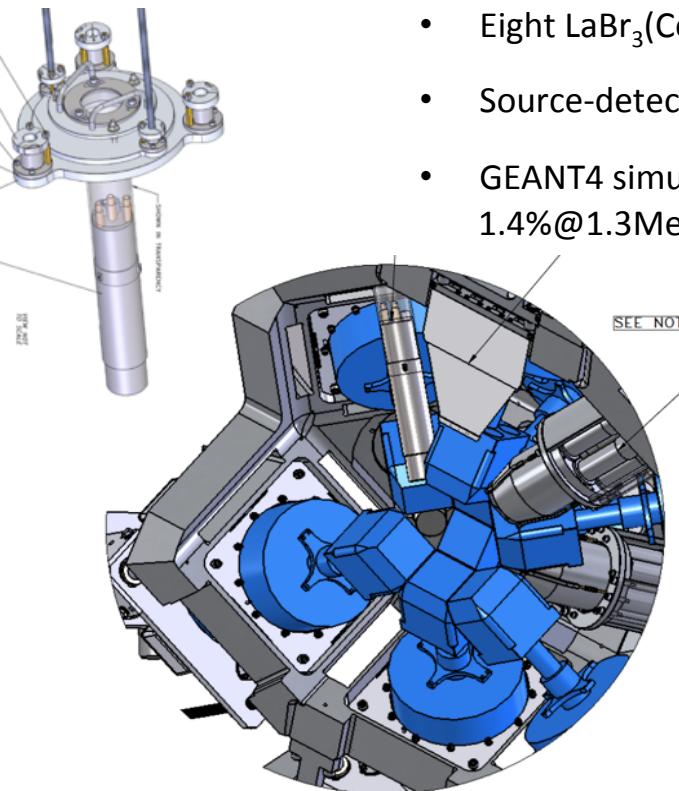


300 Ge-Si(Li) pairs at
18 unique angles
for γ -e⁻ angular
correlations

Angular Correlation 975.7(e_K) – 569.7(γ)



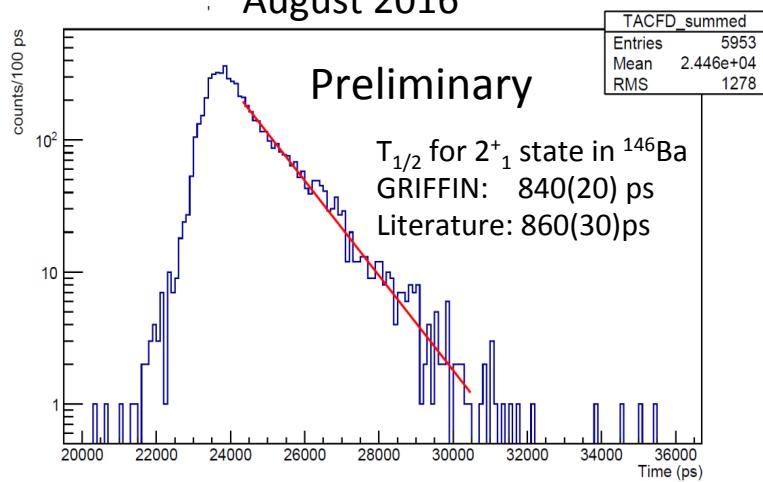
	a_2	a_4	Chi Squared
Theory	0.231156	-0.022765	N/A
Experimental	0.202955	-0.022765	7.481581



- Eight LaBr₃(Ce) 2" x 2" cylindrical crystal
- Source-detector distance = 12.5 cm.
- GEANT4 simulated efficiency
1.4% @ 1.3 MeV
- Hybrid analogue + digital electronics,
excellent time resolution
- Effort led by Bruno Olaizola

¹⁴⁶Cs β decay: GRIFFIN + DESCANT + LaBr₃

August 2016





GRIFFIN is a powerful decay spectrometer for nuclear structure, astrophysics and fundamental interaction studies. Commissioned Fall 2014.

$^{188-200}\text{Tl}$: Development of collectivity in Hg isotopes
2017

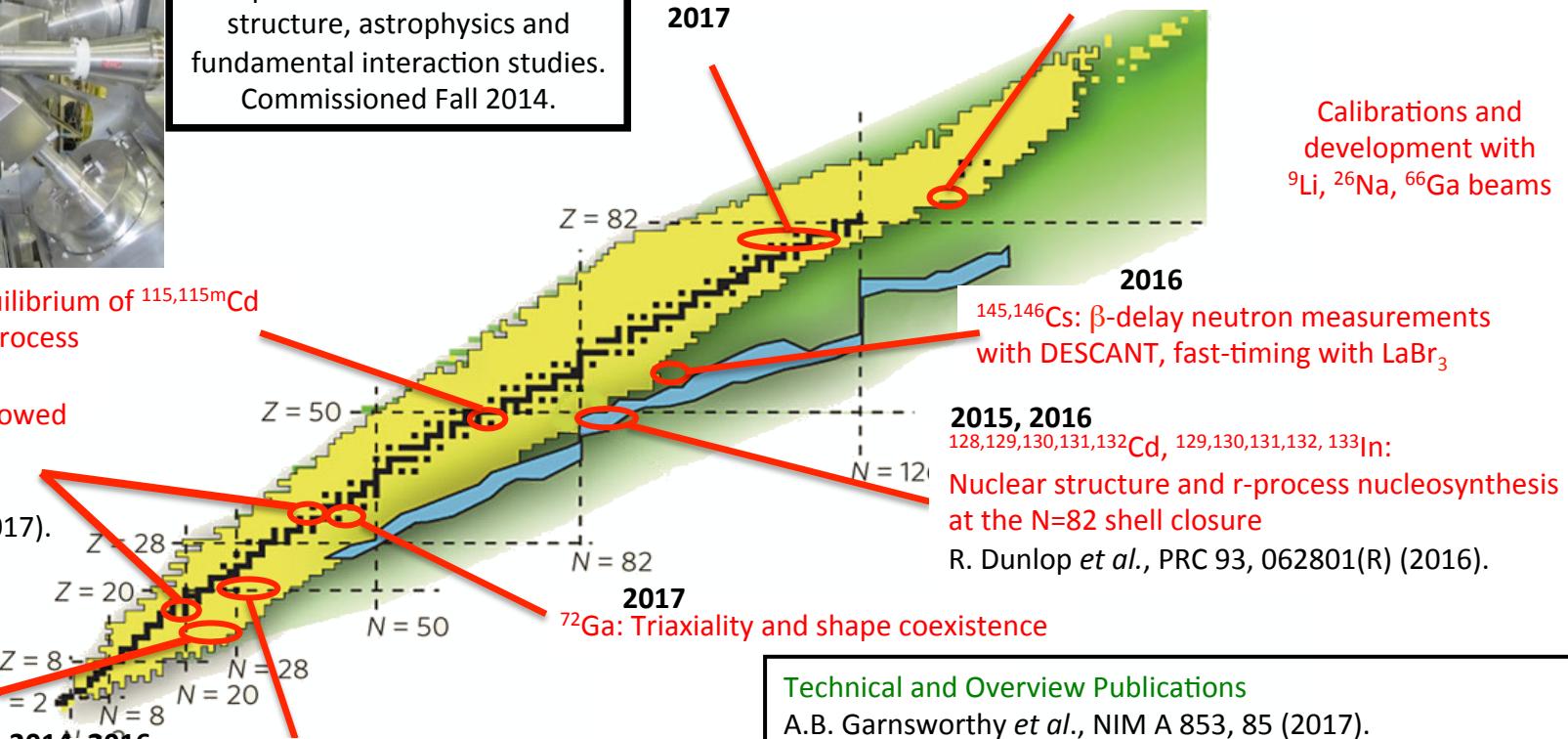
$^{228,230}\text{Fr}$: Probing Octupole deformation and collectivity in Radium isotopes. 2017

Calibrations and development with ^9Li , ^{26}Na , ^{66}Ga beams

2014 $^{115,115m}\text{Ag}$: Equilibrium of $^{115,115m}\text{Cd}$ during the s-process

2016
 ^{22}Mg , ^{62}Ga : Superallowed Fermi beta decays
M.R. Dunlop *et al.*, Accepted to PRC (2017).

2014, 2015
 $^{31,32}\text{Na}$, $^{33,34,35}\text{Mg}$: Island of inversion



Technical and Overview Publications

A.B. Garnsworthy *et al.*, NIM A 853, 85 (2017).

U. Rizwan *et al.*, NIM A 820, 126 (2016).

A.B. Garnsworthy, Acta Phys.Pol. B, 47, 713 (2016).

C.E. Svensson and A.B. Garnsworthy, Hyp. Int. 225, 127 (2014).

Cr48 21.56 h 0+	Cr49 42.3 m 5/2-	Cr50 1.8E+17 y 0+ ECEC 4.345	Cr51 27.702 d 7/2-	Cr52 EC	Cr53 83.789 0+	Cr54 9.501 3/2-	Cr55 3.497 m 3/2-	Cr56 5.94 m 0+
V47 32.6 m 3/2-	V48 15.9735 d 4+	V49 330 d 7/2-	V50 1.4E+17 y 6+ EC β^- 0.250	V51 EC	V52 3.743 m 3+	V53 1.61 m 7/2-	V54 49.8 s 3+	V55 6.54 s (7/2-)
Ti46 0+ 8.0	Ti47 5/2-	Ti48 0+	Ti49 7/2-	Ti50 5.4	Ti51 5.76 m 3/2-	Ti52 1.7 m 0+	Ti53 32.7 s (3/2-)	Ti54 0+
Sc45 7/2- 100	Sc46 83.79 d 4+ β^-	Sc47 3.3492 d 7/2-	Sc48 43.67 h 6+ R	Sc49 57.2 m 7/2-	Sc50 102.5 s 5+ β^-	Sc51 12.4 s 3/2- β^-	Sc52 8.2 s 3+ β^-	Sc53 R
Ca44 0+ 2.086	Ca45 162.61 d 7/2-	Ca46 0+ 0.004	Ca47 4.536 d 7/2- β^-	Ca48 6E+18 y 0+ $\beta^- \beta^- \beta^-$ 0.187	Ca49 8.718 m 3/2-	Ca50 13.9 s 0+ β^-	Ca51 10.0 s (3/2-) $\beta^- n$	Ca52 4.6 s 0+ β^-
K43 22.3 h 3/2+	K44 22.13 d 2	K45 17.3 m 3/2+	K46 105 s (2-)	K47 17.50 s 1/2+	K48 6.60 s (2-) $\beta^- n$	K49 1.26 s (3/2-) $\beta^- n$	K50 472 ms (0,1,2-) $\beta^- n$	K51 365 ms (1/2+,3/2+) $\beta^- n$
Ar42 32.9 y 0+ β^-	Ar43 5.37 m (3/2,5/2)	Ar44 11.87 m 0+ β^-	Ar45 11.48 s 0+ β^-	Ar46 8.4 s 0+ $\beta^- n$	Ar47 700 ms $\beta^- n$	Ar48 0+ $\beta^- n$	Ar49 0+ $\beta^- n$	Ar50 0+ $\beta^- n$

Two beamtime periods with GRIFFIN

- 1 publication accepted, 3 in preparation
- 1 PhD thesis, 1 Masters thesis

$^{50}\text{Sc} - ^{50}\text{Ti}$, Nov 2016, $1 \times 10^6 \text{ pps}$, ~8hrs

"Search for particle-hole excitations across the N=28 shell closure", C. Jones, Masters thesis (2018).

$^{50}\text{Ca} - ^{50}\text{Sc}$, Nov 2016, $1 \times 10^6 \text{ pps}$, ~2hrs

"Spectroscopy of ^{50}Sc and the first calculation of $B(M3)$ strengths using *ab initio* methods", A.B. Garnsworthy, accepted in Phys. Rev. C (Oct 2017).

$^{47}\text{K} - ^{47}\text{Ca}$, Dec 2014, $1 \times 10^5 \text{ pps}$, ~90hrs

"Detailed decay spectroscopy of ^{47}Ca ", J.K. Smith, in preparation for Phys. Rev. C (2017).

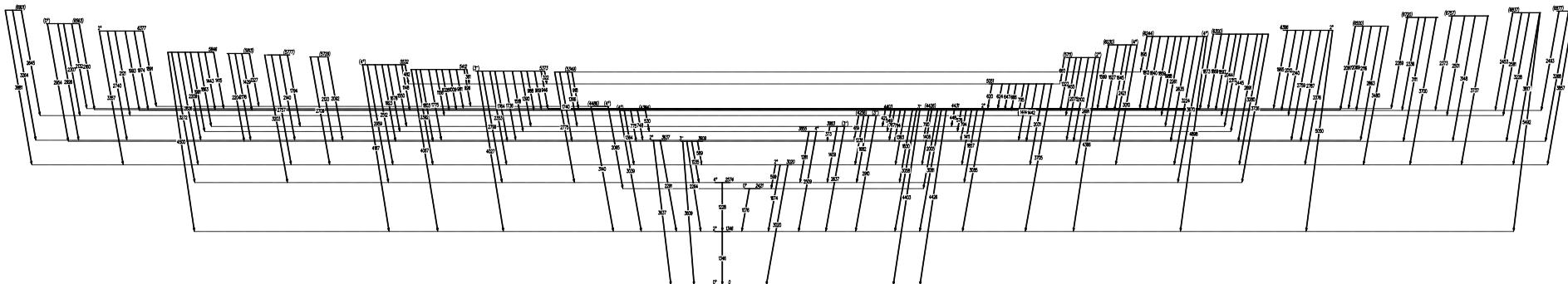
$^{46}\text{K} - ^{46}\text{Ca}$, Dec 2014, $4 \times 10^5 \text{ pps}$, ~40hrs

"Detailed spectroscopy of ^{46}Ca : The investigation of the β decay of ^{46}K with the GRIFFIN γ -ray spectrometer", J.L. Pore, PhD thesis (2017), in preparation for Phys. Rev. C (2017).

^{46}K beam of 4×10^5 pps for ~ 40 hrs

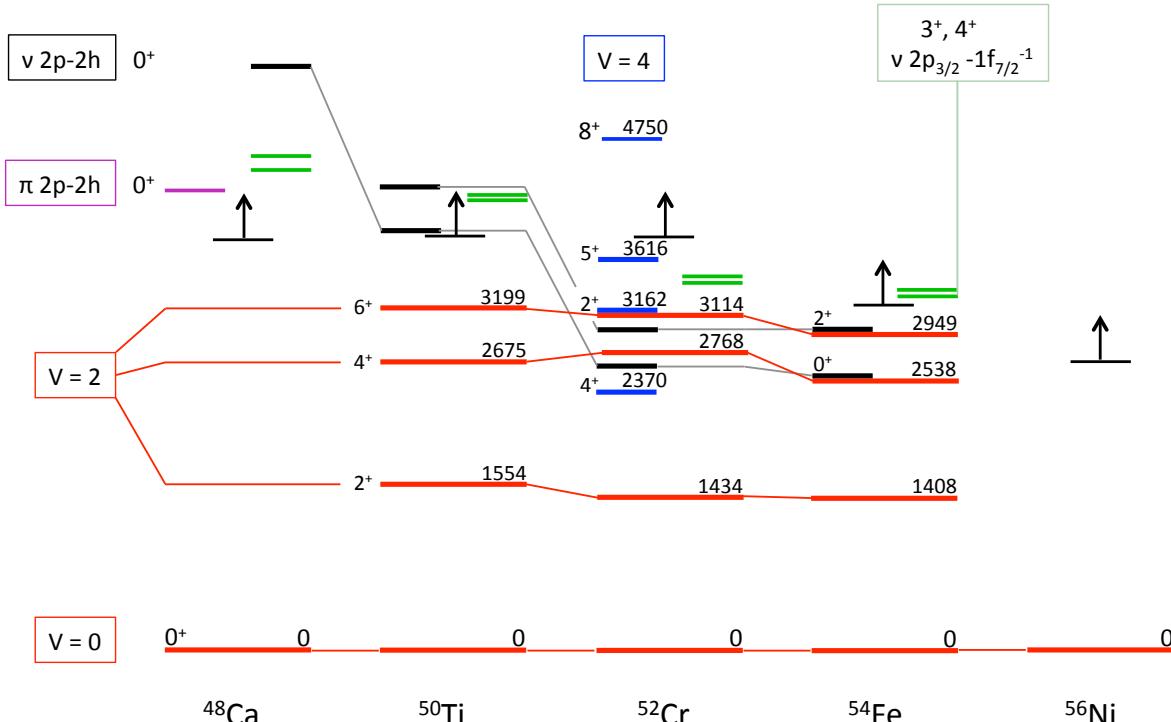
~ 200 gamma-ray transitions newly placed.

14 previously unobserved excited states (45 total observed).

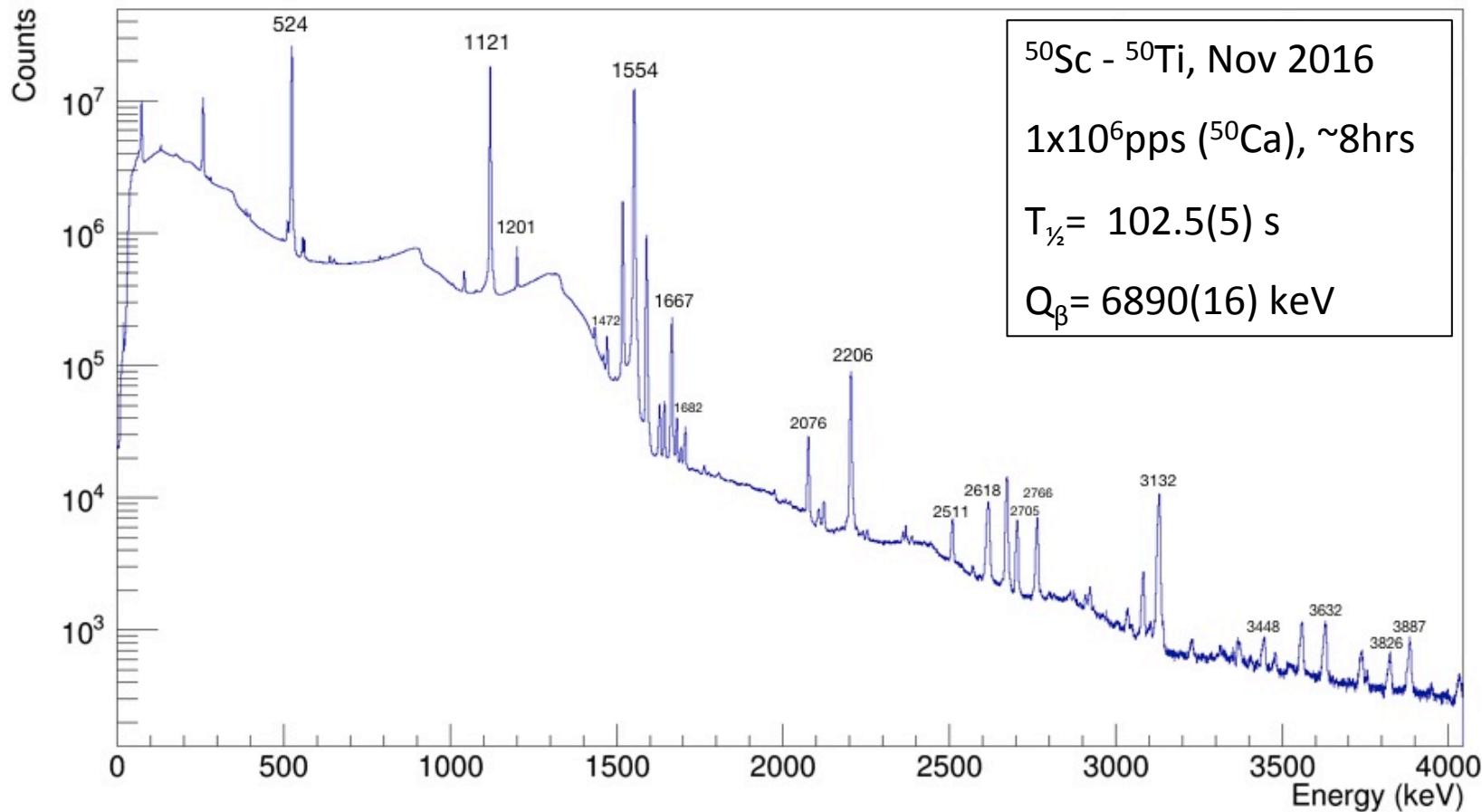


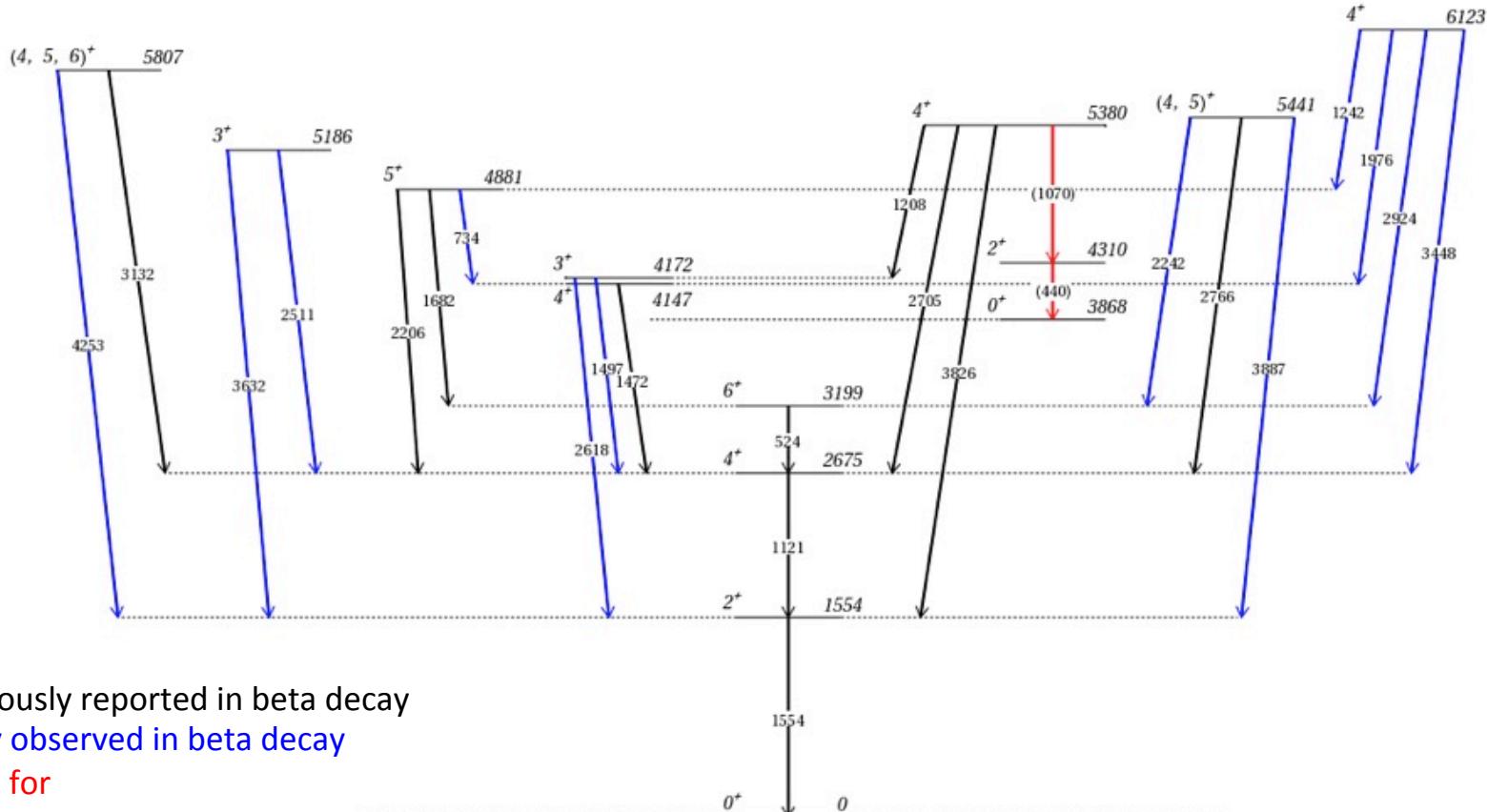
- States observed to within 815keV of the 7.7MeV Q value.
- Branching ratios observed down to 10^{-3} .
- Weakest γ -ray observed has intensity of 0.0015% that of the 2_1^+ to 0_1^+ transition.
- PhD thesis of J. Pore, Simon Fraser University.
- In preparation for PRC.

Rowanwood Sect. 2.6 Fig. 2.6.5 v.7/26/16



Seniority structures for the $N = 28$ isotones. The structure reflects the dominance of the $1f_{7/2}$ orbital. The $v = 4$ states are confined to ^{52}Cr . Note the order of the $v = 2$ and $v = 4$, $J^\pi = 4^+$ states in ^{52}Cr . Probable deformed structures due to the $v\ 2p-2h$ configuration are observed in ^{50}Ti , ^{52}Cr , ^{54}Fe . Selected $v\ 1p-1h$ states and the $\pi\ 2p-2h$ in ^{48}Ca are shown. The vertical arrows indicate excitation energies above which other states are established.

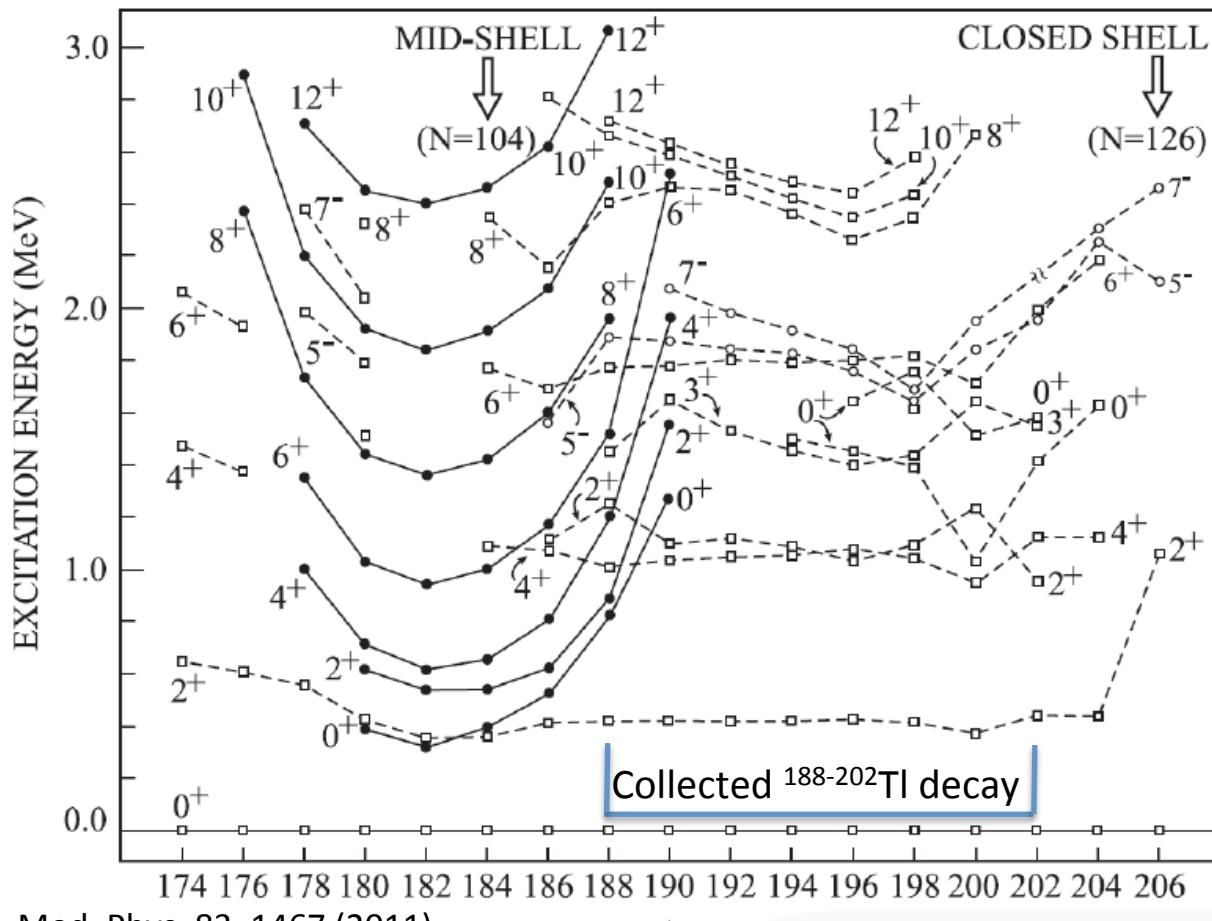
$^{50}\text{Sc} - {}^{50}\text{Ti}$ Search for p-n excitations across $N=28$ gap

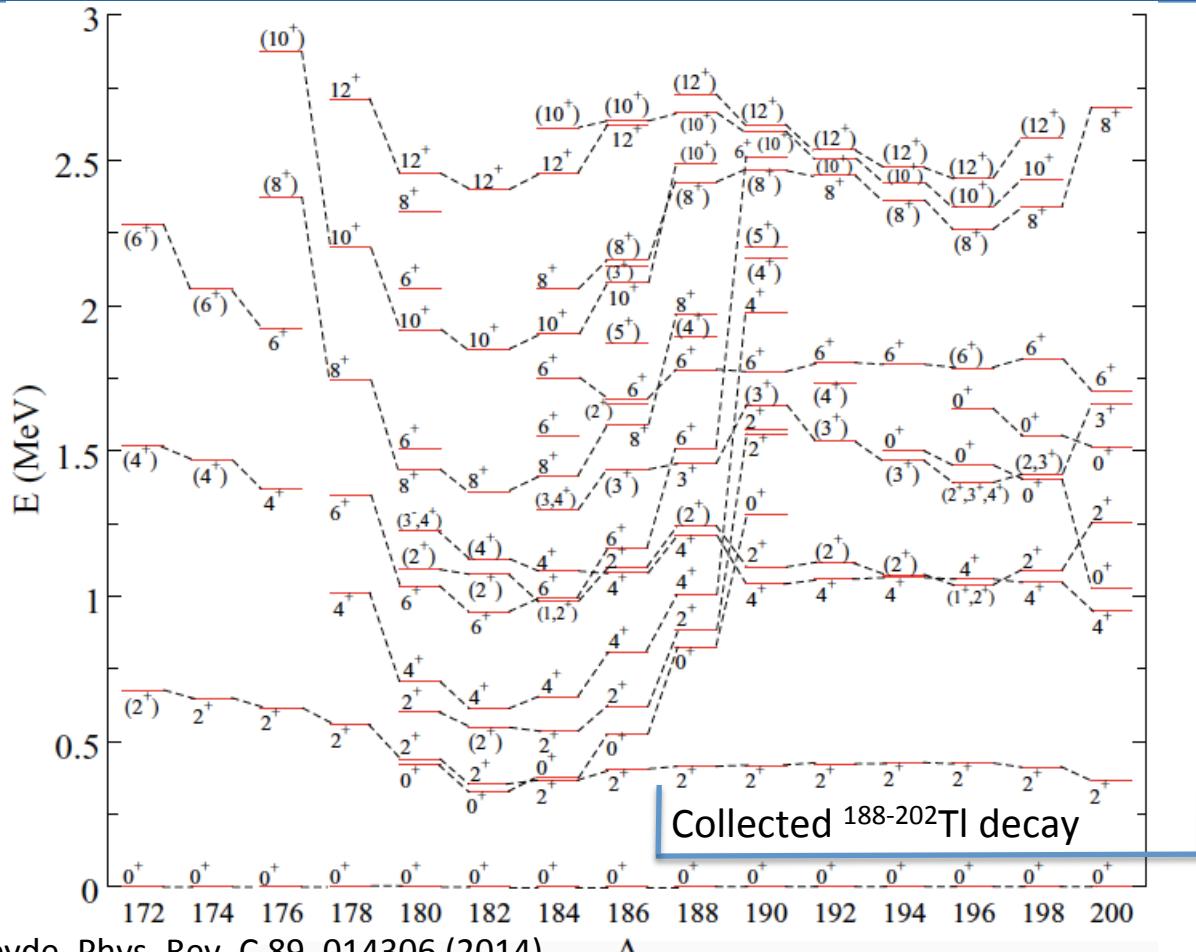


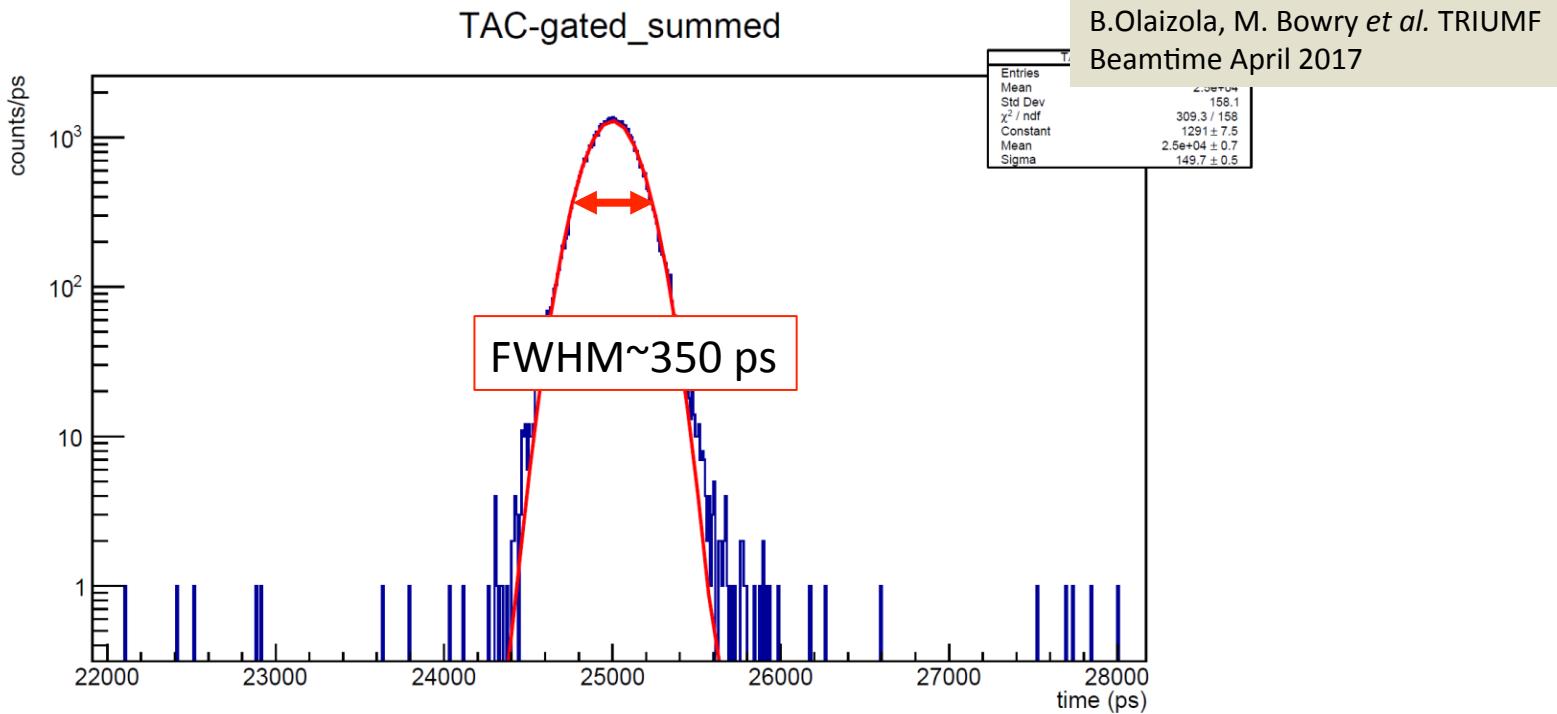
Black: Previously reported in beta decay

Blue: Newly observed in beta decay

Red: Search for

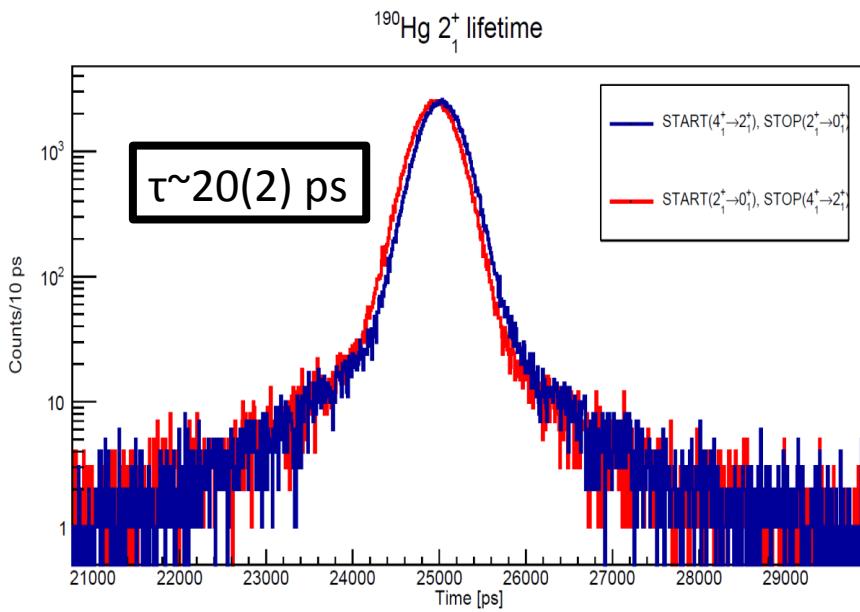




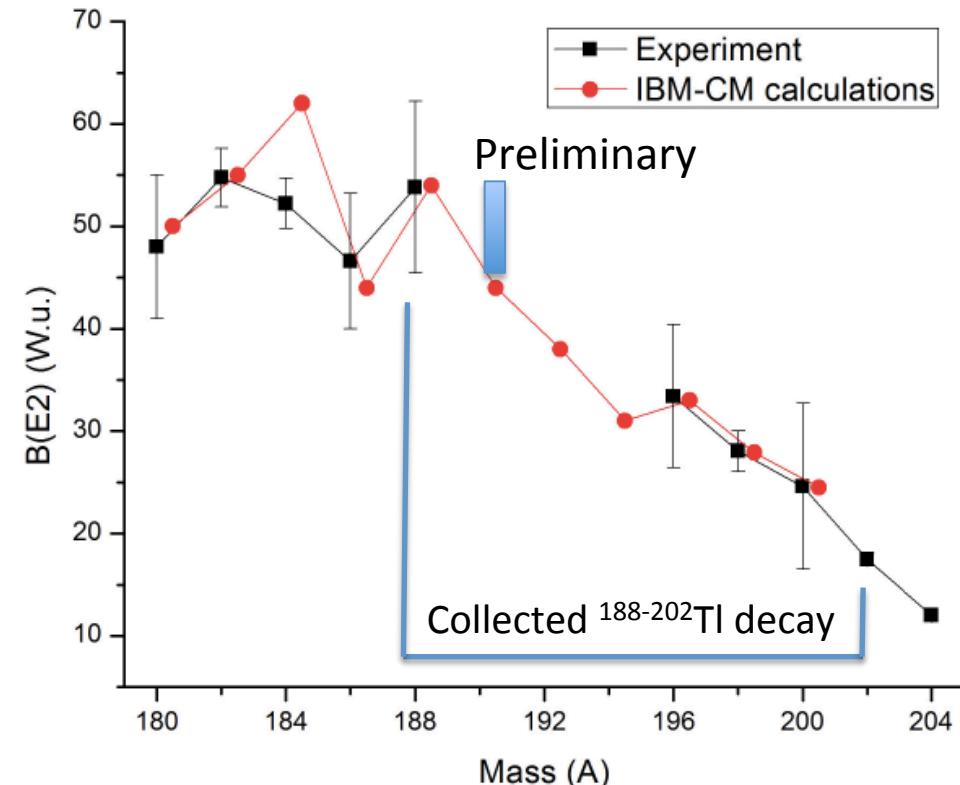


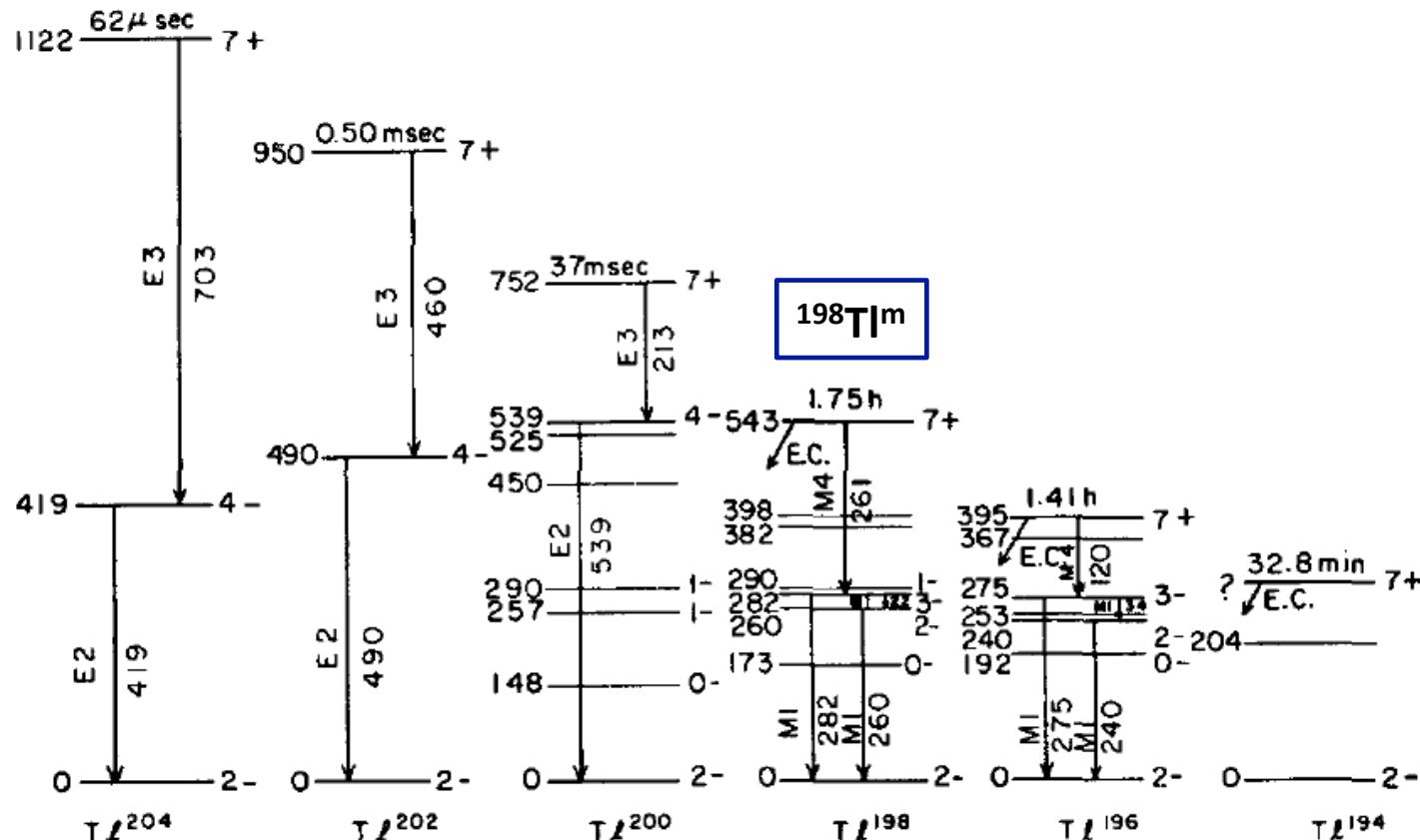
Timing resolution for Co-60 of the full array.
FWHM~350 ps, mainly for contributions of “bad” crystals
Good crystals down to FWHM~280 ps

B.Olaizola, M. Bowry *et al.* TRIUMF
Beamtime April 2017

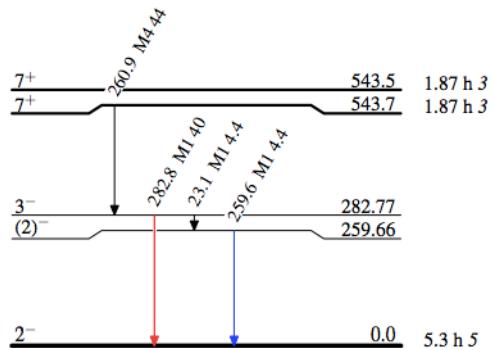


Detailed time-walk corrections need to be completed before results obtained for other isotopes

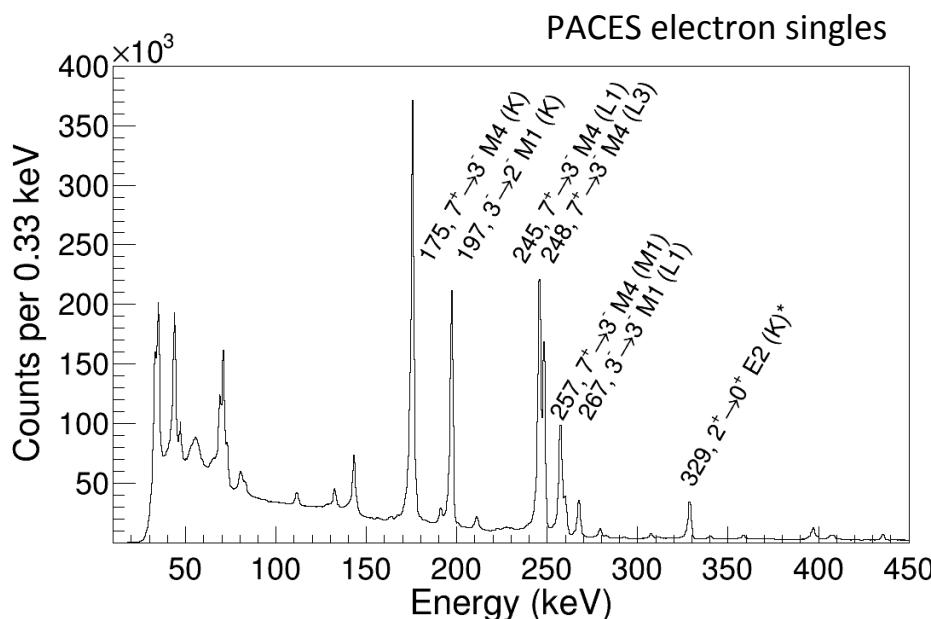
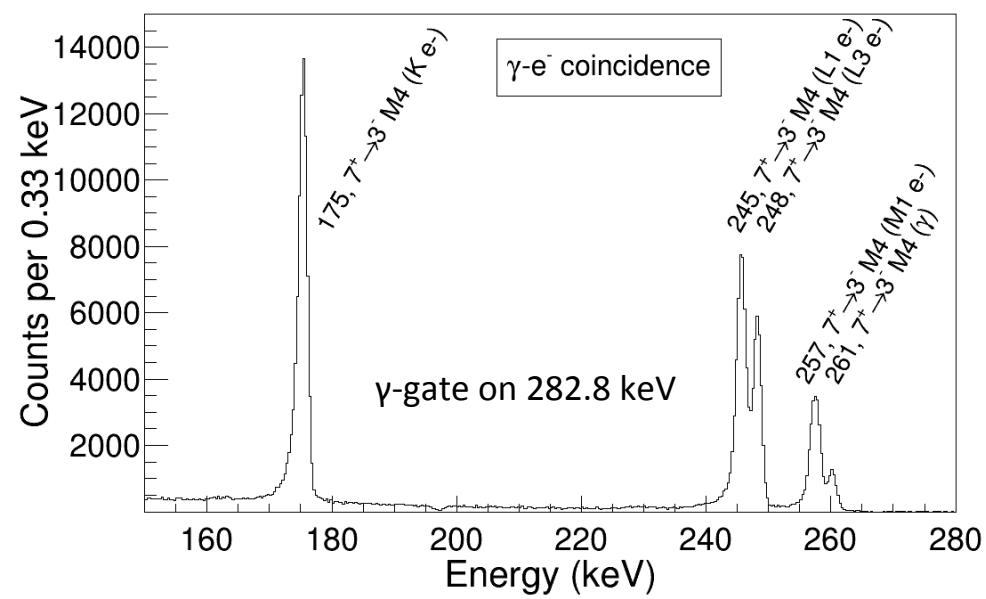




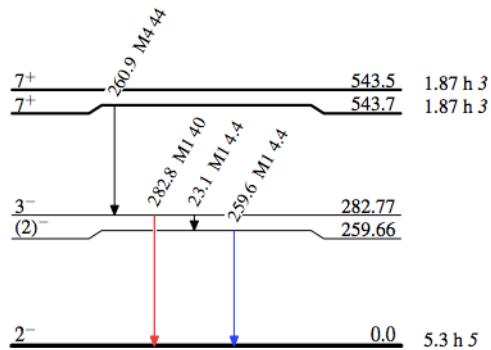
The nature of the excited states in the even-mass thallium isotopes is probably even more complicated than those of the odd-mass nuclei, and little can be said about them.



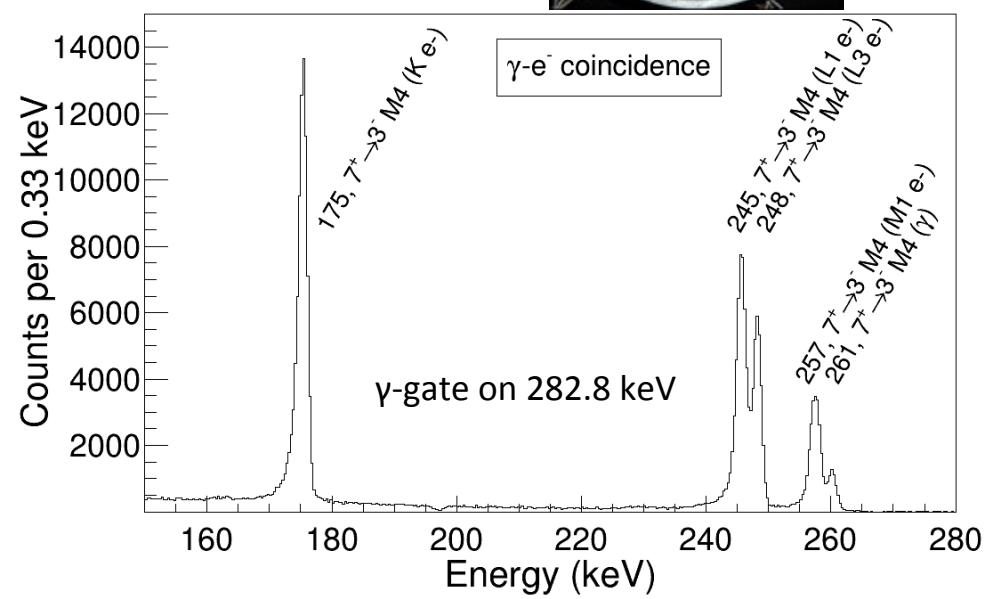
B.Olaizola, M. Bowry *et al.*
TRIUMF, Beamtime April 2017.



PACES array in GRIFFIN
Five 5mm thick, 200mm² Si(Li)

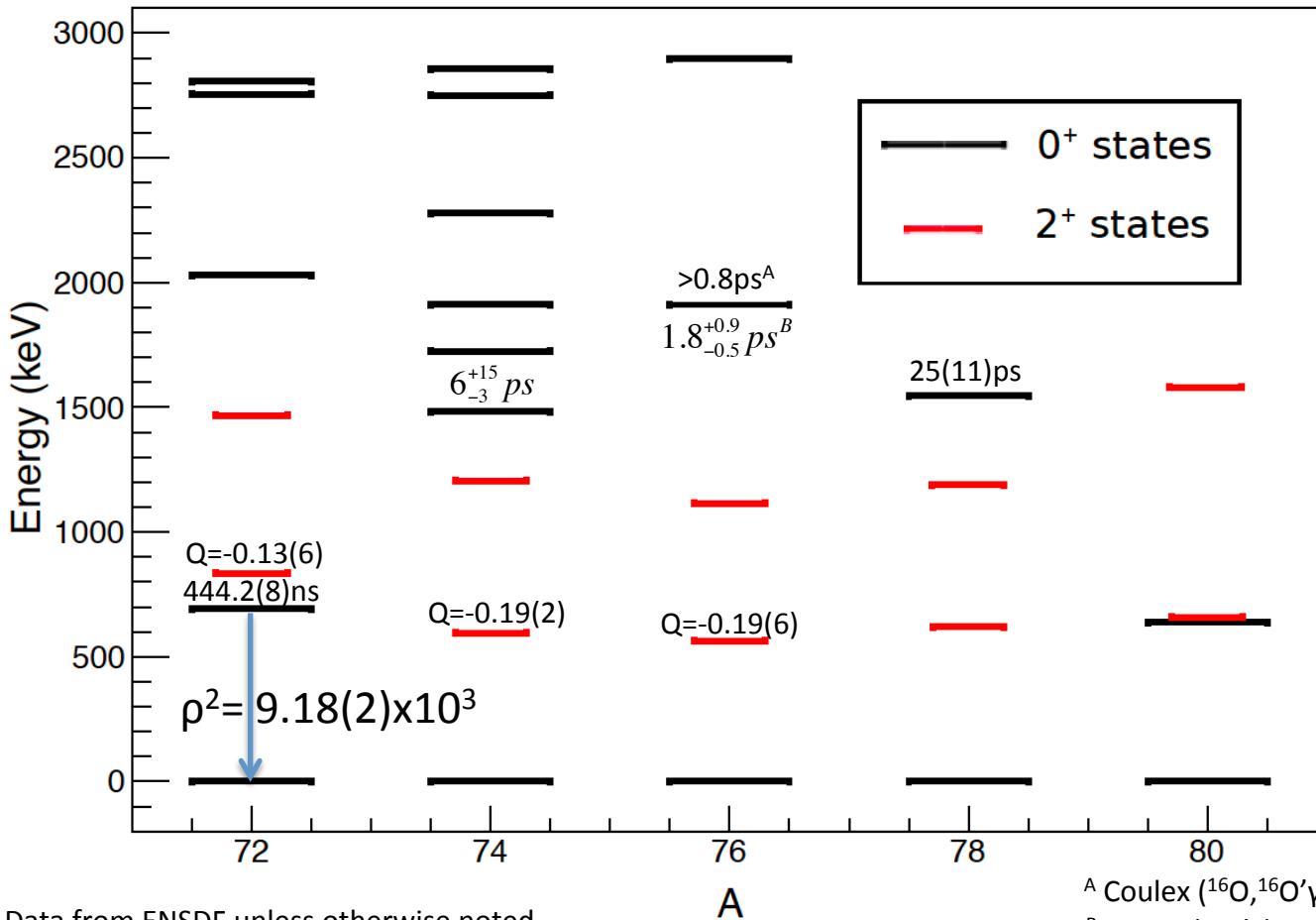


PACES array in GRIFFIN
Five 5mm thick, 200mm² Si(Li)



	260keV TI Energy(keV)	M1	M4
Tot		0.581(9)	34.6(5)
K	174.47	0.476(7)	14.76(21)
L1	244.65	0.0725(11)	6.55(10)
L2	245.3	0.00738(11)	1.735(25)
L3	247.34	0.000575(8)	6.1(9)
L-tot	245.87	0.0805(12)	14.39(21)
K/L		5.91(12)	1.025(21)
M1	256.3	0.01674(24)	1.76(25)
M2	256.58	0.0019(3)	0.484(7)
M3	257.04	0.000151(22)	1.82(3)
M4	257.51	3.97(6)E-06	0.0399(6)
M5	257.61	2.83(4)E-06	0.034(5)
M-tot	256.68	0.0188(3)	4.14(6)
L/M		4.28(9)	3.47(7)

B.Olaizola, M. Bowry et al. TRIUMF
Beamtime April 2017



• Data from ENSDF unless otherwise noted.

A

^A Coulex (${}^{16}\text{O}, {}^{16}\text{O}'\gamma$), R.Lecomte et al., PRC 22, 2420 (1980).

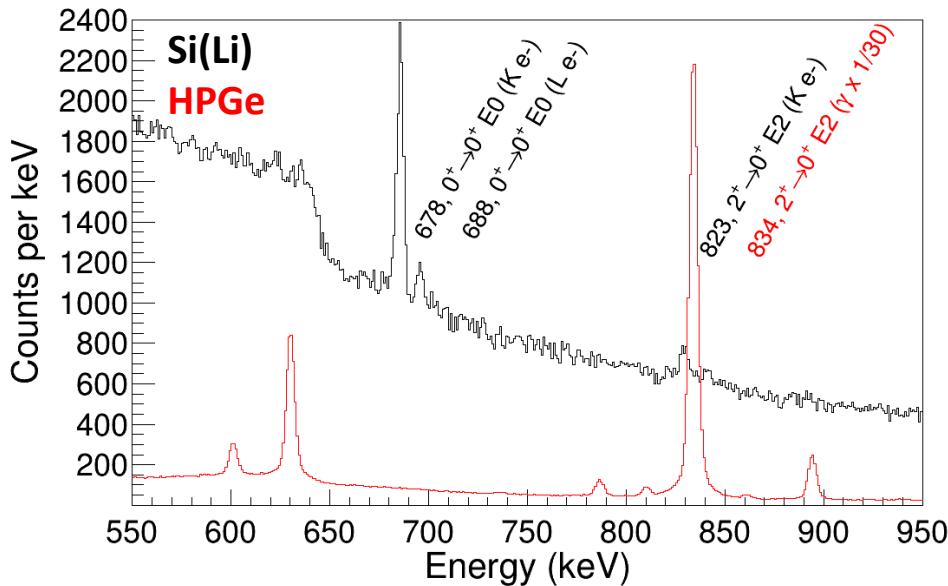
^B DSAM ($n, n'\gamma$), S.W. Yates, private communication (2016).

A.B. Garnsworthy, J. Henderson, J. Smallcombe, J.K. Smith, M. Bowry, et al., Beamtime Oct 2017

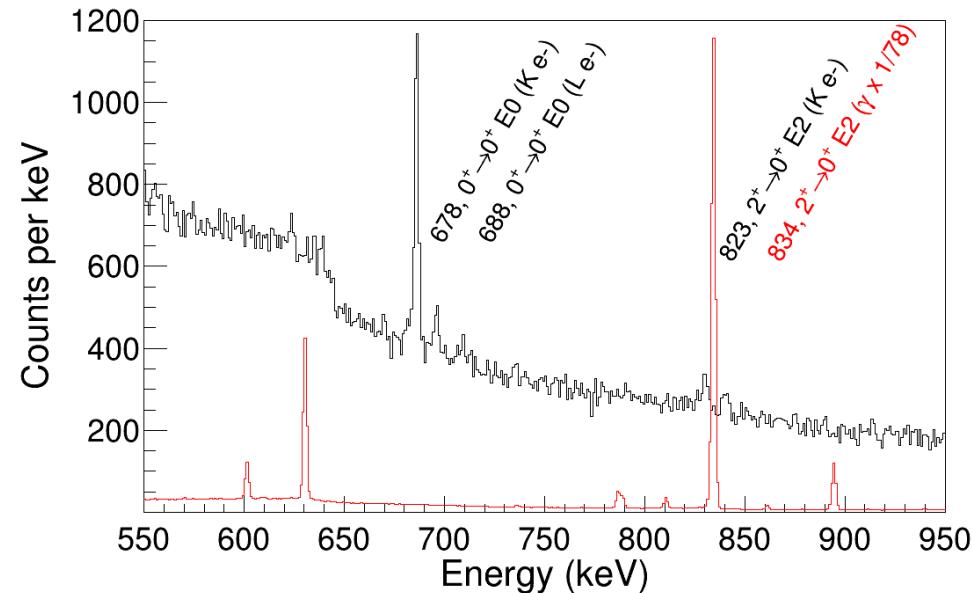
$T_{1/2} = 14$ hours. Data collected for ~ 12 half lives.

The two GRIFFIN and PACES spectra below each represent 10GB out of a total of 8,000GB = 0.125%!

High Rate, $\sim 3\text{MBq}$, $\sim 84\mu\text{Ci}$, 80MB/s total DAQ rate
16kHz Si(Li), 24kHz HPGe per channel



Low Rate, $\sim 25\text{kBq}$, $\sim 0.7\mu\text{Ci}$, $\sim 2\text{MB/s}$ total DAQ rate
0.5kHz Si(Li), 0.2kHz HPGe per channel



- Identify benchmark cases for theory ($E0$ strength):
 - ^{90}Zr = Doubly magic
 - ^{206}Pb , ^{68}Ni = valence neutrons
 - ^{26}Mg , ^{32}S & ^{58}Ni = valence protons and neutrons
 - Something = away from closed shells
- Standard sources for Internal conversion electron efficiency
- Lack of systematic information on behavior of p^2 values. No bench-marking of ‘normal’ values.

133Ba	10.551 yrs				
	E (keV)	I (%)	ICC		
	80.9971	12	34.11	28	1.703
	276.3997	13	7.147	30	0.0566
	302.851	6	18.3	6	0.0434
	356.0134	6	61.94	14	0.0254
	383.848	12	8.905	29	0.0202

207Bi	31.55 yrs				
	E (keV)	I (%)	ICC		
	569.698	2	97.74	3	0.0217
	1063.656	3	74.5	2	0.128
	1770.228	9	6.87	4	0.0041

There is a very limited number of ICE calibration sources.

Often in-beam calibrations are done using the theoretical ICC of pure $E2$ transitions.

Potential long-lived ICE calibration sources

133Ba	10.551 yrs				
	E (keV)	I (%)	ICC		
	80.9971	12	34.11	28	1.703
	276.3997	13	7.147	30	0.0566
	302.851	6	18.3	6	0.0434
	356.0134	6	61.94	14	0.0254
	383.848	12	8.905	29	0.0202

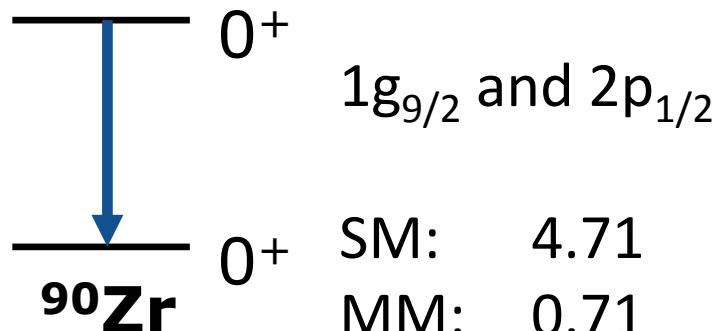
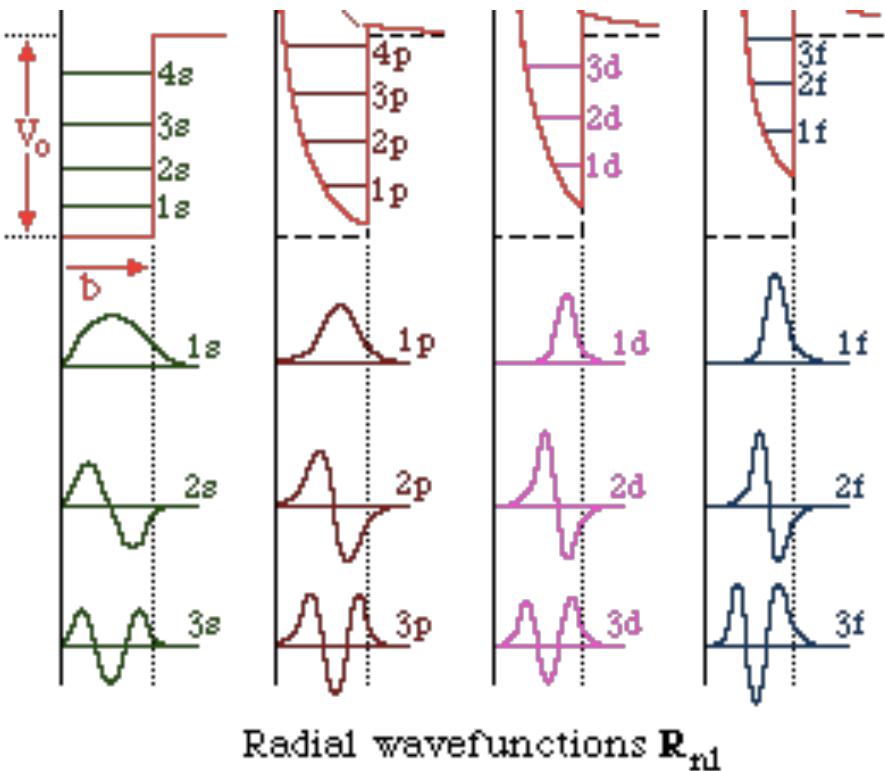
207Bi	31.55 yrs				
	E (keV)	I (%)	ICC		
	569.698	2	97.74	3	0.0217
	1063.656	3	74.5	2	0.128
	1770.228	9	6.87	4	0.0041

182Ta	114.43 days				
	E (keV)	I (%)	ICC		
	100.10595	7	14.23	25	3.89
	152.42991	26	7.02	8	0.1258
	222.1085	3	7.57	8	0.048
	1121.29	3	35.3	2	-
	1189.04	3	16.42	10	0.0047
	1221.395	3	27.2	22	0.00305
	1231.004	3	11.57	8	0.00301

192Ir	73.831 days				
	E (keV)	I (%)	neutron capture on 191Ir (37%)		
	136.39	3	0.24	3	1.53
	295.95965	15	28.7	1	0.1047
	308.45507	17	29.8	1	0.0943
	316.50618	17	83	3	0.0841
	468.06885	26	47.7	2	0.0291
	588.581	7	4.49	2	0.01682
	604.41105	25	8.11	4	0.0258
	612.46215	26	5.28	3	0.01536

228Th	1.9131 yrs				
	E (keV)	I (%)	Alpha decay + Daughter decays		
	84.4		1.22	2	21.2
	238.6		43.5	4	0.909
	241		4.1	5	0.276
	277.4		2.3	3	
	300.1		3.25	3	0.484
	510.8		8.18	10	
	583.187	2	30.6	2	
	727.3		6.69	9	0.0141
	860.6		4.5	4	
	1620.7		1.49	5	0.0064
	2614.511	10	35.86	6	

^{170}Lu 2days $^{171}\text{Yb}(\text{p},2\text{n})$ or ISOL



Largest node changes on the chart:

$N=60$ ($1g_{7/2}-3s_{1/2}$) ^{98}Sr

$N=104$ ($3p_{3/2}-1i_{13/2}$) ^{186}Pb

Maybe expect the largest core-polarization effect in these regions (not necessarily the largest $E0$ strength)