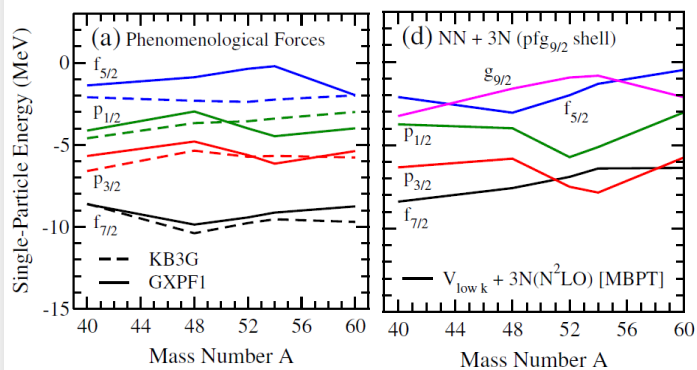


Spectroscopic factors from transfer and knockout reactions

Freddy Flavigny

Single-particle energies

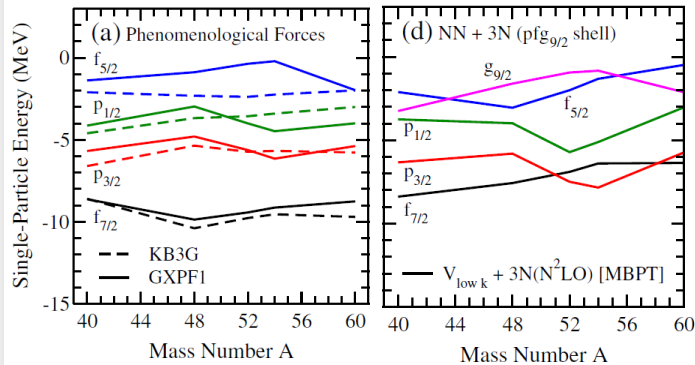
- Pillar of our understanding
- Crucial to investigate shell evolution



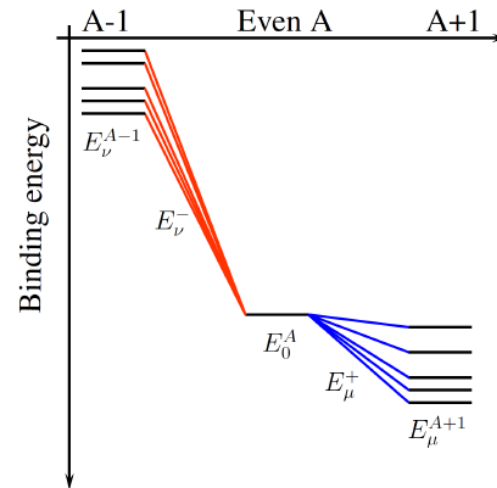
[J.Holt, T.Otsuka, Jour. Phys. G**39**, 08111 (2012)]

Single-particle energies

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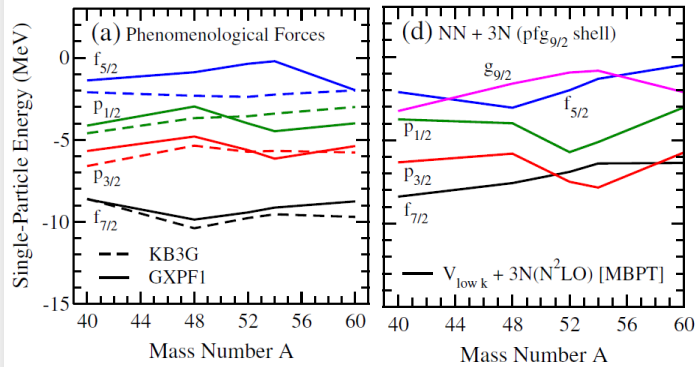
[J.Holt, T.Otsuka, Jour. Phys. G**39**, 08111 (2012)]



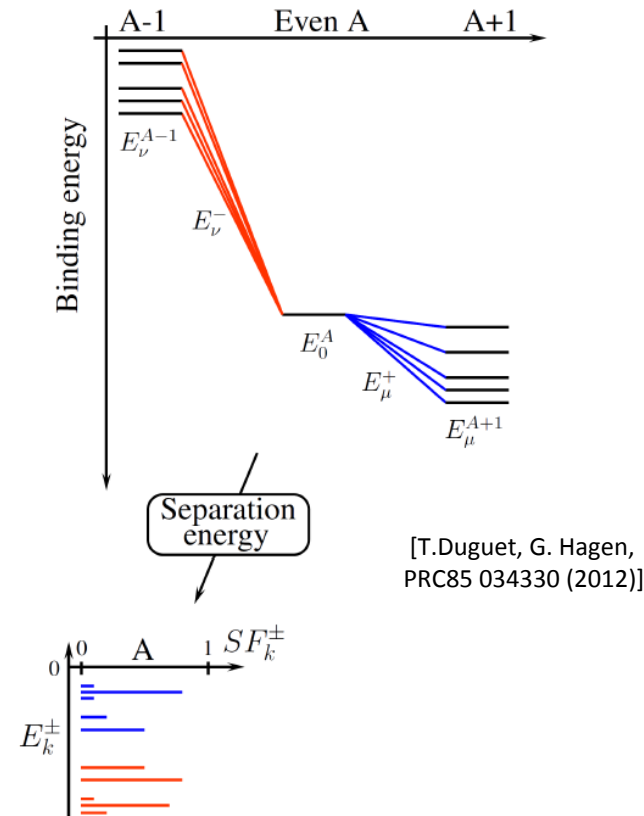
[T.Duguet, G. Hagen,
PRC85 034330 (2012)]

Single-particle energies

- Pillar of our understanding
- Crucial to investigate shell evolution



[J.Holt, T.Otsuka, Jour. Phys. G39, 08111 (2012)]

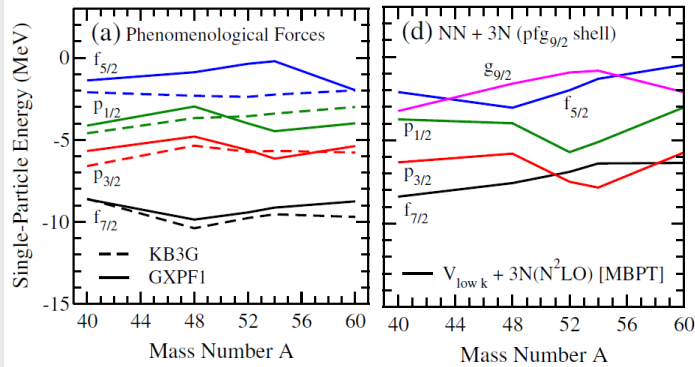


$$SF_{\mu}^{+} = \sum_{p \in H_1} \left| \langle \varphi_{\mu}^{A+1} | a_p^{+} | \varphi_0^A \rangle \right|^2$$

$$SF_n^{-} = \sum_{p \in H_1} \left| \langle \varphi_n^{A-1} | a_p | \varphi_0^A \rangle \right|^2$$

Single-particle energies

- Pillar of our understanding
- Crucial to investigate shell evolution

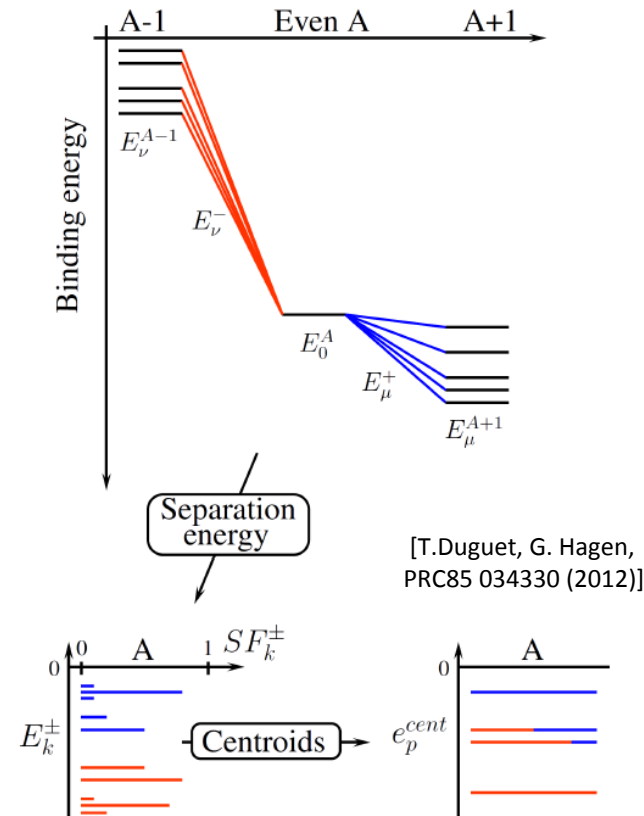


[J.Holt, T.Otsuka, Jour. Phys. G39, 08111 (2012)]

Baranger Sum Rule

$$e_p^{cent} = \sum_{\mu \in H_{A+1}} SF_{\mu}^{+} E_{\mu}^{A+1} + \sum_{n \in H_{A-1}} SF_n^{-} E_n^{A-1}$$

[M. Baranger, Nucl. Phys. A149, 225 (1970)]



$$SF_{\mu}^{+} = \sum_{p \in H_1} \left| \langle \varphi_{\mu}^{A+1} | a_p^{+} | \varphi_0^A \rangle \right|^2$$

$$SF_n^{-} = \sum_{p \in H_1} \left| \langle \varphi_n^{A-1} | a_p | \varphi_0^A \rangle \right|^2$$

Baranger sum rule:

$$e_p^{\text{cent}} \equiv \sum_{\mu \in \mathcal{H}_{A+1}} S_{\mu}^{+pp} E_{\mu}^{+} + \sum_{\nu \in \mathcal{H}_{A-1}} S_{\nu}^{-pp} E_{\nu}^{-}$$

Full expansion:

$$\underbrace{E_{\mu}^{+}}_{\text{many-body observable invariant under } U(\lambda)} \equiv \underbrace{\sum_p S_{\mu}^{+pp}(\lambda) e_p^{\text{cent}}(\lambda)}_{\text{single-particle components varies under } U(\lambda)} + \underbrace{\sum_{pq} S_{\mu}^{+pq}(\lambda) \Sigma_{qp}^{\text{dyn}}(E_{\mu}^{+}; \lambda)}_{\text{correlations varies under } U(\lambda)},$$

SFs are **not observable** – modified through Unitary Transforms

For an extended discussion , see:

- T. Duguet, H. Hergert, J. D. Holt, and V. Somà, PRC **92** 034313(2015)
- T.Duguet., G.Hagen, PRC **85** 034330 (2012)
- R.J. Furnstahl and H.W. Hammer, PLB **531**, 203 (2002)

Direct reactions: a probe for nuclear structure

Reason of interest / belief: sensitive to shell occupancy / overlap from initial to final states

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Major assumption in treatment : separation of reaction mechanism and structure inputs

Cross section
to populate a final state μ

$$\sigma_{\mu} = \sum_{p \in H < H_1} \left| \langle \varphi_{\mu}^{A-1} | a_p^- | \varphi_0^A \rangle \right|^2 \times \sigma_p$$

→ **reaction**
↘ **Structure**

Direct reactions: a probe for nuclear structure

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to populate a final state μ

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→ reaction
→ Structure (C²S)

In practice:

- 1) Measure σ_{if}^{exp} the cross section to populate a given final state
- 2) Calculate $\sigma^{\text{sp}}(nlj)$ with a reaction model suited for the direct reaction you used

- 3) Extract C^2S^{exp} :

$$C^2S^{\text{exp}} \propto \frac{\sigma^{\text{exp}}}{\sigma_{sp}^{\text{th}}}$$

- 4) Compare with structure model value C^2S^{th}

→ Experimental Spectroscopic factors are reaction model dependent

Direct reactions: a probe for nuclear structure

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→ reaction
→ Structure

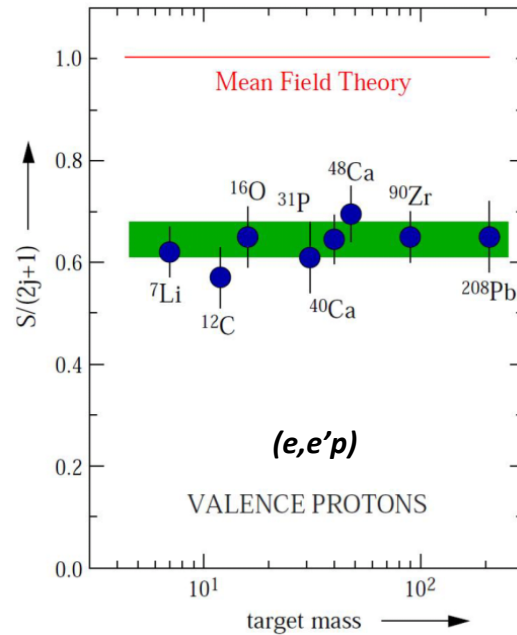
What should be done:

- ✓ Consistent approach of reaction and structure (same Hamiltonian)
- ✓ Clearly assess which theoretical framework is used (which Hamiltonian)

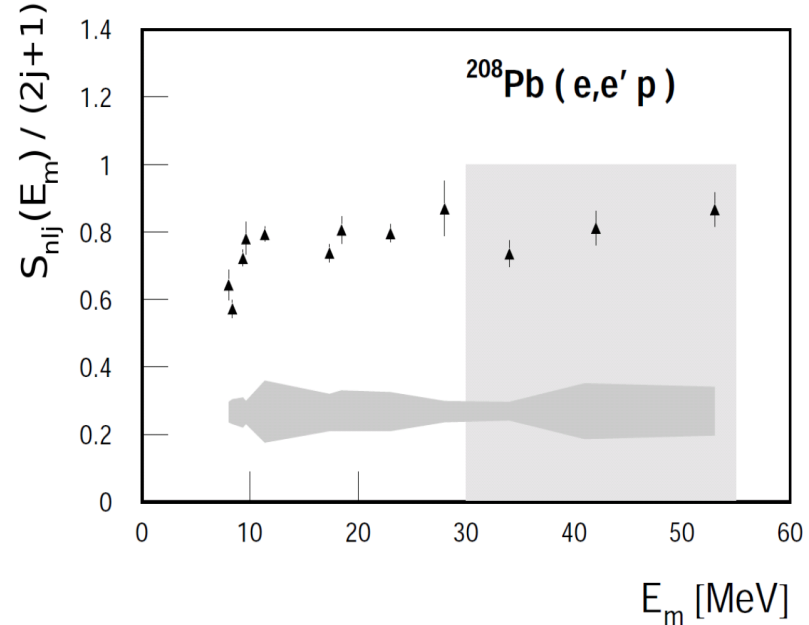
What is done (*i.e.* what *can be done today*):

- ✓ Inconsistent treatment of structure and reaction mechanism
- ✓ Most often highly-truncated model space (shell model)

(e,e'p) on stable nuclei



L. Lapikás, Nucl. Phys. A 553 (1993) 297
[W. Dickhoff, C. Barbieri, PNP52, 377 (2004)]



M.F. Van Batenburg, PhD thesis (2001)
University of Utrecht, NIKHEF data

- 30-40 % reduction
- Beyond mean-field correlations
Short and Long range
- Little binding energy dependence
- Agreement with (d,He³)
[G.J. Kramer et al., NPA679, 267 (2001)]

Consistent re-analysis of transfer data on stable nuclei:

B. P. Kay et al., PRL **111** (2013) 043502.

$$F_q \equiv \frac{1}{(2j+1)} \left[\sum \left(\frac{\sigma_{\text{exp}}}{\sigma_{\text{DW}}} \right)_j^{\text{add}} + \sum \left(\frac{\sigma_{\text{exp}}}{\sigma_{\text{DW}}} \right)_j^{\text{rem}} \right]$$

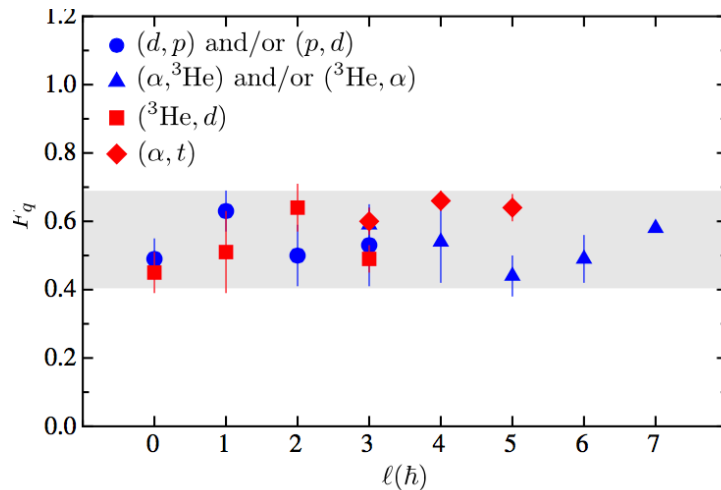
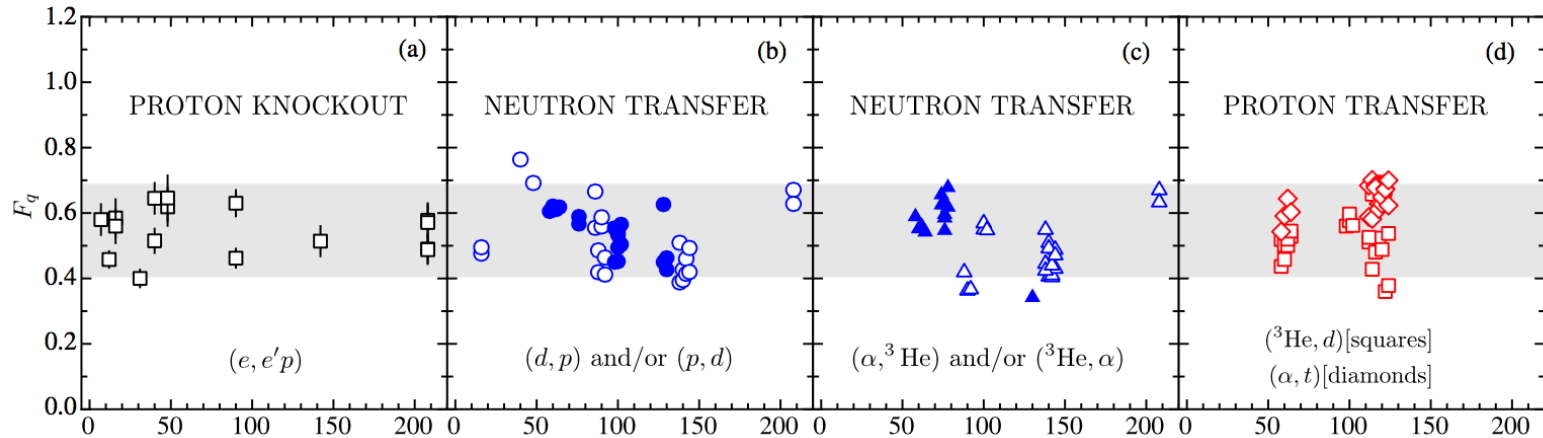


TABLE I. Mean quenching factor by reaction type.

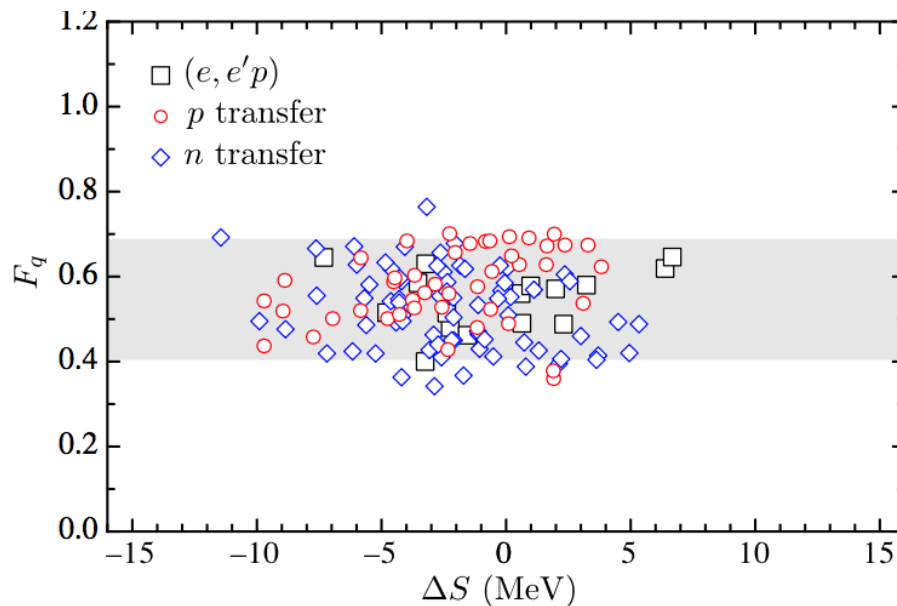
Reaction, ℓ transfer	Number of determinations	F_q	rms spread
$(e, e'p)$, all ℓ	16	0.55	0.07
(d, p) , (p, d) , $\ell = 0-2$	40	0.53	0.09
(d, p) , (p, d) , $\ell = 0-3$	46	0.53	0.10
$(\alpha, {}^3\text{He})$, $({}^3\text{He}, \alpha)$, $\ell = 4-7$	26	0.50	0.09
$(\alpha, {}^3\text{He})$, $({}^3\text{He}, \alpha)$, $\ell = 3-7$	34	0.52	0.09
$({}^3\text{He}, d)$, $\ell = 0-2$	18	0.54	0.10
$({}^3\text{He}, d)$, $\ell = 0-4$	26	0.54	0.09
(α, t) , $\ell = 4-5$	14	0.64	0.04
(α, t) , $\ell = 3-5$	18	0.64	0.04
All transfer data ^a	124	0.55	0.10

^aRows 3, 5, 7, and 9.

Consistent re-analysis of transfer data on stable nuclei:

B. P. Kay et al., PRL **111** (2013) 043502.

$$F_q \equiv \frac{1}{(2j+1)} \left[\sum \left(\frac{\sigma_{\text{exp}}}{\sigma_{\text{DW}}} \right)_j^{\text{add}} + \sum \left(\frac{\sigma_{\text{exp}}}{\sigma_{\text{DW}}} \right)_j^{\text{rem}} \right]$$



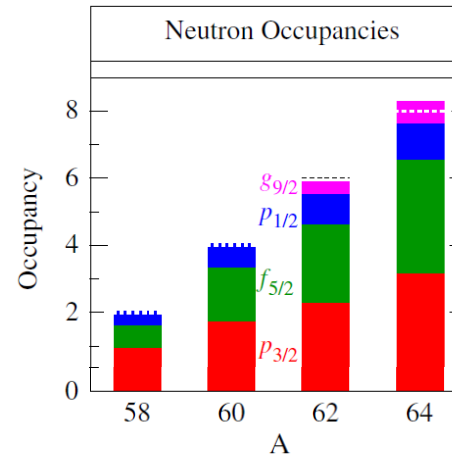
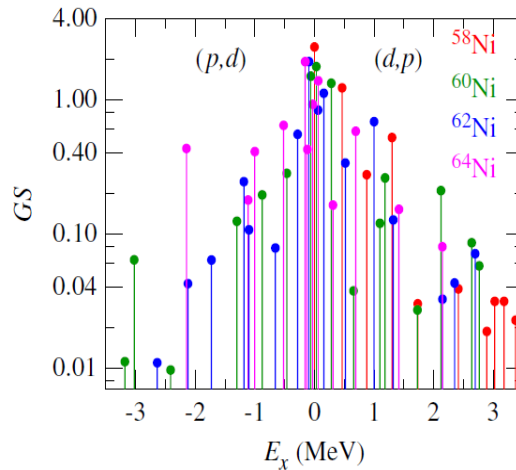
$$\Delta S = \varepsilon |S_n - S_p| \text{ (MeV)}$$

Quenching:

- No clear mass dependence
- No clear l -transfer dependence
- No clear ΔS dependence in $[-10;6]$ MeV

All compatible with $(e, e'p)$

Transfer on stable nuclei (ex: Ni isotopes)



Global renormalization by 0.55 for correlations beyond shell model

J.P. Schiffer *et al.*, Phys. Rev. Lett. **108**, 022501 (2012).

Quantitative test of sum rules using nucleon transfer reactions:

For a given angular momentum:

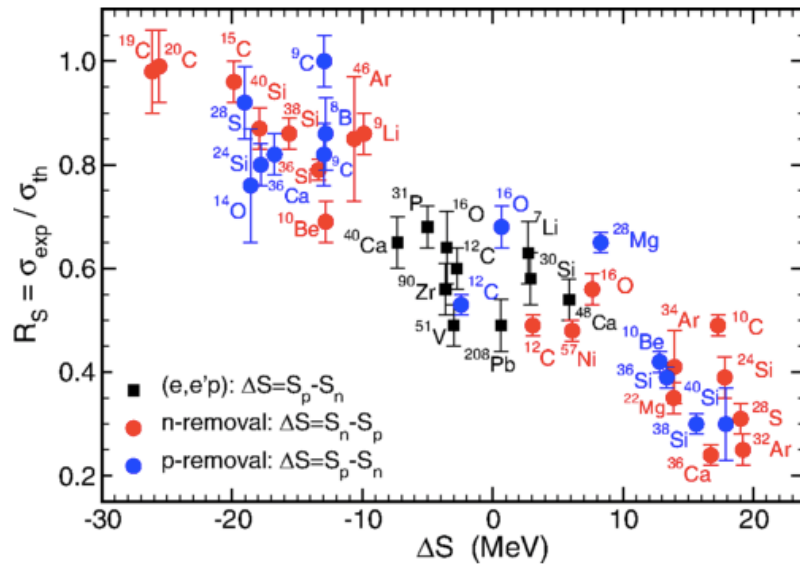
$$N_{particles} + N_{holes} = 2j + 1$$

(MacFarlane and French 's sum-rule)

$$\sum G^+ S_{addition} + \sum G^- S_{removal} = 2j + 1$$

Intermediate energy Knockout

J.A. Tostevin and A. Gade, Phys. Rev. C **90**, 057602 (2014)



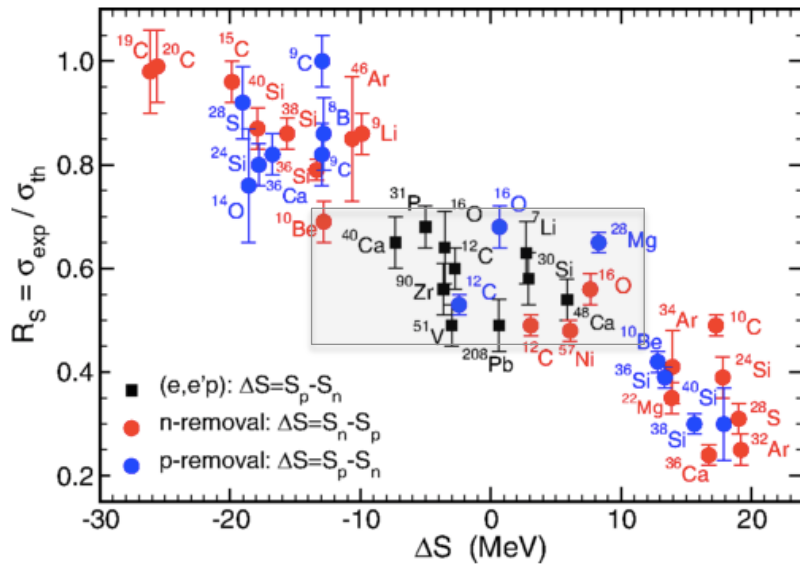
- **Disagreement** between theory and experiment

$$\sigma_{\text{th}} = \sum C^2 S_{\text{th}} \sigma_{\text{sp}}$$

2 possible sources: (structure or reaction)

Intermediate energy Knockout

J.A. Tostevin and A. Gade, Phys. Rev. C **90**, 057602 (2014)



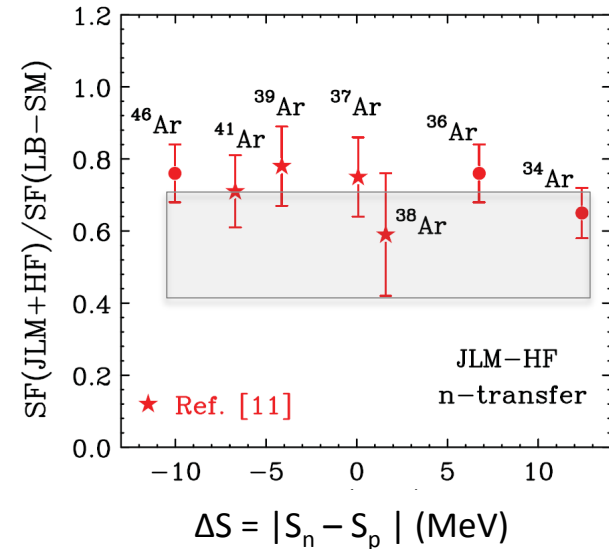
- **Disagreement** between theory and experiment

$$\sigma_{\text{th}} = \sum C^2 S_{\text{th}} \sigma_{\text{sp}}$$

2 possible sources: (structure or reaction)

Transfer (d,p)

J. Lee et al., PRC 83, 014606 (2011)



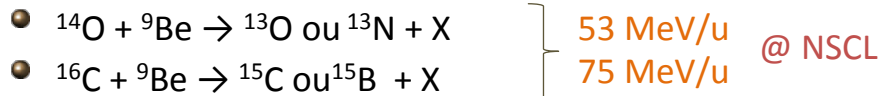
Low-energy (p,d) transfer

- Constant reduction $\sim 30\%$
- Data for ΔS up to $[-13, 13]$ MeV

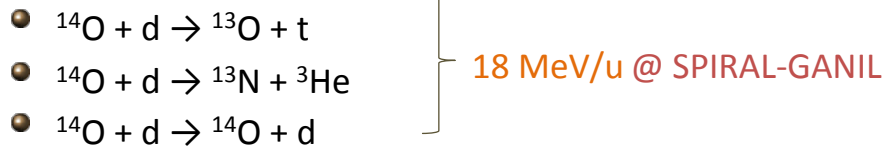
Applicability of reaction models to deeply-bound nucleon stripping?

Question : Are spectroscopic factors from knockout and transfer consistent for high ΔS ?

Experimental Program



[F.Flavigny et al., Phys. Rev. Lett **108**, 252101 (2012)]



[F.Flavigny et al., Phys. Rev. Lett. **110** 122503 (2013)]

Reaction Models

Knockout:

- *Medium effects (Pauli principle)*
[F. Flavigny , A. Obertelli et I. Vidana, PRC **79**, 064617 (2009)]
- *Intra-nuclear Cascade Model*
[C.Louchart et al., PRC **83**, 011601 (R) (2011)]
- *Transfer to the continuum model*

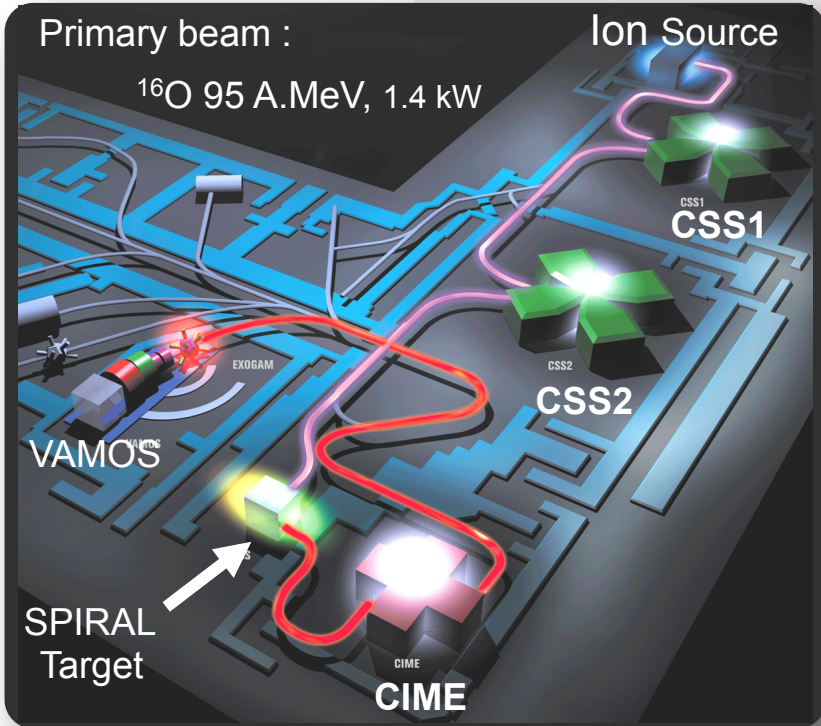
Transfer:

- *Coupled-Channel calculations (FRESCO)*
- *Use of standard and **ab-initio** overlaps*

Ideal case: ^{14}O

- ✓ Large value $\Delta S = 18.6$ MeV
- ✓ Closed-shell nucleus, well described in SM calculations
- ✓ Beam intensity high enough for (d, ^3H) (d, ^3He) transfer measurements

Transfer



SPIRAL Beam: $^{14}\text{O}^{8+}$

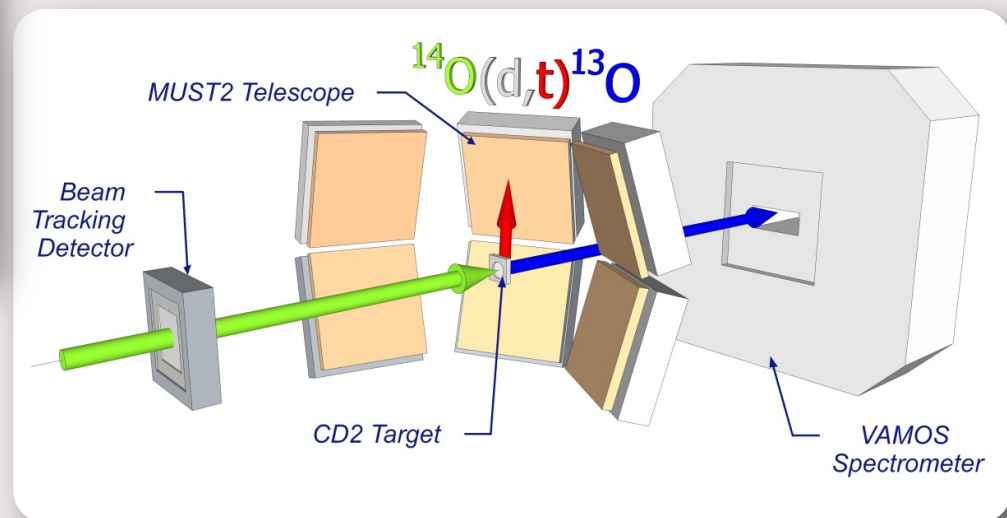
Intensity: $6 \cdot 10^4$ pps

Energy: 18.1 A.MeV

CD2 targets: 0.5, 1.5 and 8.5 $\text{mg} \cdot \text{cm}^{-2}$

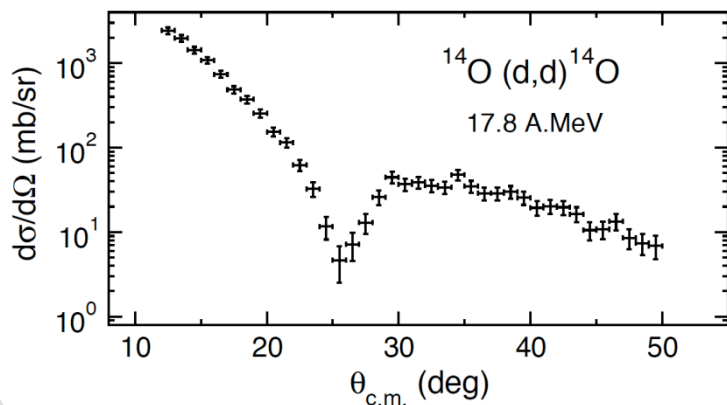
Reactions: (d,d), (d, ^3H) and (d, ^3He)

- 6 *MUST2* Telescopes:
10x10 cm^2 300 μm DSSSD + SiLi or CsI
- *VAMOS* spectrometer in dispersive mode

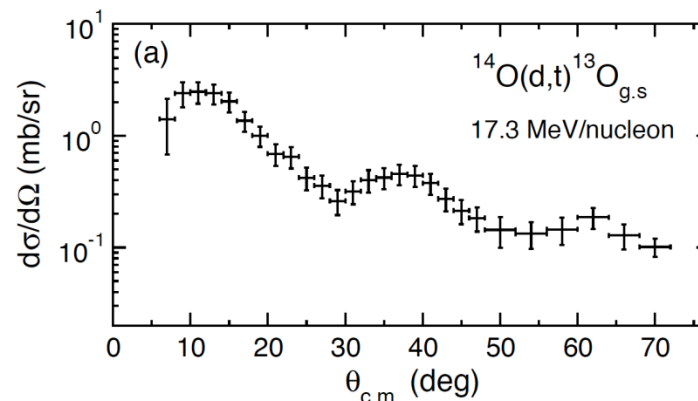


Fully exclusive measurement

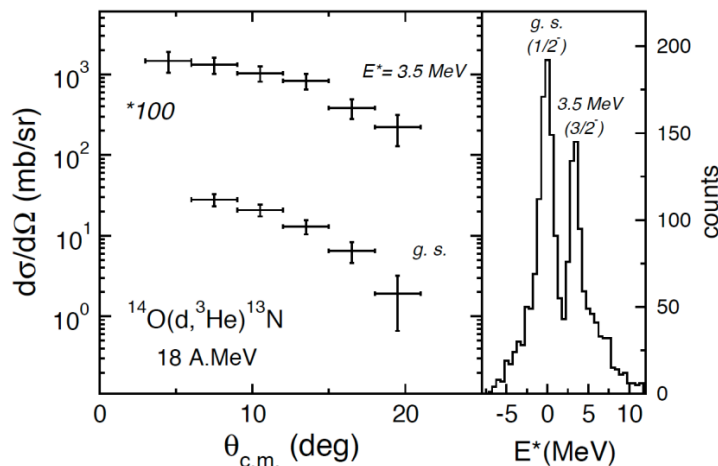
Elastic channel



One-neutron pickup channel



One-proton pickup channel



Published Data on ^{16}O and ^{18}O

[V. Bechtold et al., Phys. Lett. B **72**,169 (1977)]
[M. Gaillard et al., Nucl. Phys. A **119**, 161 (1968)]
[D. Hartwiget al., Z. Phys. **246**, 418 (1971)]

[D. Suzuki et al., Phys.Rev. Lett. **103**, 152503 (2009)]

Input Potential:

- ✓ $^{14}\text{O} + ^2\text{H}$
 - A.J. Koning et J.P. Delaroche, NPA 713, 231 (2003)
 - Validated on elastic data

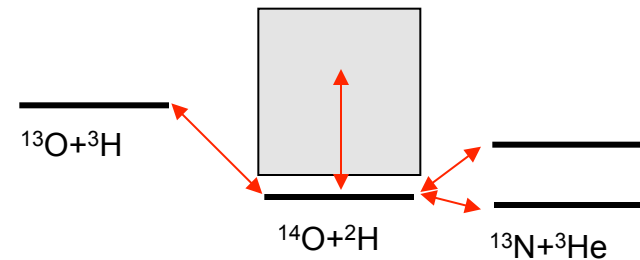
Output potentials:

- ✓ $^{13}\text{O} + ^3\text{H}$ and $^{13}\text{N} + ^3\text{He}$
 - D. Y. Pang et al., PRC 79, 024615 (2009)
 - C. M. Perey and F. G. Perey, ADNDT 17,17,1 (1976)

Form factors:

- ✓ $\langle ^3\text{H} | d + n \rangle$ and $\langle ^3\text{He} | d + p \rangle$
 - B. A. Watson et al., PR 182,977 (1969)
- ✓ $\langle ^{14}\text{O} | ^{13}\text{O} + n \rangle$ and $\langle ^{14}\text{O} | ^{13}\text{N} + p \rangle$
 - Woods Saxon, **Hartree Fock constrained**

Coupling scheme



- Coupled Reaction Channel analysis (CRC)
- Coupled discretized continuum channel (CDCC) for deuteron breakup

Form factors

~~X Standard arbitrary value:~~

~~$(r_0, a_0) : (1.25 \text{ fm}, 0.65 \text{ fm})$~~

✓ r_{rms} from $^{16}\text{O}(e, e'p)^{15}\text{N}_{\text{g.s.}}$:
[M. Leuschner et al., PRC 49, 955 (1994)]

$$r_{\text{rms}} = 2,943(30) \text{ fm}$$

✓ WS parameters to reproduce r_{rms} and S_{p} :

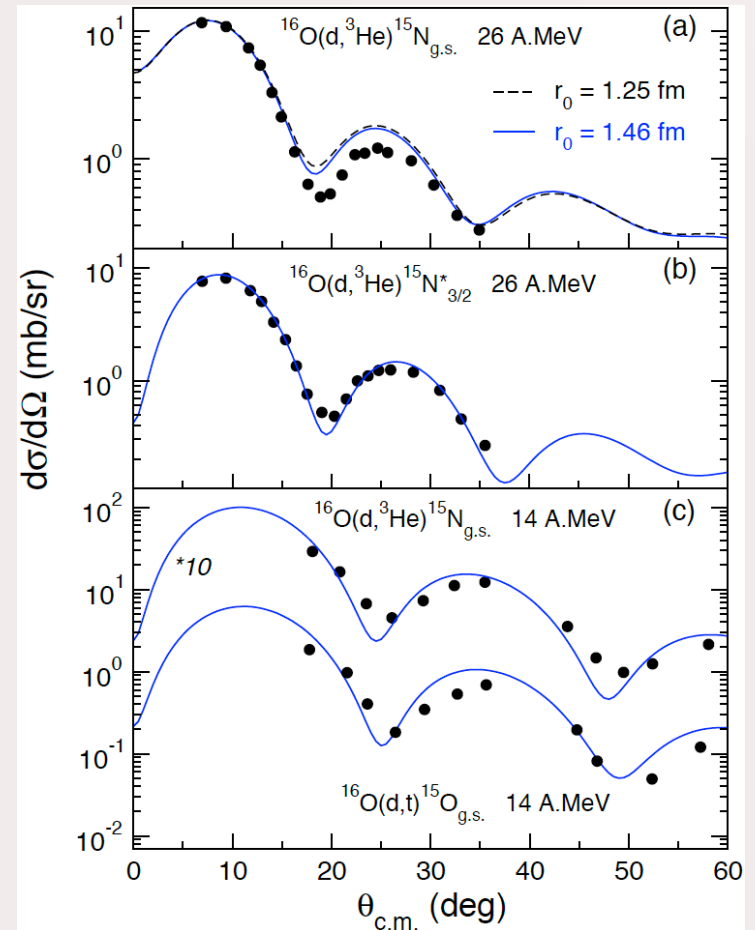
$$r_0 = 1,46 \text{ fm}$$

$$C^2S_{\text{exp}} = 0,91(9)$$

✓ Single-particle HFB w.f. with Sly4 interaction:

$$r_{\text{rms}}(\text{HFB}) = 2,95 \text{ fm}$$

HFB RMS (fm)	$\pi 0p_{3/2}$	$\pi 0p_{1/2}$	$\nu 0p_{3/2}$	$\nu 0p_{1/2}$
^{14}O	2.77	3.03	2.69	2.72
^{16}O	2.80	2.95	2.78	2.91
^{18}O	2.81	2.91		
$^{16}\text{O}(e, e'p)^{15}\text{N}$	2.719(24)	2.943(30)		

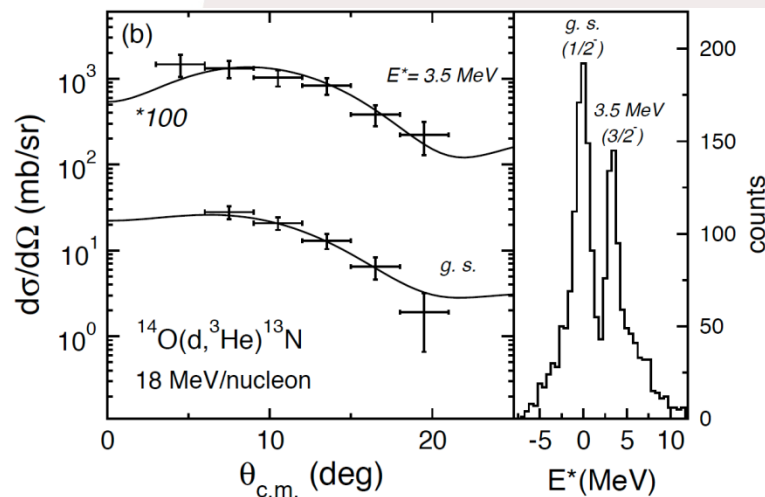
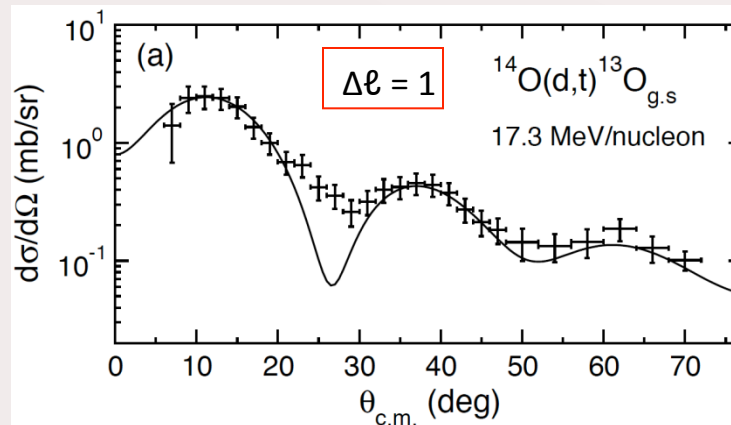
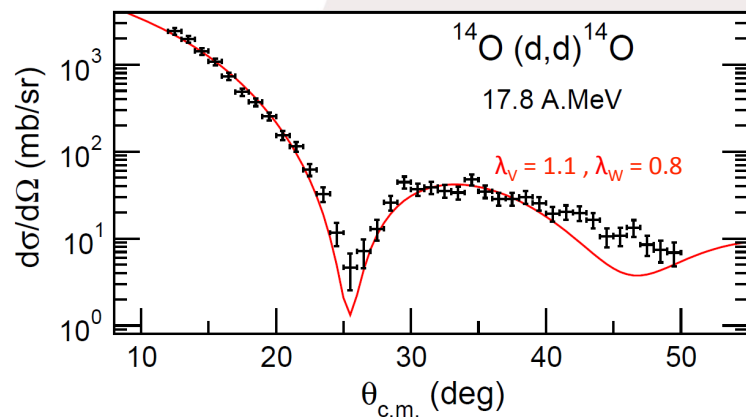


Data points from :

[V. Bechtold et al., Phys. Lett. B **72**,169 (1977)]

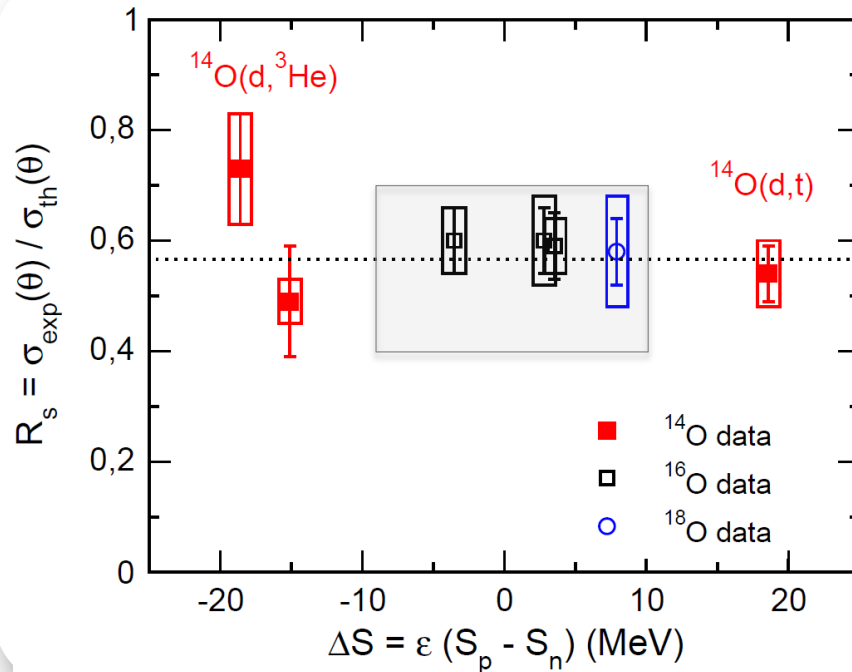
[M. Gaillard et al., Nucl. Phys. A **119**, 161 (1968)]

^{14}O results



Reaction	E^* (MeV)	J^π	$R_{\text{rms}}^{\text{HF}} \text{ (fm)}$	$r_0 \text{ (fm)}$	$C^2 S_{\text{exp}} \text{ (WS)}$
$^{14}\text{O}(d,t)^{13}\text{O}$	0.00	$3/2^-$	2.69	1.40	1.69 (17)(20)
$^{14}\text{O}(d,^3\text{He})^{13}\text{N}$	0.00	$1/2^-$	3.03	1.23	1.14(16)(15)
	3.50	$3/2^-$	2.77	1.12	0.94(19)(7)
$^{16}\text{O}(d,t)^{15}\text{O}$	0.00	$1/2^-$	2.91	1.46	0.91(9)(8)
$^{16}\text{O}(d,^3\text{He})^{15}\text{N}$ [19,20]	0.00	$1/2^-$	2.95	1.46	0.93(9)(9)
	6.32	$3/2^-$	2.80	1.31	1.83(18)(24)
$^{18}\text{O}(d,^3\text{He})^{17}\text{N}$ [21]	0.00	$1/2^-$	2.91	1.46	0.92(9)(12)

Results with WS overlap functions



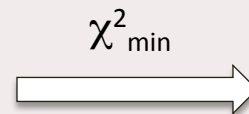
□ δ (RMS) $\rightarrow \delta r_o \rightarrow \text{box}$
■ Error bars due to exp. Uncertainties

OFs : WS (HFB constrained)
 C^2S_{th} : Shell model with WBT interaction

$$\sigma_{th}(\theta) = C^2S_{th} \sigma_{sp}(\theta)$$

48 analysis:

- **2 sets of C^2S_{th} :**
 - WBT Interaction 0p shell + $2\hbar\Omega$
 - Utsuno int. 0p1s0d space
- **3 HF calculations** for radii
- **8 combinations of optical potentials** for entrance and exit channels



$$R_s = \alpha \cdot \Delta S + \beta$$

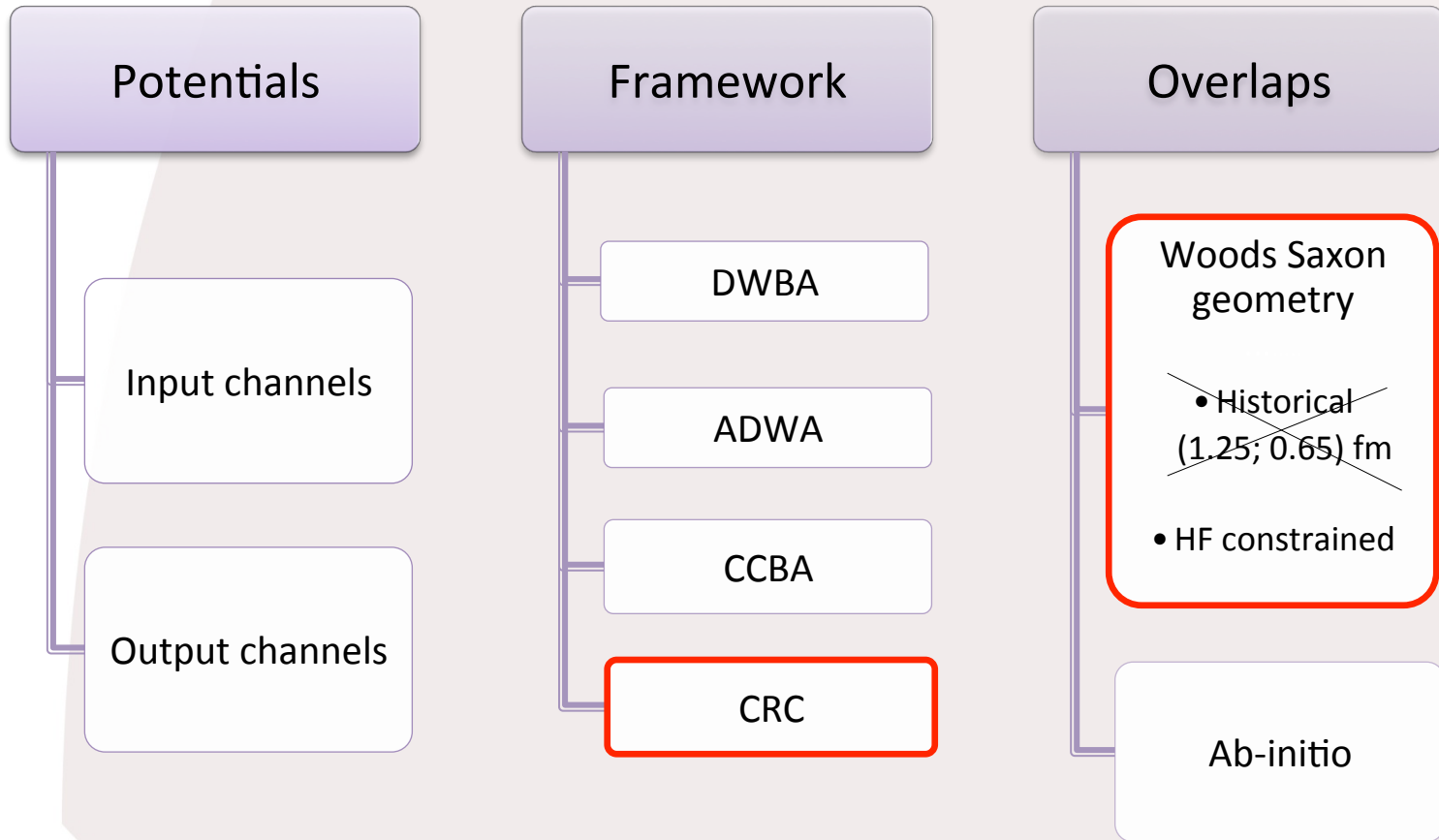
$$\alpha = +0.0004(24)(12) \text{ MeV}^{-1}$$

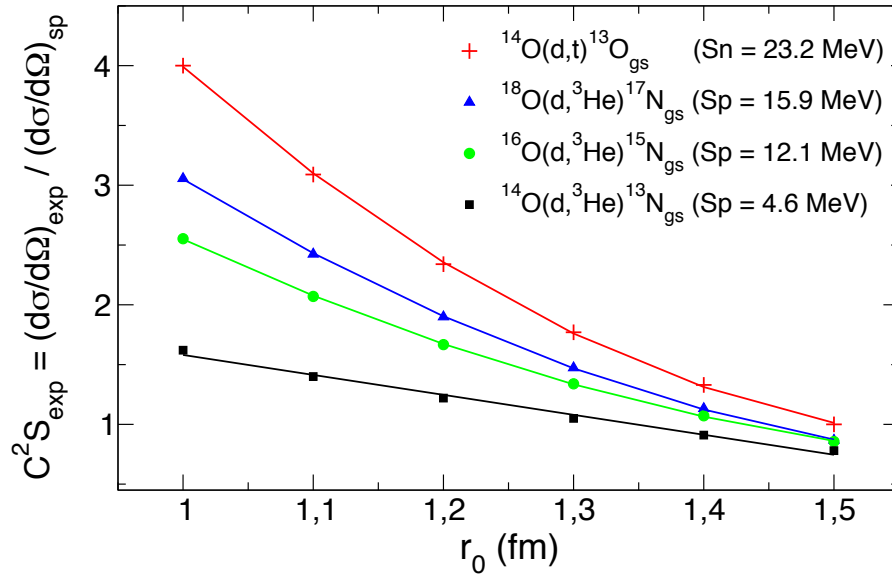
$$\beta = R_s(0) = 0.538(28)(18)$$

Exp. Error
(1 set)

Stdrd. error
from 48 data sets

Choices to be made



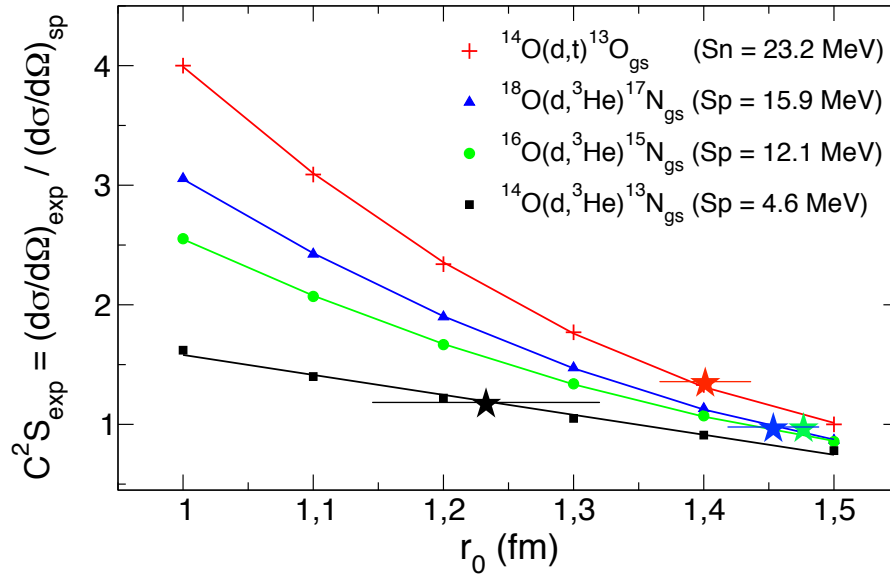


Potentials used: (KD+GDP08)

**Linear fit ($a*r_0+b$)
between 1.3 fm and 1.5:**

Reaction	$S_{n,p}$ (MeV)	a (slope)
$^{14}\text{O}(d,t)^{13}\text{O}$	23.2	-3.85
$^{18}\text{O}(d,^3\text{He})^{17}\text{N}$	15.9	-3.00
$^{16}\text{O}(d,^3\text{He})^{15}\text{N}$	12.1	-2.4
$^{14}\text{O}(d,^3\text{He})^{13}\text{N}$	4.6	-1.35

- The $C^2 S_{\text{exp}}(r_0)$ dependence is enhanced if the transfer nucleon is more bound
 - For r_0 in [1; 1.25] fm, this effect becomes even larger (non linear)



Potentials used: (KD+GDP08)

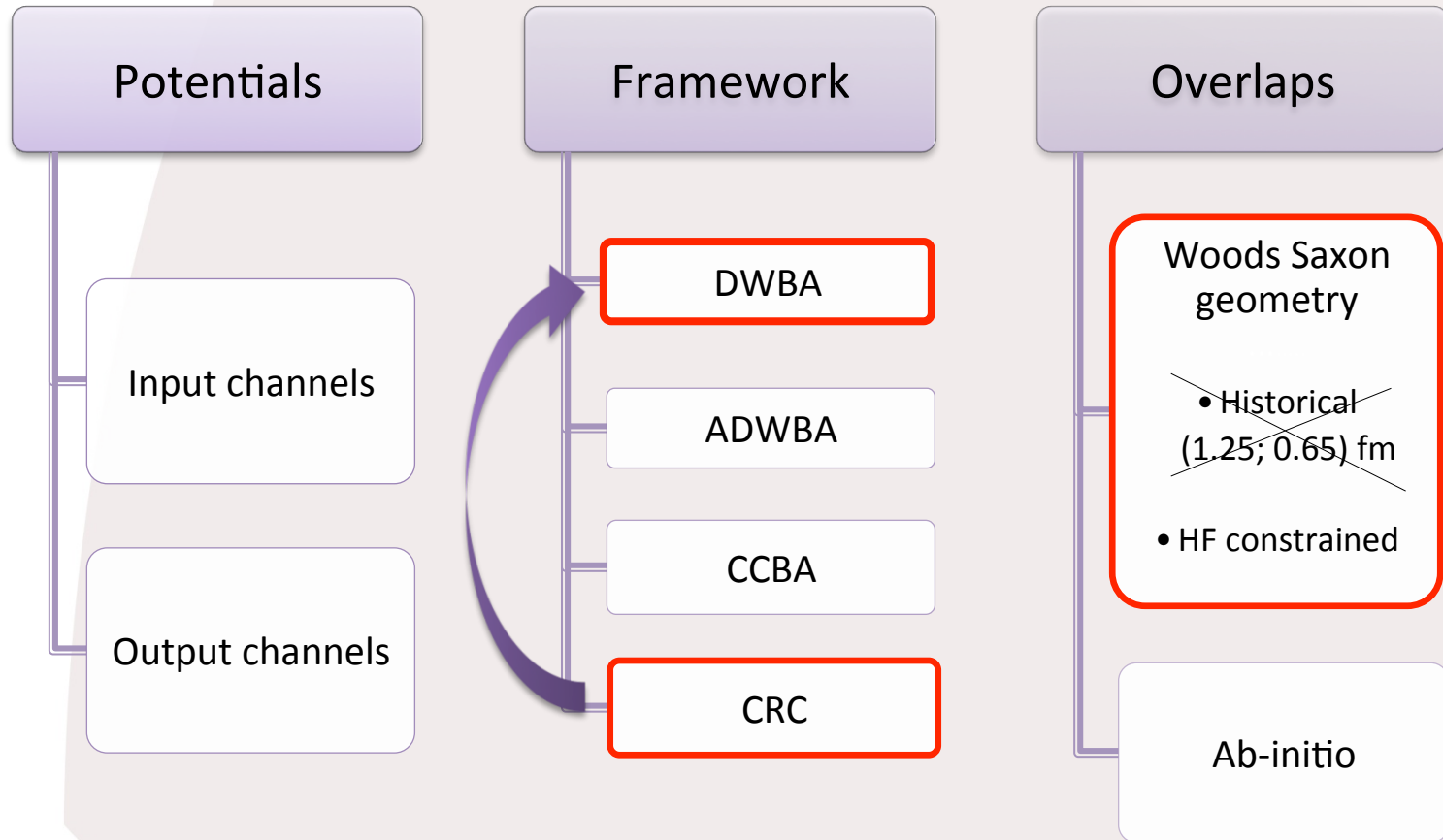
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- The $C^2 S_{\text{exp}}(r_0)$ dependence is enhanced if the transfer nucleon is more bound
 - For r_0 in [1; 1.25] fm, this effect becomes even larger (non linear)

Ex. for $^{14}\text{O}(d,t)$: for $r_0 = 1.40$ fm \Rightarrow $C^2 S_{\text{exp}} \approx 1.3$
 for $r_0 = 1.25$ fm \Rightarrow $C^2 S_{\text{exp}} \approx 2.1$
 ($\approx 11\%$ change) ($\approx 60\%$ change)

Choices to be made



Framework

Four main reaction approaches for transfer reactions:

1) The **D**istorted **W**ave **B**orn **A**pproximation (**DWBA**)

- the simplest : assumes direct, one-step process that is weak

2) The adiabatic model:

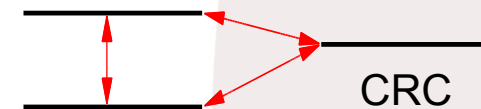
- modification of DWBA for (d,p) and (p,d) reactions
- deuteron breakup effects included in an approximate way

3) The **C**oupled **C**hannels **B**orn **A**pproximation (**CCBA**) :

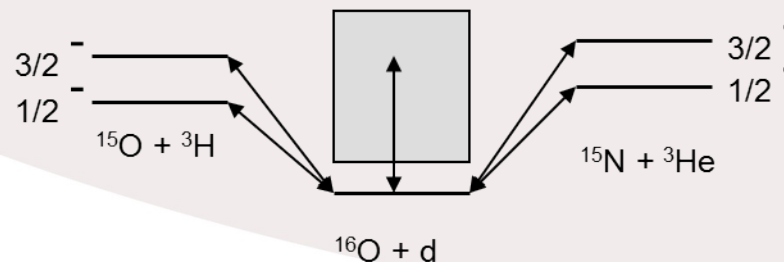
- used when the assumption of a one-step transfer process breaks down
- strong inelastic excitations modelled with coupled channels theory
- transfers still with DWBA

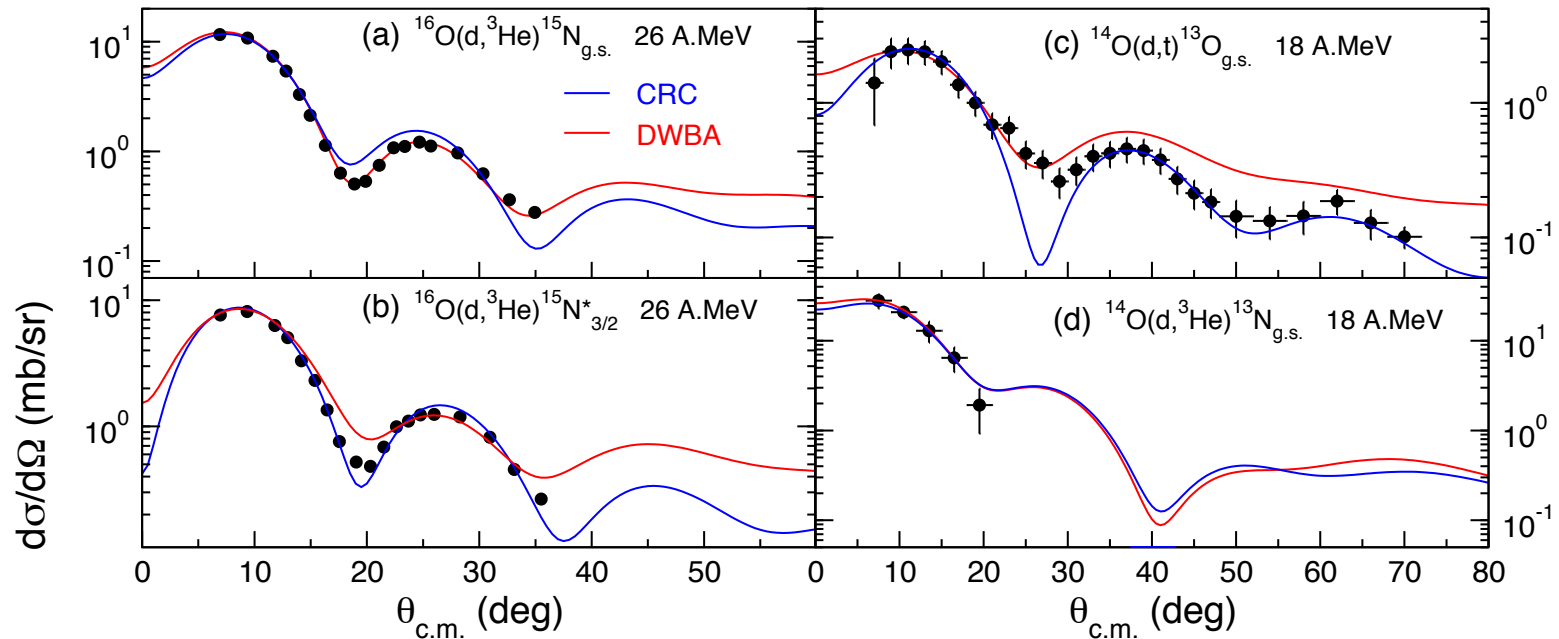
4) **C**oupled **R**eaction **C**hannels (**CRC**):

- does not assume one-step or weak transfer process.
- All processes on equal footing;
- (complex) rearrangements of flux possible



Example for ^{16}O :



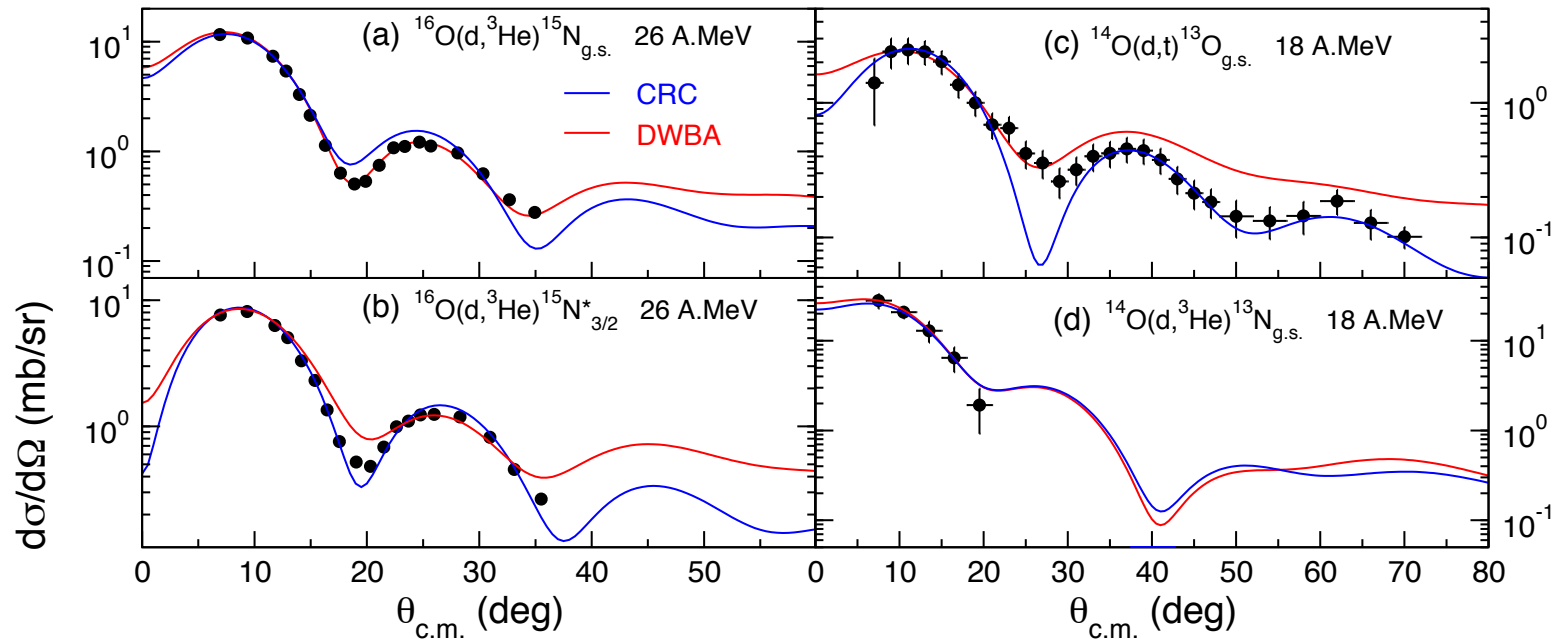


Parameters:

- One fixed set of potentials (KD+GDP08)
- Constrained Woods Saxon overlap functions

Shapes

- Better described by CRC (in general)
- But DWBA works rather well too (especially for small angles)



Reaction	E^* (MeV)	r_0 (fm)	C^2S_{exp}		$\delta(C^2S_{\text{exp}})$ %
			CRC	DWBA	
$^{14}\text{O}(d,^3\text{H})^{13}\text{O}$	0	1.40	1.35	1.00	35
$^{14}\text{O}(d,^3\text{He})^{13}\text{N}$	0	1.23	1.15	1.31	-12
$^{16}\text{O}(d,^3\text{He})^{15}\text{N}$	3.5	1.12	1.02	0.90	12
	6	1.31	2.00	1.70	18

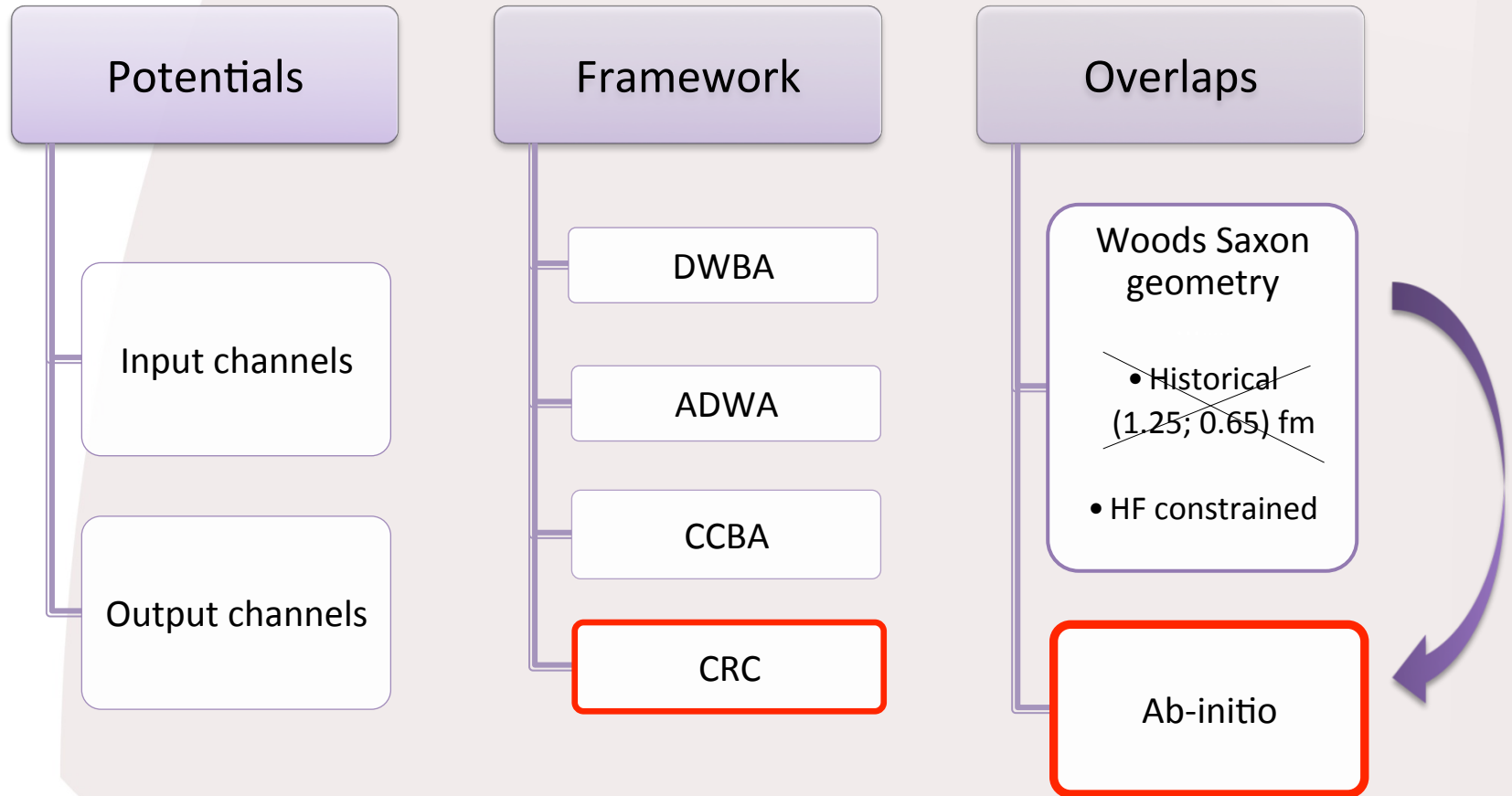
$$\delta = (C^2S_{\text{exp}}^{\text{CRC}} - C^2S_{\text{exp}}^{\text{DWBA}}) / C^2S_{\text{exp}}^{\text{DWBA}}$$

Normalisation and C^2S_{exp}

- **Reaction dependent** effect
- Up to **35%** difference for $^{14}\text{O}(d,t)$

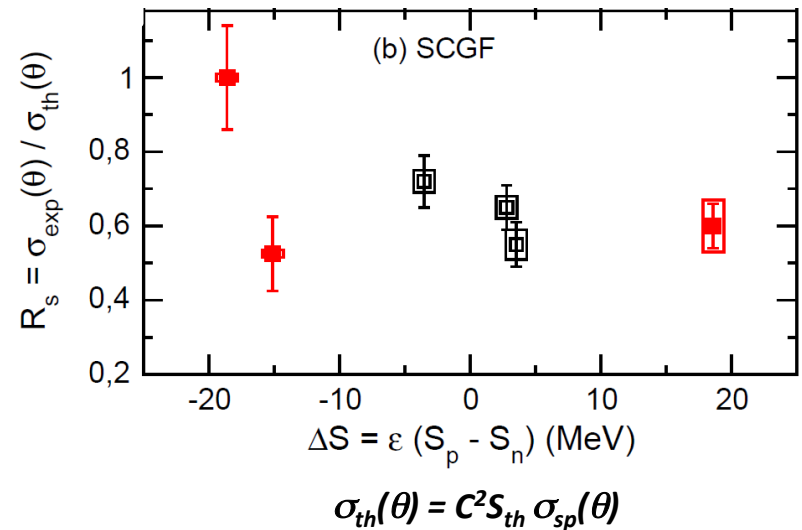
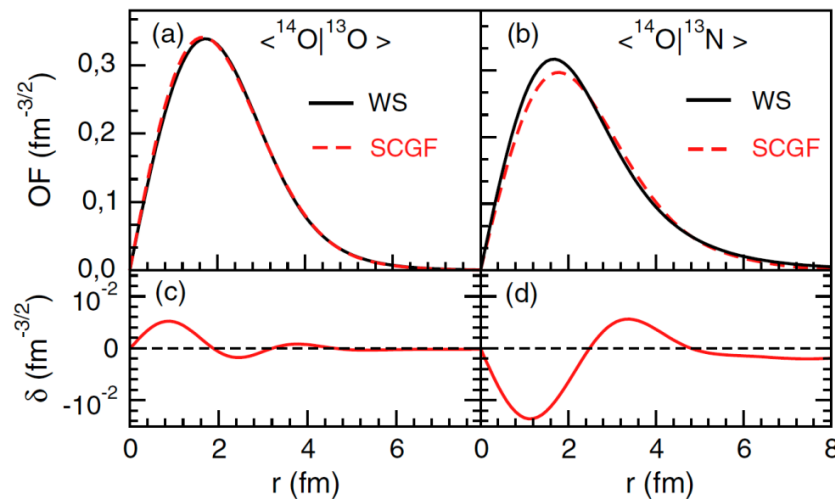
➔ **Systematic error**

Choices to be made

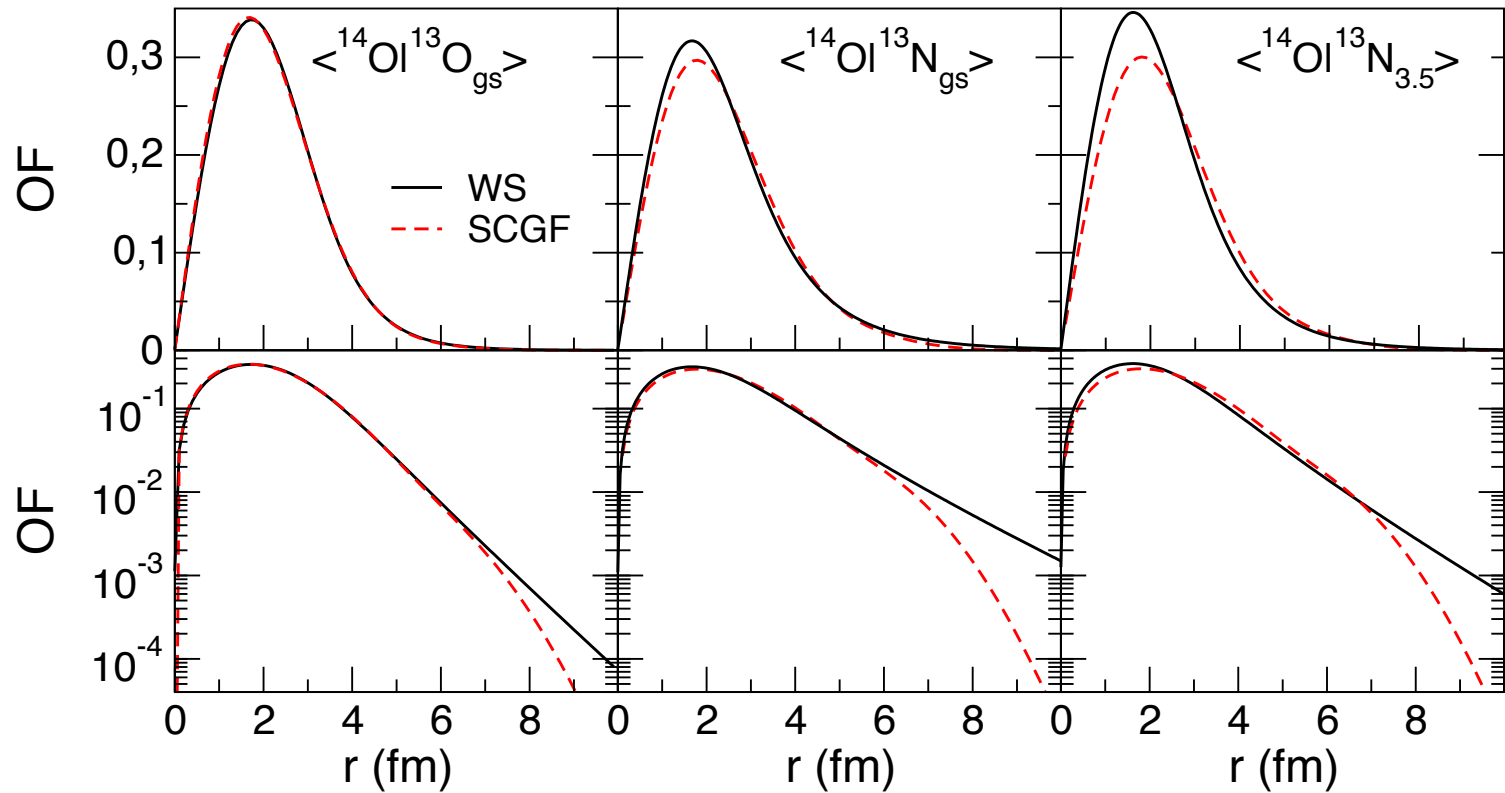


Ab-initio SF_{th} and overlaps (from C. Barbieri and A. Cipollone)

- Single-particle Green's function (third order diagrammatic construction method)
- Chiral two-body + three-body interactions (cutoff $\lambda=1.88 \text{ fm}^{-1}$)

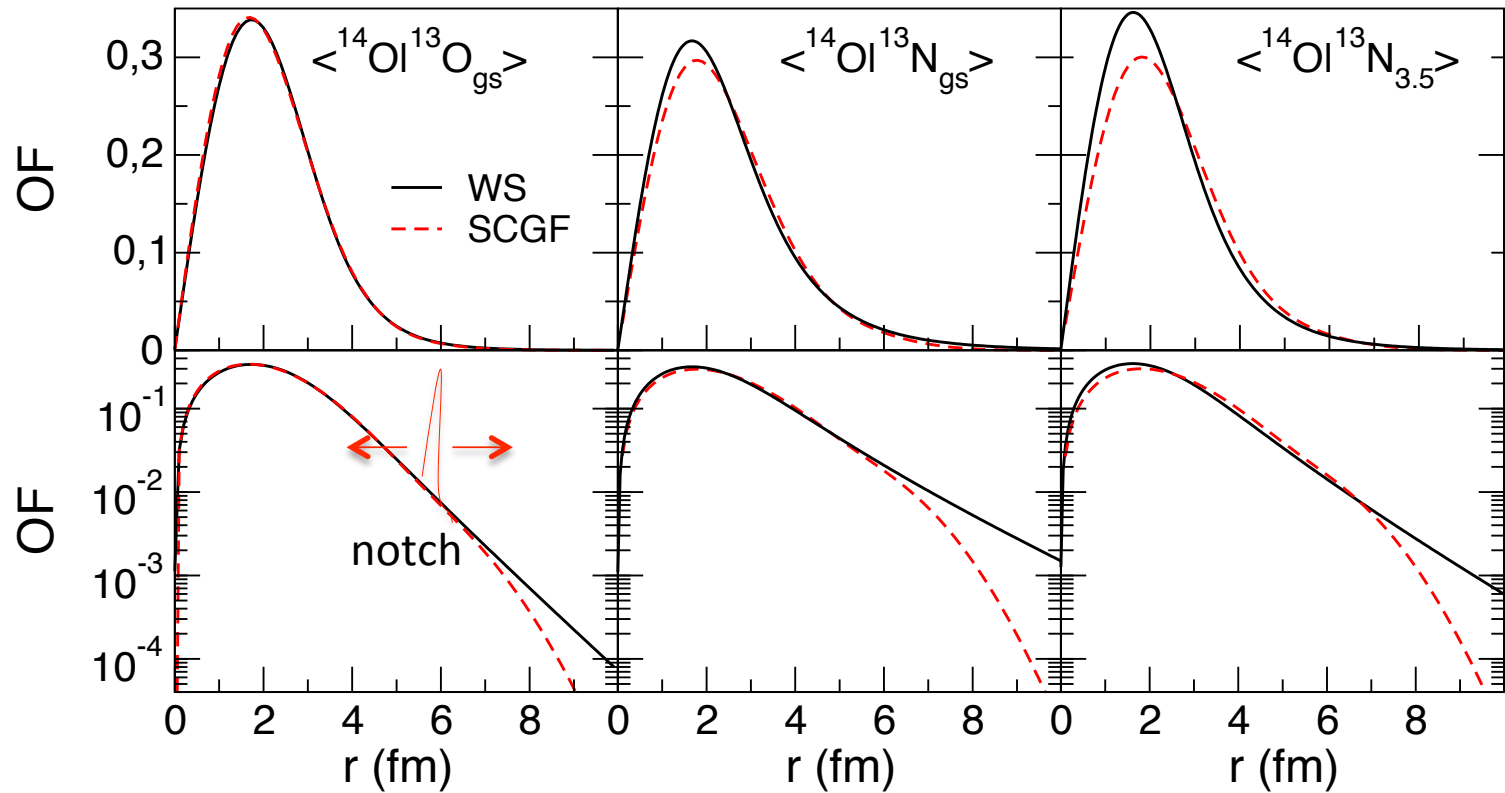


Radial sensitivity – Asymptotic tails



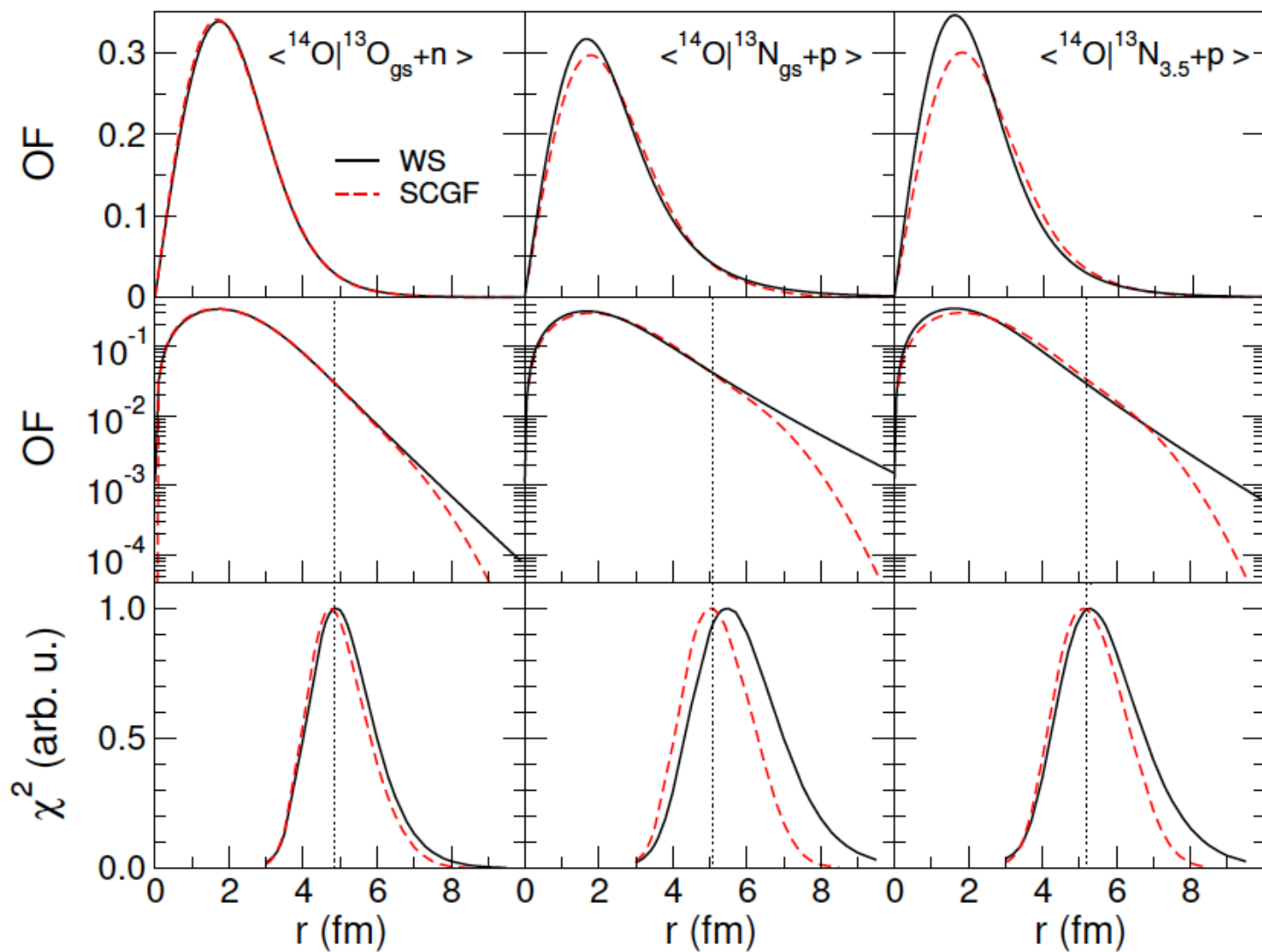
→ After (6-7) fm: **differences** between WS and ab-initio overlaps

Radial sensitivity – Asymptotic tails

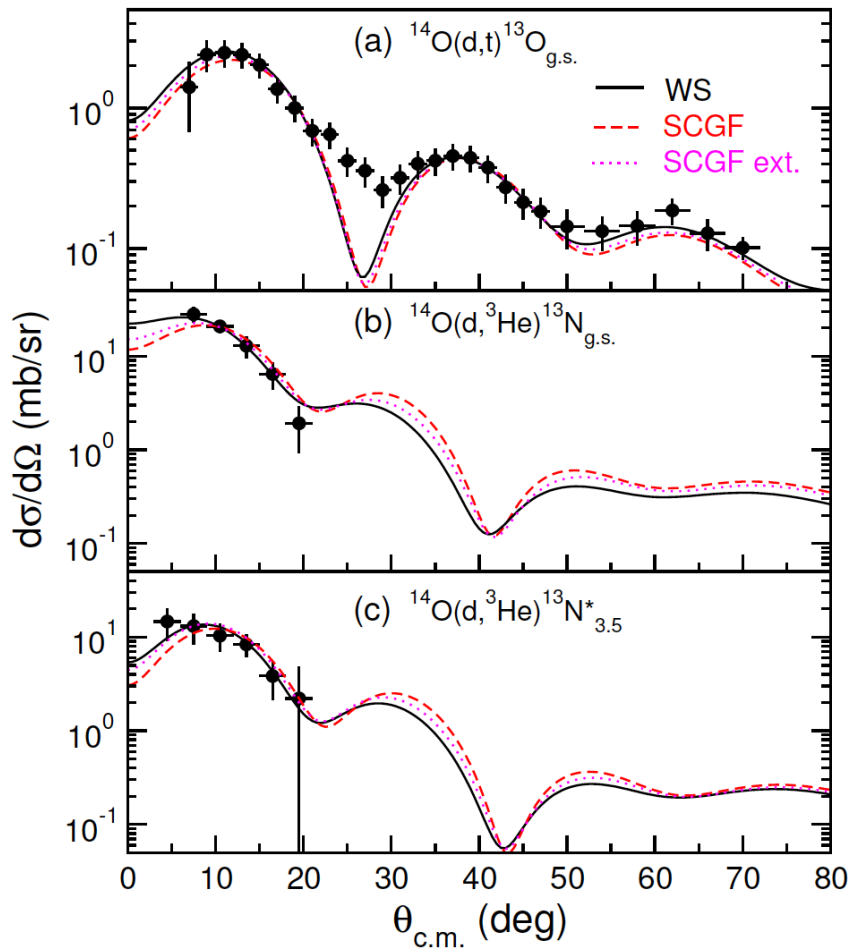


→ Notch test: $\chi^2 = \Sigma((d\sigma/d\Omega)_{\text{pert}} - (d\sigma/d\Omega)_{\text{un}})^2 / (d\sigma/d\Omega)_{\text{un}}^2$

Radial sensitivity – notch test



With extrapolated ab-initio OFs (after 7fm)



→ Small shape changes (within exp. errors)

C^2S_{exp}	1 (SCGF)	2 (SCGF ext.)	(2/1)
$^{14}\text{O}(d,t)^{13}\text{O}$	2.41	2.28	0.95
$^{14}\text{O}(d,^3\text{He})^{13}\text{N}$	1.58	1.42	0.90
$^{14}\text{O}(d,^3\text{He})^{13}\text{N}_{3/2-}$	1.01	0.86	0.85

Effect on
 $R_s = C^2S_{\text{exp}}/C^2S_{\text{th}}$

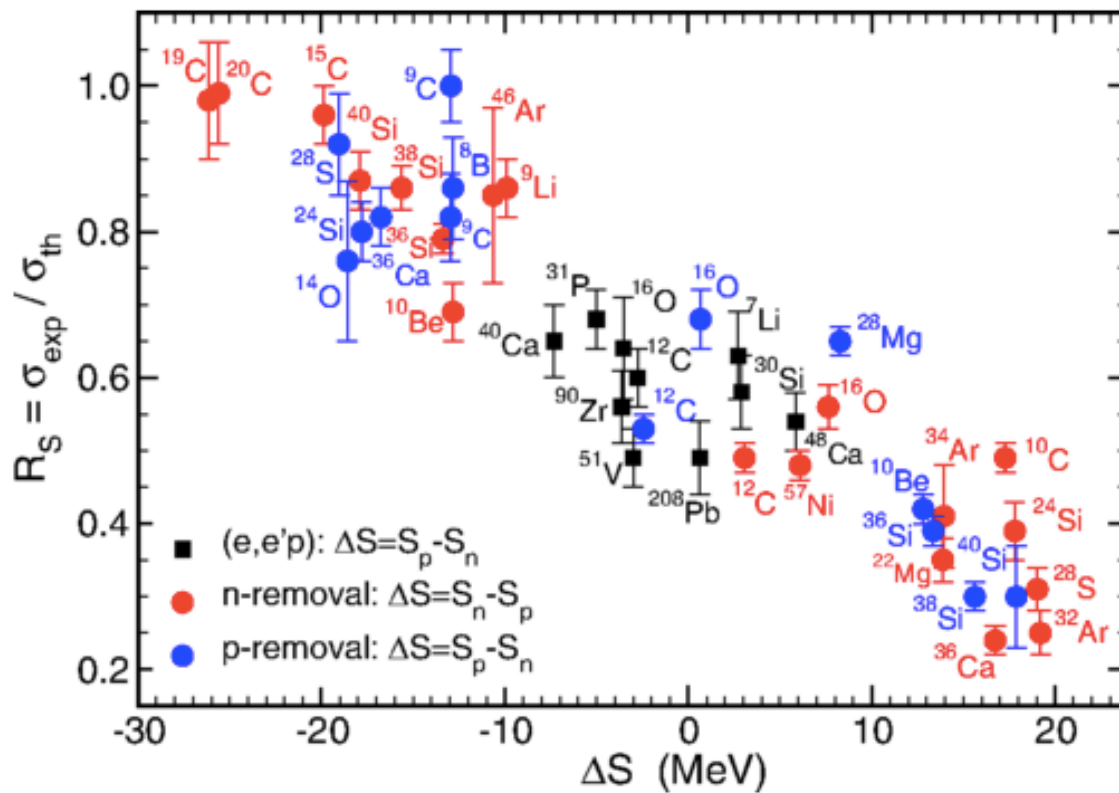


$R_s(1)$	$R_s(2)$
0.60(6)(7)	0.57
1.00(14)(1)	0.90
0.53(10)(1)	0.45

Knockout at intermediate energies

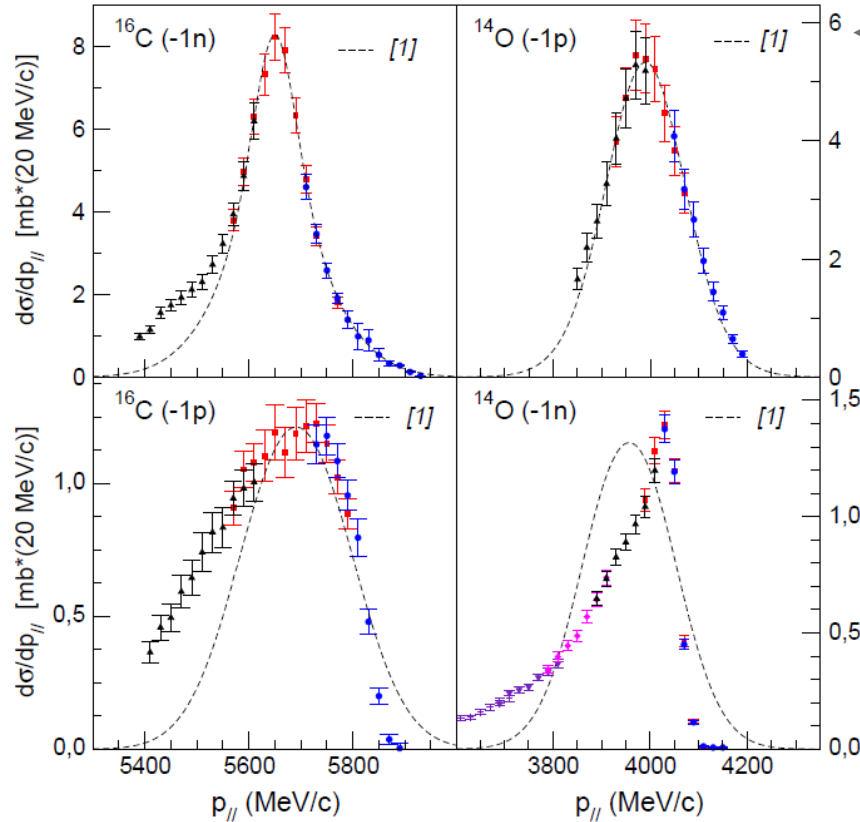
Knockout on exotic nuclei

J.A. Tostevin and A. Gade, Phys. Rev. C **90**, 057602 (2014)



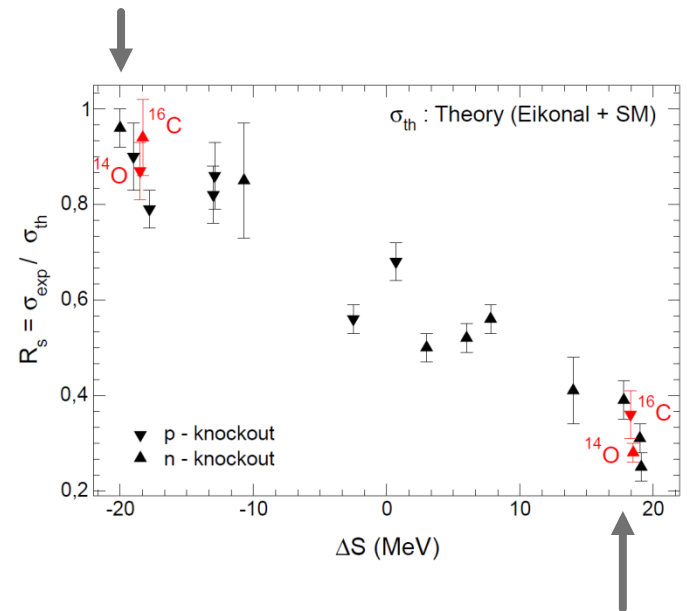
Knockout results

F. Flavigny *et al.*, Phys. Rev. Lett. **108**, 252501 (2012)



^{14}O : 53 MeV/u, ^{16}C : 70 MeV/u, NSCL

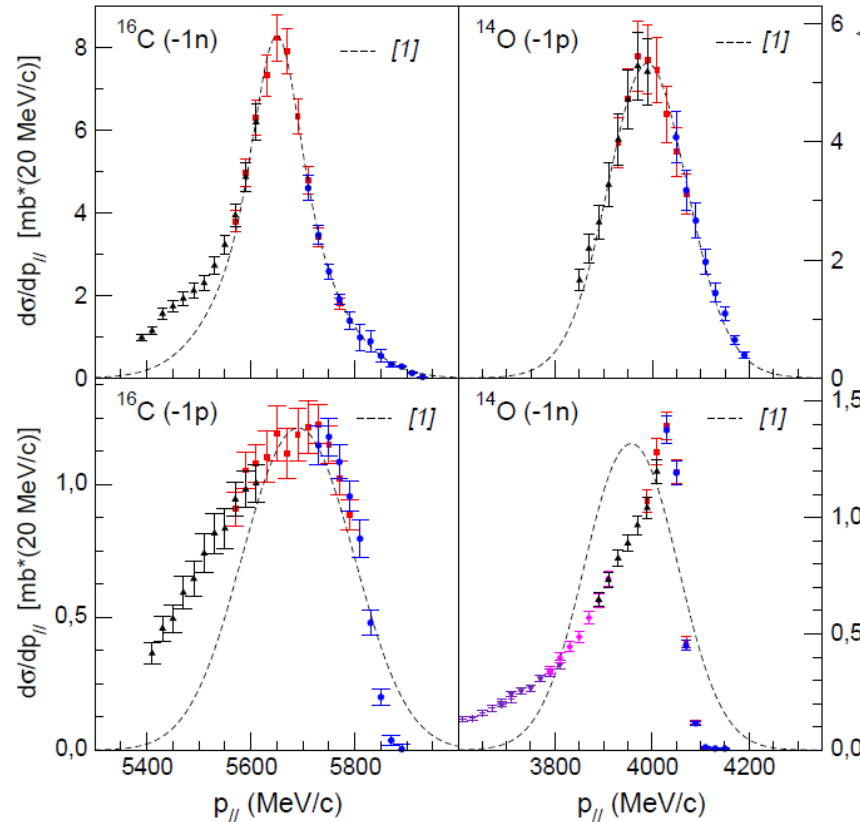
← **Loosely-bound valence nucleon**



← **Deeply-bound valence nucleon**

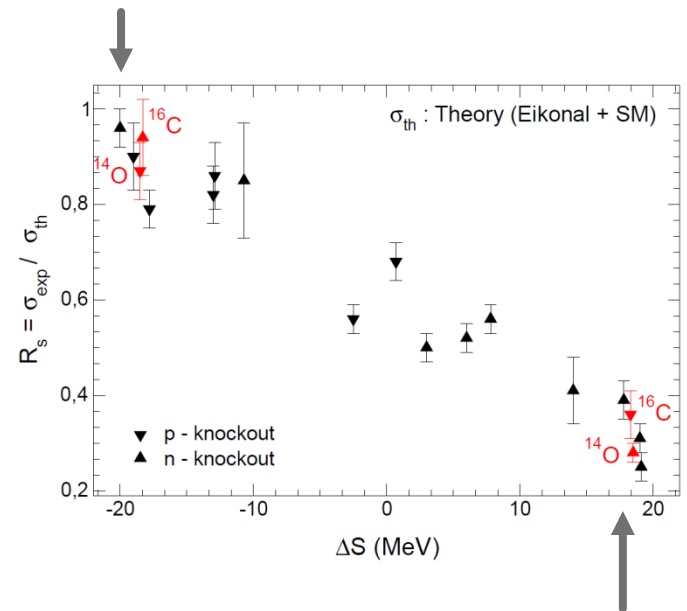
Knockout results

F. Flavigny *et al.*, Phys. Rev. Lett. **108**, 252501 (2012)



^{14}O : 53 MeV/u, ^{16}C : 70 MeV/u, NSCL

← *Loosely-bound valence nucleon*



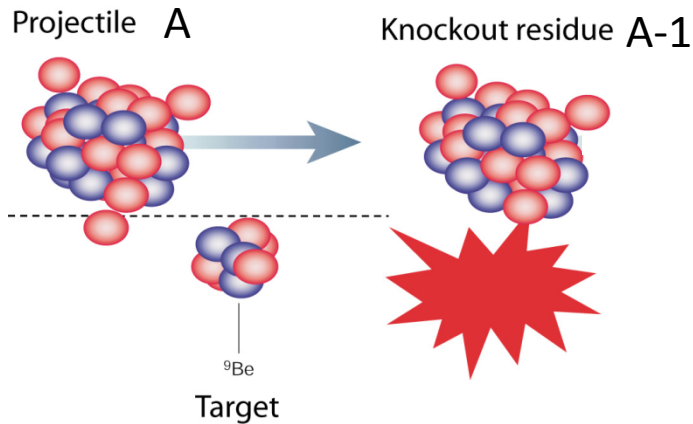
← *Deeply-bound valence nucleon*

Open questions

- Microscopic origin of the observed **dissipative processes**
- **Incident-energy** dependence of the reaction process

Projectile energy large enough to consider that the intrinsic degrees of freedom are frozen

Eikonal / sudden approximation



Probability to leave the core intact

Probability to remove the nucleon

$$\sigma_{st} = 2\pi \int b db |\phi_0|^2 |S_C|^2 (1 - |S_N|^2)$$

$$\hat{S}_C(b) = \exp(i\chi_C(b))$$

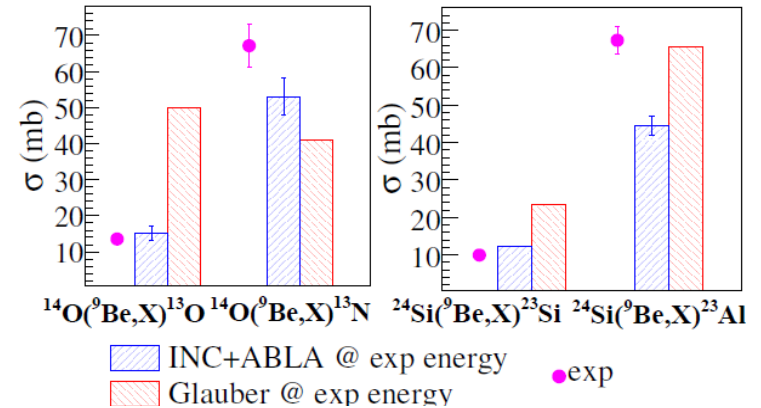
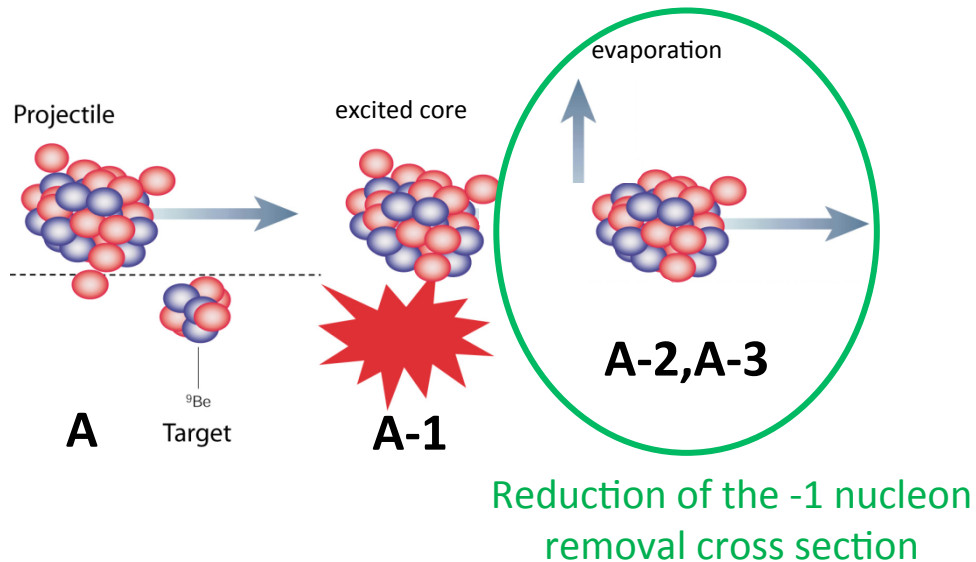
$$\chi_C(b) = -\sigma_{NN}(E) \int d^2\vec{r}_\perp \bar{\rho}_C(\vec{r}_\perp) \bar{\rho}_T(|\vec{b} - \vec{r}_\perp|)$$

NN cross section

Core density

No explicit treatment of core excitations

Intranuclear Cascade Model (INC) (with nuclear-structure input)



⇒ Importance of **core excitations** for loosely-bound cores and deeply-bound nucleons?

C. Louchart *et al.*, Phys. Rev. C **83**, 011601 (R) (2011).

1) Details on the reaction mechanism?

$^{14}\text{O}(^{12}\text{C},\text{X})^{13}\text{N}+p, ^{13}\text{O}$ at 60 MeV/nucleon
exclusive measurement at RCNP, J. Lee (HKU)

2) Energy and isospin dependence?

$^{14-22}\text{O}(p,2p)$ at 700 MeV/nucleon
GSI, R3B collaboration

3) Energy dependence ?

$^{14}\text{O}, ^{20}\text{O}, ^{22}\text{O}(p(\text{pol})2,p)$ at 250 MeV/nucleon
RIBF, T. Uesaka *et al.* (RIKEN Nishina Center)

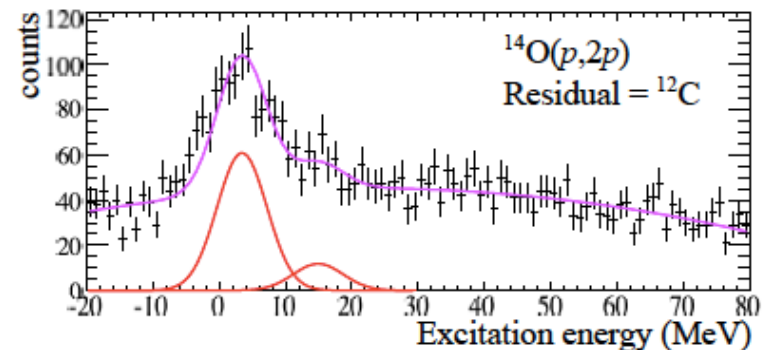
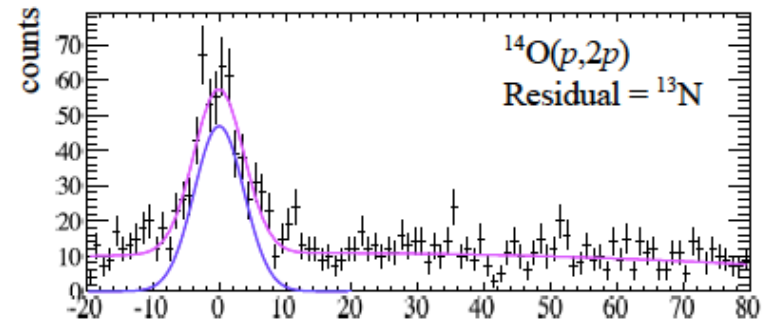
$^{14}\text{O}(p,2p)$ @ 250 MeV/nucleon

E_x (MeV)	J^π	yield	σ_{exp} (μb)	σ_{DWIA} (μb)	C^2S
0	$1/2^-$	445(25)	251(14)	166	1.51(8)
3.5	$3/2^-$	576(38)	326(22)	161	2.02(14)
15	$3/2^-$	111(31)	63(18)	97.1	0.65(19)

$\Sigma C^2S / 6$ p-wave nucleons = $4.2(3) / 6 = 0.70(5)$

➔ Consistent with stable nuclei reduction
and with transfer results from GANIL

S. Kawase *et al.*, ARIS 2014 proceedings,
to be published (2015)



- **Discrepancy** between experimental and eikonal theory + shell-model SFs for well-bound valence nucleon removal from a heavy-ion target at $E \sim 60 - 100$ MeV/nucleon
 - A. Gade *et al.*, Phys. Rev. C **77**, 044306 (2008).
 - F. Flavigny *et al.*, Phys. Rev. Lett. **108**, 252501 (2012).
 - J.A. Tostevin and A. Gade, Phys. Rev. C **90**, 057602 (2014).
- **No effect** from deeply-bound proton quasi-free scattering from $(e, e'p)$
- **No effect for low-energy transfer**
 - J. Lee *et al.*, Phys. Rev. C. **83**, 014606 (2011).
 - F. Flavigny *et al.*, Phys. Rev. Lett. **110**, 122503 (2013).
- Hypothesis for a **strong core-target inelastic excitation in asymmetric nuclei** in case of intermediate-energy stripping of deeply bound nucleons
 - C. Louchart *et al.*, Phys. Rev. C **83**, 011601(R) (2011).
- Similar discrepancy with intra-nuclear cascade for high-energy nucleon stripping cross sections
 - L. Audirac *et al.*, Phys. Rev. C **88**, 041602 (2013).
 - D. Mancusi *et al.*, Phys. Rev. C **91**, 034602 (2015).
- First **quasifree scattering** data soon available (RIBF, R3B)
 - $^{14}\text{O}(p,2p)^{13}\text{N}$ at 250 MeV/nucleon shows similar results than GANIL transfer
 - S. Kawase *et al.*, ARIS 2014 proceedings, to be published.