SACLAY (S.-et O.) - L'Église et la Mare - La Ville

Hyperons, Hypernuclei & Neutron Stars

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Production & Study of Neutron-rich Hypernuclei: Physics & Potentialities at FAIR/R³B January 19th-21st 2016, Saclay (France)

Outline of the talk

- Introduction to Neutron Star Phenomenology
- Role of Hyperons on Neutron Star Properties
- Lab Constraints of the Hypernuclear EoS

Neutron stars are different things for different people

- \diamond For astronomers are very little stars "visible" as radio pulsars or sources of X- and γ -rays.
- ♦ For particle physicists are neutrino sources (when they born) and probably the only places in the Universe where deconfined quark matter may be abundant.
- \diamond For cosmologists are "almost" black holes.
- ♦ For nuclear physicists & the participants of this workshop are the biggest neutron-rich hypernuclei of the Universe (A ~ 10⁵⁶-10⁵⁷, R ~ 10 km, M ~ 1-2 M_☉).

But everybody agrees that ...

Neutron stars are a type of stellar compact remnant that can result from the gravitational collapse of a massive star ($8 M_{\odot} < M < 25 M_{\odot}$) during a Type II, Ib or Ic supernova event.





Most NS are observed as pulsars. Nowadays more than 2000 pulsars are known (~ 1900 Radio PSRs (141 in binary systems), ~ 40 X-ray PSRs & ~ 60 γ -ray PSRs)

Observables

- Period (P, dP/dt)
- Masses
- Luminosity
- Temperature
- Magnetic Field
- Gravitational Waves (future)



http://www.phys.ncku.edu.tw/~astrolab/mirrors/apod_e/ap090709.html



http://pulsar.ca.astro.it/pulsar/Figs

The 1001 Astrophysical Faces of Neutron Stars



Anomalous X-ray Pulsars



Soft Gamma Repeaters



Rotating Radio Transients



dim isolated neutron stars



X-ray binaries



pulsars



Compact Central Objects



bursting pulsars



binary pulsars



planets around pulsar

Observation of Neutron Stars

X- and γ -ray telescopes



Chandra



Fermi Atmospheric opacity Most of the Visible Light Long-wavelengt Infrared spectrum Radio Waves observable Radio Waves observable Gamma Rays, X-Rays and Ultraviolet absorbed by from Earth. from Earth. blocked. Light blocked by the upper atmosphere atmospheric with some (best observed from space). gasses (best atmospheric observed distortion. from space •

Space telescopes



HST (Hubble)

Optical telescopes



VLT (Atacama, Chile)



Arecibo (Puerto Rico): d= 305 m

Radio telescopes



Green Banks (USA): d= 100 m



Nançay (France): d ~ 94 m

The Fingerprint of a Pulsar







Individual pulses are very different. But the average over 100 or more pulses is extremely stable and specific of each pulsar

- ♦ Top: 100 single pulses from the pulsar PSR B0950+08 (P=0.253 s) showing the pulseto-pulse variability in shape and intensity
- ♦ Bottom: Average profiles of several pulsars

Hobbs et al., Pub Astr. Soc. Aust., 202, 28 (2011)

Pulsar Rotational Period

The distribution of the rotational period of pulsars shows two clear peaks that indicate the existence of two types of pulsars

- normal pulsars with P ~ s
- millisecond pulsars with P ~ ms



Globular cluster Terzan 5



- First millisecond pulsar discovered in 1982 (Arecibo)
- Nowadays more than 200 millisecond pulsars are known
- PSR J1748-2446ad discovered in 2005 is until know the fastest one with P=1.39 ms (716 Hz)

Minimum Rotational Period of a Neutron Star

Pulsar cannot spin arbitrarily fast. The absolute minimum rotational period is obtained when

Centrifugal Force = Gravitational Force

In Newtonian Gravity

$$P_{\min} = 2\pi \sqrt{\frac{R^3}{GM}} \approx 0.55 \left(\frac{M_{sun}}{M}\right)^{1/2} \left(\frac{R}{10km}\right)^{3/2} ms$$

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"... And that, Jimmy, is what we call 'centrifugal force'."

In General Relativity

$$P_{\min} = 0.96 \left(\frac{M_{sun}}{M}\right)^{1/2} \left(\frac{R}{10km}\right)^{3/2} ms$$

Actual record: PSR J1748-2446ad → P=1.39595482 ms

Pulsar distribution in the P-P plane

Pulsar equivalent of the Hertzprung-Russell diagram for ordinary stars





Magnetic Field of a Pulsar

Type of Pulsar	Surface magnetic field
Millisecond	$10^8 - 10^9 \mathrm{G}$
Normal	10 ¹² G
Magnetar	$10^{14} - 10^{15} G$

Extremely high compared to ...







Sun spots

Largest continuous field in lab. (USA)



 $4.5x10^{5}G$

Largest magnetic pulse in lab. (Russia)



 $2.8x10^7G$



Where the NS magnetic field comes from ?

A satisfactory answer does not exist yet. Several possibilities have been considered:

Conservation of the magnetic flux during the gravitational collapse of the iron core

$$\phi_i = \phi_f \Longrightarrow B_f = B_i \left(\frac{R_i}{R_f}\right)^2$$

For a progenitor star with $B_i \sim 10^2 G$ & $R_i \sim 10^6 \text{ km}$ we have $B_f \sim 10^{12} G$

- ♦ Electric currents flowing in the highly conductive NS interior
- Spontaneous transition to a ferromagnetic state due to the nuclear interaction



Ferromagnetic Transition

Considered by many authors with contradictory results:

Year	Autor/Model	Ferromagnetic Transition ?	
1969	Brownell, Callaway, Rice (hard sphere gas)	Yes, $k_F > 2.3 \text{ fm}^{-1}$	
1969	Clark & Chao	No	
1970	Ostgard	Yes, $k_F > 4.1 \text{ fm}^{-1}$	
1972	Pandharipande et al., (variational)	No	
1975	Backman, Kallaman, Haensel (BHF)	No	
1984	Vidaurre (Skyrme)	Yes, $k_F > 1.7-2.0 \text{ fm}^{-1}$	
1991	S. Marcos et al., (DBHF)	No	
2001	Fantoni et at. (AFDMC)	No	
2002/2005	I.V., et al. (BHF)	No	
2005/2006	I.V. et al., (Skyrme,Gogny)	Yes, $k_F > 2-3.4 \text{ fm}^{-1}$	
2007-2011	F. Sammarruca (DBHF)	No	



- ♦ Calculations based on phenomenological interactions (e.g., Skyrme, Gogny) predict the transition to occur at (1-4)p₀
- ♦ Calculations based on realistic NN & NNN forces (e.g., Monte Carlo, BHF, DBHF, LOCV) exclude such a transition

Neutron Star Structure: General Relativity or Newtonian Gravity ?

Surface gravitational potential tell us how much compact an object is

$$\frac{2GM}{c^2R}$$



$$\sim 10^{-10}$$



$$\sim 10^{-5}$$



 $\sim 10^{-4} - 10^{-3}$

→ Relativistic effects are very important in Neutron Stars and General Relativity must be used to describe their structure



 $\sim 0.2 - 0.4$



The Tolman-Oppenheimer-Volkoff Equations

In 1939 Tolman, Oppenheimer & Volkoff obtain the equations that describe the structure of a static star with spherical symmetry in General Relativity (Chandrasekhar & von Neumann obtained them in 1934 but they did not published their work)



Tolman, Phys. Rev. 55, 364 (1939)
 Oppenheimer & Volkoff, Phys. Rev. 55, 374 (1939)



Stability solutions of the TOV equations

- ♦ The solutions of the TOV eqs. represent static equilibrium configurations
- ♦ Stability is required with respect to small perturbations



The role of the Equation of State

The only ingredient needed to solve the TOV equations is the (poorly known) EoS (i.e., $p(\varepsilon)$) of dense matter

2.5





Upper limit of the Maximum Mass

 M_{max} depends mainly on the behaviour of EoS, P(ϵ), at high densities. Any realistic EoS must satisfy two conditions:

• Causality:
$$\frac{dP}{d\rho} \le c^2$$
 • Stability: $\frac{dP}{d\rho} > 0$

If the EoS is known up to ρ_r , these conditions imply:

$$M_{\text{max}} \le 3M_{\odot} \left(\frac{5x10^{14} \, g \,/\, cm^3}{\rho_r}\right)^{1/2}$$

If rotation is taken into account M_{max} can increase up to 20%:

$$M_{\text{max}} \le 3.89 M_{\odot} \left(\frac{5x10^{14} \, g \,/ \, cm^3}{\rho_r} \right)^{1/2}$$

How to Measure Neutron Star Masses

Use Doppler variations in spin period to measure orbital velocity changes along the line-of-sight

 5 Keplerian parameters can normally be determined:

P, a sin i, ε , T₀ & ω

• 3 unknowns: M_1 , M_2 , i

Kepler's 3rd law

$$\frac{G(M_1 + M_2)}{a^3} = \left(\frac{2\pi}{P}\right)^2 \longrightarrow \qquad f(M_1, M_2, i) = \frac{\left(M_2 \sin i\right)^3}{\left(M_1 + M_2\right)^2} = \frac{Pv^3}{2\pi G}$$

mass function



In few cases small deviations from Keplerian orbit due to GR effects can be detected

Measure of at least 2 post-Keplerian parameters

High precision NS mass determination

$$\dot{\omega} = 3T_{\otimes}^{2/3} \left(\frac{P_b}{2\pi}\right)^{-5/3} \frac{1}{1-\varepsilon} \left(M_p + M_c\right)^{2/3}$$
$$\gamma = T_{\otimes}^{2/3} \left(\frac{P_b}{2\pi}\right)^{1/3} \varepsilon \frac{M_c \left(M_p + 2M_c\right)}{\left(M_p + M_c\right)^{4/3}}$$

$$T = T_{\otimes}M_c$$

$$\dot{P}_{b} = -\frac{192\pi}{5} T_{\otimes}^{5/3} \left(\frac{P_{b}}{2\pi}\right)^{-5/3} f(\varepsilon) \frac{M_{p}M_{c}}{\left(M_{p} + M_{c}\right)^{1/3}} \longrightarrow$$

- Periastron precession
- → Time dilation and grav. redshift
- → Shapiro delay "range"
 - Shapiro delay "shape"
 - Orbit decay due to GW emission

An example: the mass of the Hulse-Taylor pulsar (PSR J1913+16)



Parameter	Value	
Orbital period $P_{\rm b}\left({\rm d}\right)$	0.322997462727(5)	
Projected semi-major axis x (s)	2.341774(1)	
Eccentricity e	0.6171338(4)	
Longitude of periastron ω (deg)	226.57518(4)	
Epoch of periastron T_0 (MJD)	46443.99588317(3)	
Advance of periastron $\dot{\omega}$ (deg yr ⁻¹)	4.226607(7)	
Gravitational redshift γ (ms)	4.294(1)	
Orbital period derivative $(\dot{P}_b)^{obs}$ (10 ⁻¹²)	-2.4211(14)	





Measured Neutron Star Masses (up to $\sim 2006-2008$)

2.0

2.5



N.B. I will comment on more recent measurements latter when talking about the "hyperon problem"

Limits on the Neutron Star Radius

The radius of a neutron star with mass M cannot be arbitrarily small



How to measure Neutron Star Radii

Radii are very difficult to measure because NS:

 \diamond are very small (~ 10 km)

 \diamond are far from us (e.g., the closest NS, RX J1856.5-3754, is at ~ 400 ly)

A possible way to measure it is to use the thermal emission of low mass X-ray binaries:



NS radius can be obtained from

- ♦ Flux measurement +Stefan-Boltzmann's law
- ♦ Temperature (Black body fit+atmosphere model)
- ♦ Distance estimation (difficult)
- ♦ Gravitational redshift z (detection of absorption lines)

$$R_{\infty} = \sqrt{\frac{FD^2}{\sigma_{SB}T^4}} \rightarrow R_{NS} = \frac{R_{\infty}}{1+z} = R_{\infty}\sqrt{1 - \frac{2GM}{R_{NS}c^2}}$$

Recent Estimations of Neutron Star Radii

The recent analysis of the thermal spectrum from 5 quiescent LMXB in globular clusters is still controversial



Limits of the Mass & Radius of a Neutron Star



Thermal Evolution of Neutron Stars

Information, complementary to that from mass & radius, can be also obtained from the measurement of the temperature (luminosity) of neutron stars



D. G. Yakovlev & C. J. Pethick, A&A 42, 169 (2004)

Neutron Star Cooling in a Nutshell









$$\frac{dE_{th}}{dt} = C_{\nu} \frac{dT}{dt} = -L_{\gamma} - L_{\nu} + H$$

Neutrino Emission

Name	Process	Emissivity (erg cm ⁻³ s ⁻¹)	
Modified Urca cycle (neutron branch)	$ \begin{vmatrix} n+n \rightarrow n+p+e^- + \bar{\nu}_e \\ n+p+e^- \rightarrow n+n+\nu_e \end{vmatrix} $	$\sim 2 \times 10^{21} \ R \ T_9^8$	Slow
Modified Urca cycle (proton branch)	$ \begin{array}{c} p+n \rightarrow p+p+e^- + \bar{\nu}_e \\ p+p+e^- \rightarrow p+n+\nu_e \end{array} $	$\sim 10^{21}~R~T_{9}^{8}$	Slow
Bremsstrahlung	$n + n \rightarrow n + n + \nu + \bar{\nu}$ $n + p \rightarrow n + p + \nu + \bar{\nu}$ $p + p \rightarrow p + p + \nu + \bar{\nu}$	$\sim 10^{19}~R~T_9^8$	Slow
Cooper pair formations	$p + p \rightarrow [nn] + \nu + \overline{\nu}$ $p + p \rightarrow [pp] + \nu + \overline{\nu}$	$\sim 5 imes 10^{21} \ R \ T_9^7 \ \sim 5 imes 10^{19} \ R \ T_9^7$	Medium
Direct Urca cycle (nucleons)	$ \begin{array}{c} n \rightarrow p + e^- + \bar{\nu}_e \\ p + e^- \rightarrow n + \nu_e \end{array} $	$\sim 10^{27}~R~T_9^6$	Fast
Direct Urca cycle (A hyperons)	$ \begin{array}{ c c } \Lambda \to p + e^- + \bar{\nu}_e \\ p + e^- \to \Lambda + \nu_e \end{array} $	$\sim 10^{27}~R~T_9^6$	Fast
Direct Urca cycle (Σ [–] hyperons)	$ \begin{array}{c} \Sigma^- \to n + e^- + \bar{\nu}_e \\ n + e^- \to \Sigma^- + \nu_e \end{array} $	$\sim 10^{27}~R~T_9^6$	Fast
π^- condensate K^- condensate	$ \begin{array}{l} n+<\pi^->\rightarrow n+e^-+\bar\nu_e\\ n+\rightarrow n+e^-+\bar\nu_e \end{array} \end{array} $	$\sim 10^{26}~R~T_9^6 \ \sim 10^{25}~R~T_9^6$	Fast Fast

Anything beyond just neutrons & protons results in an enhancement of the neutrino emission

Anatomy of a Neutron Star



Hyperons in Neutron Stars

Hyperons in NS considered by many authors since the pioneering work of Ambartsumyan & Saakyan (1960)



Phenomenological approaches

- ♦ Non-realtivistic potential model: Balberg & Gal 1997
- ♦ Quark-meson coupling model: Pal et al. 1999, …
- ♦ Chiral Effective Lagrangians: Hanauske et al., 2000
- ♦ Density dependent hadron field models: Hofmann, Keil & Lenske 2001



Microscopic approaches

- Brueckner-Hartree-Fock theory: Baldo et al. 2000; I. V. et al. 2000, Schulze et al. 2006, I.V. et al. 2011, Burgio et al. 2011, Schulze & Rijken 2011
- ♦ DBHF: Sammarruca (2009), Katayama & Saito (2014)
- $V_{\text{low }k}$: Djapo, Schaefer & Wambach, 2010
- ♦ Quantum Monte Carlo: Lonardoni et al., (2014)



Hyperons are expected to appear in the core of neutron stars at $\rho \sim (2-3)\rho_0$ when μ_N is large enough to make the conversion of N into Y energetically favorable.



Neutron Star Matter Composition

RMFT





N. K. Glendenning, APJ 293, 470 (1985)

M. Baldo et al.,, PRC 61, 055801 (2000)

Effect of Hyperons in the EoS and Mass of Neutron Stars



Hyperons in NS (up to ~ 2006-2008)



Phenomenological: M_{max} compatible with 1.4-1.5 M_{\odot}



Microscopic : $M_{max} < 1.4-1.5 M_{\odot}$



Recent measurements of high masses —> life of hyperons more difficult

- PSR J164-2230 (Demorest et al. 2010)
 - ✓ binary system (P = 8.68d, $i = 89.17(2)^{\circ}$)
 - ✓ low eccentricity (ϵ =1.3 x 10⁻⁶)
 - \checkmark companion (WD) mass: $\sim 0.5 M_{\odot}$
 - ✓ pulsar mass: $M = 1.97 \pm 0.04 M_{\odot}$





- <u>PSR J0348+0432</u> (Antoniadis et al. 2013)
- ✓ binary system (P = 2.46h, $i = 40.2(6)^{\circ}$)
- \checkmark very low eccentricity
- \checkmark companion (WD) mass: $0.172 \pm 0.003 M_{\odot}$
- ✓ pulsar mass: $M = 2.01 \pm 0.04 M_{\odot}$

Formation of Binary Systems



Figure by P.C.C. Freire

Measured Neutron Star Masses (2016)



updated from Lattimer 2013

Observation of $\sim 2 M_{\odot}$ neutron stars

Dense matter EoS stiff enough is required such that

 $M_{\rm max} [EoS] > 2M_{\odot}$

A natural question arises:

Can hyperons, or strangeness in general, still be present in the interior of neutron stars in view of this constraint?

The Hyperon Puzzle



"Hyperons \rightarrow "soft (or too soft) EoS" not compatible (mainly in microscopic approaches) with measured (high) masses. However, the presence of hyperons in the NS interior seems to be unavoidable."



- \checkmark can YN & YY interactions still solve it ?
- \checkmark or perhaps hyperonic three-body forces ?
- ✓ what about quark matter ?

Solution I: YY vector meson repulsion (explored in the context of RMF models)

General Feature:

Exchange of scalar mesons generates attraction (softening), but the exchange of vector mesons generates repulsion (stiffening)



Add vector mesons with hidden strangeness (φ) coupled to hyperons yielding a strong repulsive contribution at high densities



Dexhamer & Schramm (2008), Bednarek et al, (2012), Weissenborn et al., (2012) Oertel et al. (2014), Maslov et al. (2015)



Weissenborn et al. (2012)







Maslov et al. (2015)

- RMF with scaled hadron masses (universal)
 & coupling constants (not universal)
- Model flexible enough to satisfy constraints from HIC & astrophysical data
- Hyperon puzzle <u>partially solved if a reduction</u> of φ meson mass is included





Although these and other similar models are able to reconcile the presence of hyperons in the NS interior with the existence of $2M_{\odot}$ NS, <u>one must be cautious !!</u>



♦ These models contain several free parameters which most of the times are arbitrarily chosen being the only jutification our still "scarce" knowledge of the YY interaction.

Hence:

In absence of sufficient experimental data on multi-strange hypernuclei and YY scattering the validity of these models is still questionable.

Solution II: can Hyperonic TBF solve this puzzle?

Natural solution based on: Importance of NNN force in Nuclear Physics (Considered by several authors: Chalk, Gal, Usmani, Bodmer, Takatsuka, Loiseau, Nogami, Bahaduri, IV)



The results are contradictory





I. V. et al. (2011)

BHF with NN+YN+phenomenological YTBF. Different strength of YTBF including the case of universal TBF

$$1.27 < M_{\rm max} < 1.6 M_{\odot}$$





Yamamoto et al. (2015)

BHF with NN+YN+universal repulsive TBF (multipomeron exchange mecanism)

$$M_{\rm max} > 2M_{\odot}$$

It should be mentioned also the recent Quantum Monte Carlo calculation by Lonardoni et al. (2015)



- First Quantum Monte Carlo calculation on neutron+ Λ matter
- Strong dependence of Λ onset on Λnn force
- Some of the parametrizations of the Ann force give maximum masses compatible with 2M_o but the onset of Λ is above the maximum density considered (~0.56 fm⁻³). So in fact, no As are present in NS interior

and the recent DBHF calculation of hyperonic matter by Katayama & Saito (2014)



Take Away Message



- ✤ It is still an open question whether hyperonic TBFs can, by themselves, solve completely the hyperon puzzle or not.
- ♦ It seems, however, that even if they are not the full solution, most probably they can contribute to it in an important way.

Solution III: Quark Matter Core

General Feature:

Some authors have suggested an early phase transition to deconfined quark matter as solution to the hyperon puzzle. Massive neutron stars could actually be hybrid stars with a stiff quark matter core.

To yield $M_{\text{max}} > 2M_{\odot}$ Quark Matter should have:

- significant overall quark repulsion ——> stiff EoS
- strong attraction in a channel ——> strong color superconductivity



Ozel et al., (2010), Weissenborn et al., (2011), Klaehn et al., (2011), Bonano & Sedrakian (2012), Lastowiecki et al., (2012), Zdunik & Haensel (2012)

A recent work by D. Blaschke & D. Alvarez-Castillo (2015)



Compositeness of baryons (by excluded volume and/or quark Pauli blocking) on the hadronic side + confinement and stiffening effects on the quark matter: Earlier phase transition to QM with sufficient stiffening at high densities to solve: hyperon puzzle, masquerade problem & reconfinement puzzle But also in this case we must pay attention



Currently theoretical descriptions of quark matter at high density rely on phenomenological models which are constrained using the few available experimental information on high density baryonic matter from heavy-ion collisions.

Is there also a Δ isobar puzzle ?

The recent work by Drago et al. (2014) calculation have studied the role of the Δ isobar in neutron star matter



- Constraints from L indicate an early appearance of Δ isobars in neutron stars matter at ~ 2-3 ρ_0 (same range as hyperons)
- Appearance of Δ isobars modify the composition & structure of hadronic stars
- M_{max} is dramatically affected by the presence of Δ isobars

If Δ potential is close to that indicated by π -, e-nucleus or photoabsortion nuclear reactions then EoS is too soft $\longrightarrow \Delta$ puzzle similar to the hyperon one

Hyperon Stars at Birth

lovid Hoyd Glov

Proto-Neutron Stars



(Janka, Langanke, Marek, Martinez-Pinedo & Muller 2006)

New effects on PNS matter:

Thermal effects

$$T \approx 30 - 40 \quad MeV$$
$$S / A \approx 1 - 2$$

Neutrino trapping

$$\mu_{v} \neq 0$$

$$Y_{e} = \frac{\rho_{e} + \rho_{v_{e}}}{\rho_{B}} \approx 0.4$$

$$Y_{\mu} = \frac{\rho_{\mu} + \rho_{v_{\mu}}}{\rho_{B}} \approx 0$$

Proto-Neutron Stars: Composition

Neutrino free

 $\mu_v = 0$





 $\mu_v \neq 0$



- Neutrino trapped
- Large proton fraction
 - Small number of muons
 - Onset of $\Sigma^{-}(\Lambda)$ shifted to higher (lower) density
 - ✓ Hyperon fraction lower in ν -trapped matter

Proto-Neutron Stars: EoS



- Nucleonic matter
- $\diamond v\text{-trapping} + \text{temperature}$ $\longrightarrow \text{ softer EoS}$
- Hyperonic matter
- $\Rightarrow v\text{-trapping} + \text{temperature}$ $\longrightarrow \underline{\text{stiffer EoS}}$
- ♦ More hyperon softening in v-untrapped matter (larger hyperon fraction)

Proto-Neutron Stars: Structure



2 Baryonic mass M_B [solar mass units]

Hyperons & Neutron Star Cooling

Hyperonic DURCA processes possible as soon as hyperons appear (nucleonic DURCA requires x_p > 11-15 %)



+ partner reactions generating neutrinos, Hyperonic MURCA, ...



Additional

Processes

Fast Cooling

R: relative emissitivy w.r.t. nucleonic DURCA

Pairing Gap \longrightarrow suppression of $C_v \& \mathcal{E}$ by

 $\sim e^{(-\Delta/k_BT)}$

• ${}^{1}S_{0}$, ${}^{3}SD_{1}\Sigma N \& {}^{1}S_{0}\Lambda N$ gap





Hyperons & the R-mode instability of Neutron Stars

The r-mode Instability



Hyperon Bulk Viscosity ξ_Y

(Lindblom et al. 2002, Haensel et al 2002, van Dalen et al. 2002, Chatterjee et al. 2008, Gusakov et al. 2008, Shina et al. 2009, Jha et al. 2010,...)



Reaction Rates & ξ_Y reduced by Hyperon Superfluidity

Critical Angular Velocity of Neutron Stars

• r-mode amplitude: $A \propto A_o e^{-i\omega(\Omega)t - t/\tau(\Omega)}$





What do we know to include hyperons in the EoS?

Unfortunately, much less than in the pure nucleonic sector to put stringent constraints on the YN & YY interactions



- Very few YN scattering data due to short lifetime of hyperons & low intensity beam fluxes
 - ~35 data points, all from the 1960s
 - 10 new data points, from KEK-PS E251 collaboration (2000)
 - No YY scattering data exists

(cf. > 4000 NN data for $E_{lab} < 350$ MeV)

Alternative information can be obtained from hypernuclei

- 41 single Λ -hypernuclei $\longrightarrow \Lambda N$ attractive ($U_{\Lambda}(\rho_0) \sim -30 \text{ MeV}$)
- 3 double- Λ hypernuclei \longrightarrow weak $\Lambda\Lambda$ attraction ($\Delta B_{\Lambda\Lambda} \sim 1 MeV$)
- Very few Ξ -hypernuclei $\longrightarrow \Xi N$ attractive ($U_{\Xi}(\rho_0) \sim -14 \text{ MeV}$)
- Ambiguous evidence of Σ -hypernuclei $\longrightarrow \Sigma N$ repulsive $(U_{\Sigma}(\rho_0) > +15 \text{ MeV})$?



S. N. Nakamura, Hypernuclear Workshop, Jlab 2014, updated from: O. Hashimoto and H. Tamura, Prog. Part. Nucl. Phys. 57, 564 (2006)

D. Chatterjee & I. V. (2015)

But there are some problems

- ♦ Limited amount of scattering data not enough to fully constrain the bare YN & YY interactions → Strategy: start from a NN model & impose SU(3)_f constraints to build YN & YY (e.g., Juelich & Nijmegen models)
- ♦ Bare YN & YY is not easy to derive from hypernuclei. Hyperons in nuclei are not free but in-medium. Hypernuclei provide effective hyperon-nucleus interactions
- Amount of experimental data on hypernuclei is not enough to constrain the uncertainties of phenomenological models.
 Parameters are most of the times arbitrarily chosen
- ♦ Ab-initio hypernuclear structure calculations with bare YN & YY interactions exists but are less accurate than phenomenological ones due to the difficulties to solve the very complicated nuclear many-body problem

Lattice QCD



Lattice QCD calculations can provide the much required YN, YY & hyperonic TBFs.



ΛΛ, $N\Xi$ & ΣΣ (I=0) ¹S₀ (m_π=145 MeV)



Hal QCD collaboration, HYP2015

2.5

Shopping List



We need:

- ♦ More & updated hypernuclear data (FAIR, JLAB, J-PARC)
- ♦ Measurements of multi-strange hypernuclei (FAIR)
- Study of light hypernuclei (role of hyperonic TBFs)
- ✤ More YN and (hopefuly) YY scattering data
- ♦ Lattice QCD calculations
- ♦ Analysis of hyperon-hyperon correlations in HIC
- ♦ Astronomical data sensitive to the strangeness content of NS

- You for your time & attention
- The organizers for their invitation

