

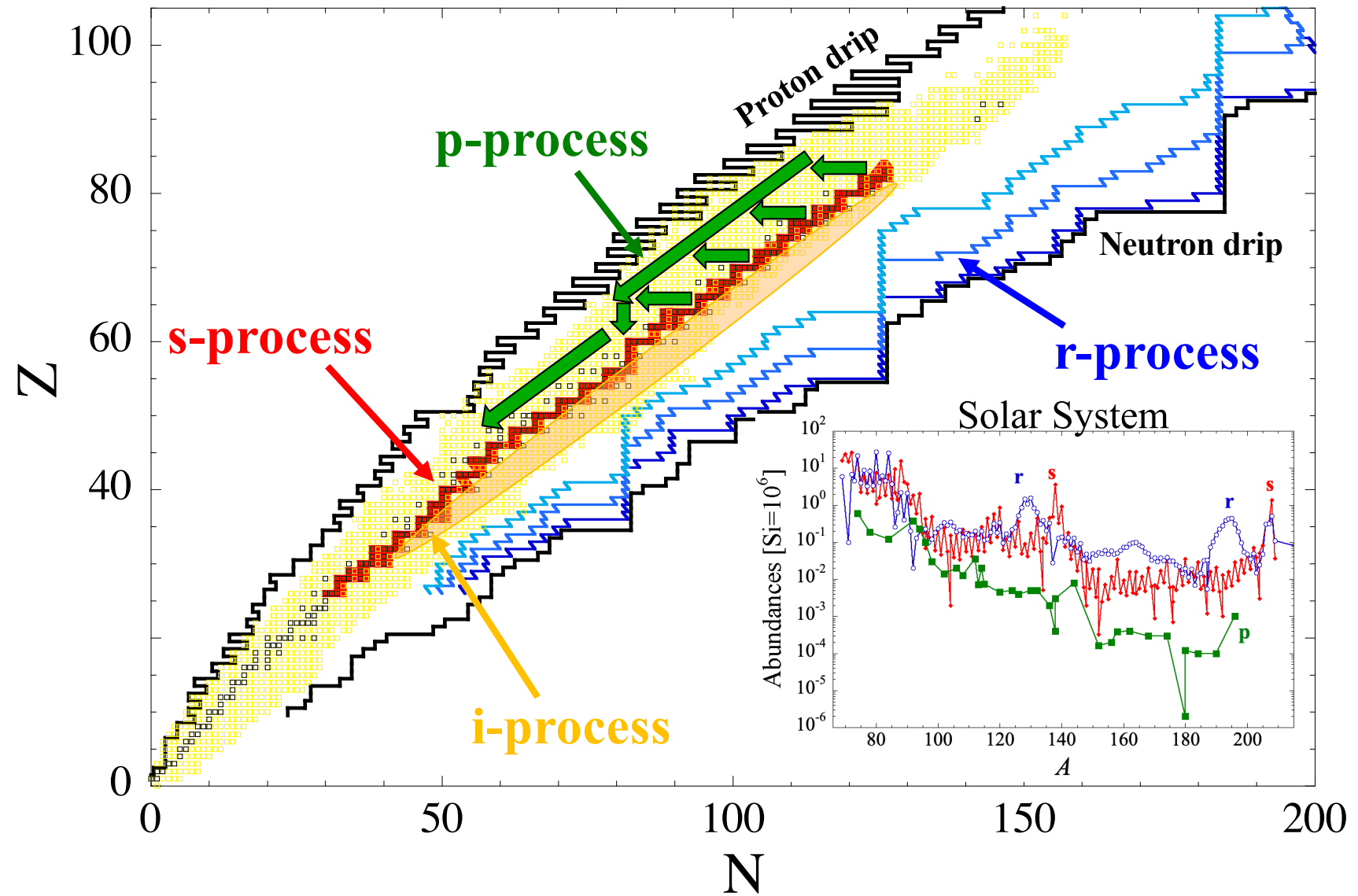
# The Photon Strength Function & Its Impact on Nucleosynthesis

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IAA-ULB, Belgium

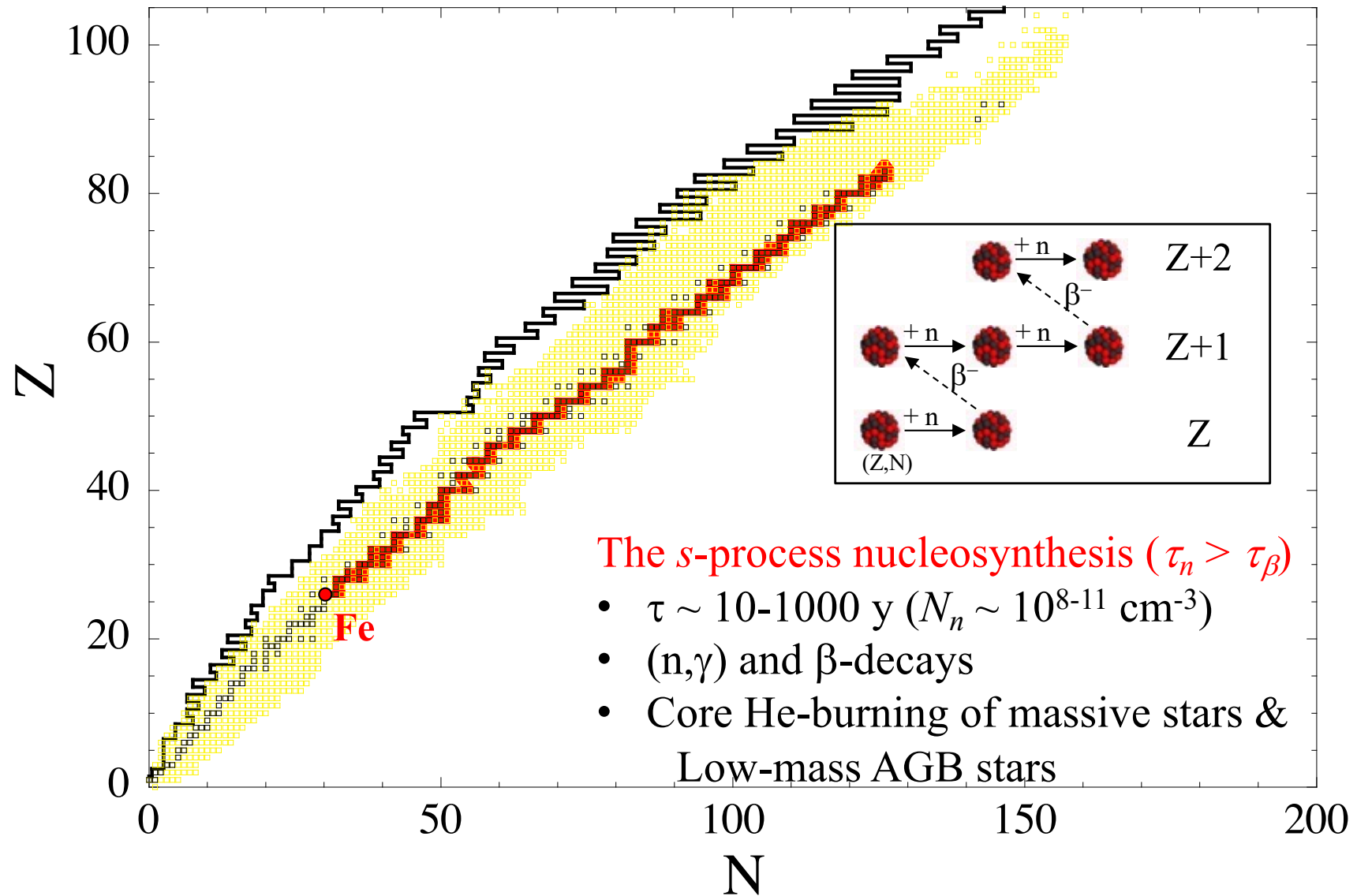
- Introduction to Nucleosynthesis of the elements heavier than Fe
- Photon strength functions
  - Existing PSF models for applications
  - Experimental constraints
  - The new de-excitation D1M+QRPA PSF
- PSF uncertainty propagation & impact on Nucleosynthesis

In collaboration with S. Hilaire and S. Péru (CEA/DAM)

# The various nucleosynthesis processes for elements heavier than Fe

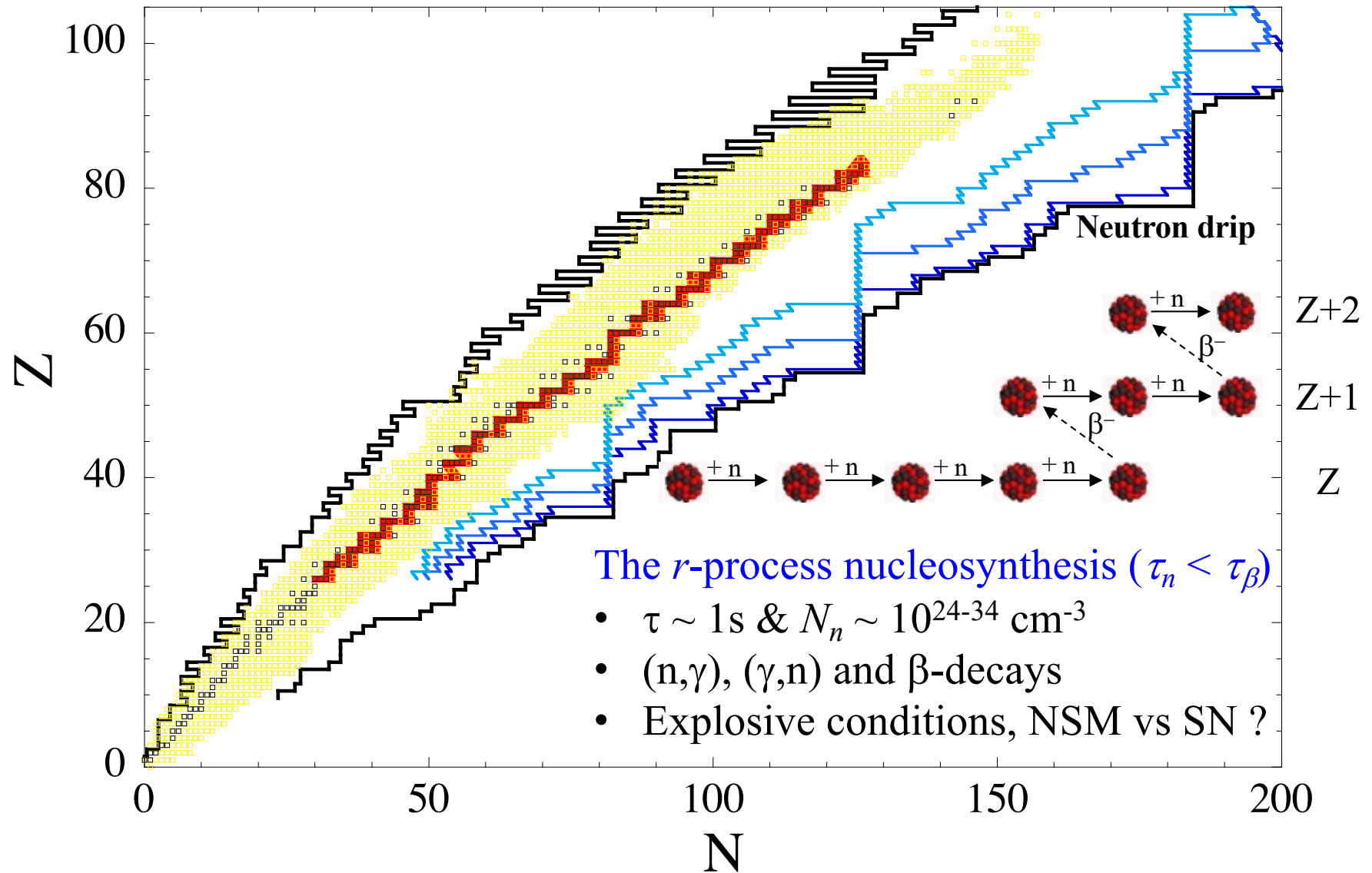


# The slow neutron-capture process (or s-process)



- The  $s$ -process is responsible for about half of the elements heavier than iron in the Universe
- Most of the nuclear inputs are based on experimental data, including measured  $(n, \gamma)$  rates

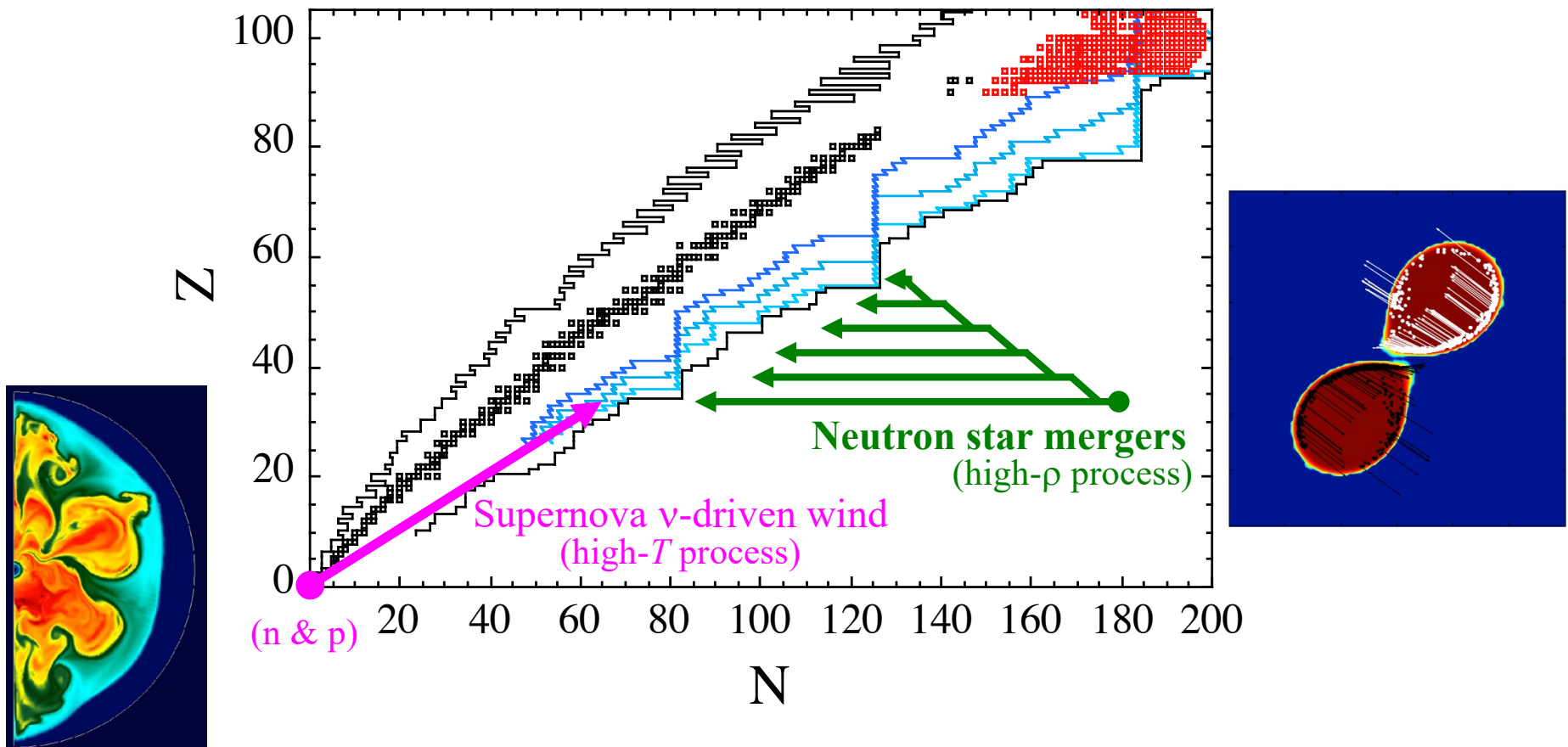
# The rapid neutron-capture process (or r-process)



- The r-process is responsible for about half of the elements heavier than iron in the Universe

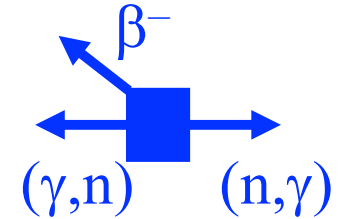
# The r-process nucleosynthesis responsible for half the elements heavier than iron in the Universe

one of the still unsolved puzzles in nuclear astrophysics



# Nuclear physics input to the r-process nucleosynthesis

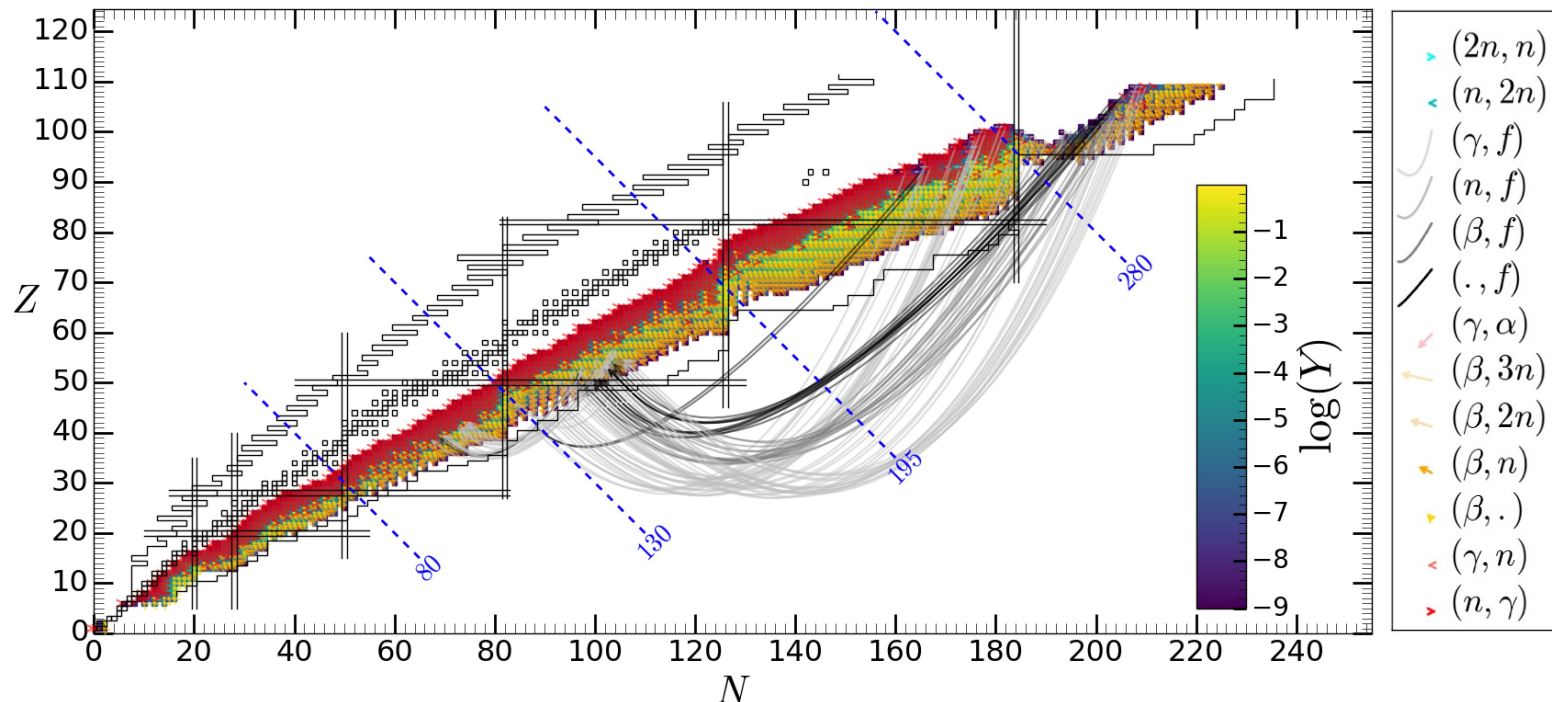
$(n,\gamma) - (\gamma,n) - \beta$  competition & Fission



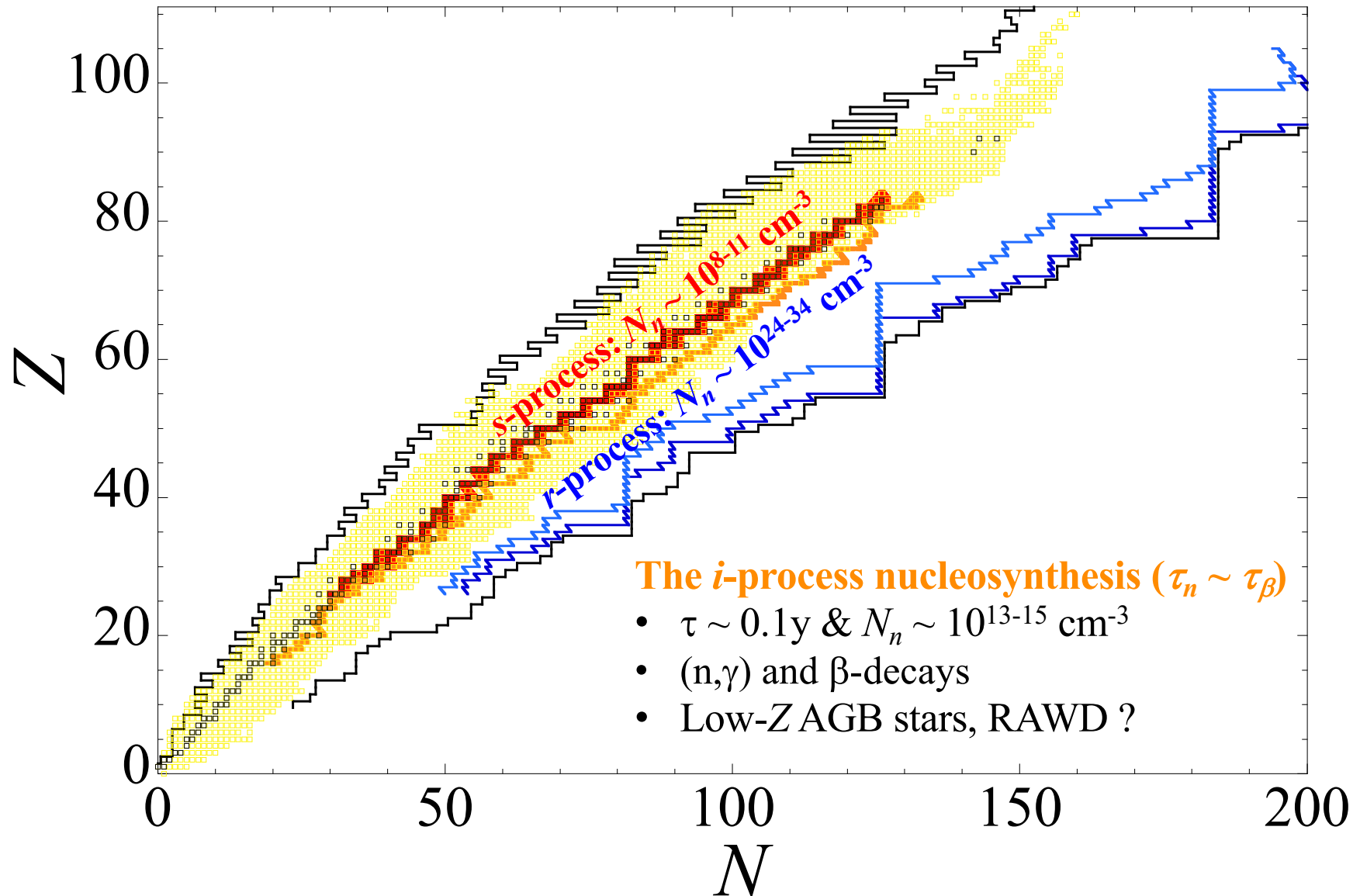
- $\beta$ -decay rates
- $(n,\gamma)$  and  $(\gamma,n)$  rates
- Fission ( $nif$ ,  $sf$ ,  $\beta df$ ) rates
- Fission Fragments Distributions

Simulations rely almost entirely on theory

$\sim 5000$  nuclei involved – almost no exp. data – still many open questions

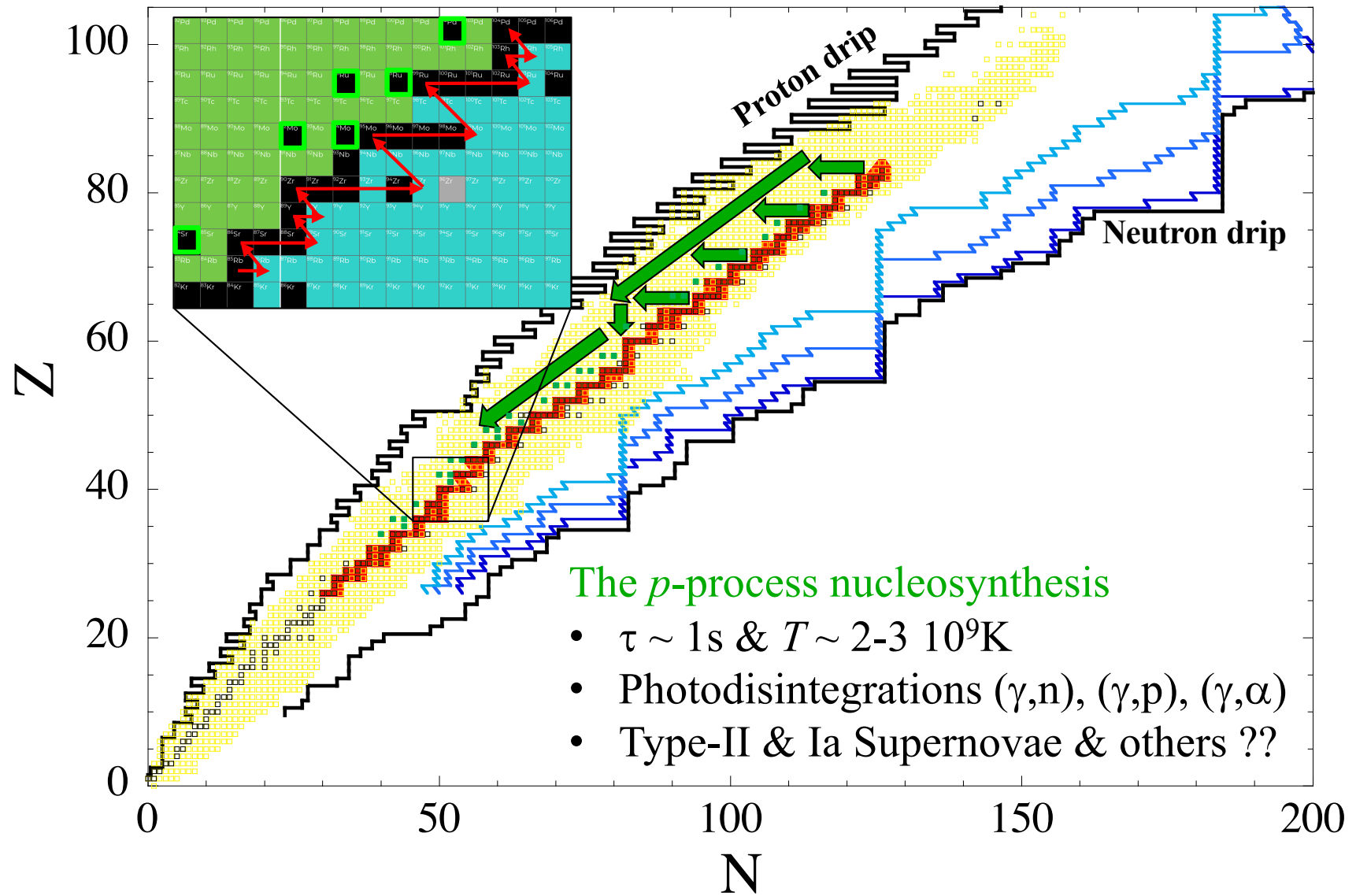


## What about an intermediate neutron-capture process ?

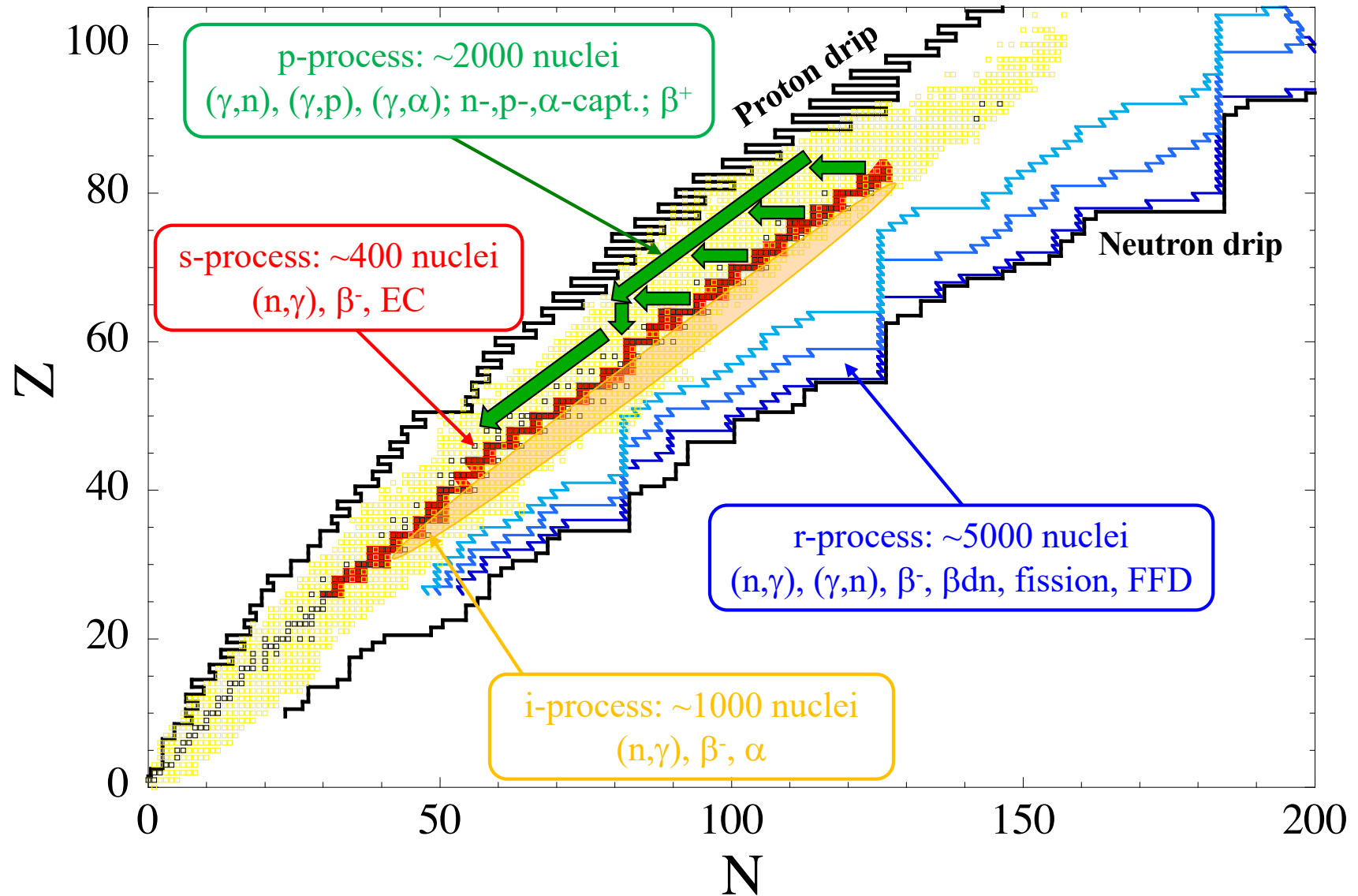


- The  $i$ -process may not contribute to the SoS but is required to explain CEMP-rs stars
- Important part of the nuclear inputs are based on predictions, in particular  $(n,\gamma)$  rates

# The p-process nucleosynthesis

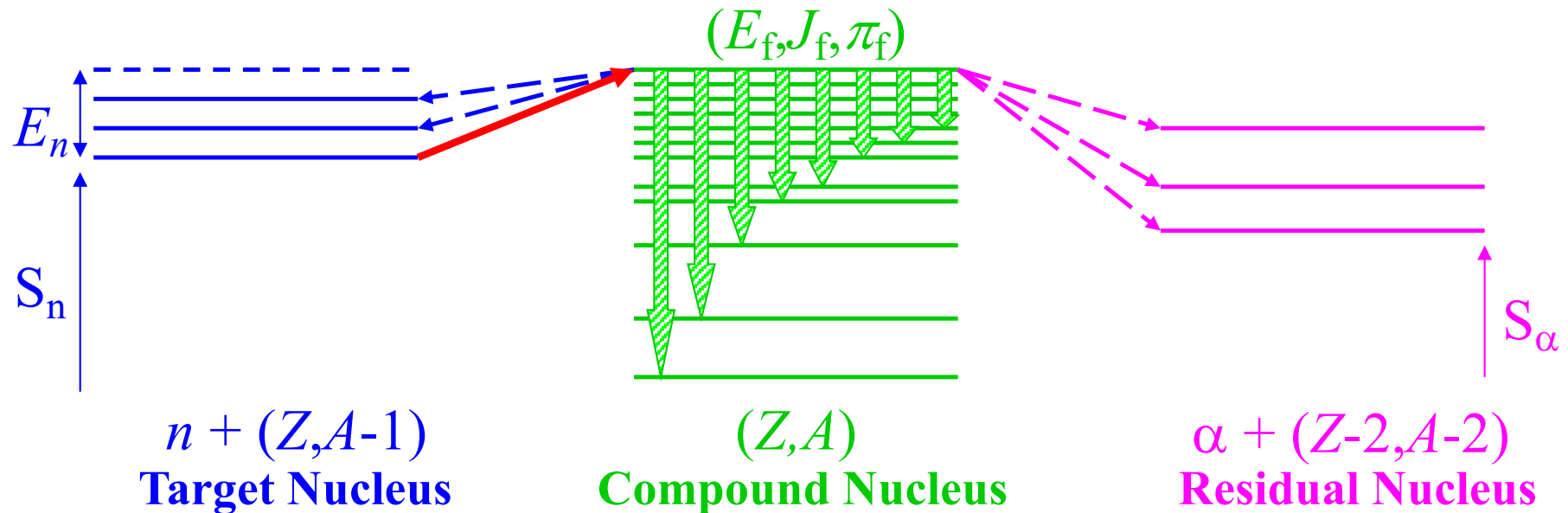


## Many different nuclear needs for the various nucleosynthesis processes



For heavy nuclei, essentially - *Radiative* neutron capture reactions ( $E_n \sim 10$ - $100$  keV)  
 - *Photon*-induced reactions ( $T \sim 2$ - $3 \cdot 10^9$  K)

# Hauser-Feshbach model for radiative neutron capture reactions



$$\sigma_{(n,\gamma)} \propto \sum_{J,\pi} \frac{T_n(J^\pi) T_\gamma(J^\pi)}{T_n(J^\pi) + T_\gamma(J^\pi)} \approx \sum_{J,\pi} T_\gamma(J^\pi) \quad \text{since } T_n(J^\pi) \gg T_\gamma(J^\pi) \text{ for } E_n \sim \text{keV}$$

$$T_\gamma = \sum_{J^\pi, XL} \int_0^{S_n + E_n} 2\pi \epsilon_\gamma^{2L+1} f_{XL}(\epsilon_\gamma) \rho(S_n + E_n - \epsilon_\gamma, J, \pi) d\epsilon_\gamma$$

*Nuclear astrophysics apps require NLDs & PSF for ~ 8000 nuclei*

Diagram illustrating the level density  $\rho$  (red curve) and the transmission coefficient  $f_{XL}$  (green curve) as a function of energy. The level density  $\rho$  increases exponentially with energy, while  $f_{XL}$  peaks at a certain energy and then decreases. The diagram also shows energy levels for the compound nucleus  $(Z, A)$  and the ground state (GS).

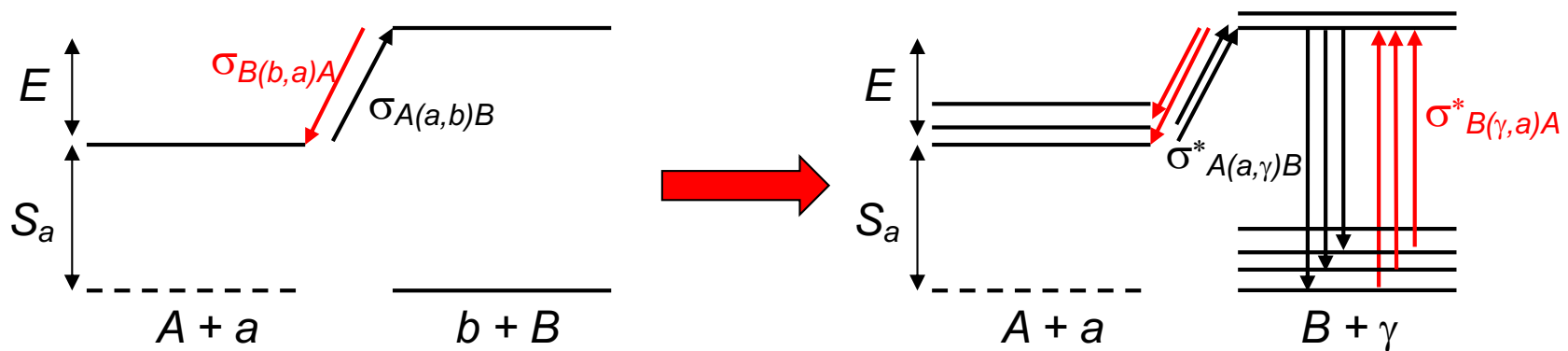
# Detailed balance and reverse reactions in stellar conditions

Reverse reactions can be estimated with the use of the reciprocity theorem. In particular, the stellar photo-dissociation rates (in  $\text{s}^{-1}$ ) are classically derived from the reverse radiative capture rates by

$$\lambda_{(\gamma,j)}^*(T) = \frac{(2J_I^0 + 1)(2J_j + 1)}{(2J_L^0 + 1)} \frac{G_I(T)}{G_L(T)} \left( \frac{mkT}{2\pi\hbar^2} \right)^{3/2} \langle \sigma v \rangle_{(j,\gamma)}^* e^{-Q_{j\gamma}/kT}$$

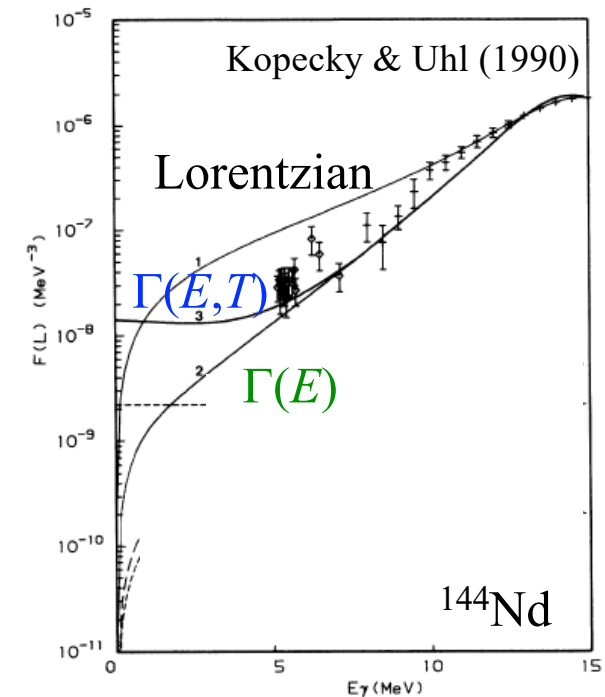
where  $Q_{j\gamma}$  is the  $Q$ -value of the  $I^0(j,\gamma)L^0$  capture reaction and  $G_I(T) = \sum_{\mu} \frac{2J_I^{\mu} + 1}{2J_I^0 + 1} \exp\left(-\frac{\varepsilon_I^{\mu}}{kT}\right)$

**Note that, in stellar conditions, the reaction rates for targets in thermal equilibrium obey reciprocity since the forward and reverse channels are symmetrical, in contrast to the situation which would be encountered for targets in their ground states only.**



# The Lorentzian model of the dipole strength function

- *E1 strength function*
  - Standard Lorentzian ( $E_0, \Gamma_0, \sigma_0$ )
  - Lorentzian with  $E$ -dependent width
  - Generalized Lorentzian with  $T$ - and  $E$ -dep. width  
 $\rightarrow$  at the basis of GLO, EGLO, MLO, SMLO, Hybrid, ... models



- *M1 strength function*

SLO (Kopecky & Uhl 1990) - SMLO (SG & Plujko 2019)

$$\overrightarrow{f_{M1}}(\varepsilon_\gamma) = \frac{1}{3\pi^2\hbar^2c^2}\sigma_{sc}\frac{\varepsilon_\gamma\Gamma_{sc}^2}{(\varepsilon_\gamma^2 - E_{sc}^2)^2 + \varepsilon_\gamma^2\Gamma_{sc}^2} + \frac{1}{3\pi^2\hbar^2c^2}\sigma_{sf}\frac{\varepsilon_\gamma\Gamma_{sf}^2}{(\varepsilon_\gamma^2 - E_{sf}^2)^2 + \varepsilon_\gamma^2\Gamma_{sf}^2}$$

Scissors mode for deformed nuclei

Spin-Flip mode

Two variants considered here - **GLO** (Kopecky & Uhl 1990) - Still extensively used for both E1 & M1 - **SMLO** (SG & Plujko 2019) - Updated version

# The Mean Field + QRPA model of the dipole strength function

Large-scale  $E1/M1$  Mean-Field + QRPA calculations

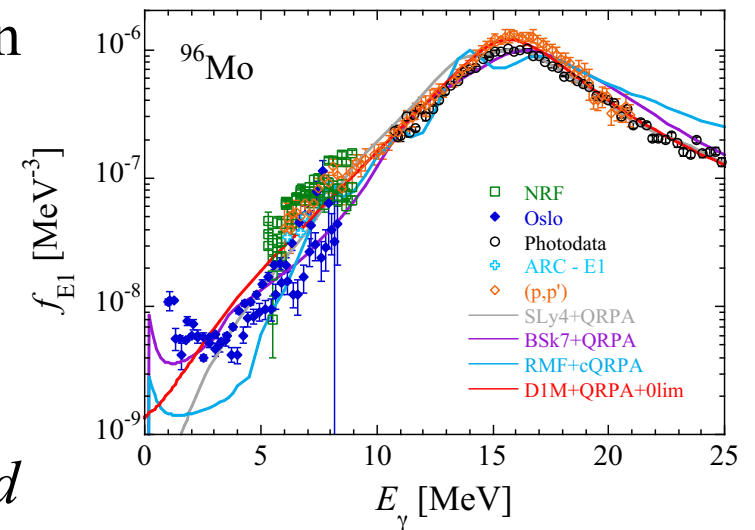
Skyrme-HFB + QRPA

Gogny-HFB + QRPA

RMF + QRPA

QRPA calculations can *accurately* reproduce experimental data, provided empirical corrections are made, *i.e.*

- beyond QRPA excitations and phonon couplings  $\rightarrow$  Empirical *energy shift*
- Empirical damping of collective motions  $\rightarrow$  Empirical *broadening*
- Spherical calculations  $\rightarrow$  Empirical *deformation effects*
- Approximation / Interpolation for *odd systems*



of particular relevance for a "reliable" prediction of experimentally unknown nuclei,  
hence for astrophysical applications

# The Mean Field + QRPA model of the dipole strength function

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Skyrme-HFB + QRPA

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Large-scale Gogny-HFB + QRPA calculations:

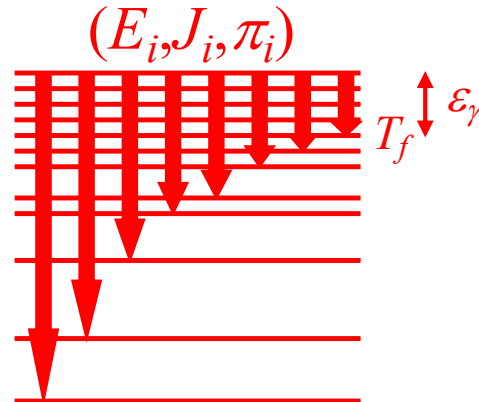
*Consistent axially deformed calculation of  $E1$  &  $M1$  PSF  
for e-e nuclei with  $8 \leq Z \leq 110$*

on the basis of the D1M Gogny force: **D1M+QRPA**

## Possible additional low-energy contribution to the dipole de-excitation strength function

Violation of the Brink hypothesis (e.g. Isaak et al., 2019)

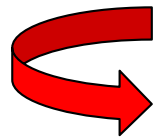
$$\vec{f}_{E1}(\varepsilon_\gamma) \neq \vec{f}_{E1}(\varepsilon_\gamma)$$

$$\vec{f}_{E1} = \vec{f}_{E1}(\varepsilon_\gamma, T_f)$$



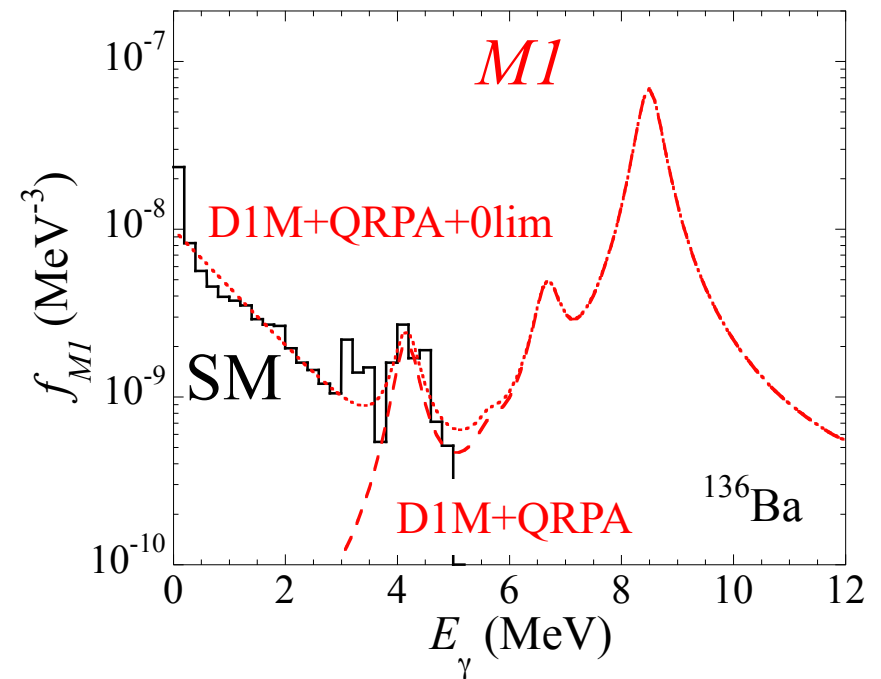
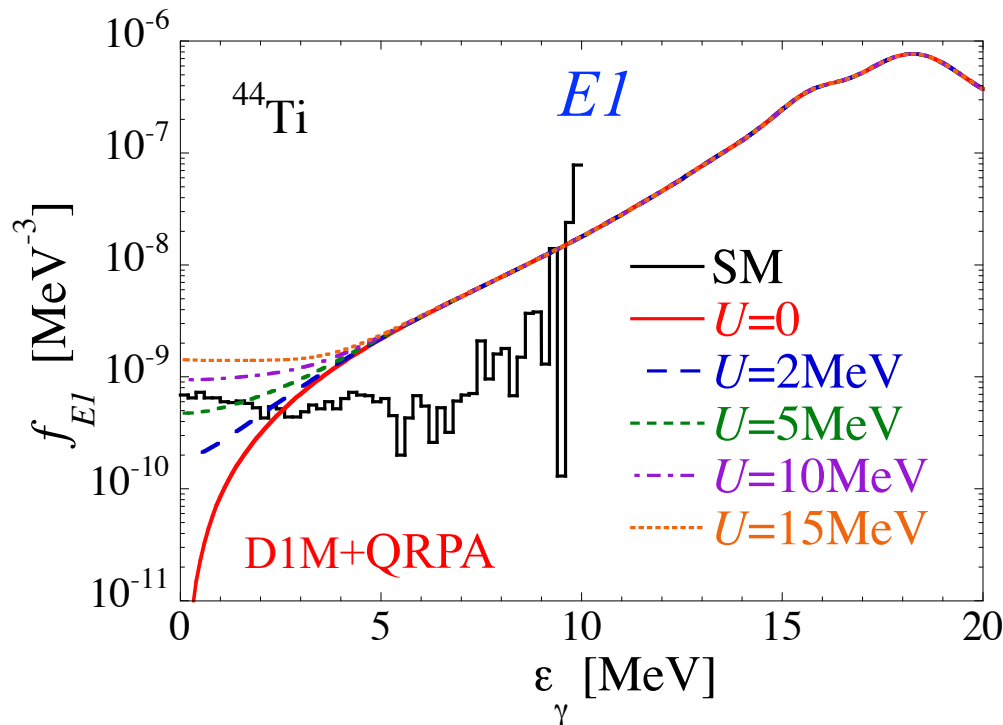
# SM-inspired low-energy correction of the de-excitation strength

$$f_{E1} = f_{E1}^{QRPA} + f_{E1}(\varepsilon_\gamma \rightarrow 0) \quad \text{Non-zero limit of the } E1 \text{ strength at } \varepsilon_\gamma \rightarrow 0$$

$$f_{M1} = f_{M1}^{QRPA} + f_{M1}(\varepsilon_\gamma \rightarrow 0) \quad \text{Upbend of the } M1 \text{ strength at } \varepsilon_\gamma \rightarrow 0$$



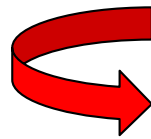
D1M+QRPA+0lim model



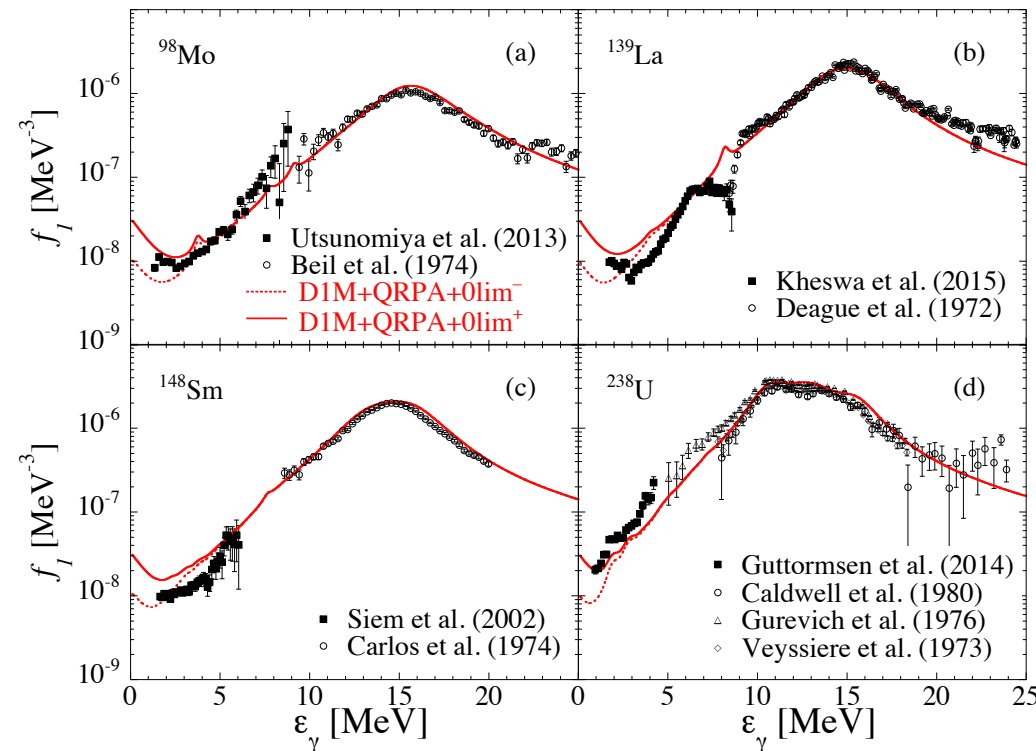
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D1M+QRPA+0lim model



Oslo data

# Major questions related to the dipole PSF for astrophysics applications ( $\sim 8000$ nuclei)

## *E1* strength

- Centroid energy and width of the GDR for experimentally unknown nuclei ?
- Presence of a *E1* pygmy resonance or more generally low-*E* tail of the GDR ?
- Non-zero limit of the *E1* strength (*T*-effect ?)

## *M1* strength

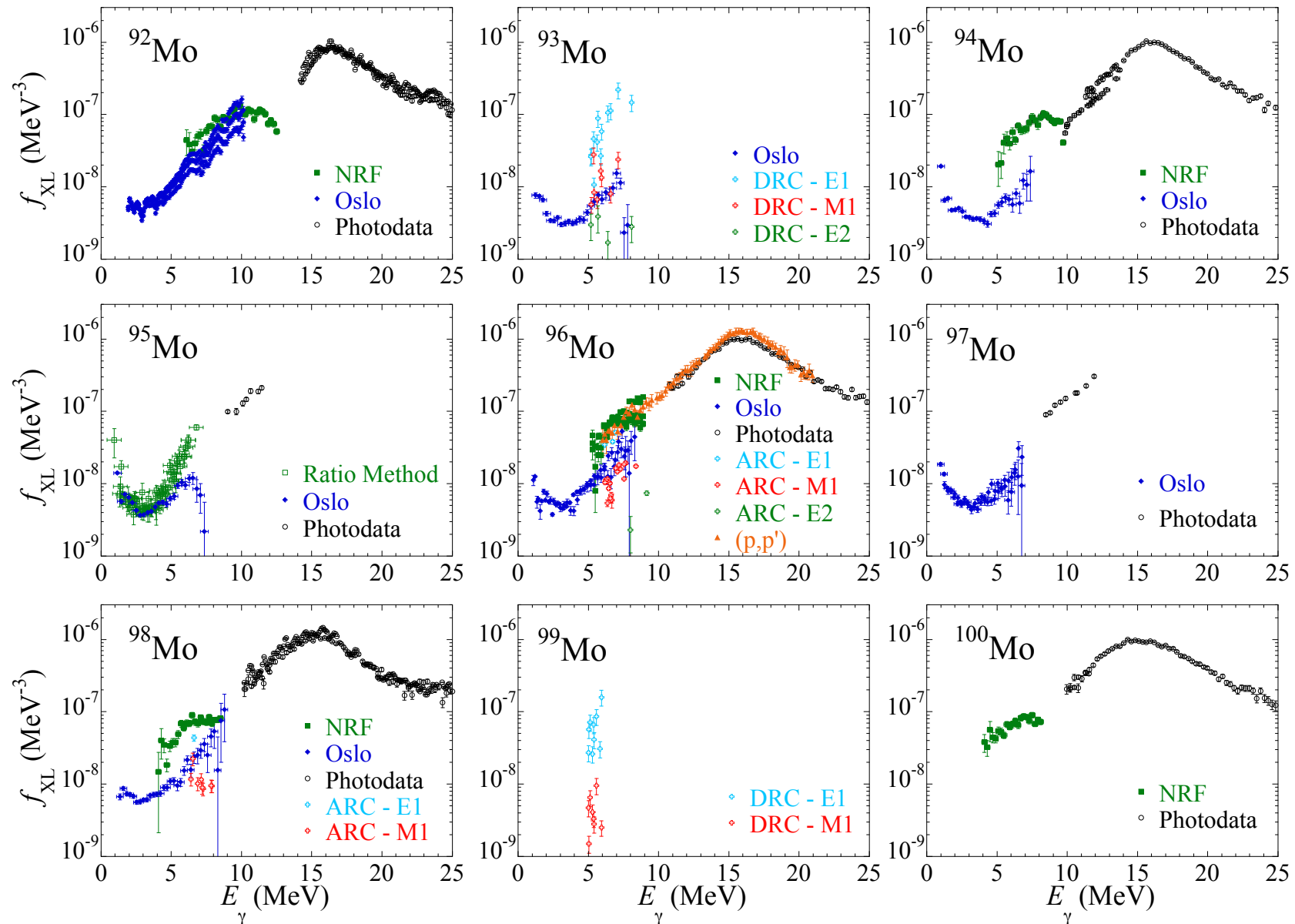
- Properties of the *M1* Spin-flip strength ?
- Properties of *M1* Scissors mode ?
- Non-zero limit of the *M1* strength (upbend) ?

# “Validation” of the theoretical dipole Photon Strength Function on IAEA Reference Database developed within the 2016-2019 CRP

1. Photodata in the GDR region (10-20MeV):  $E1$  for  $\sim 159$  nuclei
2. ARC/DRC data:  $\varepsilon_\gamma \sim 5\text{-}8\text{MeV}$ ;  $E1$  &  $M1$  for 88 nuclei
3. Oslo data:  $\varepsilon_\gamma < S_n$ ;  $E1+M1$  for 72 nuclei
4. NRF data:  $\varepsilon_\gamma < S_n$ ;  $E1+M1$  for 23 nuclei
5.  $\Sigma B(M1)$  scattering data:  $\varepsilon_\gamma \sim 2\text{-}4\text{MeV}$  for  $\sim 47$  nuclei
6. (p, $\gamma$ ) data:  $E1+M1$  at  $\varepsilon_\gamma \sim 5\text{-}10\text{MeV}$  for 22 nuclei ( $A = 46 - 90$ )
7. (p,p') data for  $^{96}\text{Mo}$ ,  $^{120}\text{Sn}$ ,  $^{208}\text{Pb}$ :  $E1$  &  $M1$  at  $\varepsilon_\gamma \sim 5\text{-}20\text{MeV}$
8. MSC & MD spectra:  $E1+M1$  for  $\sim 15$  nuclei with  $\sim 4 J^\pi/\text{nuc}$  (NLD)
9. Neutron capture spectra:  $E1+M1$  for 5 nuclei & diff  $J^\pi$  (NLD)
10. Average radiative width  $\langle \Gamma_\gamma \rangle$ :  $0 \leq \varepsilon_\gamma \leq S_n$   $E1+M1$  for  $\sim 230$  nuc (NLD)
11. 30keV MACS  $0 \leq \varepsilon_\gamma \leq S_n$   $E1+M1$  for  $\sim 240$  nuc (NLD)

PSF database (<https://www-nds.iaea.org/PSFdatabase>) regularly updated

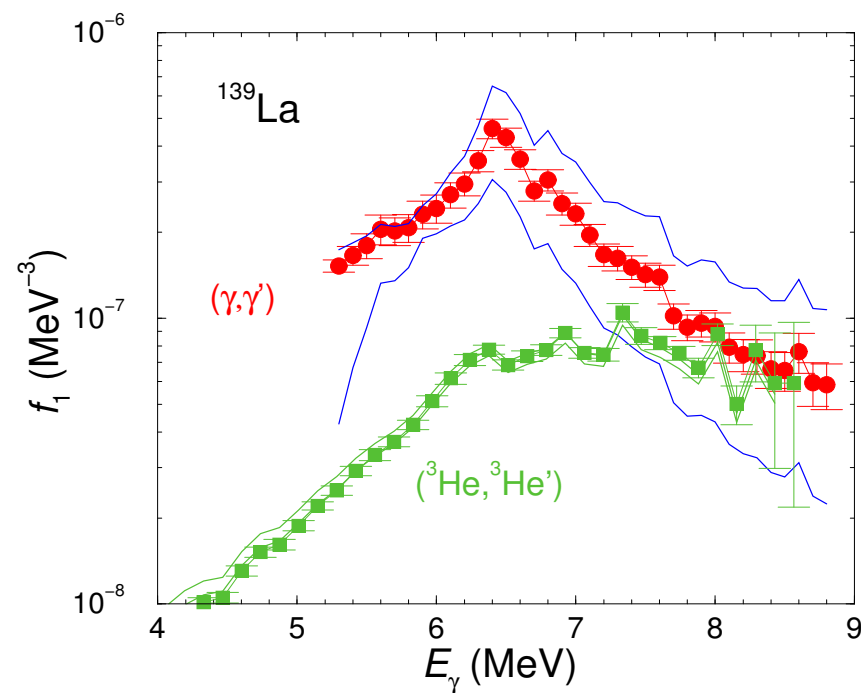
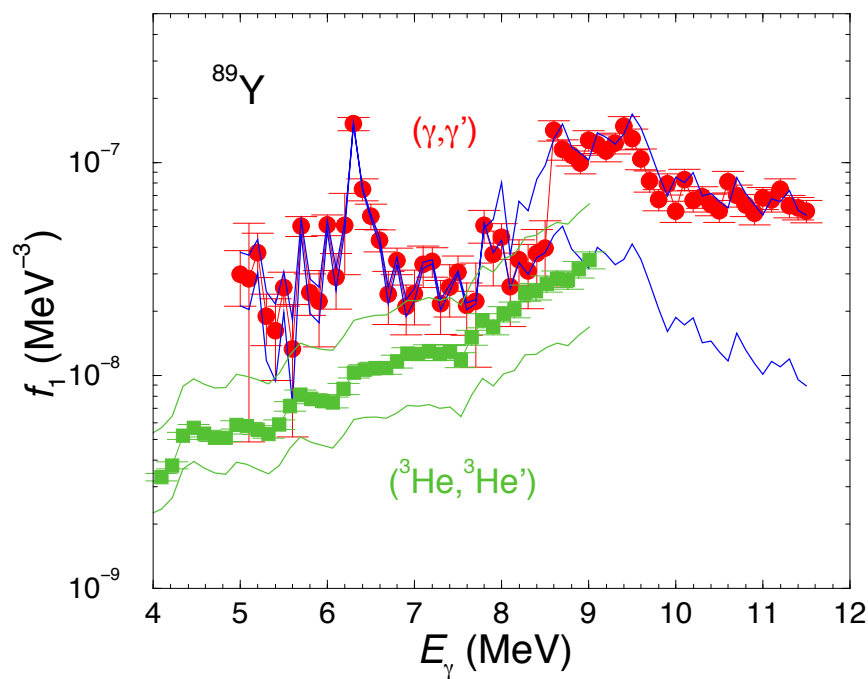
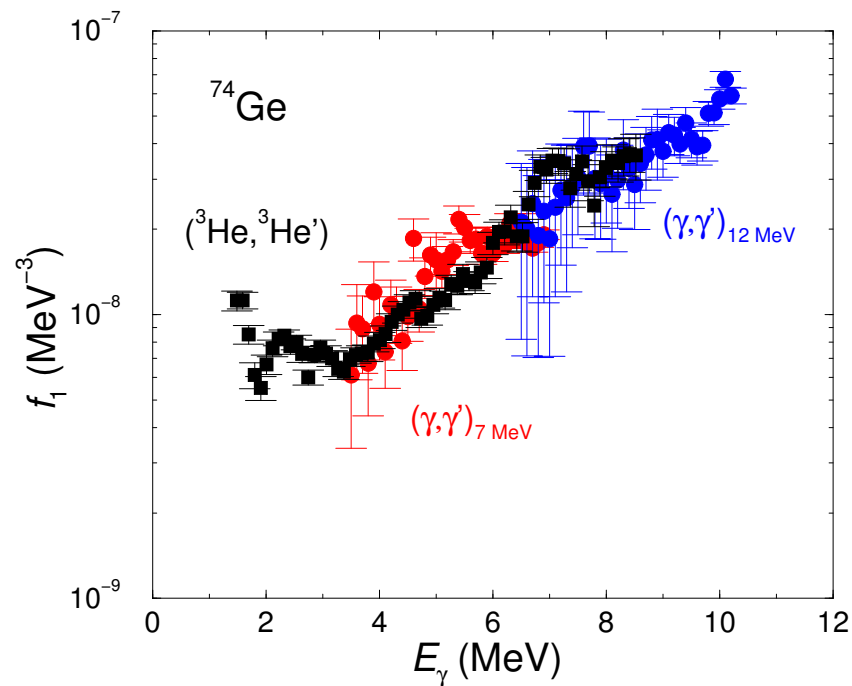
# IAEA Reference Database for Photon Strength Functions



**Requires further “evaluation” and detailed uncertainty analysis**

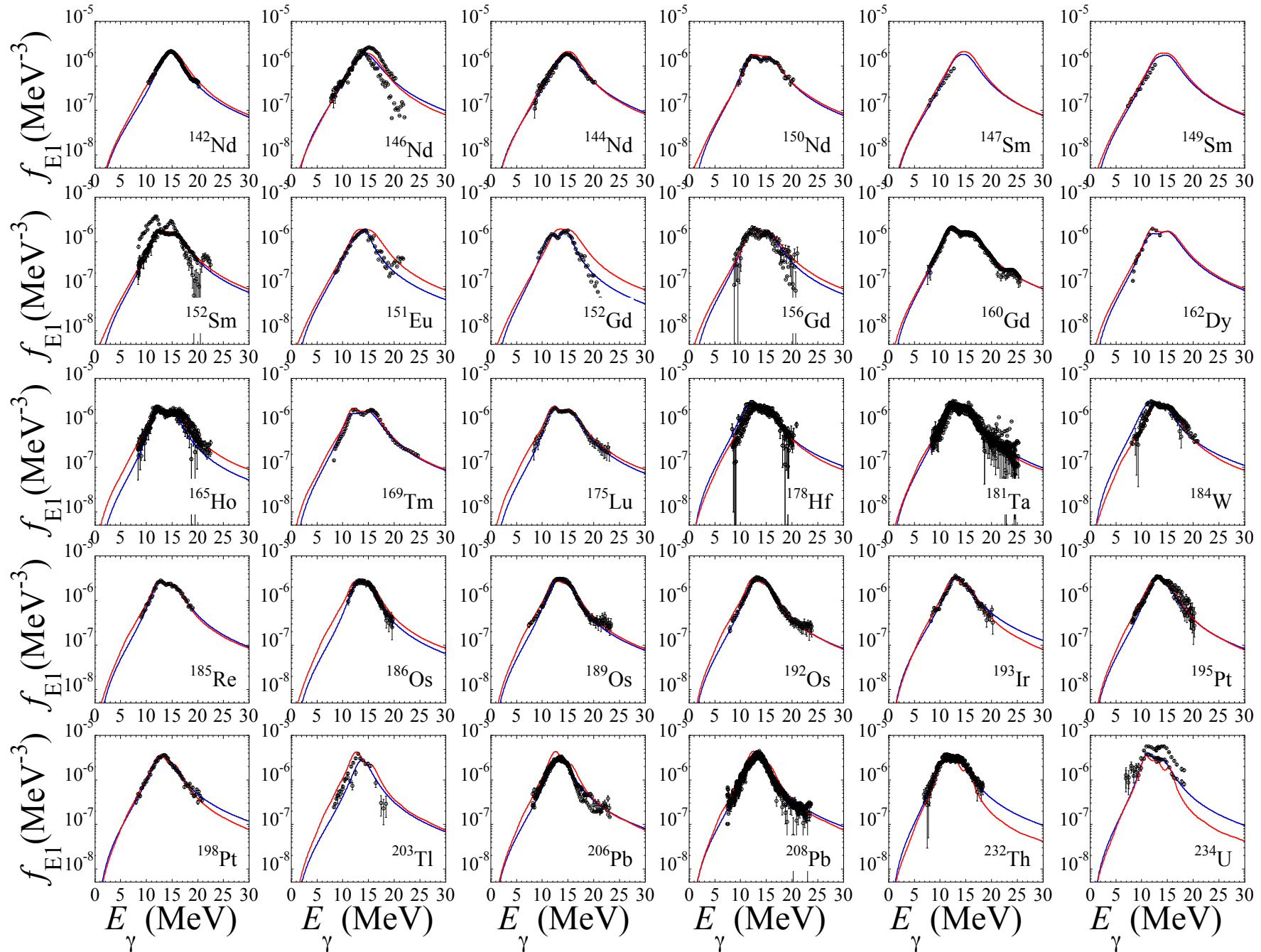
# Comparison between Oslo and NRF data

9 nuclei  
measured by  
both techniques

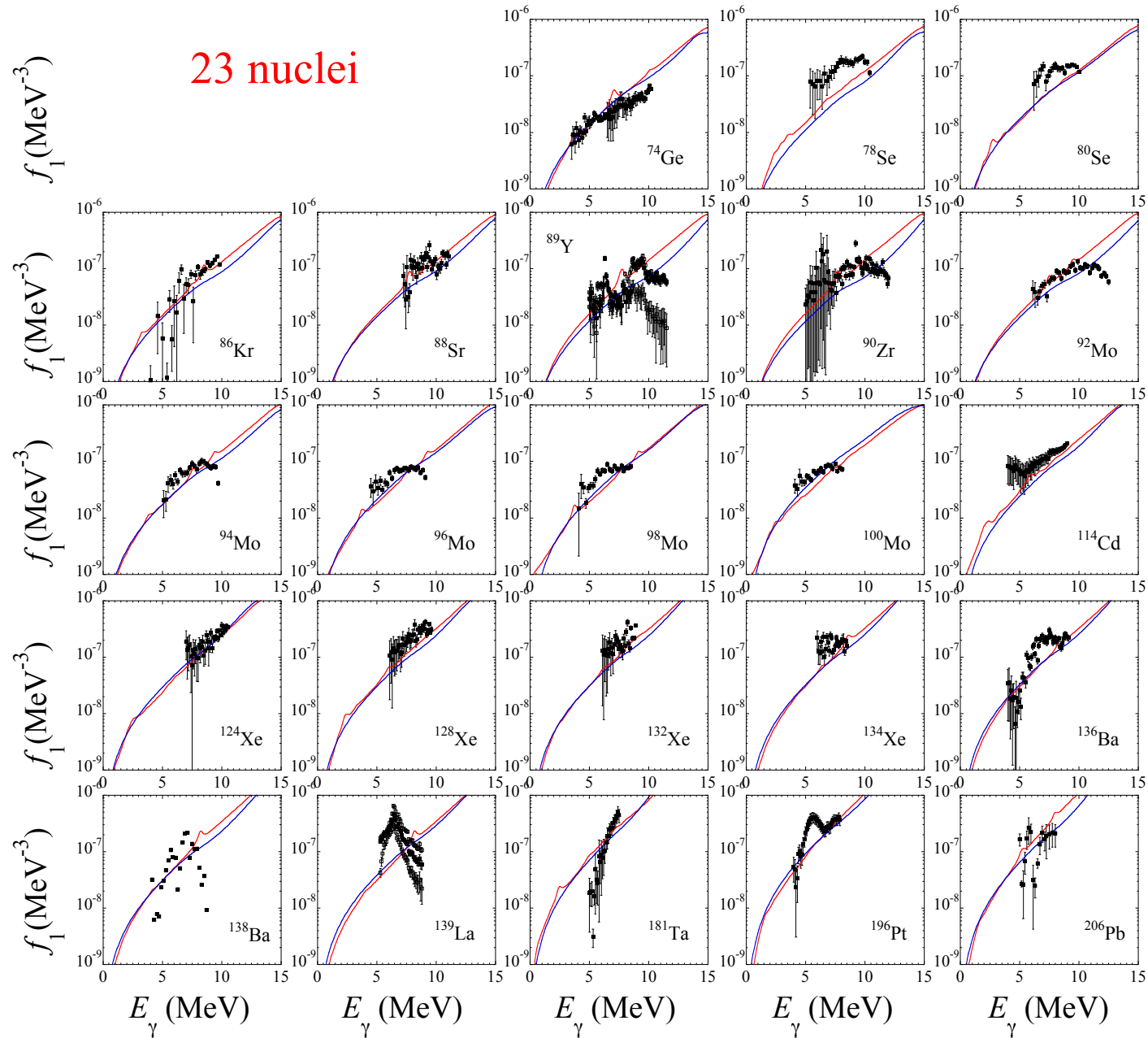


# Comparison of **D1M+QRPA** and **SMLO** with Photodata

30 nuclei out of 159



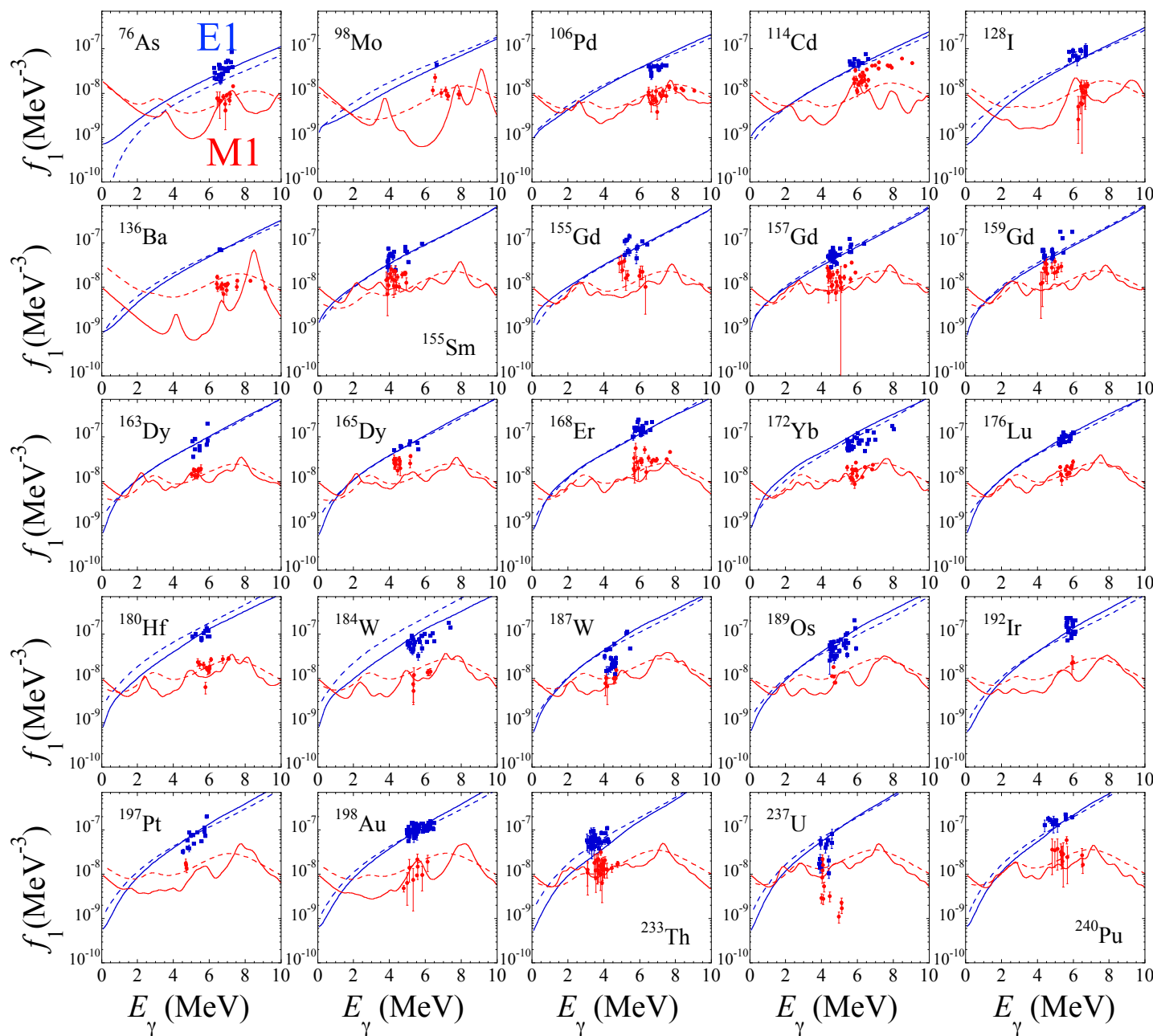
# Comparison of **D1M+QRPA** and **SMLO** with NRF data



# Comparison with **E1** and **M1** ARC data (Kopecky 2019)

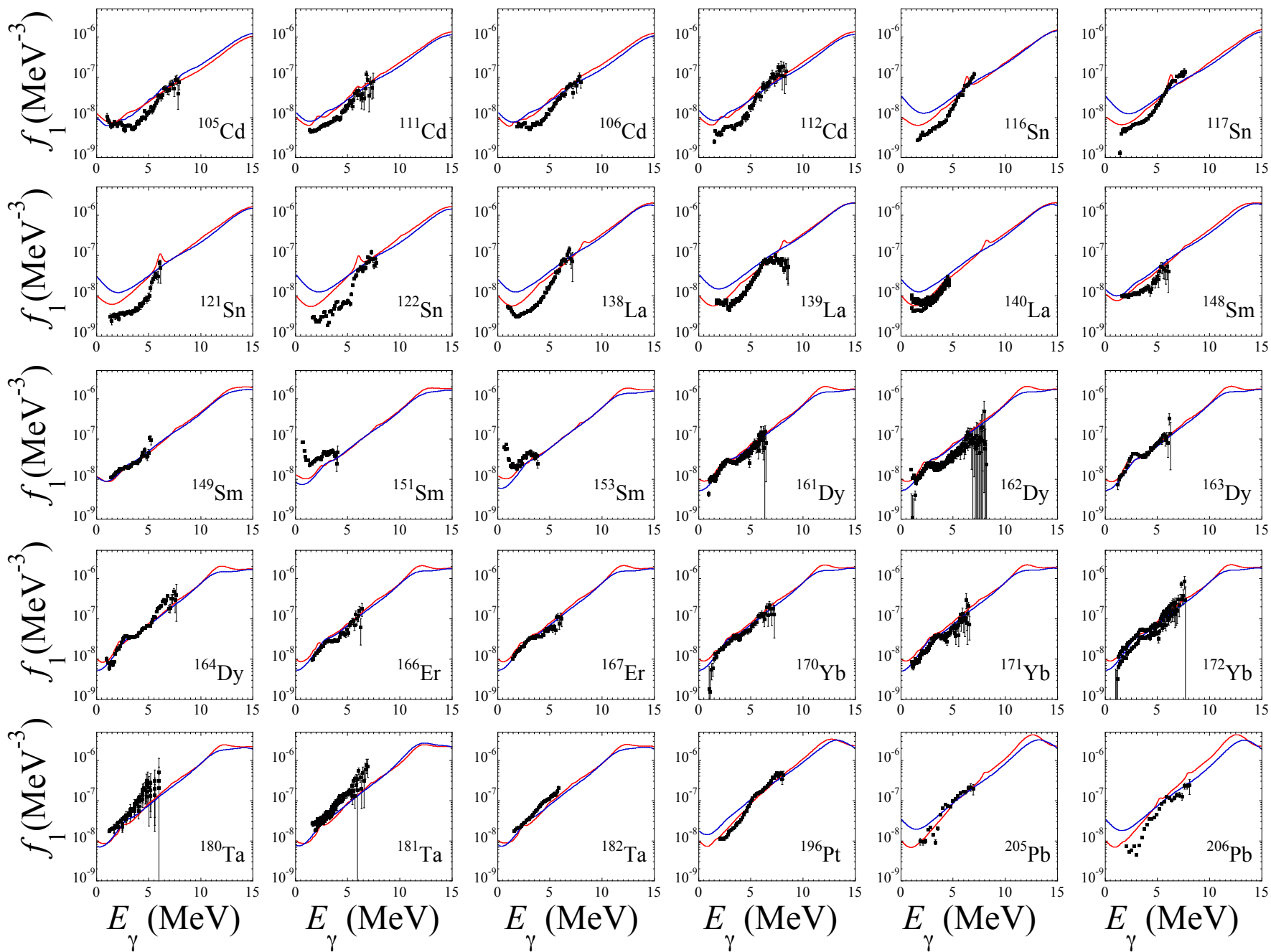
25 nuclei  
out of 88

D1M+QRPA+0lim ——— SMLO - - - - -



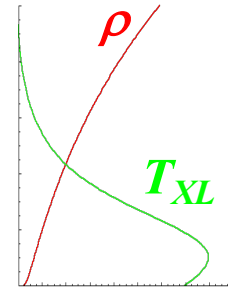
# Comparison of **D1M+QRPA+0lim** and **SMLO** with Oslo data

30 nuclei out of 72

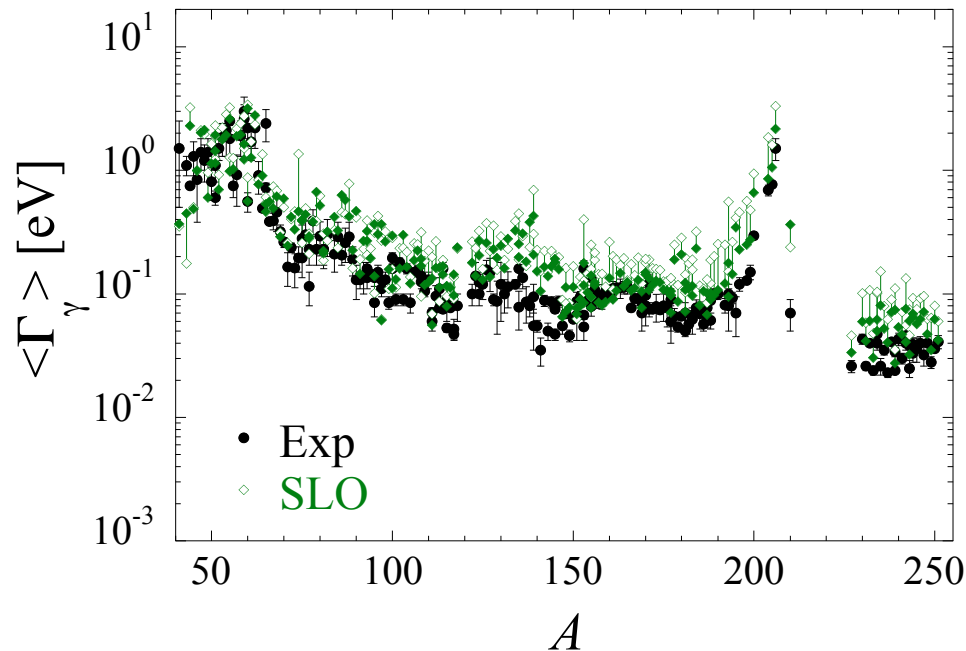


# The long-standing problem of the average radiative width $\langle \Gamma_\gamma \rangle$

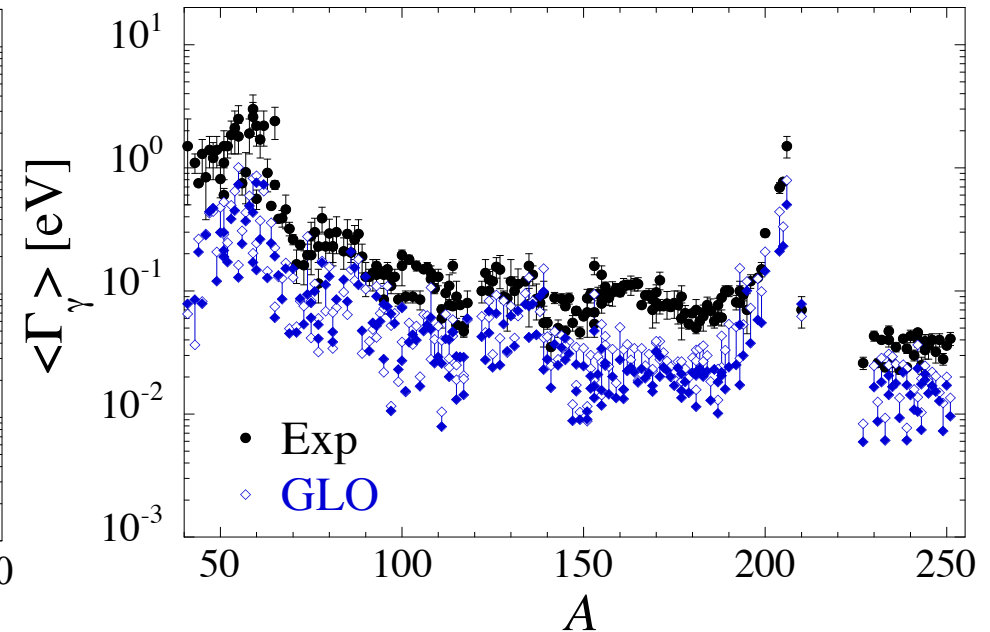
$$\langle \Gamma_\gamma \rangle = \frac{D_0}{2\pi} \sum_{X,L,J,\pi} \int_0^{S_n+E_n} T_{XL}(\varepsilon_\gamma) \times \rho(S_n + E_n - \varepsilon_\gamma, J, \pi) d\varepsilon_\gamma$$



Standard SLO



Standard GLO



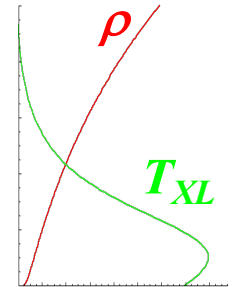
230 nuclei

Full diamonds = CT + BSFG

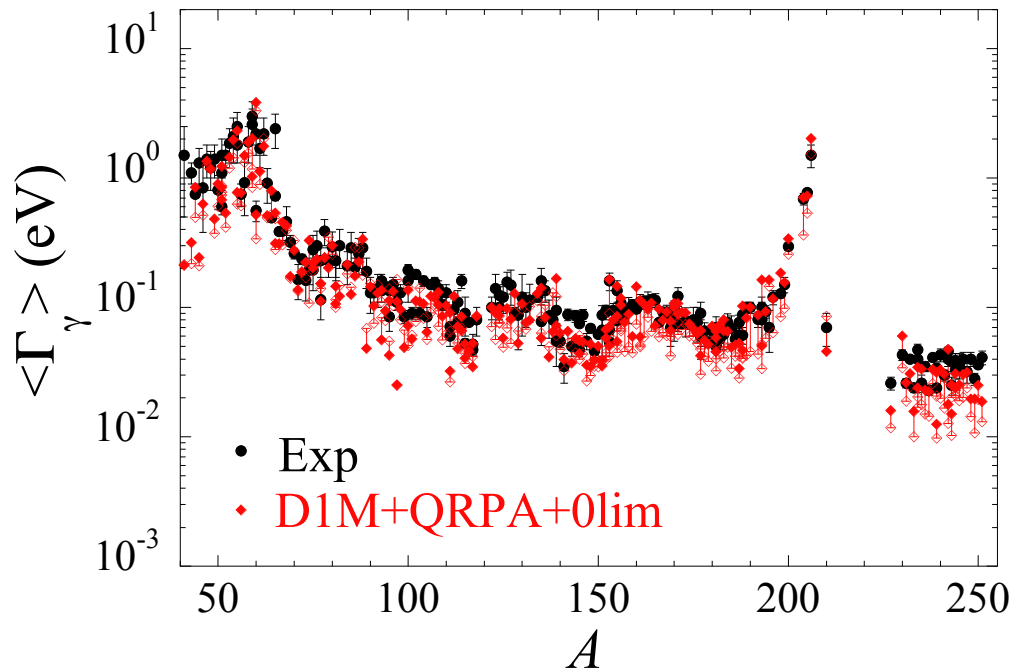
Open diamonds = HFB + Combinatorial

# Comparison of **D1M+QRPA+0lim** and **SMLO** with $\langle \Gamma_\gamma \rangle$ data

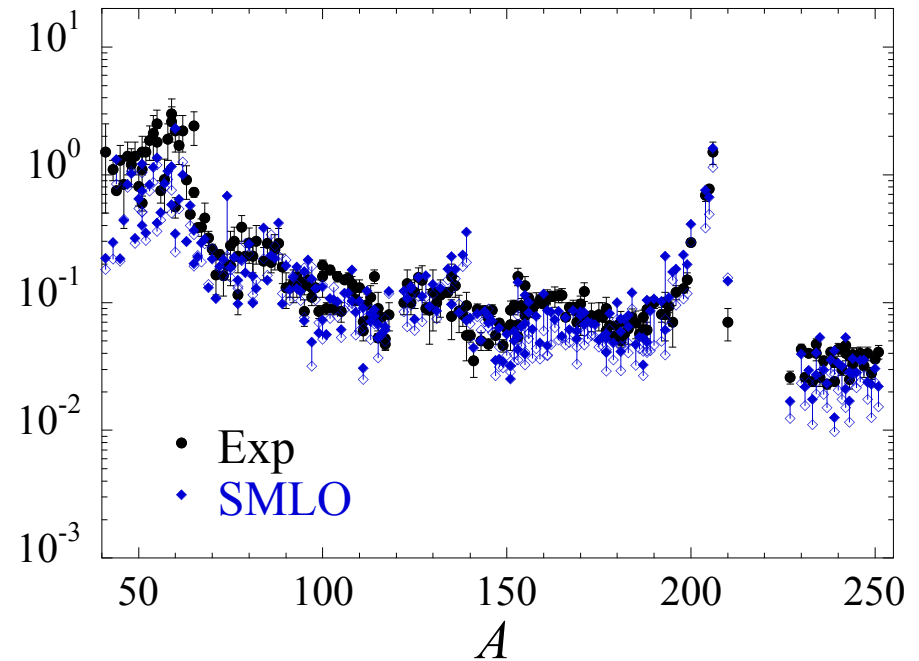
$$\langle \Gamma_\gamma \rangle = \frac{D_0}{2\pi} \sum_{X,L,J,\pi} \int_0^{S_n+E_n} T_{XL}(\varepsilon_\gamma) \times \rho(S_n + E_n - \varepsilon_\gamma, J, \pi) d\varepsilon_\gamma$$



**D1M+QRPA+0lim**



**SMLO**



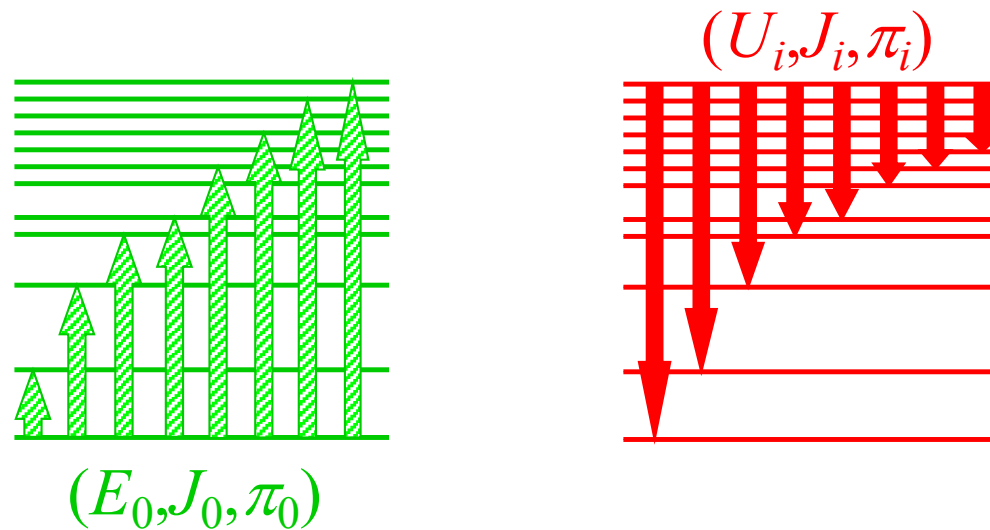
Open diamonds = CT + BSFG

Full diamonds = HFB + Combinatorial

Both PSF models reproduce  $\sim 230 \langle \Gamma_\gamma \rangle$  within  $\sim 30\text{-}50\%$

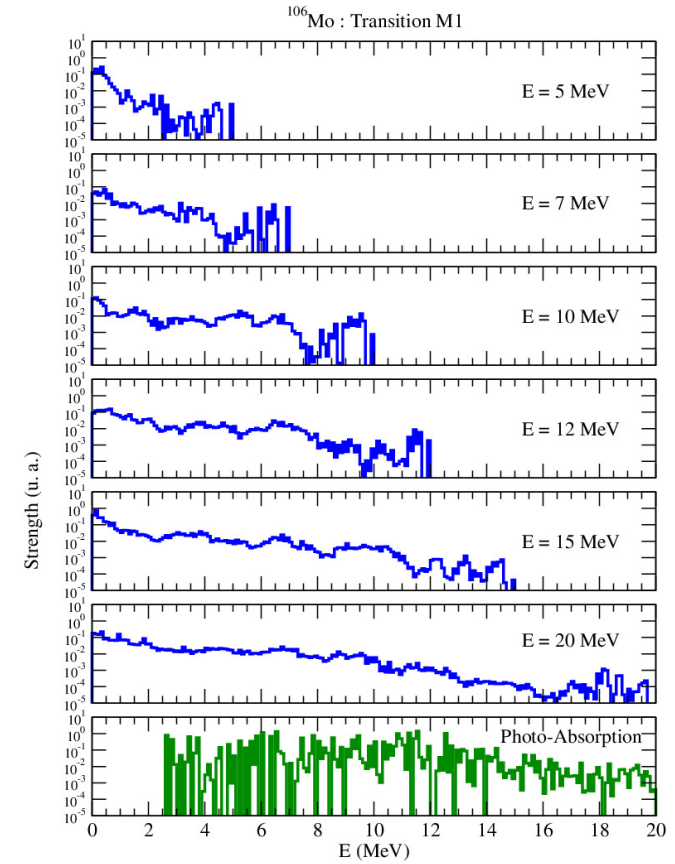
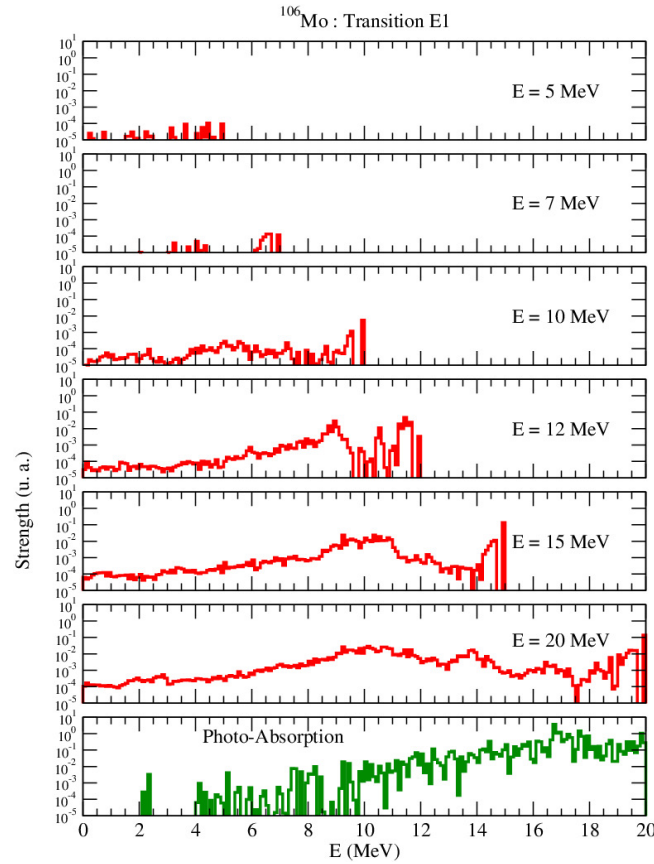
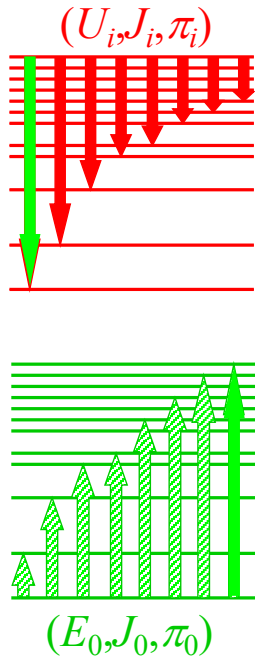
# Photon Strength Function

New D1M+QRPA calculations of the **de-excitation** PSF



cf Péru's and Hilaire's talk

# D1M+QRPA calculation of the de-excitation strength $B(XL)$



PSF



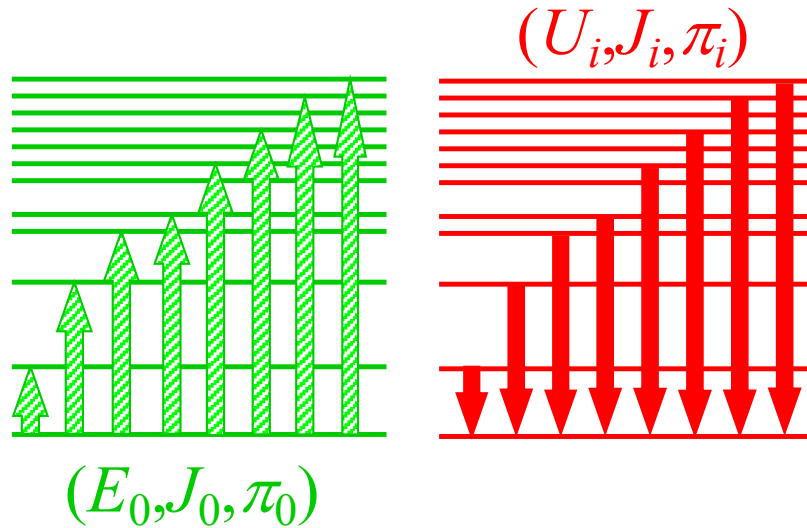
$$f_{XL}(E_p U_i) = \sum_{J_i, \pi_i} f_{\text{conv}} \langle B(XL) \rangle (E_p U_i, J_i, \pi_i) \rho(U_i, J_i, \pi_i)$$

## De-excitation PSF at an initial energy $U_i$

$$f_{XL}(E_\gamma, U_i) = \sum_{J_i, \pi_i} f_{\text{conv}} \langle B(XL) \rangle (E_\gamma, U_i, J_i, \pi_i) \rho(U_i, J_i, \pi_i)$$

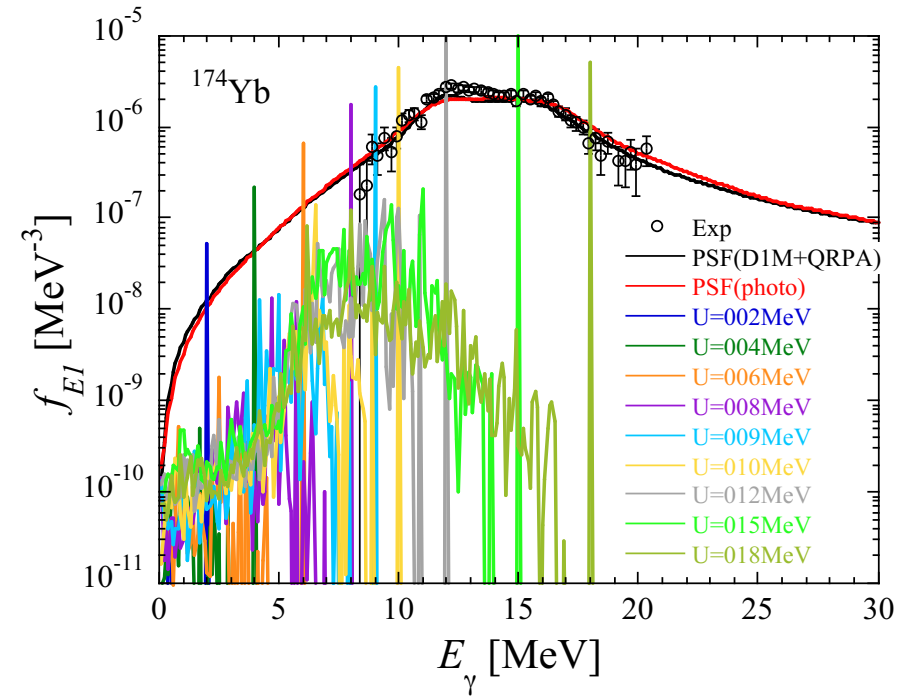
### Reciprocity theorem

$$\overrightarrow{f_{XL}}(E_\gamma) = \overleftarrow{f_{XL}}(U_i, E_\gamma)$$



De-excitation PSF at  $U_i = E_\gamma$   
*after folding* should correspond  
 to the smooth (after folding)  
 photo-absorption PSF at  $E_\gamma$

### $f_{E1}$ de-excitation PSF *before* folding

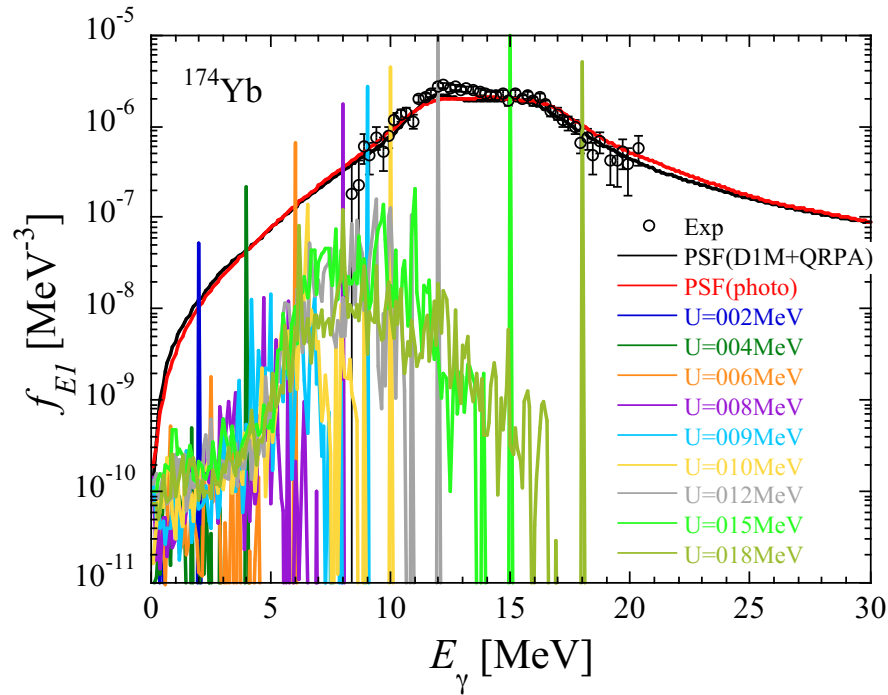


## Smooth de-excitation PSF at an initial energy $U_i$

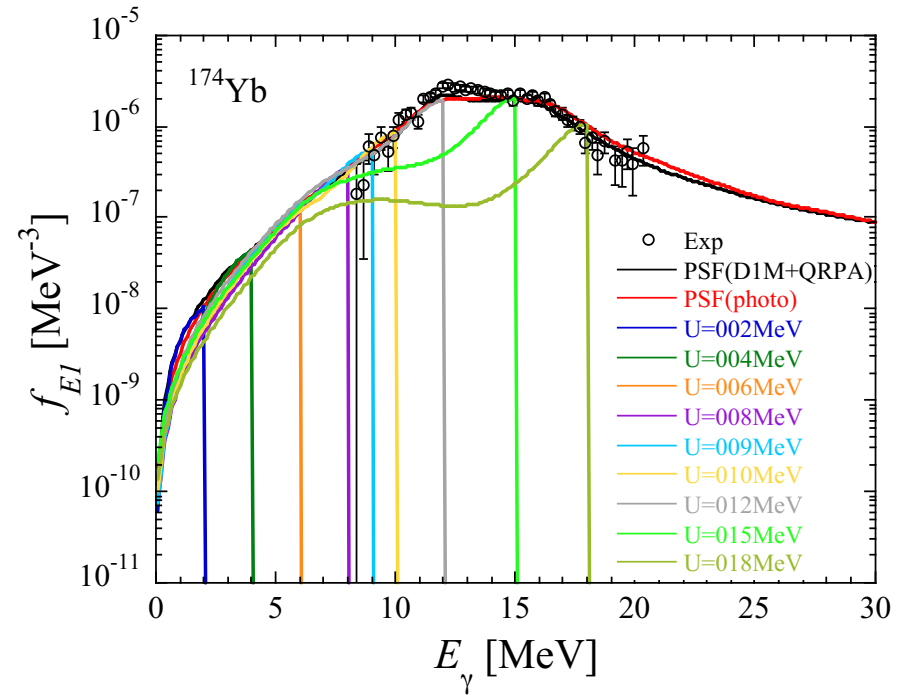
$$f_{E1}(E) = \int_{-\infty}^{+\infty} L(E, \omega) S_{E1}(\omega) d\omega \quad \text{with} \quad L(E, \omega) = \frac{1}{\pi \Gamma} \frac{\Gamma^2 E^2}{[E^2 - (\omega - \Delta)^2]^2 + \Gamma^2 E^2}$$

$$\Delta = 0.14\omega \quad \& \quad \Gamma(E1) = 7 - A/45 \text{ MeV}$$

$f_{E1}$  de-excitation PSF *before* smoothing



$f_{E1}$  de-excitation PSF *after* smoothing



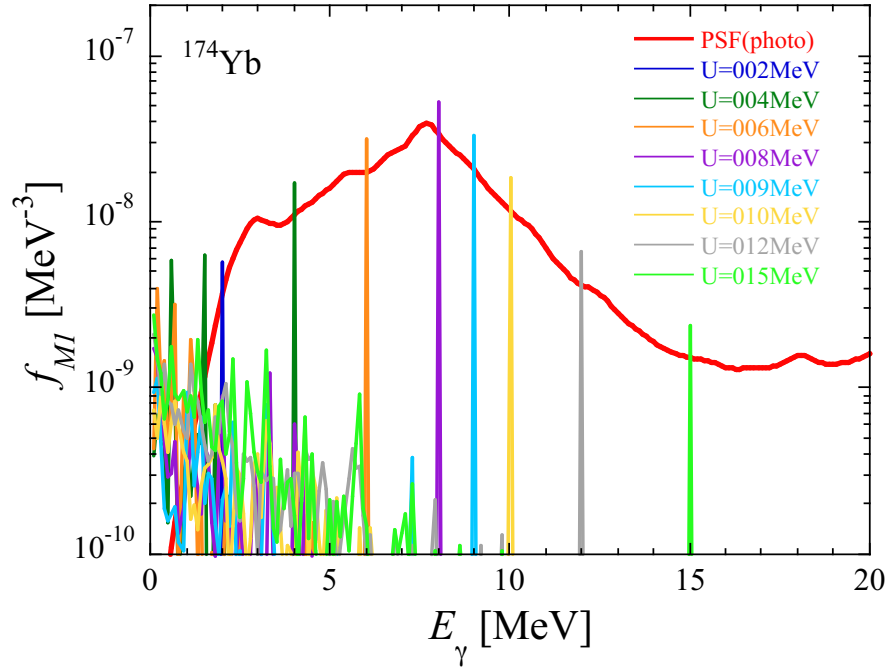
Negligible low-energy  
E1 enhancement

## Smooth de-excitation PSF at an initial energy $U_i$

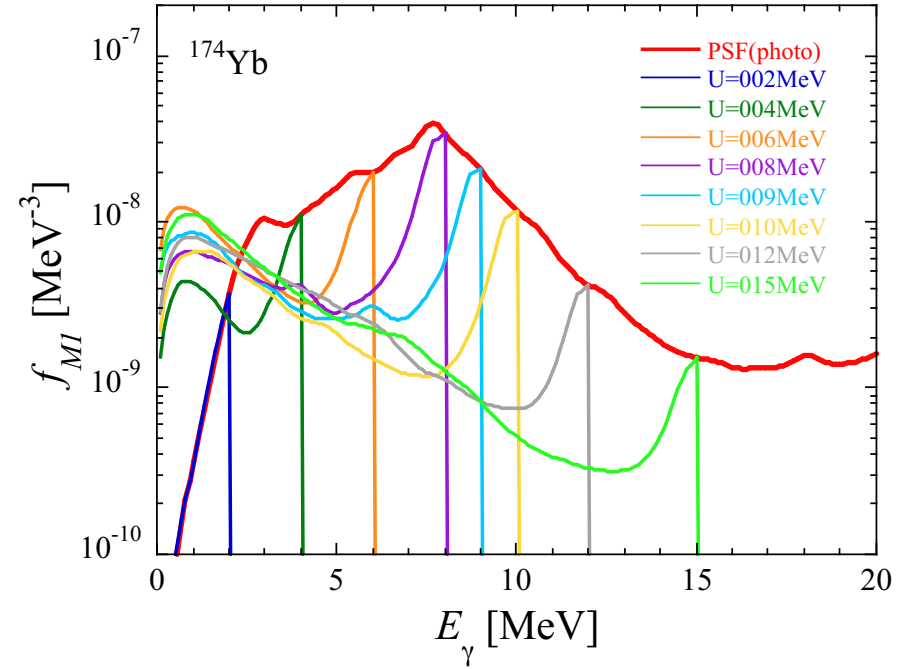
$$f_{E1}(E) = \int_{-\infty}^{+\infty} L(E, \omega) S_{E1}(\omega) d\omega \quad \text{with} \quad L(E, \omega) = \frac{1}{\pi\Gamma} \frac{\Gamma^2 E^2}{[E^2 - (\omega - \Delta)^2]^2 + \Gamma^2 E^2}$$

$$\Delta = 0.14\omega \text{ \& \; } \Gamma = 1 \text{ MeV}$$

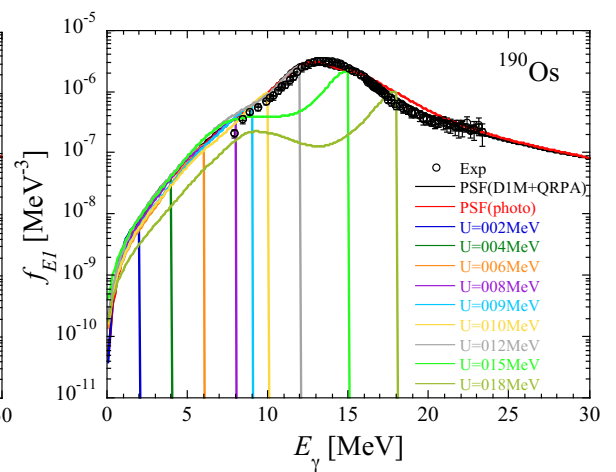
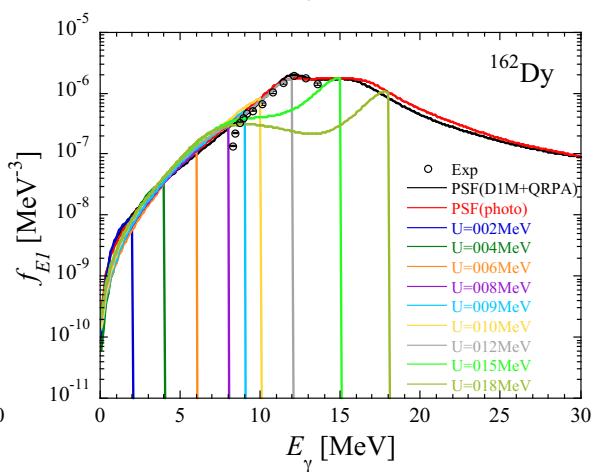
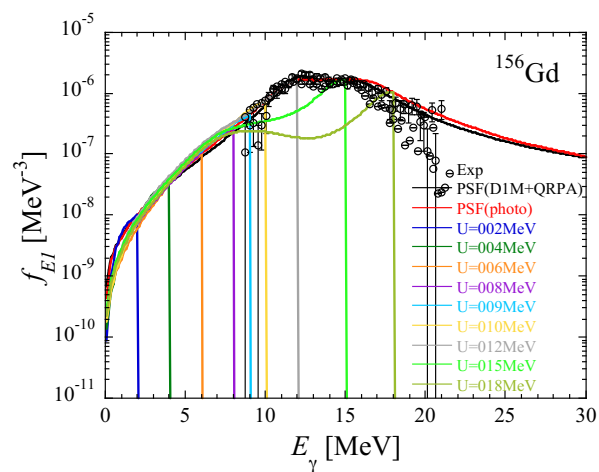
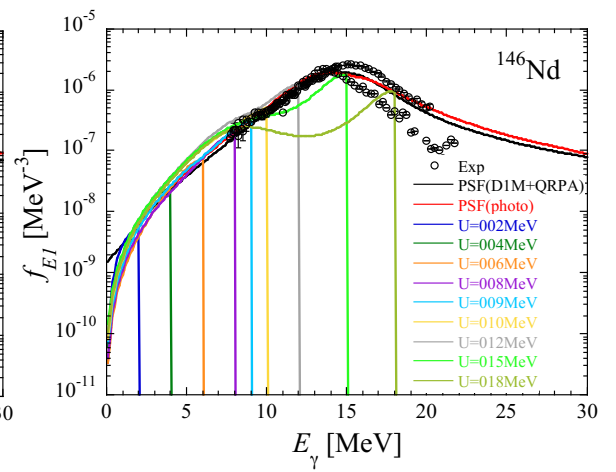
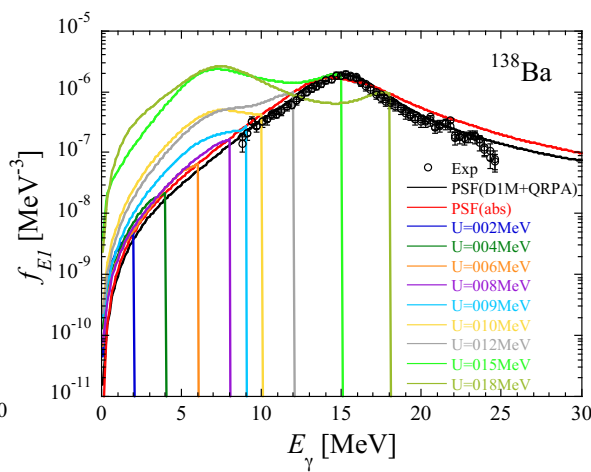
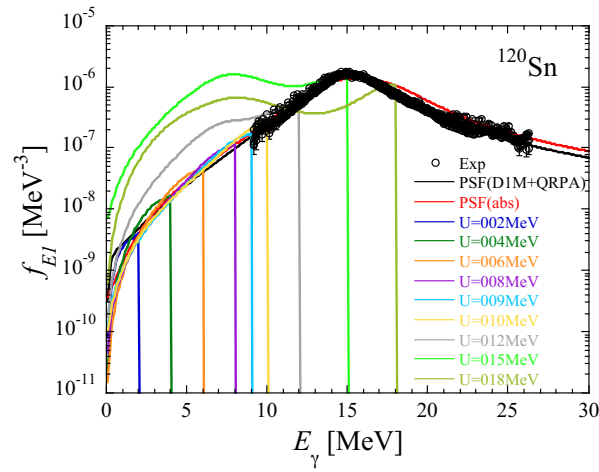
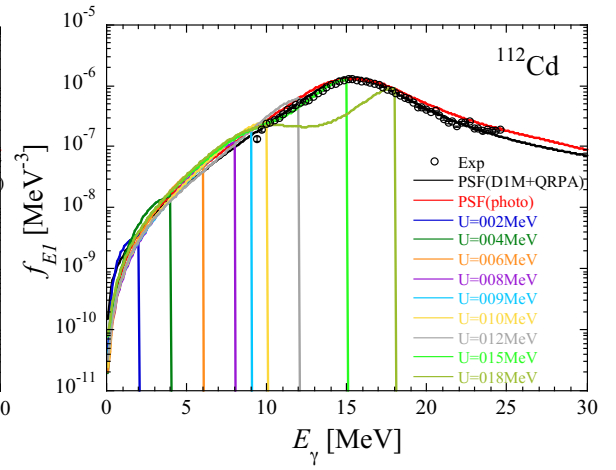
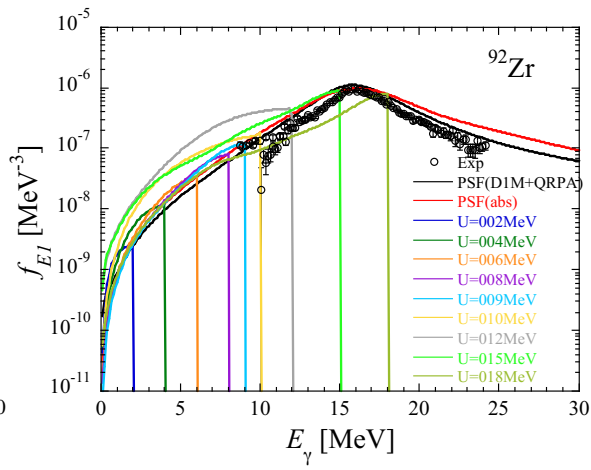
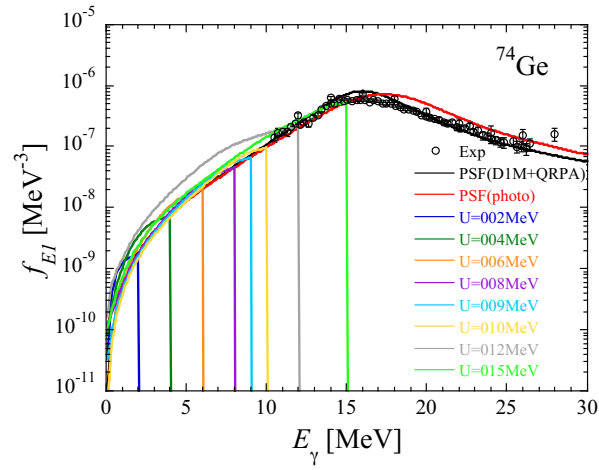
$f_{M1}$  de-excitation PSF *before* smoothing

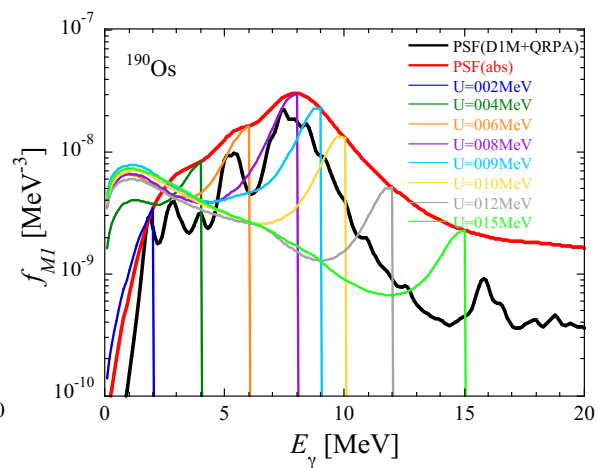
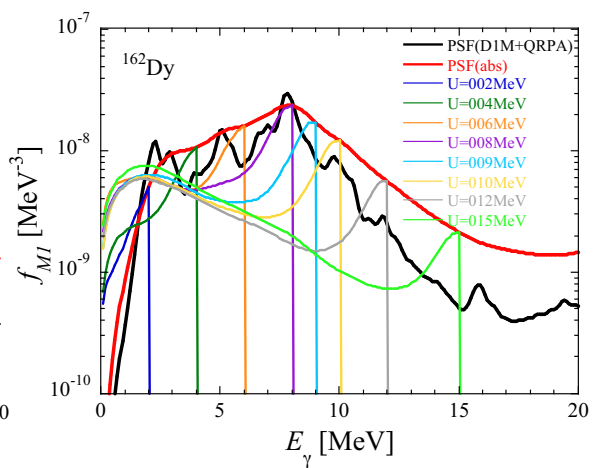
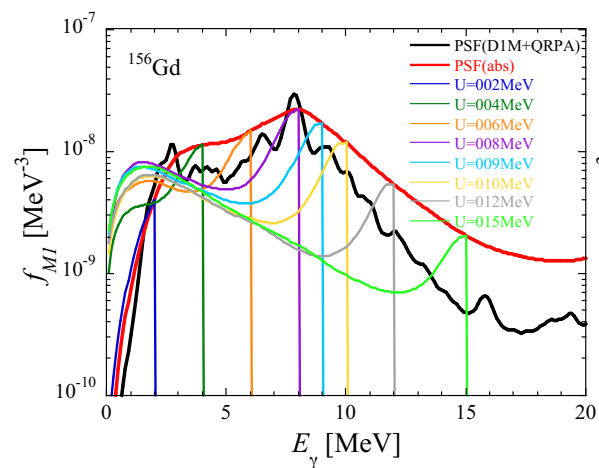
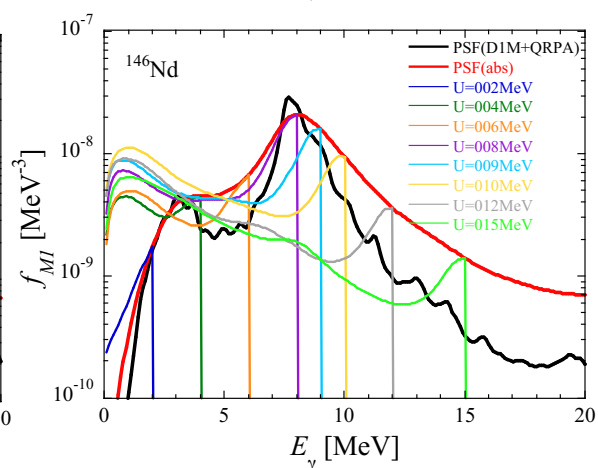
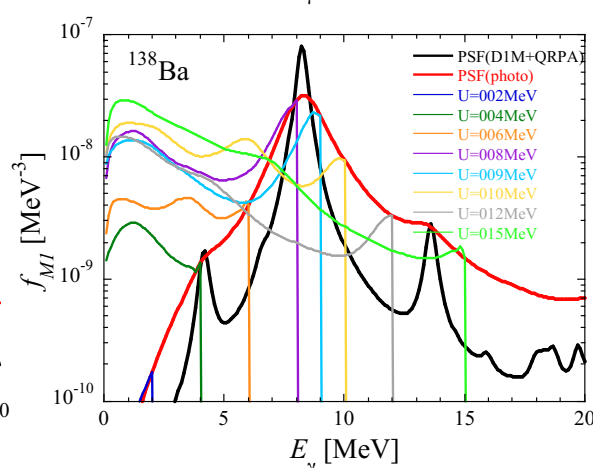
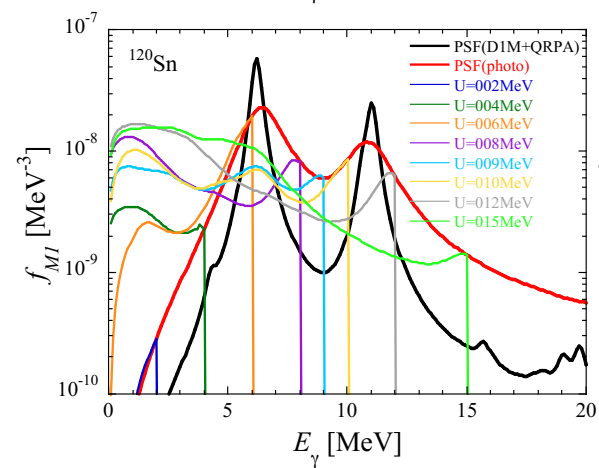
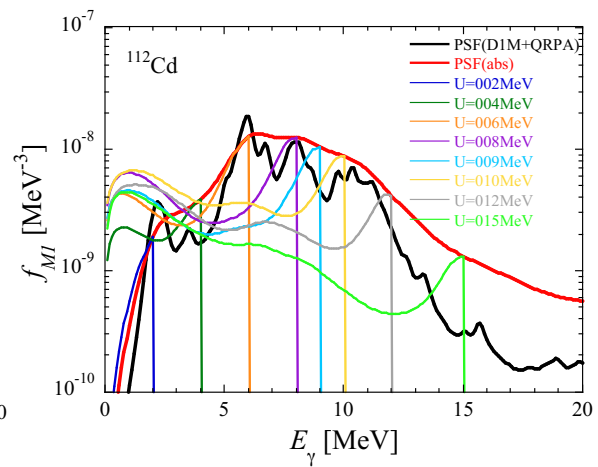
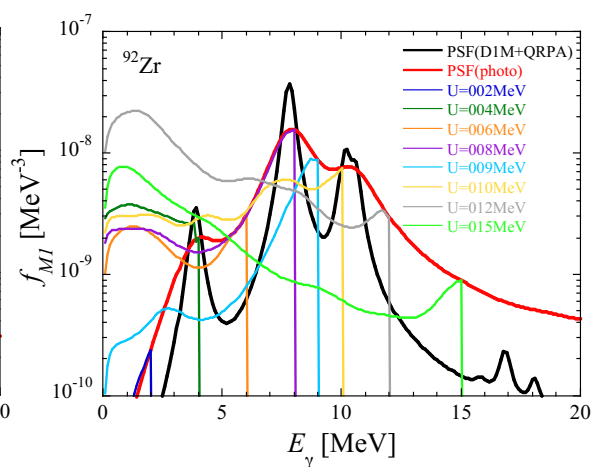
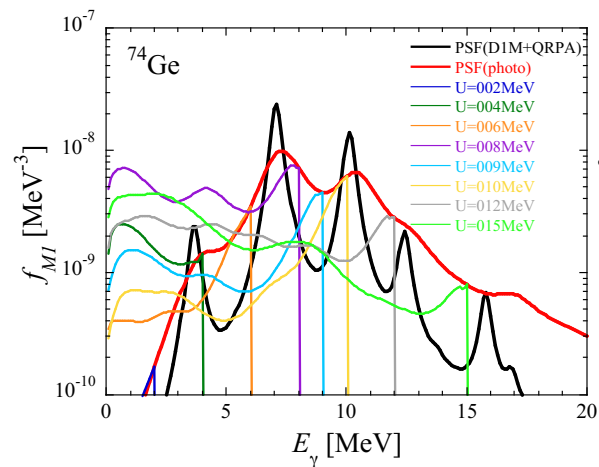


$f_{M1}$  de-excitation PSF *after* smoothing



Significant low-energy  
M1 enhancement

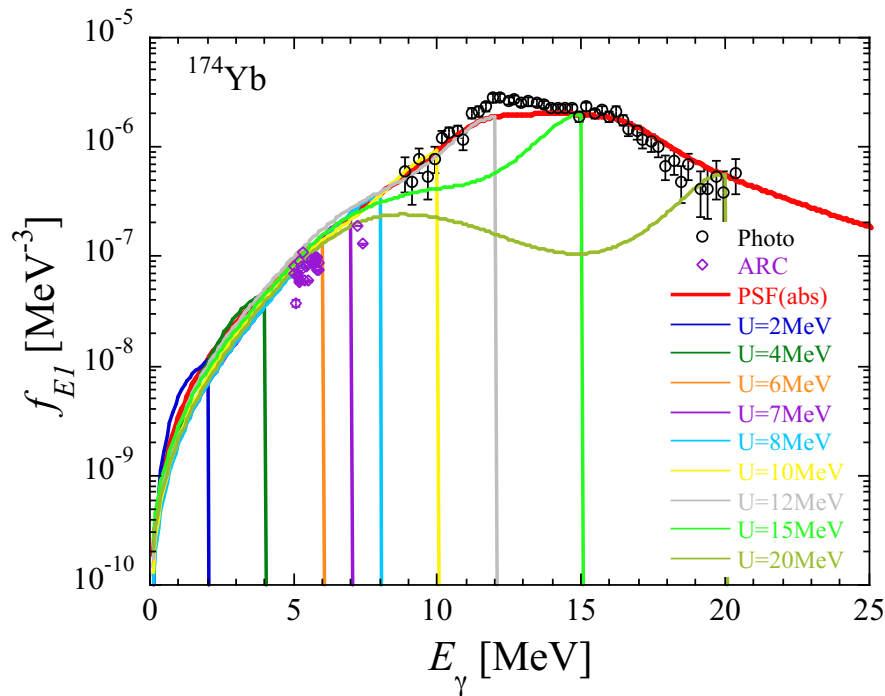
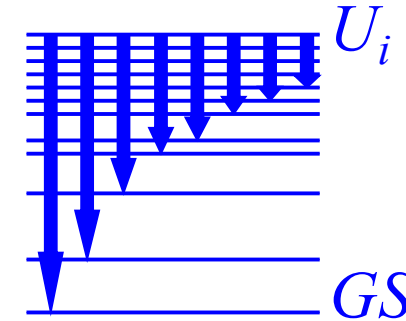




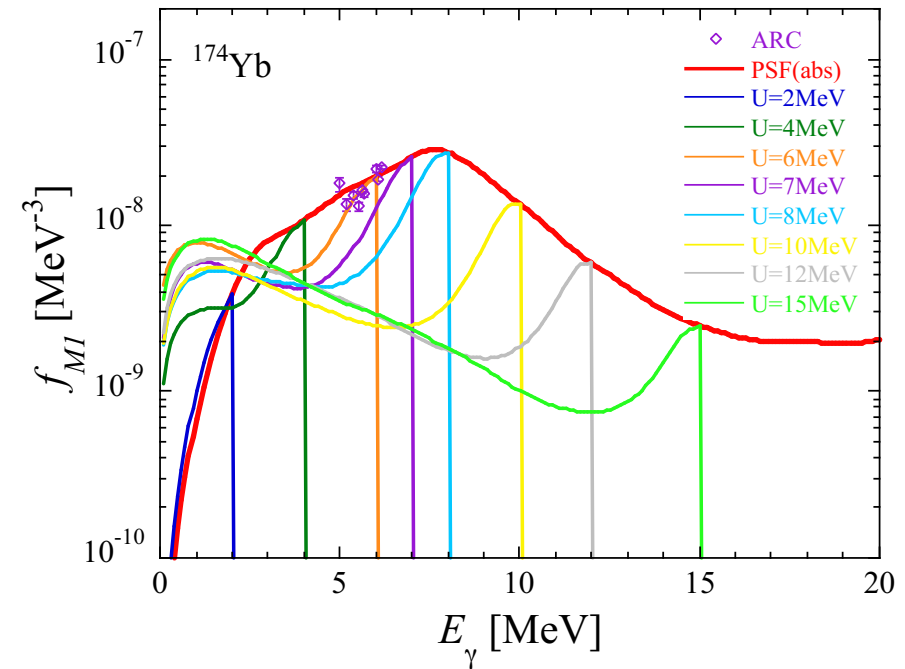
## QRPA de-excitation PSF at an initial energy $U_i$

$$f_{E1}(E) = \int_{-\infty}^{+\infty} L(E, \omega) S_{E1}(\omega) d\omega \quad \text{with}$$

$$L(E, \omega) = \frac{1}{\pi \Gamma} \frac{\Gamma^2 E^2}{\left[ E^2 - (\omega - \Delta)^2 \right]^2 + \Gamma^2 E^2}$$

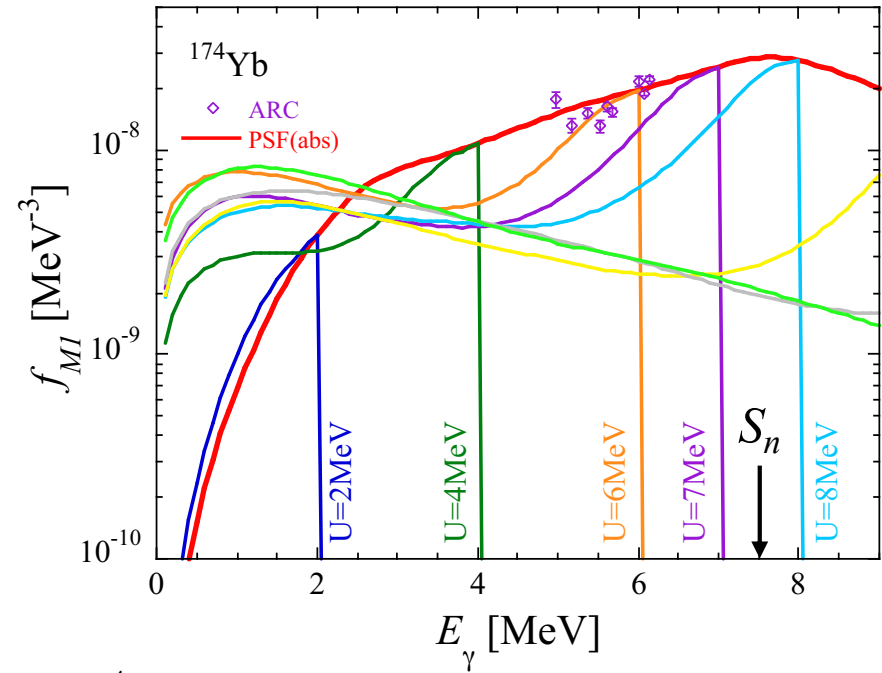
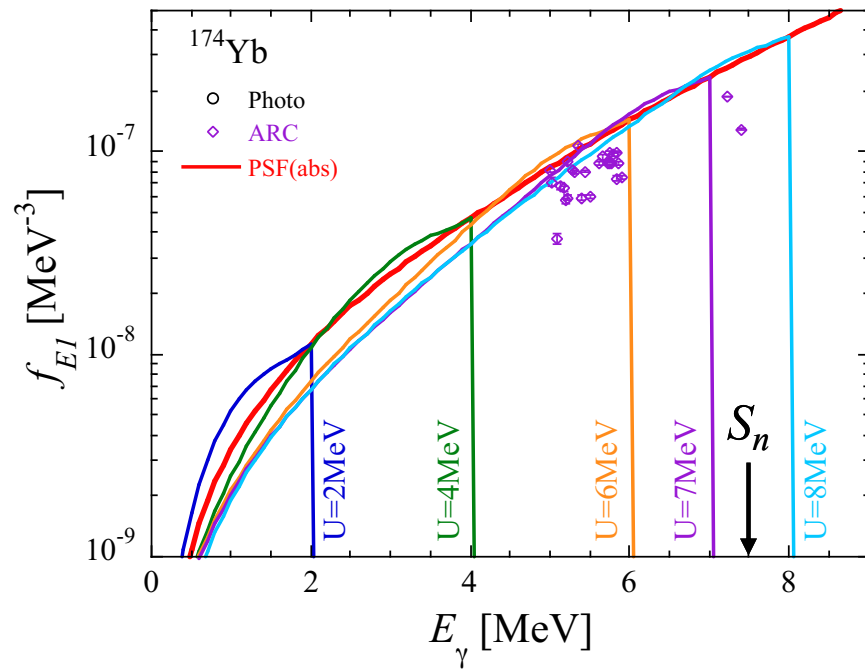


Negligible low-energy  
E1 enhancement

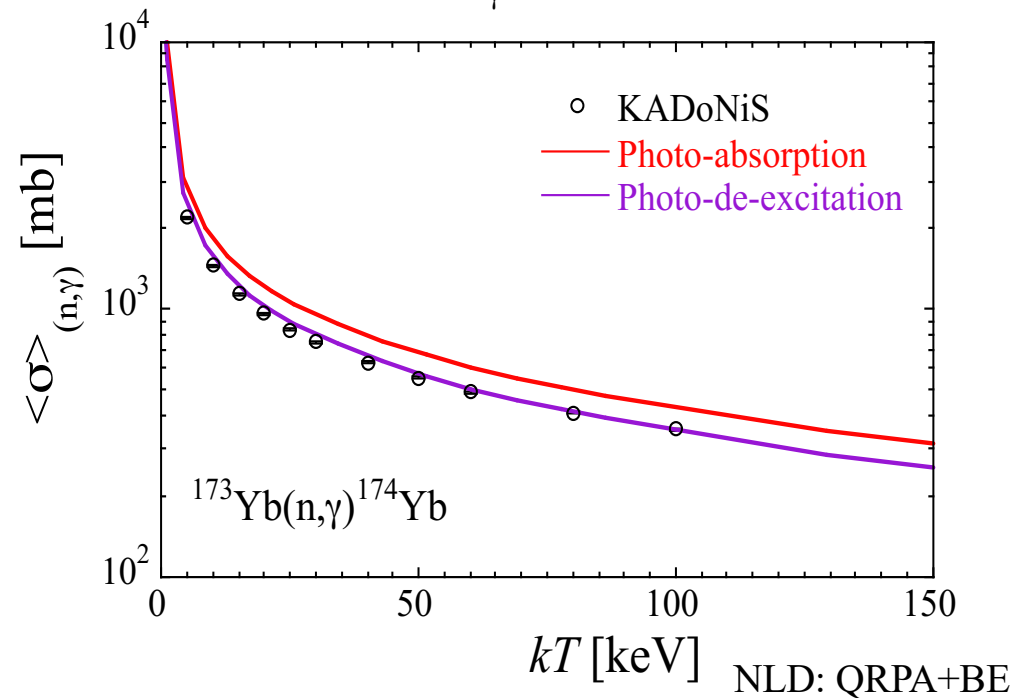


- For M1: significant
- enhancement at  $E_{\gamma} < 2\text{MeV}$
  - reduction at  $2\text{MeV} < E_{\gamma} < U$
- impact on low- $S_n$  n-capture

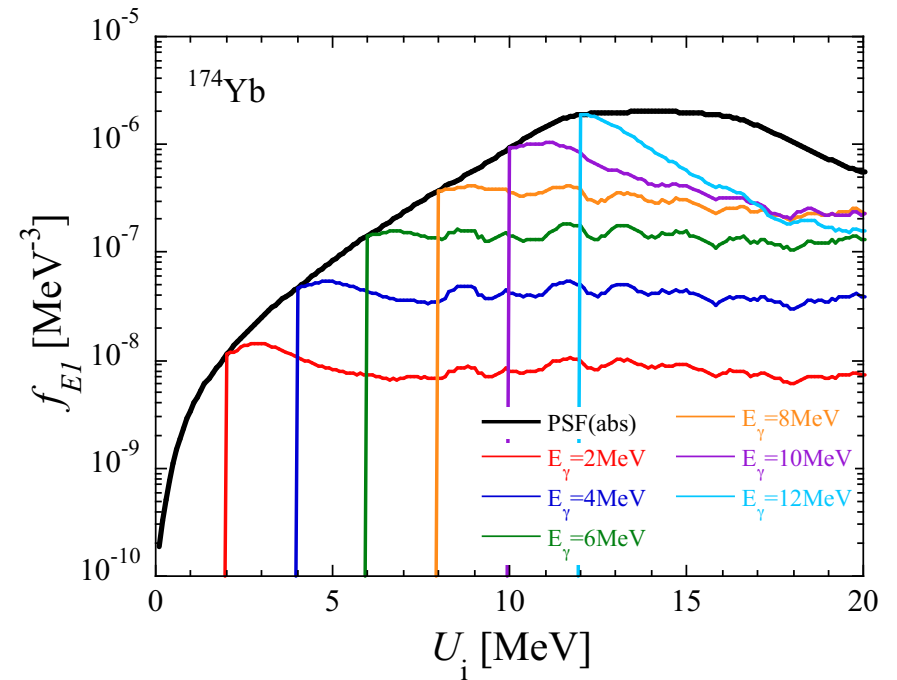
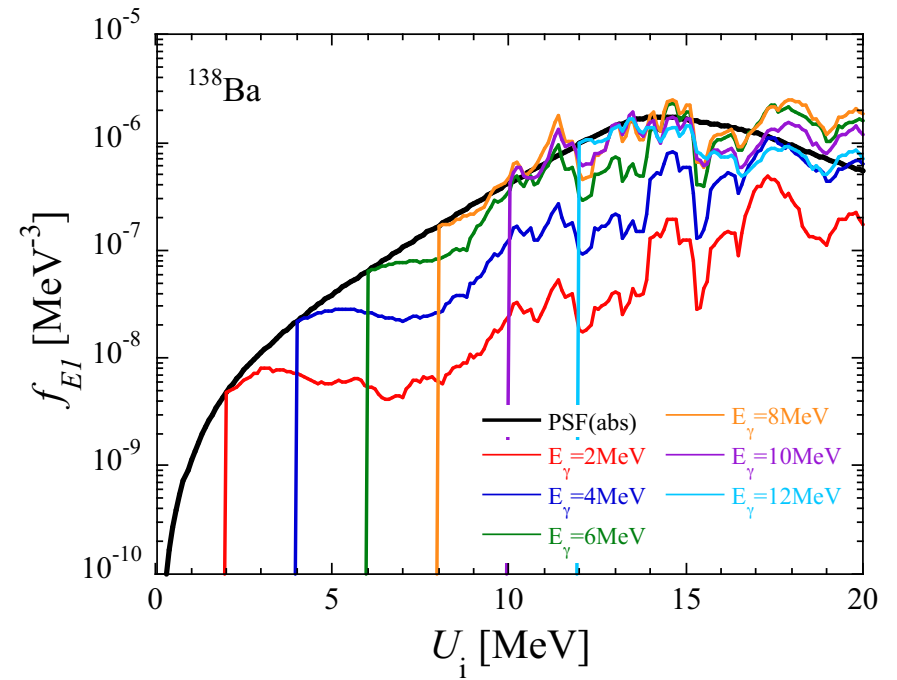
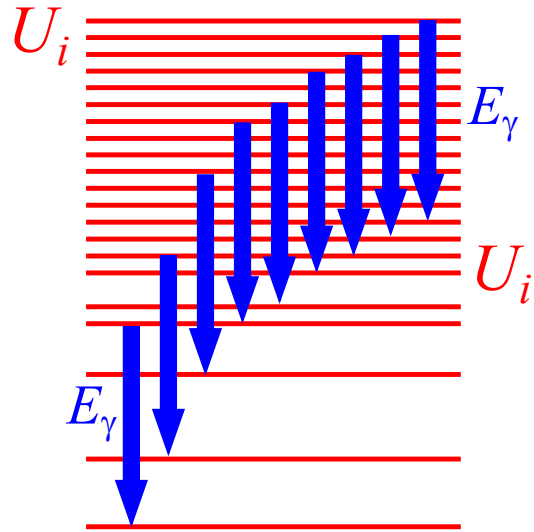
# Impact of the de-excitation PSF on radiative n-capture cross sections



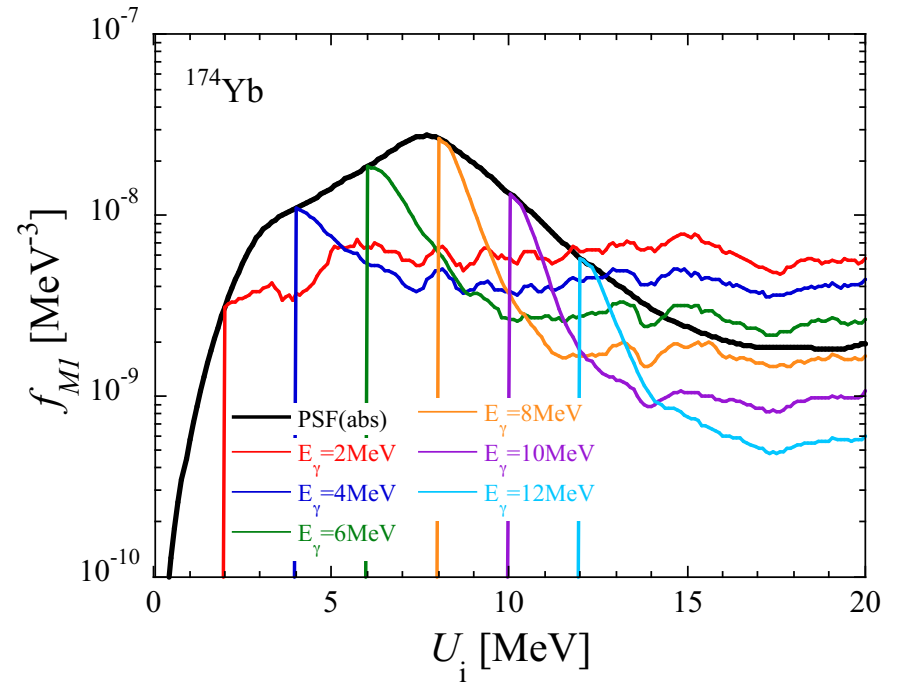
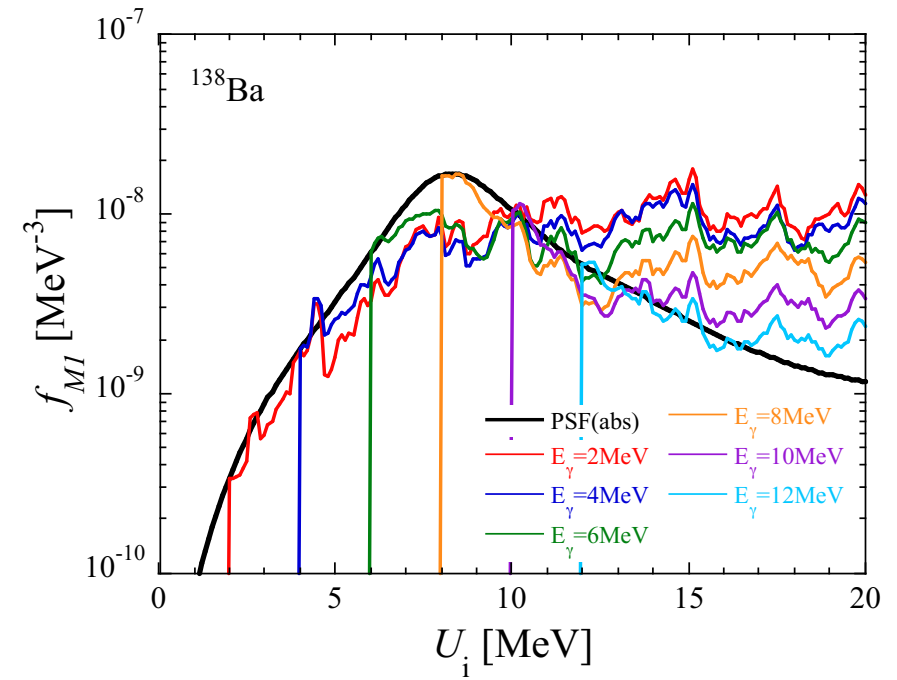
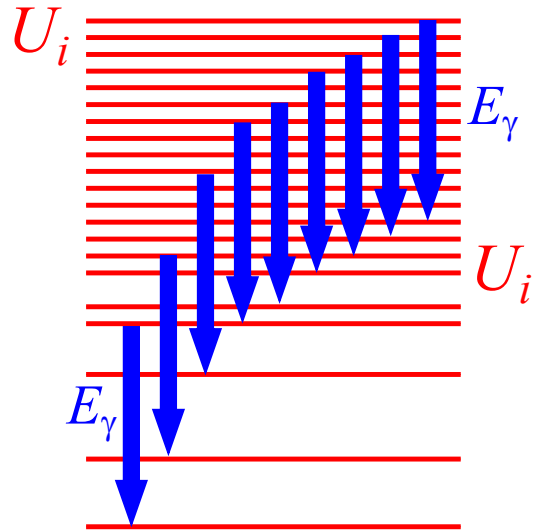
Decrease of the (n, $\gamma$ ) cross section when including the **de-excitation PSF** with respect to the **photo-absorption PSF**



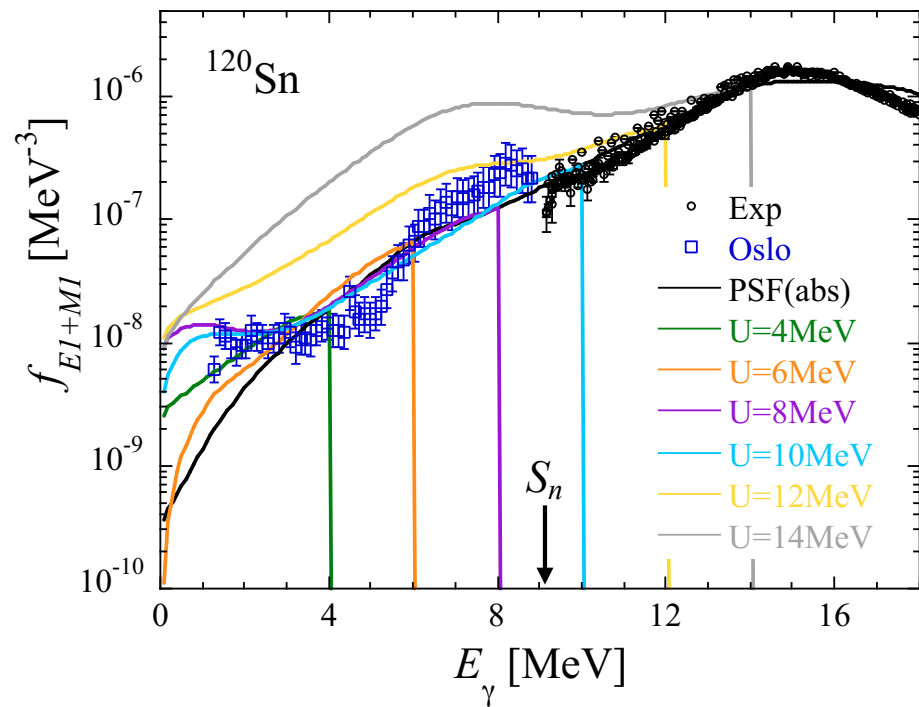
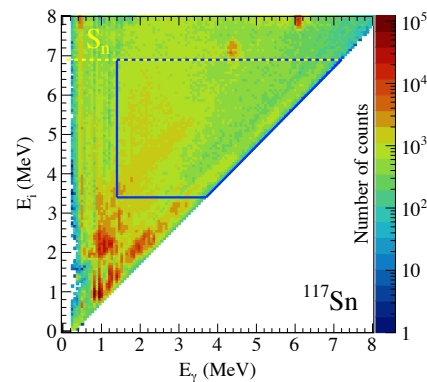
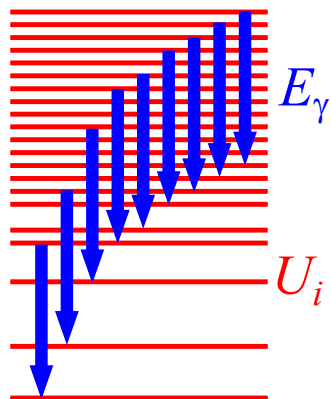
Predicted de-excitation E1 PSF as a function of excitation energy for a given  $E_\gamma$



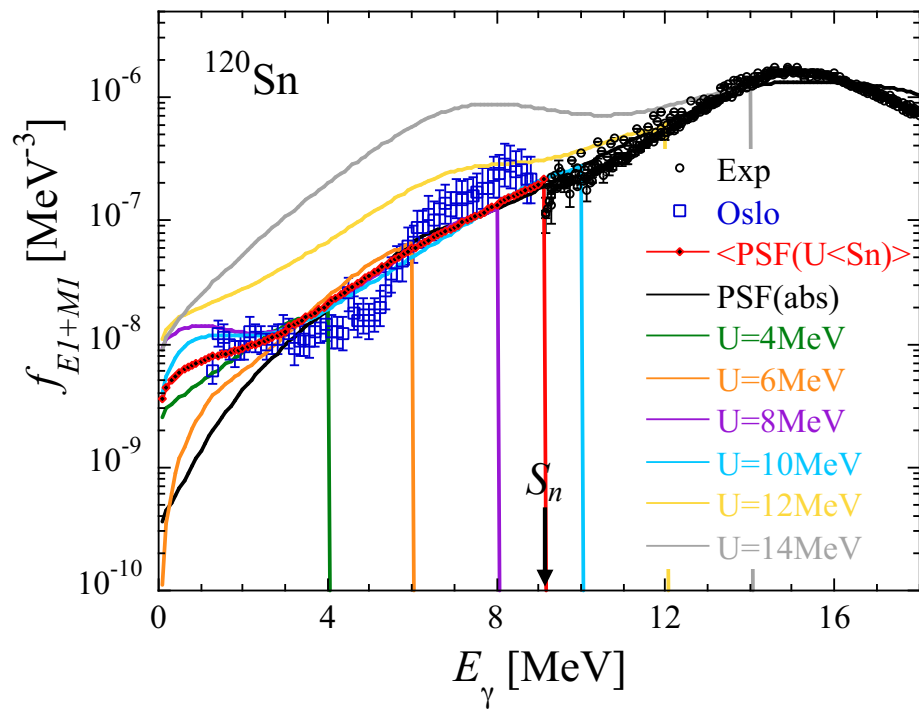
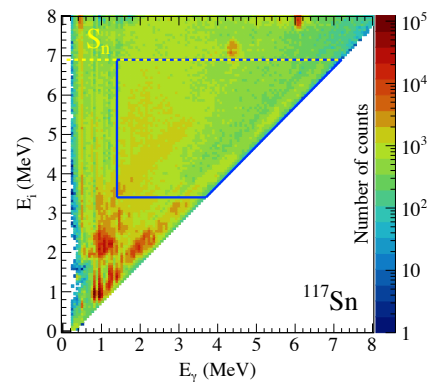
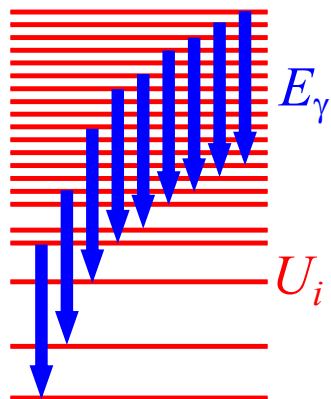
Predicted de-excitation M1 PSF as a function of excitation energy for a given  $E_\gamma$



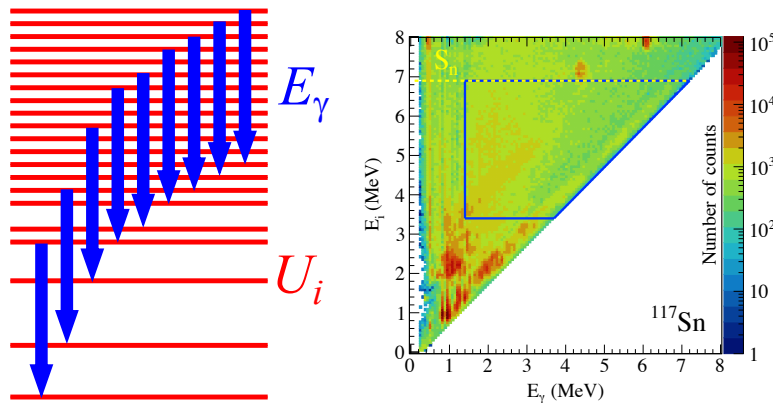
$\langle \text{PSF}(U < S_n) \rangle$ : average  $\langle f_{E1+M1}(E_\gamma) \rangle$  over different initial excitation energies  $U_i < S_n$



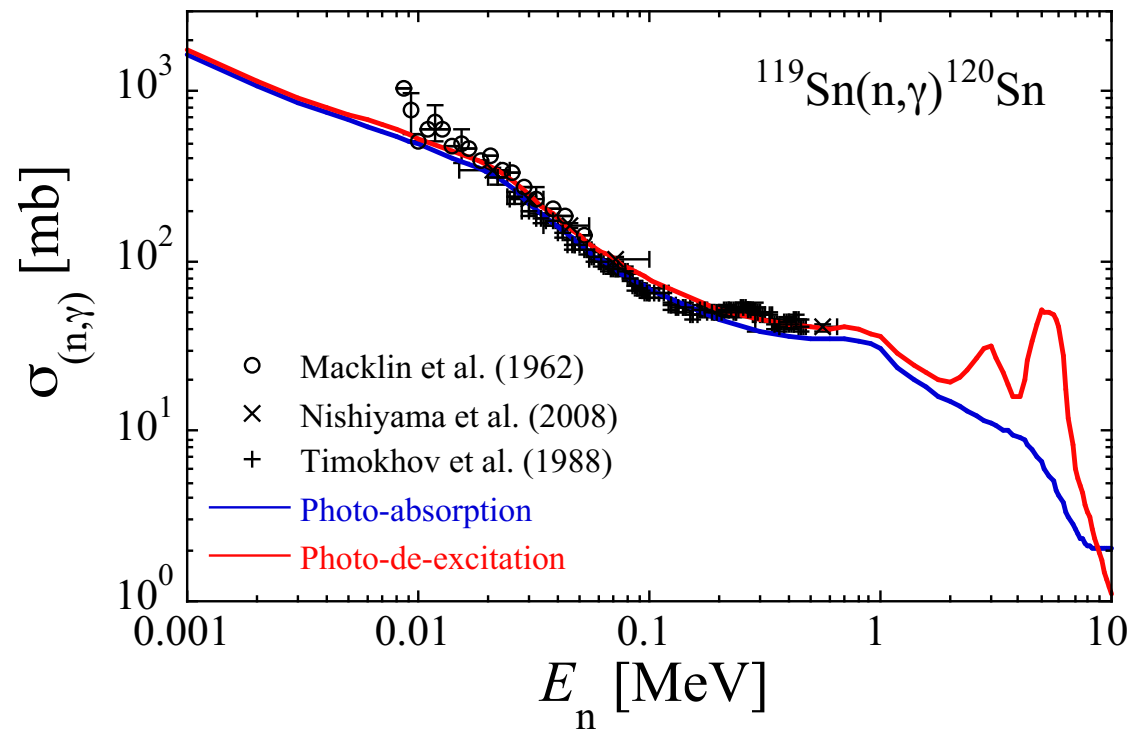
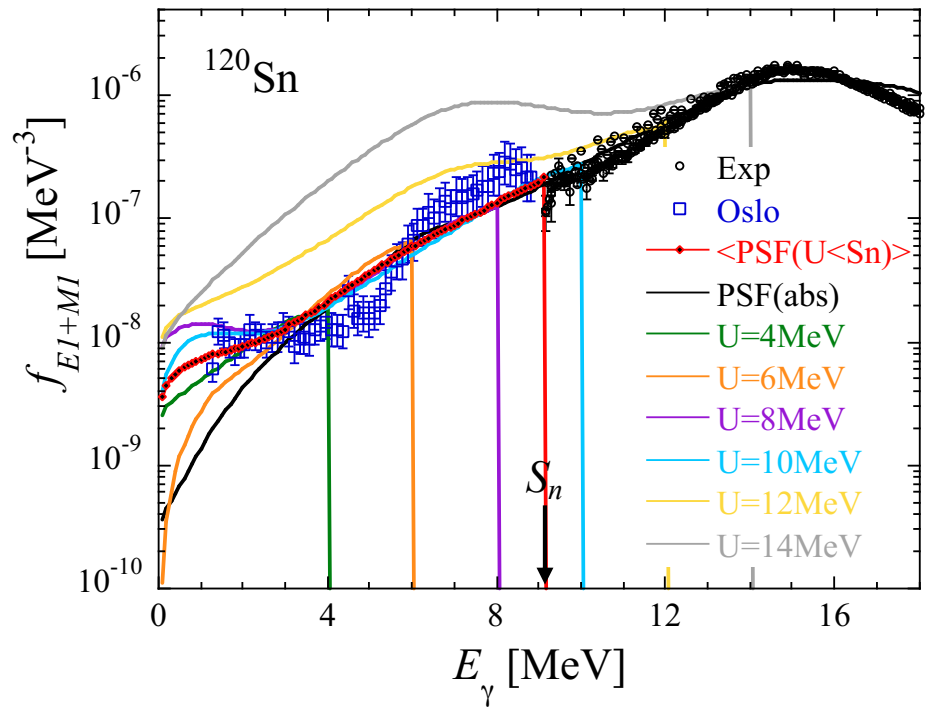
$\langle \text{PSF}(U < S_n) \rangle$ : average  $\langle f_{E1+M1}(E_\gamma) \rangle$  over different initial excitation energies  $U_i < S_n$



$\langle \text{PSF}(U < S_n) \rangle$ : average  $\langle f_{E_I+M_I}(E_\gamma) \rangle$  over different initial excitation energies  $U_i < S_n$



Impact of the low-energy PSF on  $(n, \gamma)$  cross section

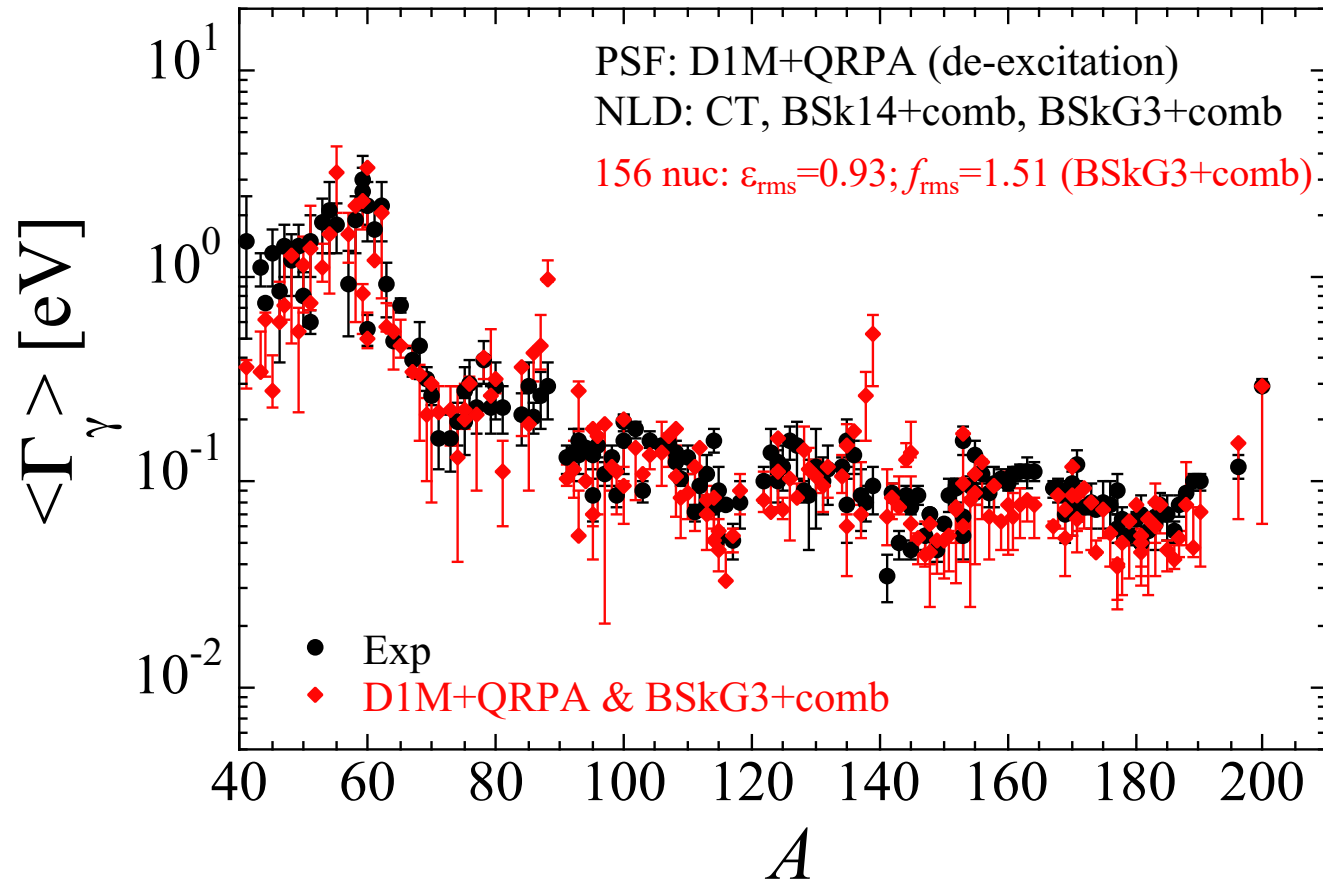
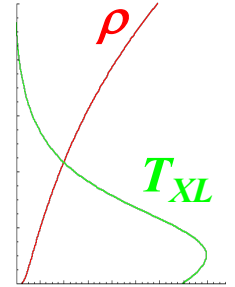


Significant impact on  $(n, \gamma)$  cross section at  $E_n > 2\text{MeV}$  ( $E_\gamma > 11\text{MeV}$ )

Lack of  $(n, \gamma)$  data in the MeV region for spherical nuclei

# Comparison of **D1M+QRPA (de-exc)** with $\langle \Gamma_\gamma \rangle$ data

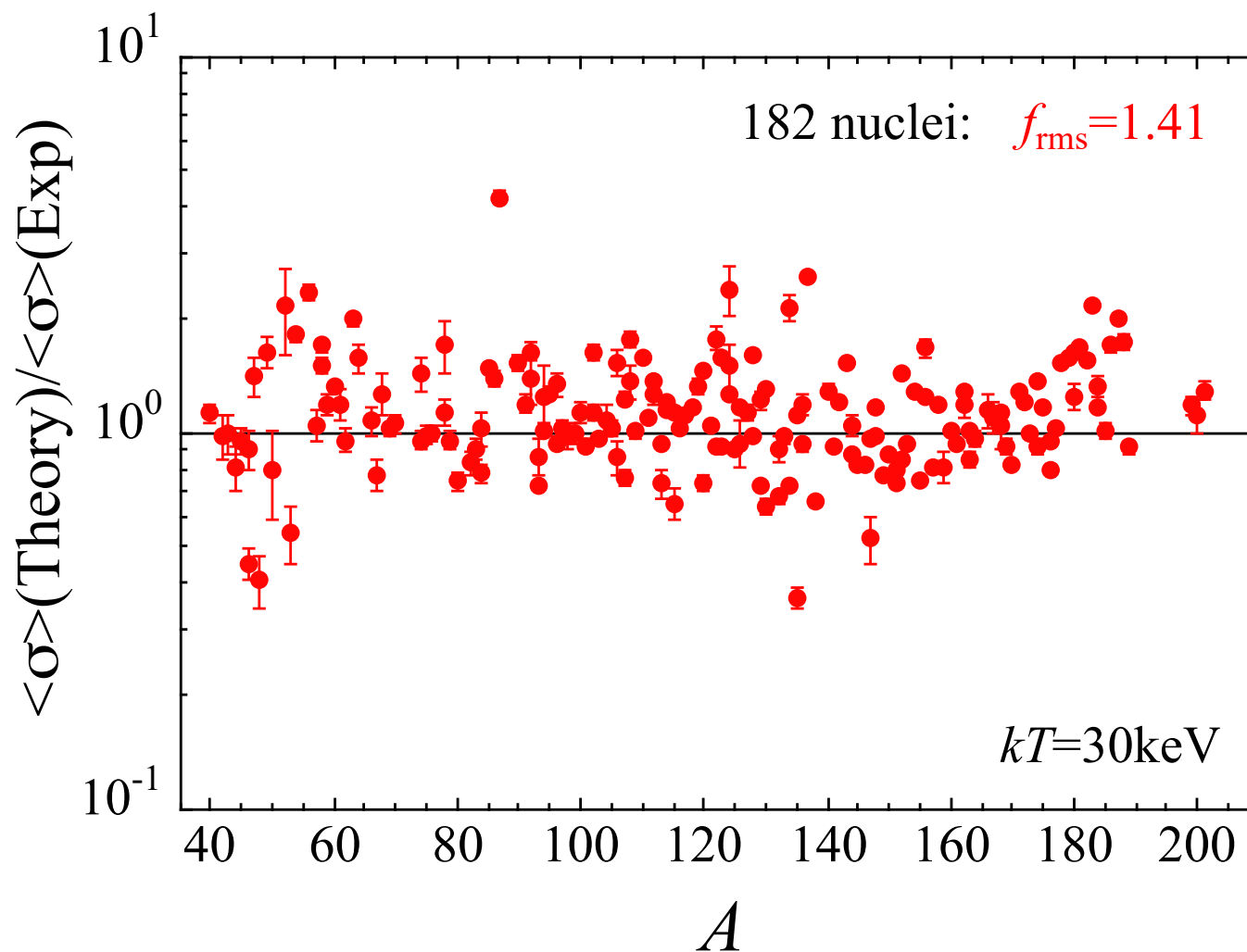
$$\langle \Gamma_\gamma \rangle = \frac{D_0}{2\pi} \sum_{X,L,J,\pi} \int_0^{S_n+E_n} T_{XL}(\varepsilon_\gamma) \times \rho(S_n + E_n - \varepsilon_\gamma, J, \pi) d\varepsilon_\gamma$$



# Comparison of **D1M+QRPA (de-exc)** with MACS data

PSF: D1M+QRPA de-excitation

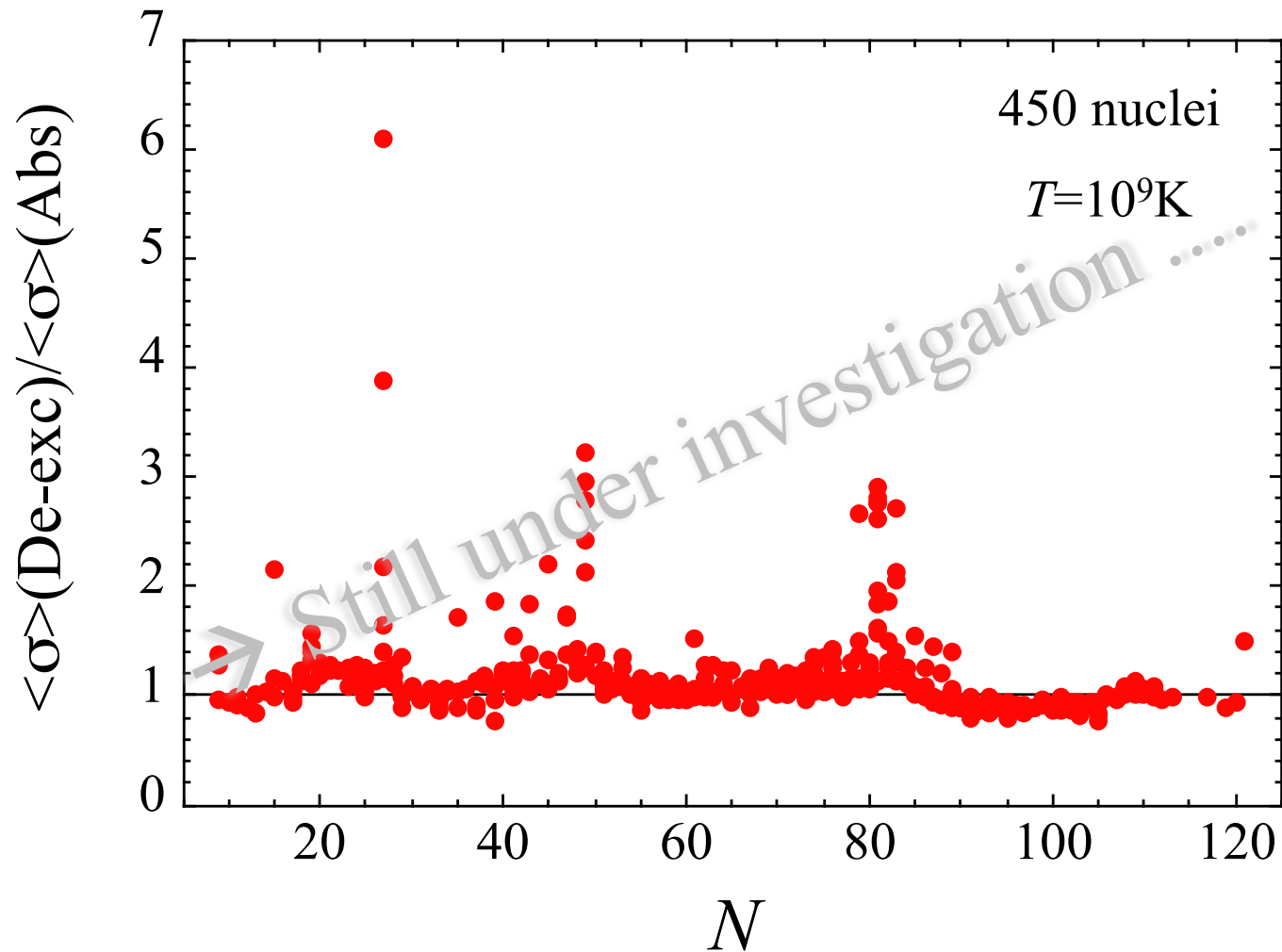
NLD: BSkG3+combinatorial



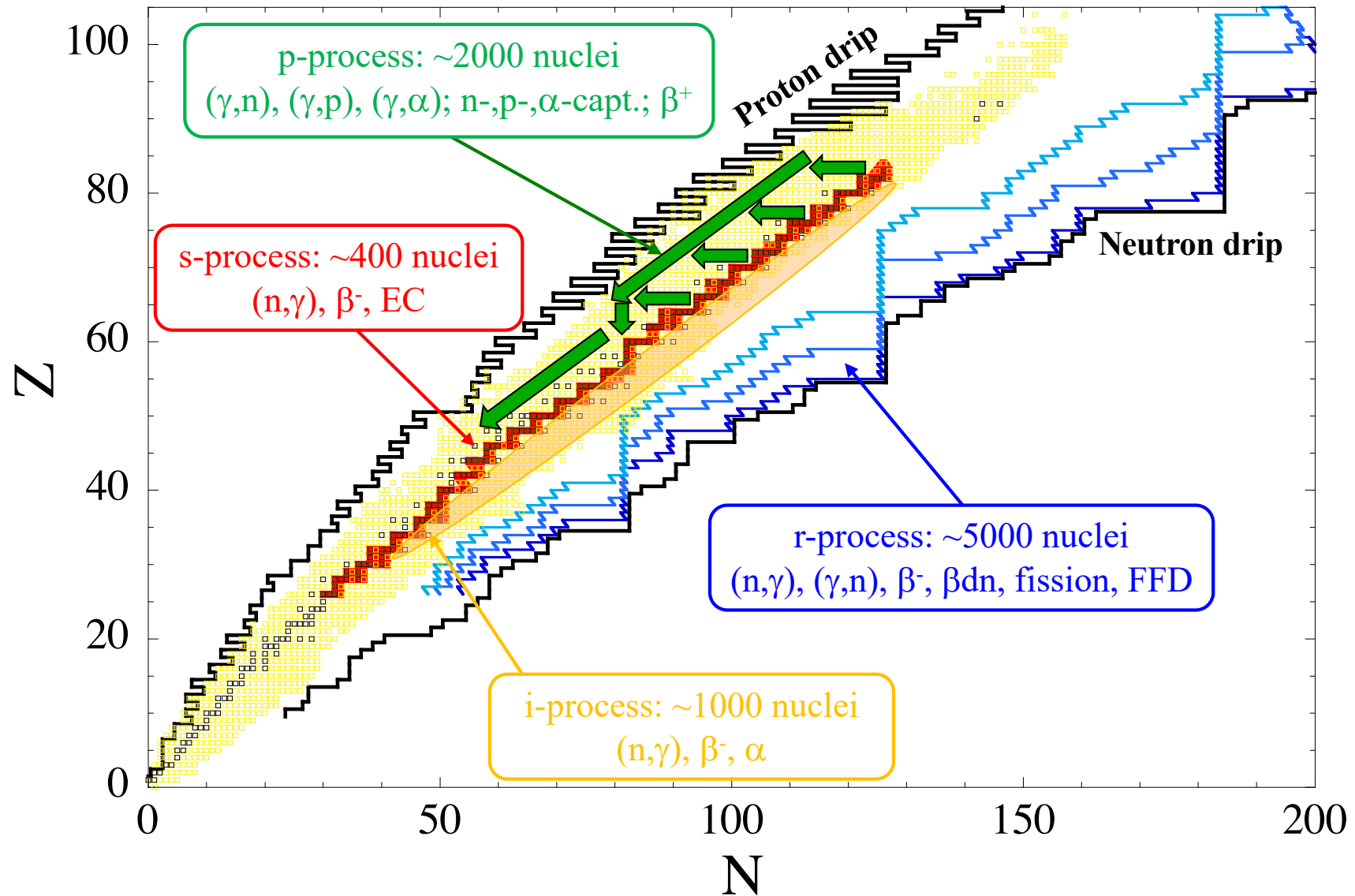
# Comparison of **D1M+QRPA: de-exc** vs **abs** with MACS data

PSF: D1M+QRPA **de-excitation** vs **absorption**

NLD: BSkG3+combinatorial



## Many nuclear needs including PSF & NLD for the various nucleosynthesis processes



**How do PSF and NLD affect astrophysics observables ?**

# Model and Parameter uncertainties associated with PSF

## Experimental data

- Photoabsorption data
- ARC/DRC/Oslo/NRF data
- $\langle \Gamma_\gamma \rangle$ , MSC, MACS data

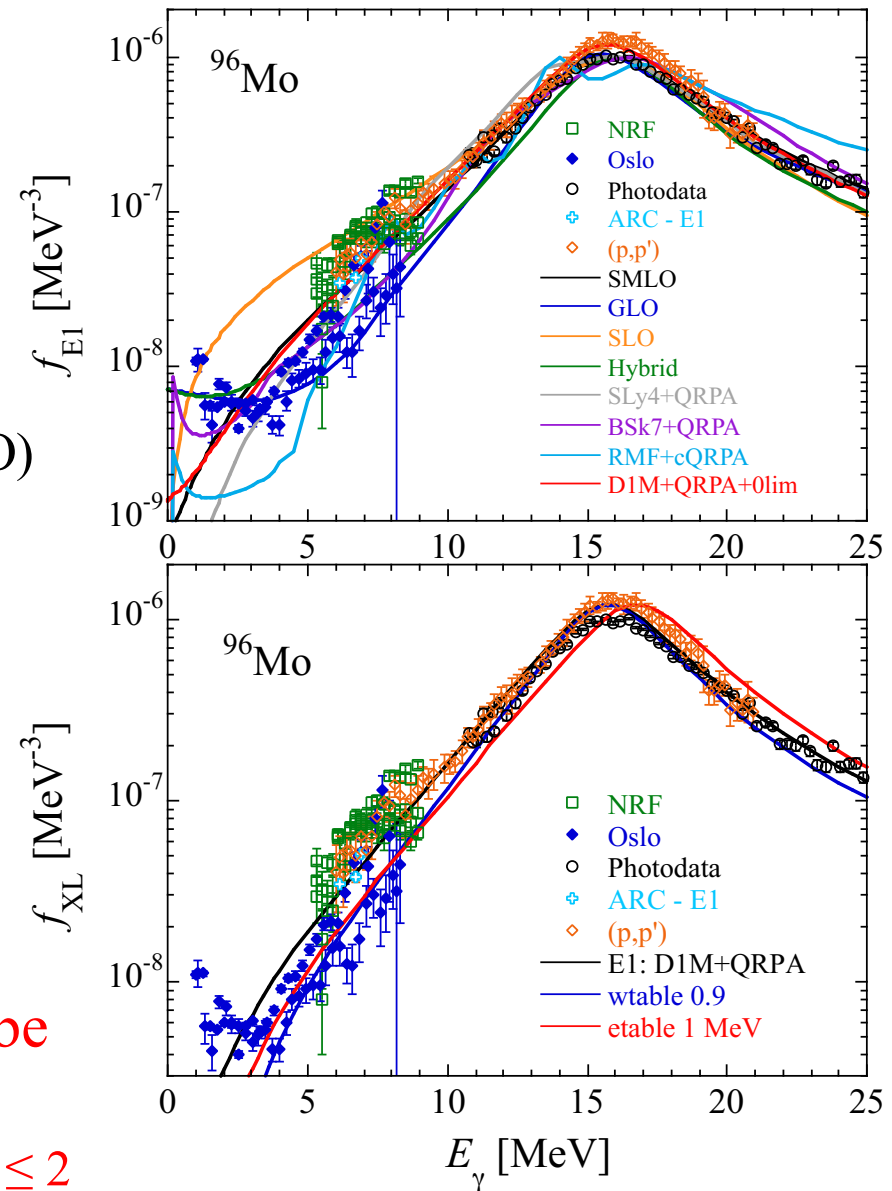
## Models

- Standard Lorentzian
- Modified Lorentzian (GLO, SMLO)
- Skyrme-HFB+QRPA
- Gogny-HFB+QRPA
- RMF+RRPA
- (Beyond QRPA / Shell Model)

## Parameter adjustment

- Analytical: GR ( $E_0$   $\Gamma_0$   $\sigma_0$ ), ...
- Tables: *etable*, *fable*, *wtable*

Model and parameter variations must be constrained by experimental data  
PSF data as well as (n, $\gamma$ ) cross sections with  $f_{\text{rms}} \leq 2$



# Model and Parameter uncertainties associated with PSF

## Experimental data

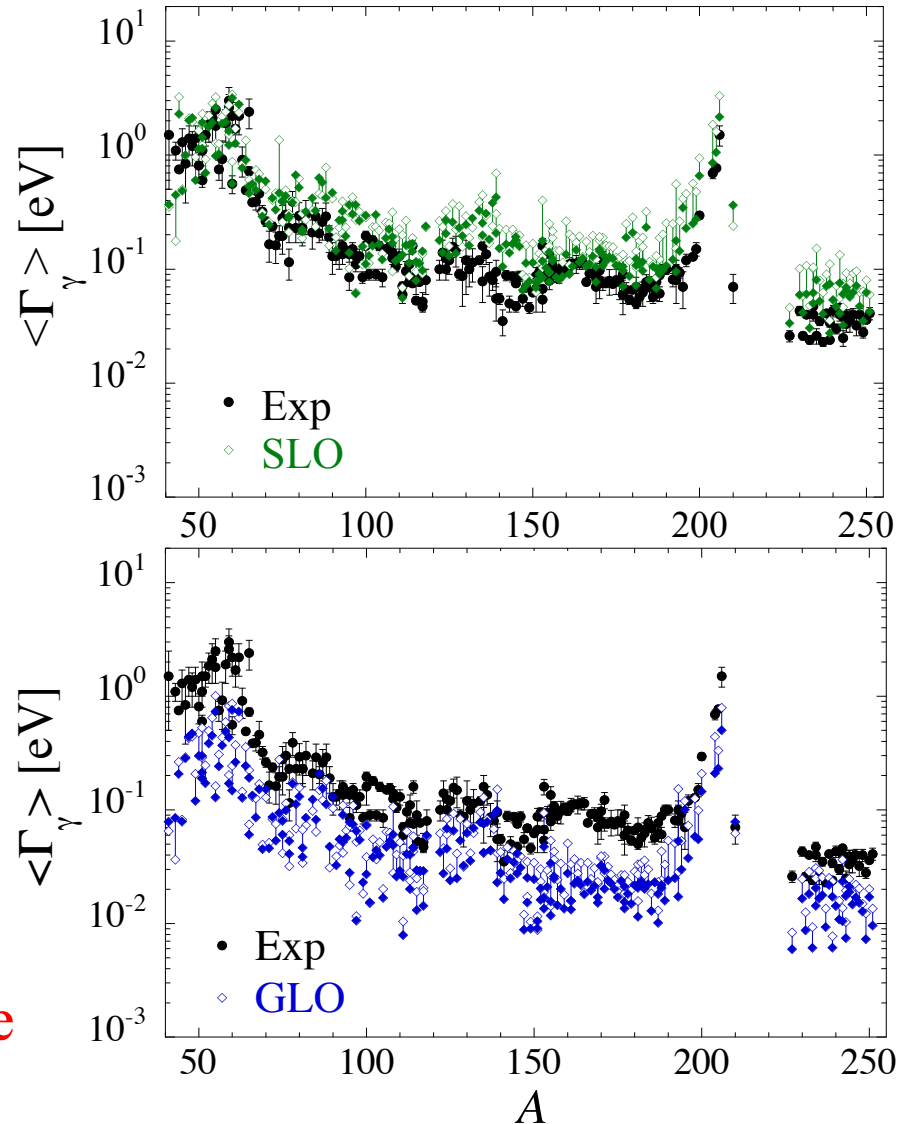
- Photoabsorption data
- ARC/DRC/Oslo/NRF data
- $\langle \Gamma_\gamma \rangle$ , MSC, MACS data

## Models

- ~~Standard Lorentzian~~
- Modified Lorentzian (~~GLO~~, SMLO)
- Skyrme-HFB+QRPA
- Gogny-HFB+QRPA
- RMF+RRPA
- Beyond QRPA / Shell Model

## Parameter adjustment

- Analytical: GR ( $E_0$ ,  $\Gamma_0$ ,  $\sigma_0$ ), ...
- Tables: *etable*, *fable*, *wtable*

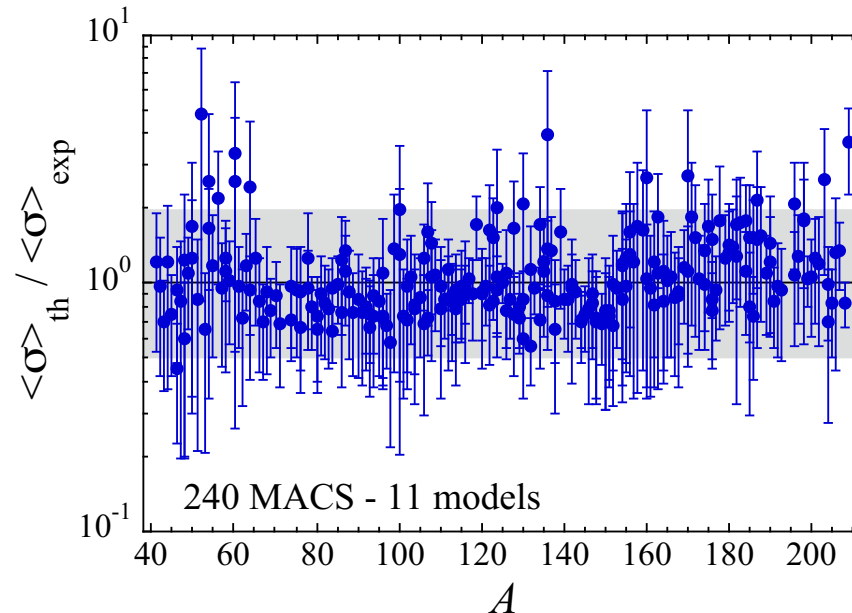


Model and parameter variations must be  
constrained by experimental data  
PSF data as well as (n, $\gamma$ ) cross sections with  $f_{\text{rms}} \leq 2$

# TALYS prediction of the 240 experimental (n, $\gamma$ ) MACS

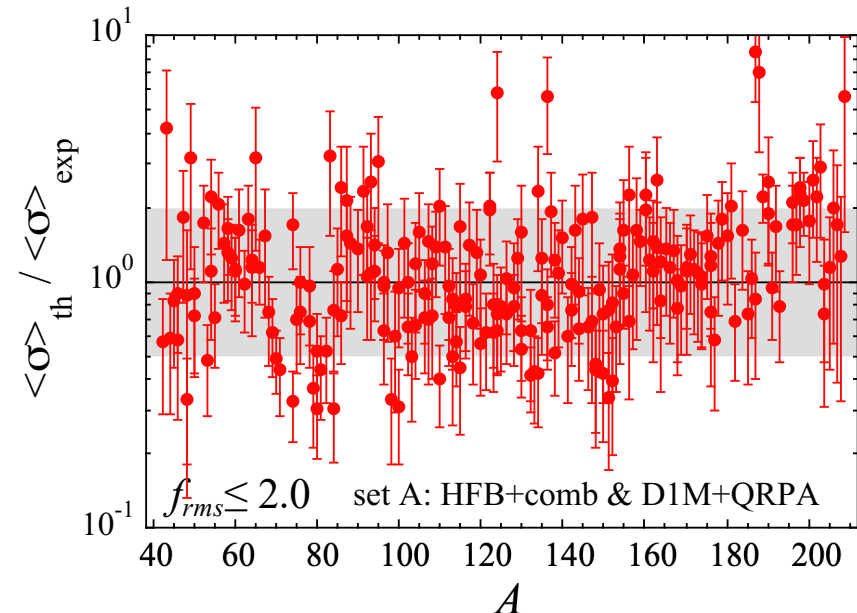
$$20 \leq Z \leq 83$$

## *Correlated model uncertainties*



- Experimental info on  $M$ , NLD, PSF
- 11 different models of NLD, PSF (Inclusion or not of DC)
- All with  $f_{rms} \leq 1.4 - 2.0$

## *Uncorrelated parameter uncertainties*



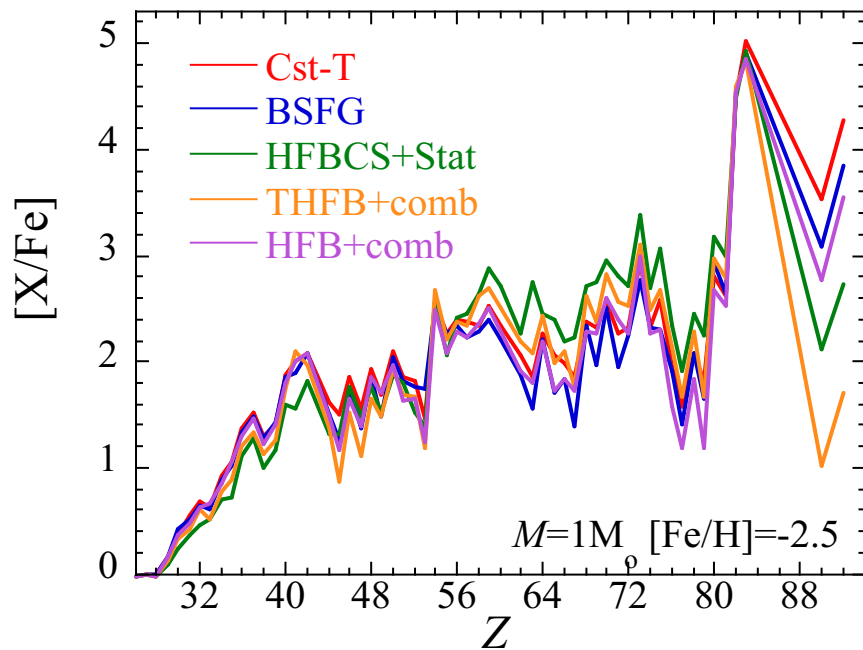
- Experimental masses
- NLD: Cst-T ( $E_0$  &  $T$ )
- PSF: SMLO ( $\Gamma$  &  $\Delta E$ )
- BFMC: 4-par. variation s.t.  $f_{rms} \leq 2.0$

# Propagation of PSF uncertainties to “realistic” nucleosynthesis models

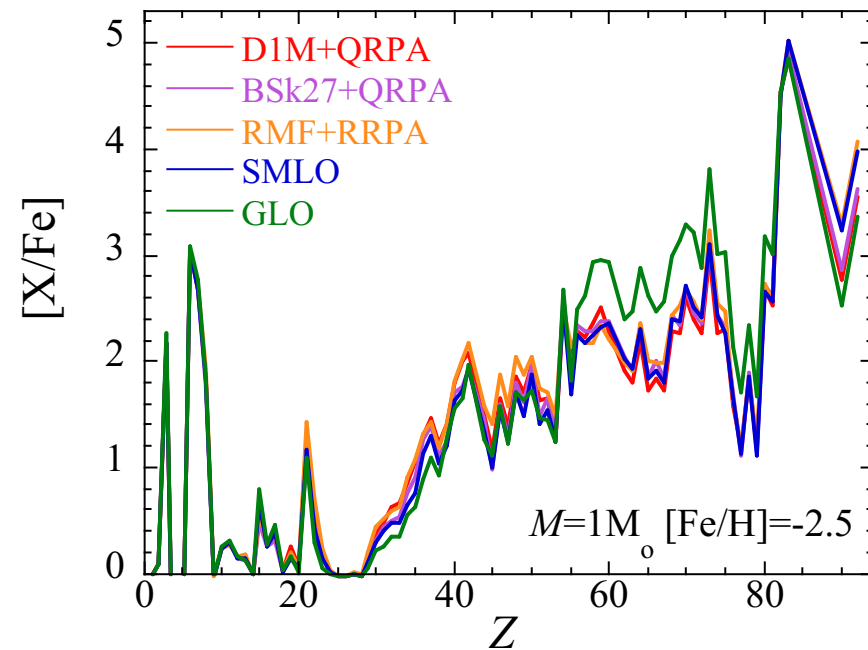
Impact of on the i-process nucleosynthesis in low- $M$  low- $Z$  AGB stars

*Correlated model uncertainties*

NLD



PSF

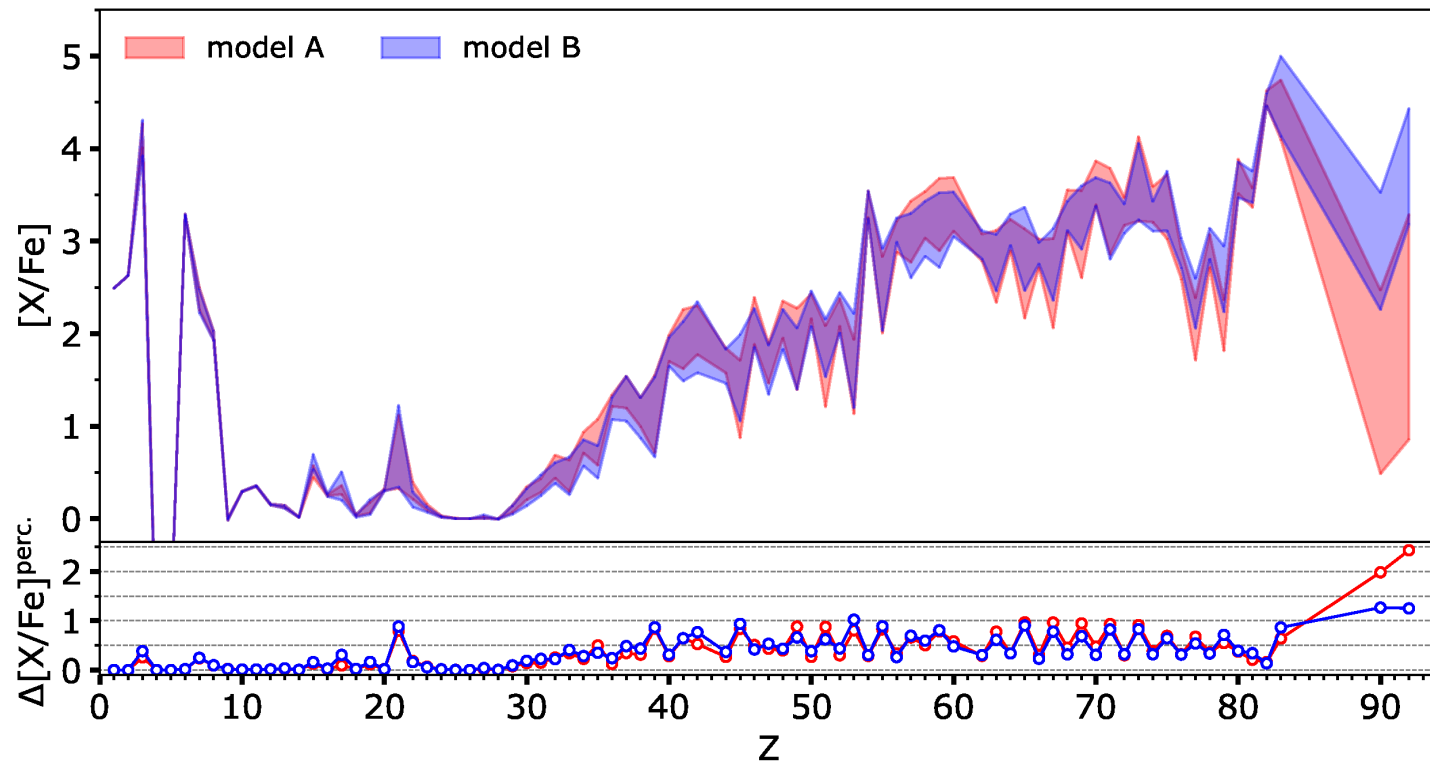


Reduction of the model uncertainties through

- Improved models of NLD & PSF (reject unreliable ones, e.g GLO)
- Experimental constraints on specific rates

# Impact of on the i-process nucleosynthesis in low- $M$ low- $Z$ AGB stars

## *Uncorrelated PSF & NLD parameter uncertainties*

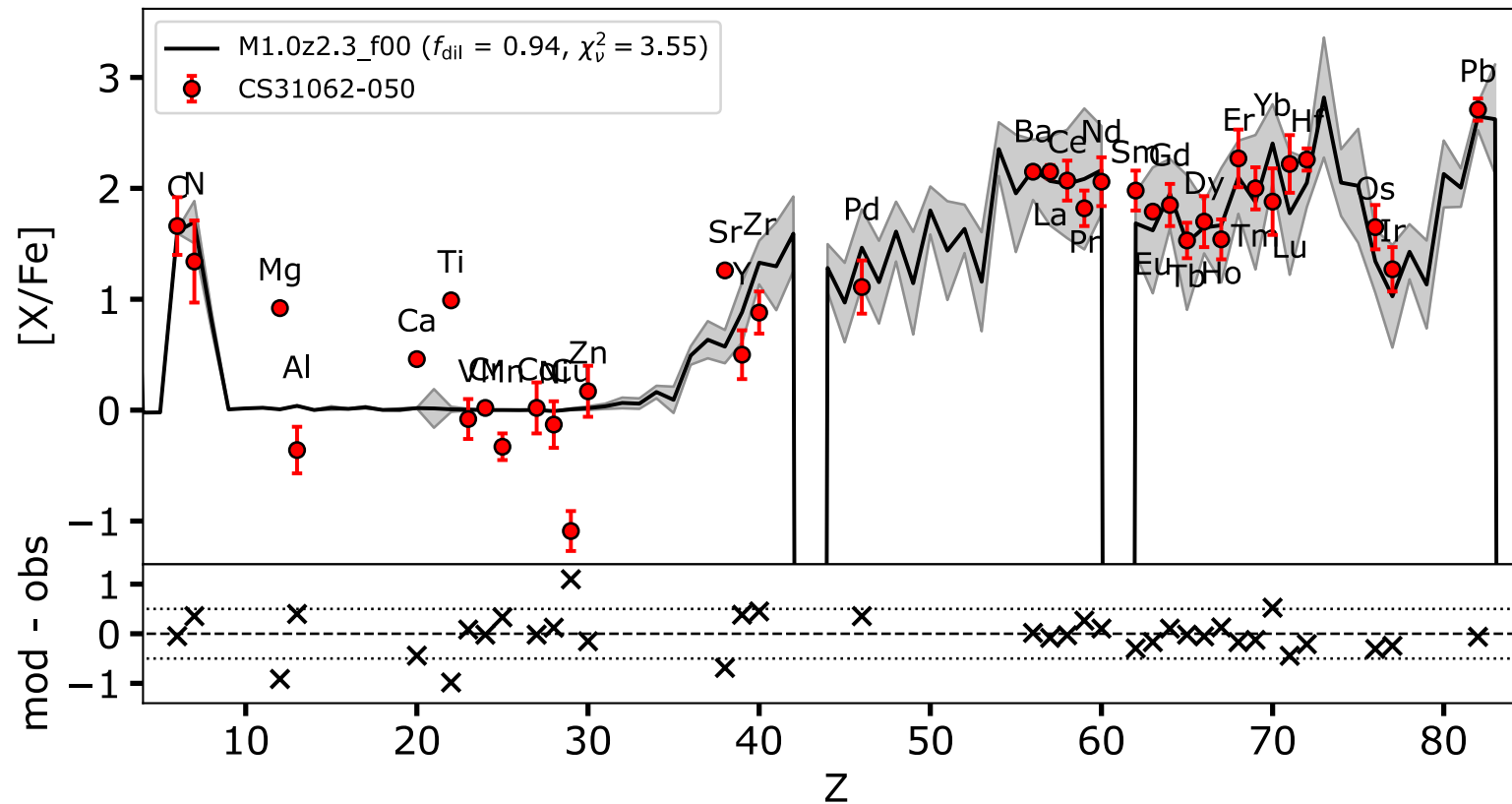


Reduction of the parameter uncertainties through

- Improved models of NLD & PSF (to reduce parameter dispersion)
- More experimental constraints

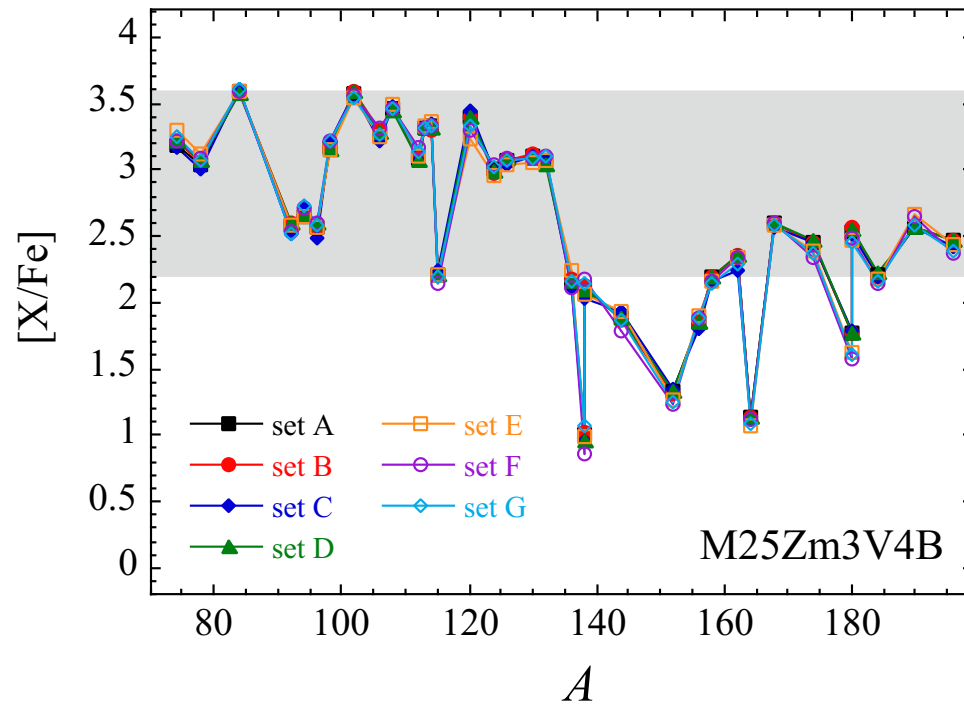
# Impact of on the i-process nucleosynthesis in low- $M$ low- $Z$ AGB stars

*Uncorrelated PSF & NLD parameter uncertainties*

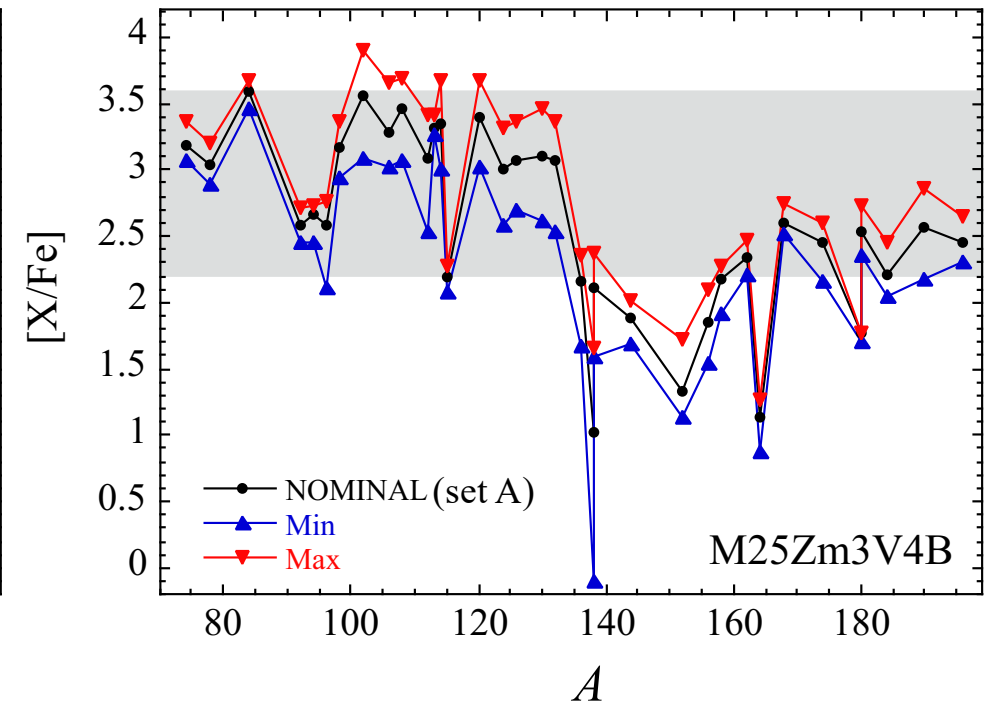


# Impact of on the p-process in SN explosion of rotating massive stars

*Correlated model uncertainties*



*Uncorrelated parameter uncertainties*

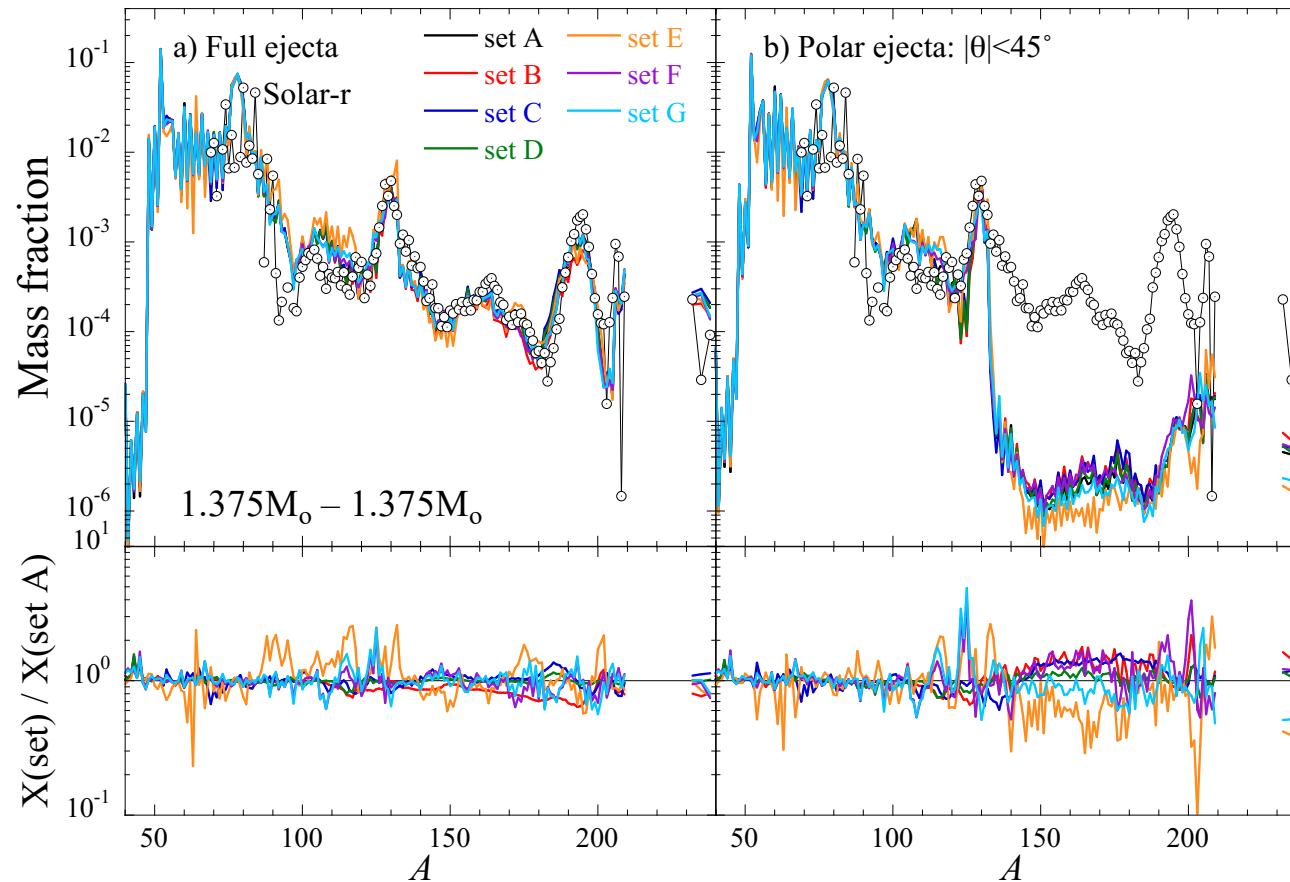


Reduction of the parameter uncertainties through

- Improved models of NLD & PSF
- More experimental constraints

# Impact of PSF & NLD model uncertainties on the r-process in NSM

## *Correlated model uncertainties*



Relatively small impact on the r-process if  $(n,\gamma)$ - $(\gamma,n)$  equilibrium achieved  
despite relatively different rates  
(may not be the case for other progenitors)

# Conclusions

**PSF models have been developed and shown to globally describe experimental data and to affect radiative n-capture cross sections:**

- Low-energy  $E1$  QRPA strength for exotic n-rich nuclei: up to  $\times 50$
- Non-zero limit of the  $E1$  strength from SM has small impact :  $\sim 20\text{-}50\%$
- Spin-flip  $M1$  strength has small impact on  $(n,\gamma)$  cross section :  $\sim 10\%$
- $M1$  Scissors mode can impact  $(n,\gamma)$  cross section : up to  $\times 2$
- $M1$  upbend can affect cross sections of exotic n-rich nuclei: up to  $\times 10$

## **Future work will require**

- Understanding the discrepancies between some experimental techniques, in particular Oslo vs NRF
- Experimental constraints on the low- $E$  PSF and in particular the  $E1$  &  $M1$  zero limit (upbend ?)
- Improved microscopic description of the de-excitation strength
- Large-scale calculations beyond 1p-1h QRPA (2RPA, QPM, ab-initio, ...)
- Application to odd systems

Thank you for your attention